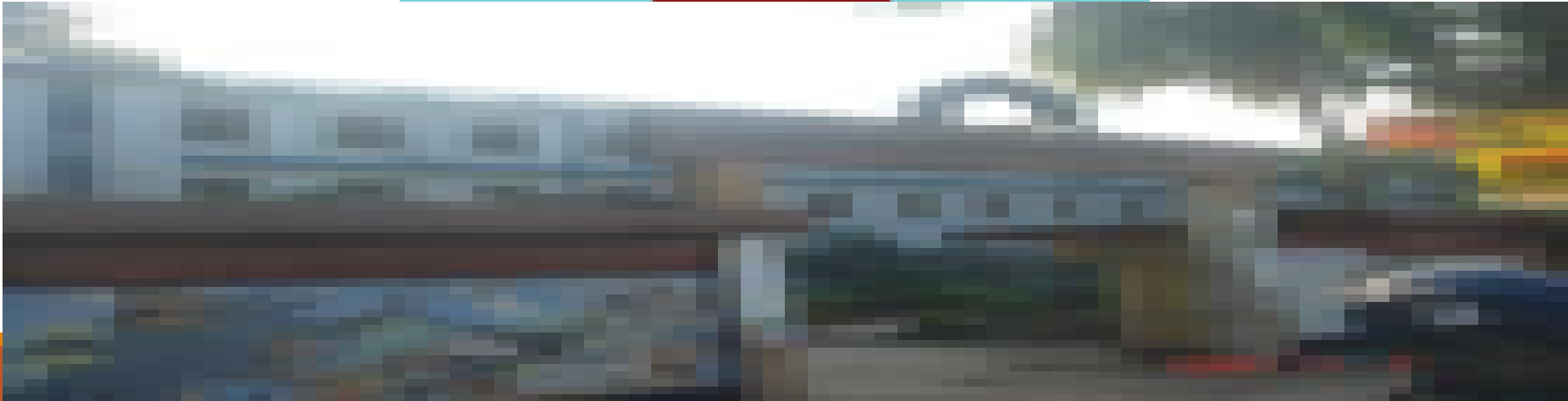
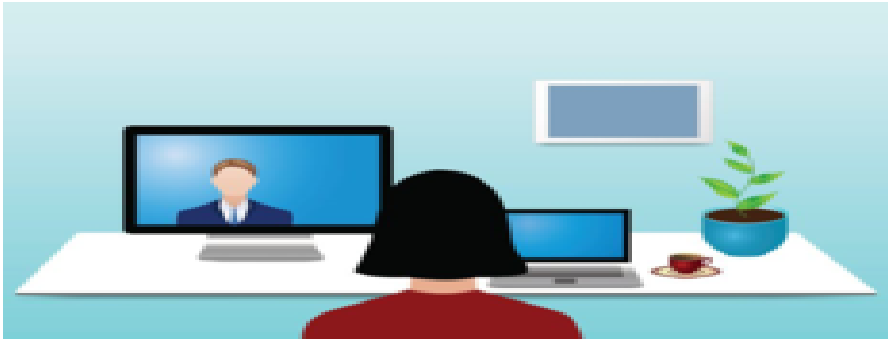




# ১৮

গণপ্রজাতন্ত্রী বাংলাদেশ সরকার  
১৮



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Department of Physics

Birmingham University (UK) ©

gqgbsn@mpi.ac.uk B. V. G. gqgbsn

|

hvv tZvgvi | tZvgvi t`tki Rb" Kj "vY Ki ,ZvB Zvg -coe  
t`L | ev`fe iævšÍ Ki | GUvB tZvgvi QvÎ Rxeþb Av`K|  
hviv cwi k@Kti | mgqtK gj" t`q ZvivB mZ" | myti i  
cRvix | evnK | tgvv iwdKj Bmj vg

gmail- [physics.mpi@gmail.com](mailto:physics.mpi@gmail.com)

tgvevBj b^t-01722917107

Avtj vPbv weI q ce©

Kvk bs-1

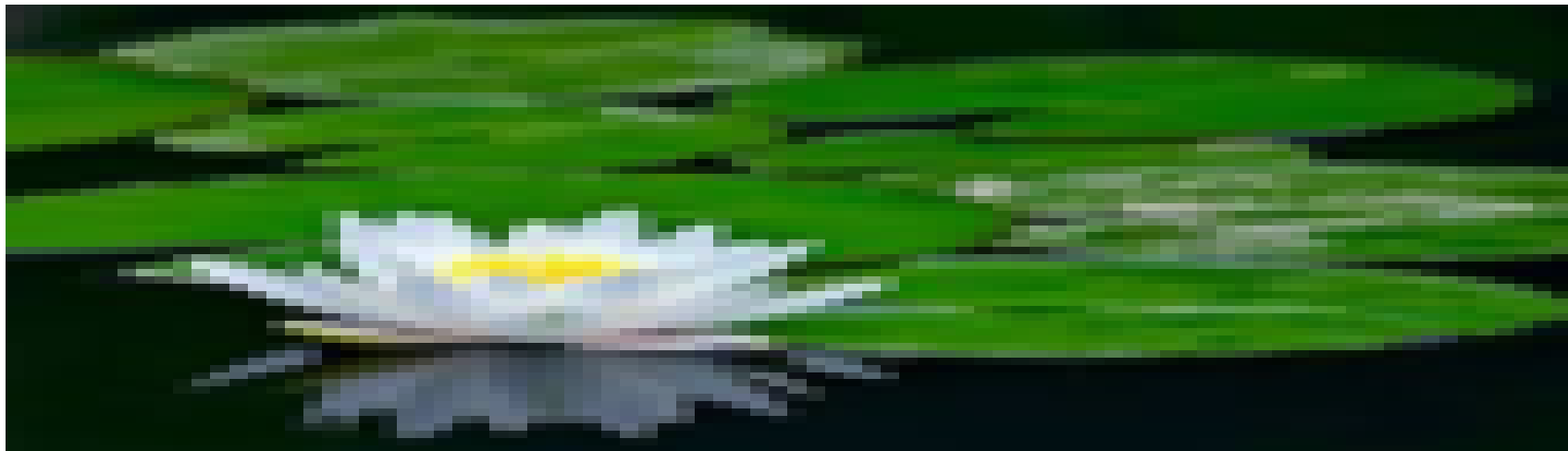
Zwi L -20-8-2023 wL<sup>†</sup>

mgq t- 2.30 Uv

ce©- 2q

wkdU t- 2q wkdU

Avtj vPbv weI q QvÎ QvÎ xt` i cwI wPZ ce© i †fQv Kvk |



# Pvi eQi tgqw` cÖŠkj wWtcrv wkyvutgi Rb''

wel tqi bvg :- wdWR. -2,

wel q tKvW :- 25922

tUKtbvj wR t-g'vKwbK''vj | 2q ce©2q wkdU M© (G +ve )

cY@b -200

T	P	C
3	3	4



ZËxq  
cwi yv -90



ZËxq  
avivevwnK-60



e''enwii K  
cwi yv-25



e''enwii K  
avivevwnK-25

ce@ngvcib ZËxq cwi ývi (2022 cÖarb) cY@b -90

K wefv†M

AvZmswÿZ 10 wU cKöeK†e 10wUB DËi w` †Z n†e |  $2 \times 10 = 20$

(†hLv†b msÁv, m†, mgxKiY, weI q ej †Z wK e\$, GKK tei Ki BZ`w` )

1 | cigkb` Zvcgv†v Gi msÁv wj L ev Av†cwÿK Zvc Kv†K  
e†j?, 2 | ZvcMwZwe` `vi 1g m†wU wj L?, 3 | †j vnvi ` N` cÖi v¼  
0.000012/†Kj wfb ej †Z wK e\$? 4 | Gm AvB c×wZ†Z Zvc  
cwi enY , Yv†¼i Gi GKK tei Ki? BZ`w` |

# L wefv†M

mswÿZ 10wU cKöæK†e 10wUB DËi w` †Z n†e | 3×10=30

(†hLv†b msÁv Gi eY@, e"vL"v, I m† Gi eY@, cWZcv` b,  
i evšÍ, †Kv†bv we††q Gi cv\_K", ^enkó" Ges MvwYwZK mgm"v  
mgvavb BZ"vw` )

1 | Av†j vi wecixZ eMxq m†wU eY@ ev e"vL"v Ki | 2 | `xcb gv†v I  
`xcbÿgZvi Gi g†a" mæúK©vcb Ki ev cv\_K" wj L ? 3 | ^`N"©  
cWZiY , YvsK Gi mgxKiYwU cWZôv Ki ev cWZcv` b Ki? 4 | G· †i  
Gi ^enkó" wj L ev e"envi , †j v wj L?  
MvwYwZK mgm"v ev c`v\_w@Ávb Gi AsK \_vK†e | BZ"vw` |

# M wefv†M

i Pbv gj-K 7wU ev 6wU cKöerK†e 5wU DËi w` †Z n†e |  $8 \times 5 = 40$

(†hLv†b †Kv†bv weI q, msÁv I m† Gi eYb, e"vL"v,  
cÖcv` b, i gšÍ, MvwYwZK mgm"v mgvavb BZ"vw` )

- 1 | wPÎmn Ww<sup>3</sup>vix \_v†gwgUvi Gi Mvb Ges KvheÖj x eYb Ki |
- 2 | Av†jvi wecixZ eMxq m†wU eYb ev e"vL"v Ki |
- 3 | ^` N" eÖiY , YvsK Gi mgxKiYwU cÖöov Ki ev cÖcv` b Ki |
- 4 | cÖY Ki th,  $6\alpha = 3\beta = 2\gamma$  |
- 5 | MvwYwZK mgm"v ev c`v\_weÁvb Gi Ask \_vK†e | BZ"vw` |

ZËxq avivemnk cwi yvi (2022 cÖarb) cY@b -60

ce@a" cwi yv cY@b -30

(thLvtb AvZmswÿZ, mswÿZ, iPbvjj-K cKöetK)

avivemnk gj"vqb -30

(Kvk tU÷ - 5, KBR tU÷ -9, G"vmvBbtg>U I tgšMLK  
cixÿv, AvPiY, Dcw-wZ BZ"vw` )



## dıBbvj e'enwii K cwi yv (2022 cıavb) -25

(cÖE cwi yxZ cwi yvi GKWU cÖk©ceK DEİ w` tZ nte |  
thLvtb 1 | Re/G. t cwi tğU GKWU, 2 | Re/ G. t cwi tğU wi tcvU  
/tbvU eK I 3 | Re/ G. t cwi tğU ev cwi yv Pj vKvj xb mgtq  
tgšMLK cwi yv)

## e'enwii K avivevwnK gj'vqb (2022 cıavb) -25

(thLvtb Re/G. t cwi tğU, emoi KvR, Re/ G. t cwi tğU  
wi tcvU ©ÖZKiY, Re/ G. t cwi tğUi Dci tgšMLK ci x'v,  
AvPiY, Dcw wZ)

wel tqi bvg t- wdWR. -2  
wel q tKvW t- 25922

- 1g Aa'vq t- \_vtgvmgZ |
- 2q Aa'vq t- c`vt\_©Dci Zvtci cÖre|
- 3q Aa'vq t- Zvtci cÖZ. I hvmšK mgZv |
- 4\_©Aa'vq t- ZvcMvZve`vi 2q mĤ|
- 5g Aa'vq t- w̄f Zvor |
- 6ô Aa'vq t- †PŠαKZj|
- 7g Aa'vq t- Av†j vi cÖdj b|
- 8g Aa'vq t- Av†j vi cÖmi Y|

- 9g Aa"vq t- †fŠZ Av†j vKweÁvb |
- 10g Aa"vq t-Av†j vK Zvor wμqv |
- 11 Zg Aa"vqt- ci gvYiy MVb |
- 12 Zg Aa"vq t- wbDKxq c`v\_@Ávb |
- 13 Zg Aa"vqt- Avank c`v\_@Ávb |
- 14 Zg Aa"vqt- Av†cwjK ZËjI †R"wwZ@c`v\_@Ávb |

wdwR. -2(25922) weI tq e"enwi K weI qmgñ

- 1 | mvaviY \_vtgwgUvtii Kvh©xwZ ev ZvcgvÎv Zj bv KiY |
- 2 | cny Ävtii htšj mrvvth" KwB c`vt\_©^`N"©miv¼ wbY©Ki |
- 3 | wvkÖc×wZtZ KwB c`vt\_©AvtciwÿK Zvc I Zvc aviKZ;wbY©Ki |
- 4 | wvkÖc×wZtZ eid Mj tbi mßZvc wbY©Ki |
- 5 | K"vj wi wgvUvtii mrvvth" cvwbmg wbY©Ki |

6 | `w Av†j vK Drm ev `xcb kw<sup>3</sup>i Zj bvKiY |

7 | wcb c×wZ†Z mgZj `c†i Av†j vi cÖdj †bi  
m†î i mZ¨Zv hvPvB |

8 | j<sup>αb</sup> c×wZ†Z AeZj `c†i tdvKvm `i-ZjwbY†  
Ki |

9 | wcb c×wZ†Z AvqZKvi KvPdj †Ki Dcv`v†bi  
cÖmiv<sup>1/4</sup> wbY†Ki |

10 | I-D tj LwP†î i mvrvt†h¨ wcb†gi b¨bZg weP¨Z  
†KvY wbY†I Kv†Pi cÖmiv<sup>1/4</sup> wbY†

wdwR. - 2(25922) wełtq wkyv MÖYi Dfı k" t-

1 | wkyv\_xf©i cÖngK weÁvıbi GKwU cUfıg weKvk Kiv |

cöyP MZ wełq\_sıj tevSvi Rb" cÖvRb c`v\_ıeÁvb |

2 | mvaviYZ BwÄvbqwwı s Ges wktıı DcKiY\_sıj i GKwU Kvıh©ıx

Ávb weKvk Kiv Ges cıxıv-wbıxıvi gva"tg GB RvZxq

Dcv`vb\_sıj i ^ewkó" wıavı©Y KiıZ mıyg Kiv |

3 | tgšıj K ^eÁwıbK avıYvi tevSvi Rb" cıxıvi gva"tg weKvk

Kiv |

4 | mvaviYZ BwÄvbqwwı s Ges wktıı RvZxq Dcv`vııbi ^ewkó"ı

GKwU cÖngK Ávb Ges avıYv weKvk Kiv |

Avtj vPbv weI q ce©

Kvk bs-2

Zwi L -21-08-2023

mgq t- 45 wgbU

ce©- 2q M@-g'vKwbK'vj M@-G

wkdU t- 2q wkdU

weI q :-wdwR. -2(25922)

1g Aa'vq t- \_vtgwgwZ |

GB Aa`vq cv†Vi tk†I Avgiv hv hv wkL†Z cvie

Zvc I ZvcgvĪv wk, পরম শূন্য তাপমাত্রা, মৌলিক ব্যবধান,

wefbœK̄i GK†Ki msÁv `vI Ges Bnvi cv\_K̄' wj L |

ZvcgvĪvi wefbœē†j i g†a" m̄úK̄©vcb Ki |

Wv<sup>3</sup>vix ev wk̄bK̄"vj \_v†gwgUvi Gi MVb I Kvh©Öj x eYb̄ Ki |

Zij \_v†gwgUv†ii cvi` e"env†ii m̄eav I Am̄eav ,†j v wj L |



c`v\_@Áv†bi th kvLvq Zvc cwi gvc msμvšÍAv†j vPbv Kiv nq Zv†K  
\_v†gwi@Z etj |

th hš;Øviv ZvcgvÎv wbfj@fvte cwi gvc Kiv nq Zv†K \_v†gwi@Uvi etj |

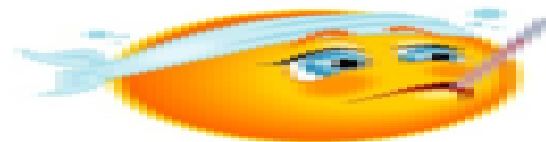


Zvc | ZvcgvÎv Gi msÁv

Zvc

Zvc GK cKöri kw<sup>3</sup> | Zv†ci tKv†bv AvKvi, AvqZb, eY@v MÜ tbB hv Øviv Zvc†K  
†Pbv †h†Z cv†i | Zv†ci dj t`†L ZvcgvÎv†K †Pbv hvq |

Zvc GK cKöri kw<sup>3</sup> hv D" P ZvcgvÎvi e`n†Z wbb¥ ZvcgvÎvi e`†Z ZvcgvÎvi  
cv\_†K"i Kvi†Y cwi enb, cwi Pj b Ges wewKiY c×wZ†Z Mgb K†i |



# ZvcgvÎ v

ZvcgvÎ v e<sup>-</sup> f GKWU Zvcxq Ae<sup>-</sup> v hv H e<sup>-</sup> 'ntZ Ab<sup>''</sup> e<sup>-</sup> tZ Zvc cÖn  
wbqšY Kti | Ab<sup>''</sup> K\_vq ej v hvq, tKv†bv e<sup>-</sup> 'KZUKZ/vÛv ev KZUKz  
Mig ZvcgvÎ v w` tq Zv e<sup>-</sup> vq | `w e<sup>-</sup> f gta<sup>''</sup> Zvcxq msthvM NU†j  
Zv†` i gv†S Zv†ci Av` vb cÖb nq | Zv†ci GB Av` vb cÖb e<sup>-</sup> '  
`w i ZvcgvÎ vi Dci wbf©Kti, Zv†ci cwigv†ci Dci bq |



cig kb" ZvcgvĪv

th ZvcgvĪvq th†Kv†bv M"v†mi AvqZb ZvwĒKfv†e kb" n†q hvq  
Zv†K cig kb" ZvcgvĪv e†j |

†gŠwj K e"eavb ev †gŠwj K `i-Zj

wbb¥ w̄ fvsK Ges EaŸⓈ fvs†Ki ga"eZxⓈ i-Z†K †gŠwj K e"eavb ev  
†gŠwj K `i-Zje†j |

$m R G m c \times W Z \ddagger Z Z v \ddagger c i G K K n \ddagger j v K \ddot{v} j w i |$

---

$K \ddot{v} j w i$

$1 M \ddot{g} w e i \times c w b i Z v c g v \hat{I} v 1^{\circ} C e w \times K i \ddagger Z t h c w i g v Y Z v \ddagger c i$   
 $c \ddot{v} R b n q Z v \ddagger K 1 K \ddot{v} j w i e \ddagger j | 1 C a l$

$w K \ddagger j v K \ddot{v} j w i$

$1 w K \ddagger j v M \ddot{g} w e i \times c w b i Z v c g v \hat{I} v 1^{\circ} C e w \times K i \ddagger Z t h c w i g v Y$   
 $Z v \ddagger c i c \ddot{v} R b n q Z v \ddagger K 1 w K \ddagger j v K \ddot{v} j w i e \ddagger j | 1 K C a l$

weñUk Zvcxq GKK

1 cvDÛ wei × cwbi ZvcgvÎv 1°F ew× Ki†Z th cwigvY Zv†ci  
cÖvRb nq Zv†K 1 weñUk Zvcxq GKK etj | 1(B.Th.U)

\_vg©

10<sup>5</sup> cvDÛ wei × cwbi ZvcgvÎv 1°F ew× Ki†Z th cwigvY Zv†ci  
cÖvRb nq Zv†K 1 \_vg©etj | 1Therm

†mj wmqvm Zvc GKK

1cvDÛ wei × cwbi ZvcgvÎv 1°C ew× Ki†Z th cwigvY Zv†ci cÖvRb  
nq Zv†K 1 †mj wmqvm Zvc GKK etj | 1°C

Gg †K Gm c×wZ†Z Zv†ci GKK Rjy |

1 Rjy

$\frac{1}{4200} kg$  cwbi ZvcgvÎv 1 †Kj wfb e×w× Ki†Z th cwigvY Zv†ci  
c†qRb Zv†K 1 Rjy Zvc etj |

cig kb" ZvcgvÎv

†h ZvcgvÎvq th †Kv†bv M'v†mi AvqZb ZwE†Kfvte kb" n†q hvq etj  
G†K cig kb" ZvcgvÎv etj |

Mj bv¼

~vFvmeK Pvtc th ZvcgvÎvq  
eid Mj tZ i iæKti ZvtK  
eid we>` yev wbb¥w f v¼ ev  
Mj bv¼ etj |



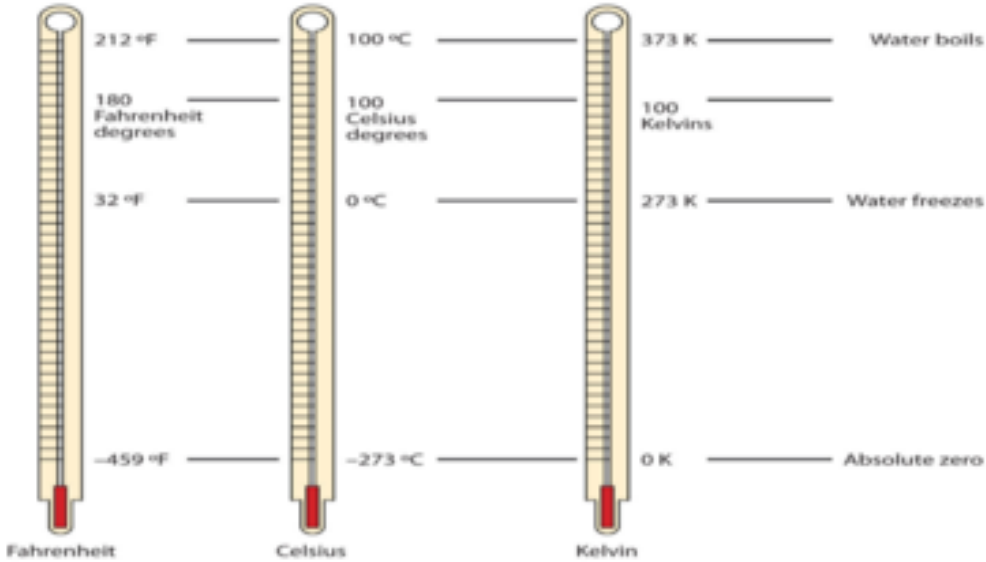
Ùb¼v¼

~vFvmeK Pvtc th ZvcgvÎvq  
wei × cwmb d¼tZ i iæKti  
ZvtK w÷g we>` yev Eaÿ® f v¼  
ev Ùb¼v¼ etj |



Temperature

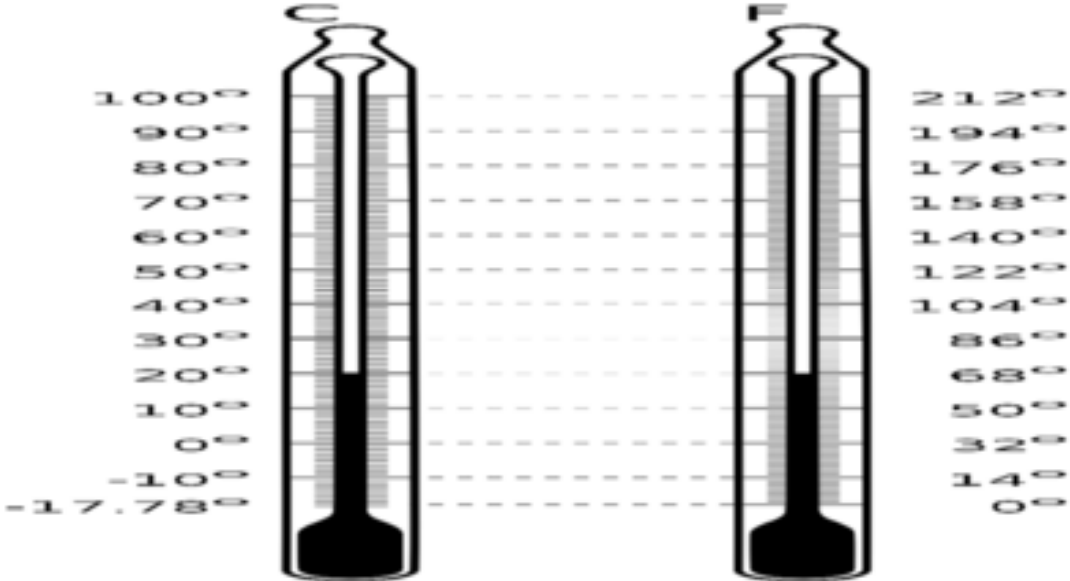
1742 Anders Celsius proposed a temperature scale where the boiling point of water is 100 degrees and the freezing point is 0 degrees. This scale is now known as the Celsius scale. The Kelvin scale is based on absolute zero, which is -273.15 degrees Celsius. The Fahrenheit scale is based on the freezing point of water at 32 degrees and the boiling point at 212 degrees.





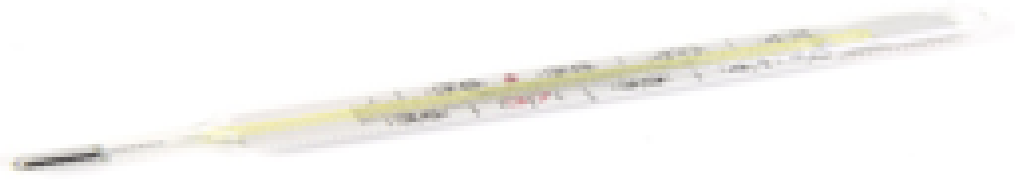
# dv̄i bnvBU t̄j

1720 mvtj Rvgv̄ vkw̄K wRw̄ dv̄i bnvBW Zvcgv̄vi t̄j Aw̄e<sup>®</sup>vi  
 K̄i | GB t̄j 32<sup>°</sup> wbb̄w̄ fiv̄¼ Ges 212<sup>°</sup> EaŸ̄ fiv̄¼ aiv nq Ges  
 Gi gāeZx̄i-Z̄K 180 0viv f̄M Kiv nq | c̄Z̄ K f̄M̄K 1<sup>°</sup>F ej v  
 nq | GUv F.P.S c̄x̄w̄Z̄Z ēenvi Kiv nq |



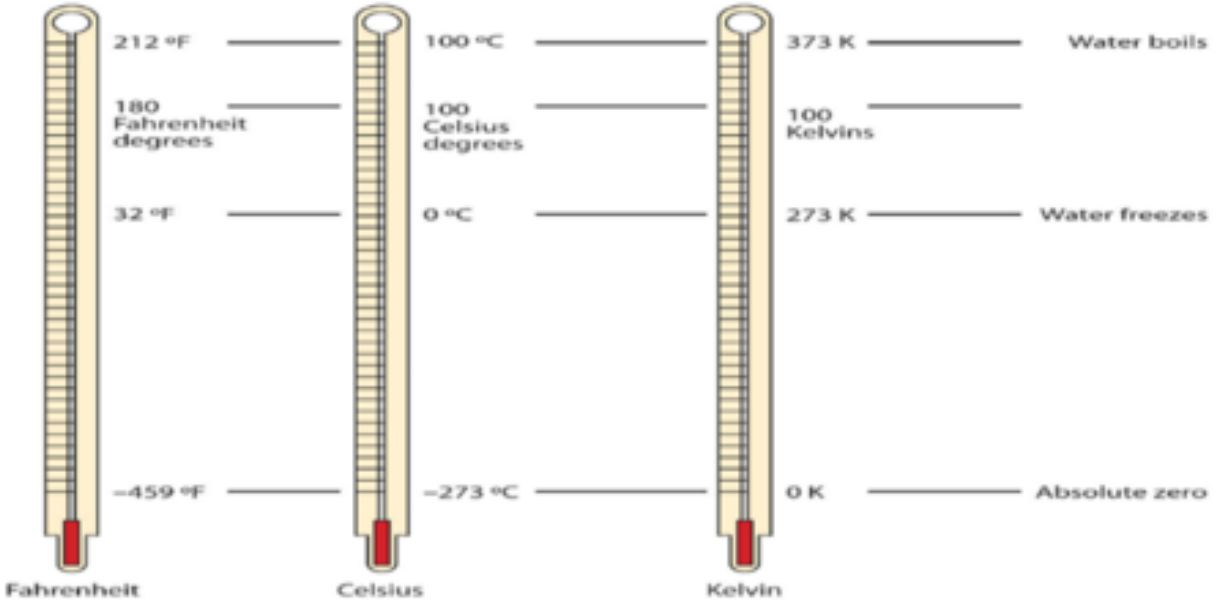
# ƒi vgi ƒ-ǵ

1720 mvtj dvtYi `vkvK ƒi vgi ZvcgvIvi ƒ-ǵ Ame®vi Kƒi |  
GB ƒ-ǵ 0° wbb¥w-iv¼ Ges 80° EaY®-iv¼ aiv nq Ges Gi  
gaëZx©i-ZƒK 80 Øviv fvM Kiv nq| cZK fvMƒK 1R ej v nq|



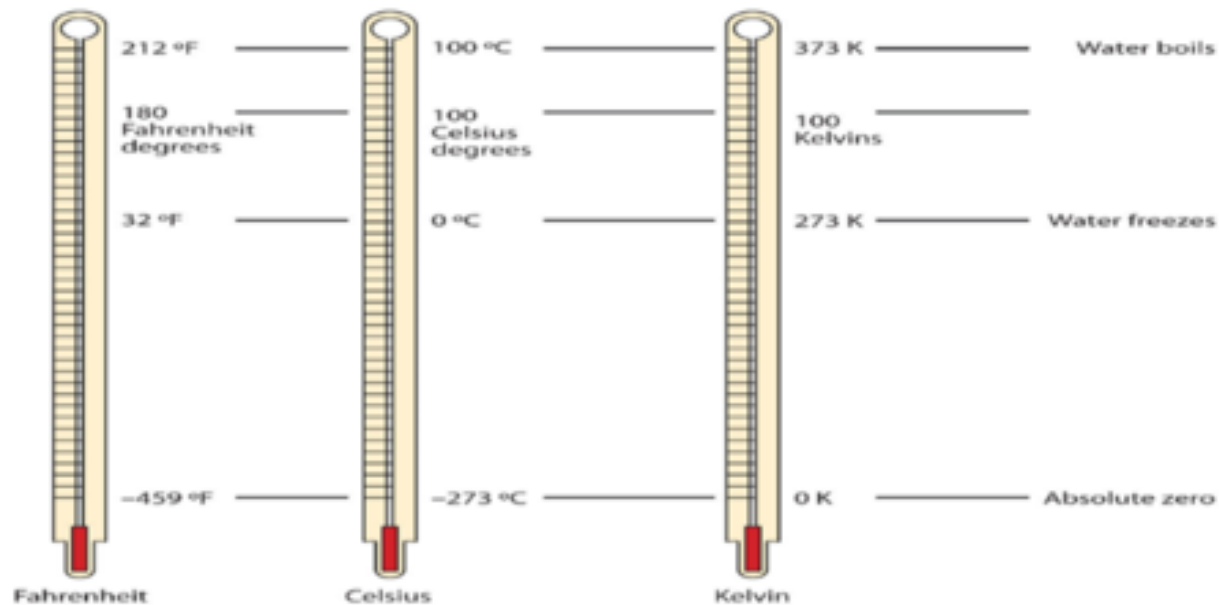
# Temperature

1850 was the year when the Kelvin scale was developed. It is based on the absolute zero of temperature. The Kelvin scale is the only one that does not have a negative value. The Celsius scale is based on the freezing and boiling points of water. The Fahrenheit scale is based on the freezing and boiling points of water. The Kelvin scale is the only one that is based on absolute zero.



# i°vsmKb t°j

%eÁvmbK i°vsmKb ZvcgvÎvi t°j Awme®vi K†i | GB t°†j 492°  
vbb¥ w°fv¼ Ges 672° Eaÿ®fv¼ aiv nq Ges Gi ga°eZx©i-Z†K  
180 Øviv fvM Kiv nq| cÖ°K 1Rn fvM†K ejv nq i°vsmKb t°j  
|

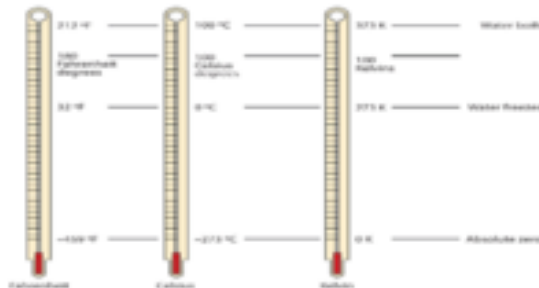


$\mathbb{Z}$  (C),  $\mathbb{Z}$  (F),  $\mathbb{Z}$  (R),  $\mathbb{Z}$  (K),  $\mathbb{Z}$  (R<sub>n</sub>)  
 $\mathbb{Z}$  i gta"  $\mathbb{Z}$  bv  $\mathbb{Z}$  P  $\mathbb{Z}$  l qv n  $\mathbb{Z}$  v

ve l q	$\mathbb{Z}$ (C) $\mathbb{Z}$	$\mathbb{Z}$ (F) $\mathbb{Z}$	$\mathbb{Z}$ (K) $\mathbb{Z}$	$\mathbb{Z}$ (R) $\mathbb{Z}$	$\mathbb{Z}$ (R <sub>n</sub> ) $\mathbb{Z}$	Av` _v g w g U v i i c w
cÖxK	C	F	K	R	R <sub>n</sub>	M
wbb¥ w` í v¼ ev eid we` y	0	32	273	0	492	A
EaY` í v¼ ev kxl we` y	100	212	373	80	672	B
cig kb` ZvcgvÎ v	-273	-460	-218	0	0	X
‡gŠwj K e`earvb	100	180	100	80	180	-

# ZvčgvÎ v cwi gv†ci wewfbdē†j i gv†S mαúK© LvI ?

†mj wmqvm, dv†i bnvBW, tivgvi, †Kj wfb, i vswKb t-†j i gv†S  
 cvi úwi K mαúK© v†bi Rb GKwU \_v†gUvi (BMA) wbB hvi  
 eid ve` yGes w÷g ve` yh\_vμ†g A I B `v†Mi mv†\_wg†j hv†e|  
 GLb GB \_v†gUvi Gi cvkvcvK D†i i cvBwU t-†j vcb Kwi |  
 awi, †Kv†bv GKwU ZvčgvÎ vq cÖE \_v†gUvi BMA Gi cvi` kxl ©  
 hLb M Ae v†b Av†m ZLb †mj wmqvm, dv†i bnvBU, tivgvi, †Kj wfb  
 I i vswKb t-†j i ZvčgvÎ v h\_vμ†g C,F, K, R, Rn | th †Kv†bv  
 t-†j tbi qv tnvK bv †Kb `iZ|I `i†Zj AbvZ me© GKB \_vK†e|



$$\text{th tKv\#br \_vtgwgUvtii cvV} = \frac{\text{vtgwgUvtii cvV-wbb\#w\#fv\#4}}{\text{EaY\#fvsk-wbb\#w\#fv\#4}}$$

$$\text{ev, } \frac{MA}{BA} = \frac{C-0}{100-0} = \frac{F-32}{212-32} = \frac{K-273}{373-273} = \frac{R-0}{80-0} = \frac{Rn-492}{672-492}$$

$$\text{ev, } \frac{C}{100} = \frac{F-32}{180} = \frac{K-273}{100} = \frac{R}{80} = \frac{Rn-492}{180}$$

$$\text{ev, } \frac{C}{5} = \frac{F-32}{9} = \frac{K-273}{5} = \frac{R}{4} = \frac{Rn-492}{9}$$

$$\therefore \frac{C}{5} = \frac{F-32}{9} = \frac{K-273}{5} = \frac{R}{4} = \frac{Rn-492}{9}$$

cvi` \_vtgwgUvti e`envti i mneav | Amneav ,tj v wj L?

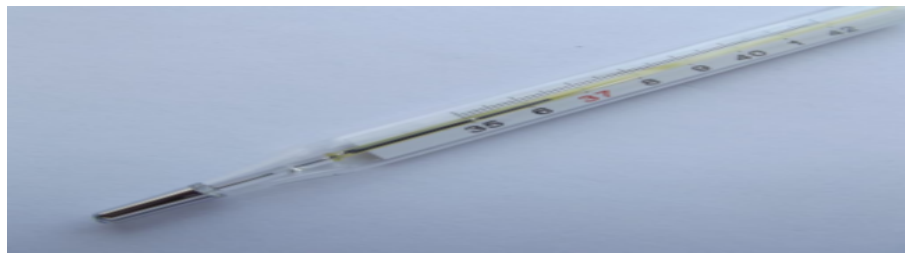
## mneav t-

1 | cvi` GKwU mzwievn c`v\_© dtj cvi` mntR cvi` Zvc MÖY  
Kti Zv mÂwvj Z Kti t`q|

2 | cvi` wei × Ae`vq cvl qv hvq Ges A`"Q | D¾j etj \_vtgwgUvi  
KvPi btj i gta" Gi DVvbvgn Kivi mgq evBti t`K t`Lv hvq|

3 | cvi` KvP btj i Mvtq tj tM \_vtK bv ZvB ZvcgvIvi cwieZti  
mvt\_ mvt\_ Ley mntRB btj i gta" DVvbvgn KitZ cvti |

4 | cvi` i Zvc avi YygZv Ley Kg | Gi Rb" cvi` \_vtgwgUvi Øviv  
th e`f ZvcgvIv wY©Kiv hvq Zv Ley Kg ZvcB GwU tkvIY Kti |





5 |  $\text{cvi} \dot{\text{t}} \text{ i } \dot{\text{u}} \text{v} \frac{1}{4} 357 \text{ } ^\circ\text{C}$  Ges Mj  $\text{bv} \frac{1}{4} -39 \text{ } ^\circ\text{C}$  | Gi  $\text{cwi} \text{m} \dot{\text{t}} \text{ i}$   
 $\text{cvi} \dot{\text{t}} \text{ Zij } \text{v} \dot{\text{t}} \text{K} \text{ etj } \text{cvi} \dot{\text{t}} \text{ v} \dot{\text{t}} \text{g} \text{w} \text{g} \text{Uvi} \text{ w} \dot{\text{t}} \text{q} \text{ Gi } \text{ga} \text{e} \text{Zx} \text{h} \dot{\text{t}} \text{K} \text{v} \dot{\text{t}} \text{bv}$   
 $\text{Zvcg} \text{v} \hat{\text{I}} \text{v} \text{w} \text{b} \text{Y} \text{q} \text{Kiv} \text{hvq} |$   
6 |  $\text{cvi} \dot{\text{t}} \text{ i } \text{c} \ddot{\text{o}} \text{i} \text{Y} \text{m} \text{yg} | \text{ZvB} \text{cvi} \dot{\text{t}} \text{ i } \text{AvqZb} \text{e} \text{w} \times \text{mgvb} \text{nq} |$

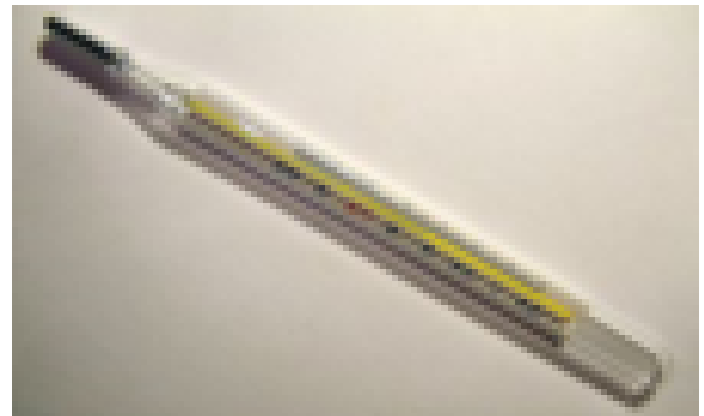
### Amneav t-

- (1) GB  $\text{v} \dot{\text{t}} \text{g} \text{w} \text{g} \text{Uvi} \text{ w} \dot{\text{t}} \text{q} \text{ Gi } \text{w} \dot{\text{t}} \text{Pi} \text{Zvcg} \text{v} \hat{\text{I}} \text{v} \text{w} \text{b} \text{Y} \text{q} \text{Kiv} \text{hvq} \text{bv} |$
- (2) Avevi GKB  $\text{fv} \dot{\text{t}} \text{e} \text{ Gi } \text{m} \text{v} \text{n} \text{v} \dot{\text{t}} \text{h} \text{ Gi } \text{A} \text{w} \text{a} \text{K} \text{Zvcg} \text{v} \hat{\text{I}} \text{v} \text{w} \text{b} \text{Y} \text{q} \text{Kiv} \text{hvq}$   
 $\text{bv} |$

$\text{th} \text{v} \dot{\text{t}} \text{g} \text{w} \text{g} \text{Uv} \dot{\text{t}} \text{ i } \text{m} \text{v} \text{n} \text{v} \dot{\text{t}} \text{h} \text{ mgvb} \text{Zvcg} \text{v} \hat{\text{I}} \text{vi} \text{cv} \text{v} \text{m} \text{y} \text{e} \text{v} \dot{\text{t}} \text{e} \text{ I } \text{m} \text{n} \dot{\text{t}} \text{R}$   
 $\text{gvcv} \text{hvq} \text{Zv} \dot{\text{t}} \text{K} \text{m} \text{y} \text{ew} \dot{\text{t}} \text{ v} \dot{\text{t}} \text{g} \text{w} \text{g} \text{Uvi} \text{etj} |$

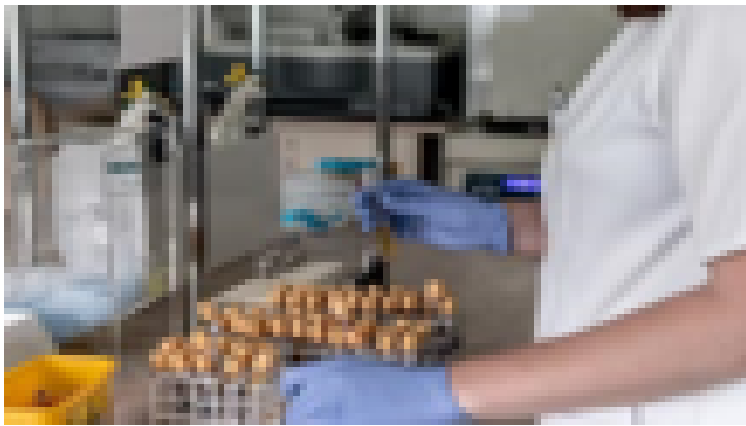
wKwbK"vj ev Wv<sup>3</sup>vix \_vtgwgUvi Gi MVb Ges KvheÖj x eYb Ki

gvb<sub>y</sub> i kixti i ZvcgvÎv gvcvi Rb" th \_vtgwgUvi e"envi Kiv nq ZvtK  
wKwbK"vj ev Wv<sup>3</sup>vix \_vtgwgUvi etj | GUv GKUv m<sub>yew</sub> Pig \_vtgwgUvi  
|  
mvaviYZ GB \_vtgwgUvi dvtibnvBU t<sup>-</sup>†j `vMv¼b Kiv \_vtK GB  
\_vtgwgUvti i MVb Giæ \_vtK th kixi t<sub>†K</sub> tei Kti tblqvi cil  
G†Z kixti i ZvcgvÎv m<sub>WK</sub> fvte wby©Kiv hvq|



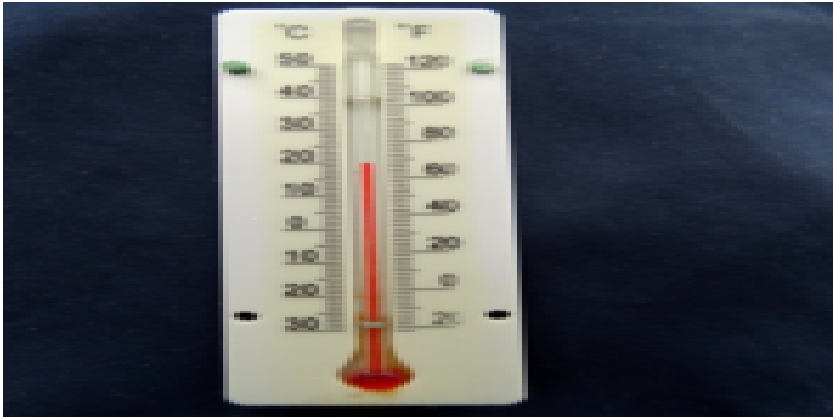
# MVb

GB \_vtgwigUv†i GKwU ^KwkK bj \_vtK hvi GK cÖŠÍGKwU evj ;D Ges Aci cÖŠÍ  
eÜ \_vtK | ev†j | wWK Dct†i GKwU mst†KvPb F \_vtK Ges GwU cvi ` cY©\_vtK |  
^KwkK bj wU Aci GKwU KvPbj w` †q XvKv \_vtK Ges tmB bj wU dv†i bnvBU †` †j  
95-110°F chŠÍ` vMv¼b Kiv \_vtK | cÖZ`K Avevi cvBv fv†M fvM Kiv \_vtK | mÿ'  
kix†i i ZvcgvÎv mvaviYZ 98.4°F nq | tmLv†b GKwU we†kI ` vM \_vtK |  
tmj vmqvm †` †j 35°C - 45°C GB \_vtgwigUvi †\_†K chŠÍ` vM KvUv \_vtK `v†b  
`vM KvUv \_vtK thUv mÿ' ZvcgvÎv 37°C wb†` ©K†i |



# Kvha@j x

cÖg \_vtg@UviWtK tRvti SvtKtq wbtZ nte | GtZ Dctii cvi`  
evj te wdti Avtm | GLb \_vtg@UviWtK kixtii ms`útk@hgb wRnÿvi  
wbtP ivLtj kixtii Zvtc evj tei cvi` cÖwi Z nq | dtj evj tei wKQz  
cvi` bj w`tq Dcti DtV GKwU Ae`vtb wMtq w`i nq | GLb  
\_vtg@UviWtK kixi t`tK mwi tq wbtj F Gi wbtPi cvi` msKwPZ  
ntq evj te wdti Avtm | wKš'F Gi Dctii cvi` mstKvPtbi KvitY  
evj te AvmtZ cvti bv |



btj i cvi` -fαC kxl @Ae`v#bi cvV kixti i ZvcgvÎv  
wb#` ©Kti | GUv cyivq e`envi Kivi cte©vj etK wb#Pi  
w` #K ti#L K#qKevi SvvK#q wb#Z nq hv#Z cvi` evj te  
c#k Ki#Z cvi | th#nZzGB \_vtgwgUvi Øviv kixti i  
m#ev© ZvcgvÎv gvcv hvq ZvB G#K GK ai#bi Pig  
\_vtgwgUvi ej v hvq |  
eZ@#b WwRUvj \_vtgwgUvi cvI qv hvq | GUv Kcv#j  
mvg#b ivL#j ev ai#j mv#\_ mv#\_ cvV cvI qv hvq |



# Zvc I ZvcgvÎvi gta" cv\_K' wj L

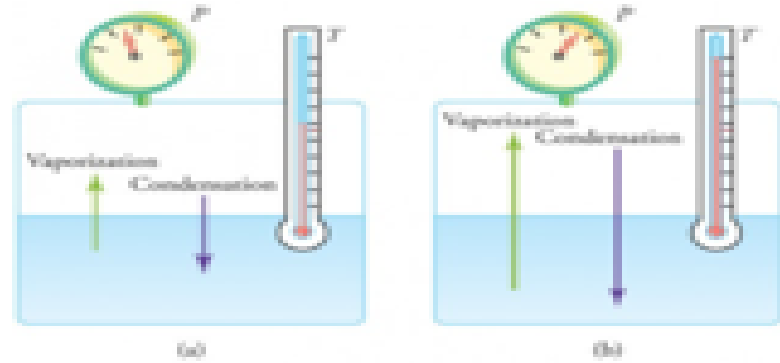
Zvc I ZvcgvÎvi gta" cv\_K' Mj v wtp t` I qv ntj v-

Zvc	ZvcgvÎv
1  Zvc GK cÖri kw³ hv VvÛv ev Mi tgi AbywZ RvMvq	ZvcgvÎv e¹ Zvcxq Ae¹ hv H e¹ t_tK Ab¹ e¹Z Zvc cÖn wqšY Kti
2  Zvc GK cÖri kw³	ZvcgvÎv Zvtci dj
3  Zvc nt"Q ZvcgvÎvi Kvi Y	3  ZvcgvÎv nt"Q Zvtci dj
4  c`v_w@Ávtbi th kvLvq Zvc cwigvc Kiv nq ZvtK K"vj wi wgwZ etj	4  c`v_w@Ávtbi th kvLvq ZvcgvÎv cwigvc Kiv nq ZvtK _vtgw@Z etj
5  `w e¹ ZvcgvÎv GK ntj i Zvt` i Zvtci cwigvY wfbæZ cvti	5  `w e¹ Zvc GK ntj i Zvt` i ZvcgvÎv cwigvY GK bvI ntZ cvti
6  Zvtci AvšRw@K GKK ntj v Rjy	6  ZvcgvÎvi AvšRw@K GKK ntj v tKj wfb
7  Zvtci cÖn Zvtci cwigvtci Dci wbf© Kti bv	7  Zvtci cÖn ZvcgvÎvi cwigvtci Dci wbf©Kti

# ZvciŃv cwi gvŃci Rb" wewfbaeÖrti \_vtgwiŃUvi AvŃQ| h\_v Ń

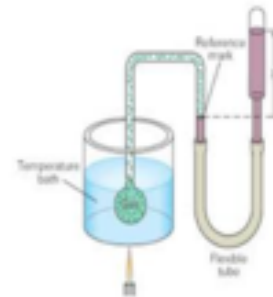
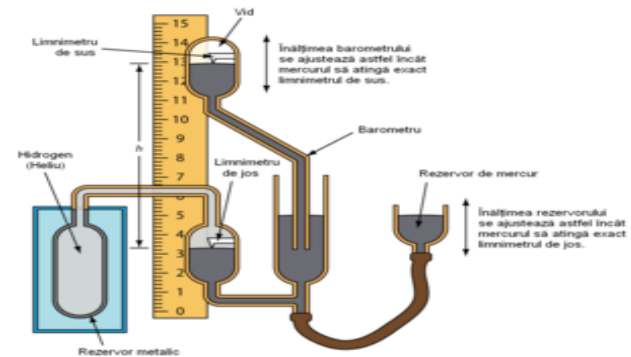
## (1) Zij \_vtgwiŃUvi t-

G \_vtgwiŃUvŃi Zij ŃK ZvcwiŃwZK e<sup>-</sup>,  
wŃŃmŃe e"envi Kiv nq| thgb cvi`  
\_vtgwiŃUvi, A"vj ŃKvnj \_vtgwiŃUvi |



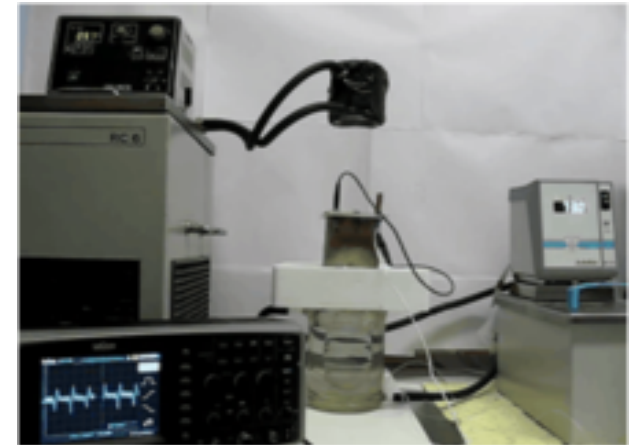
## (2) M"vm \_vtgwiŃUvi t-

G \_vtgwiŃUvŃi M"vmŃK ZvcwiŃwZK e<sup>-</sup>,  
wŃŃmŃe e"envi Kiv nq| thgb  
nvBŃWŃRb \_vtgwiŃUvi, evqy  
\_vtgwiŃUvi |



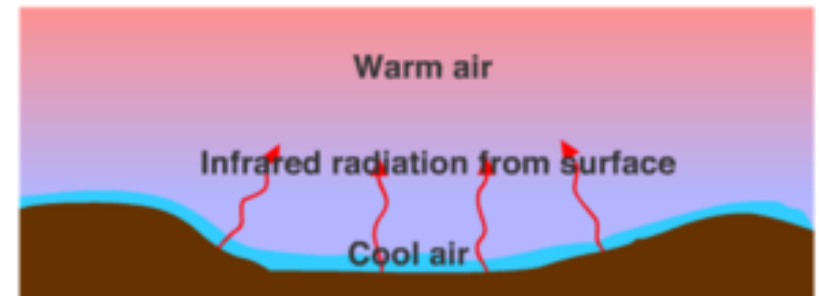
(3) Zvc Zvor vtgvi Uvi t-

hw` `w c\_K avZi` B cÖšthvM Kti cÖš  
`w†K newfboZvcgvÎvq ivLv nq, Zte Zvtii ga`  
w` tq we` y cÖvnZ nq| G†K ZvchMj etj & i  
mrvvth` ZvcgvÎv cwi gvc Kiv nq|



(4) newKiY vtgvi Uvi t-

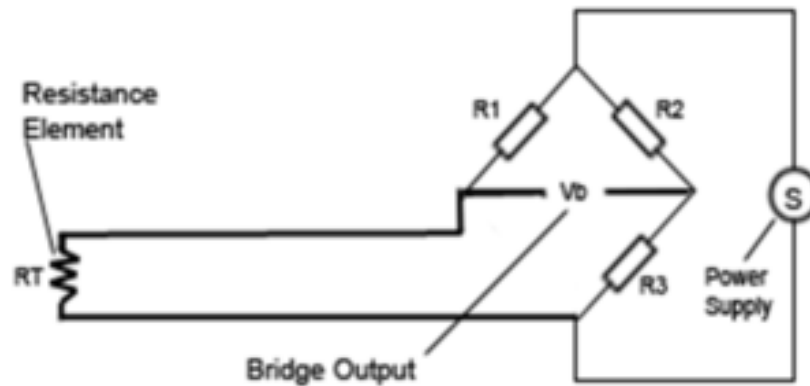
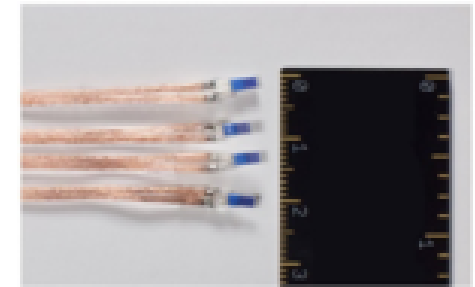
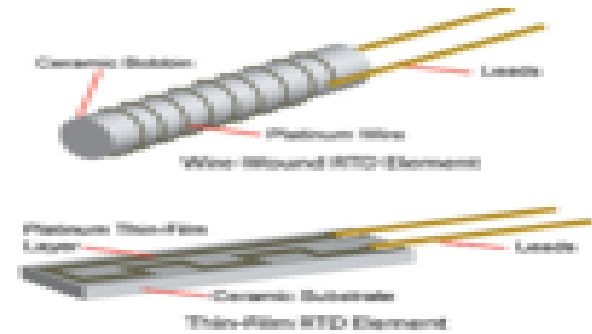
†Kvb e`†K DĒB Ki†j GUv n†Z  
newKiY vbMŽ nq| w÷ dv†bi Gi m†  
e`envi Kti Gi mrvvth` ZvcgvÎv Kiv  
nq|





# (5) tiva vtgwgUvi t-

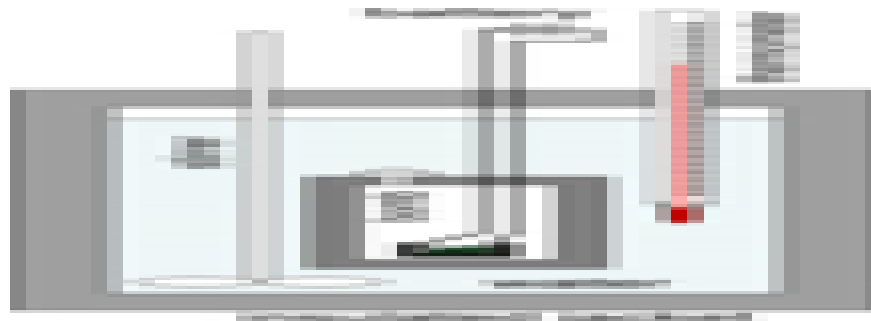
tKvb ve`yr cwi evnxi tiva Zvi ZvcgvÎvi  
I ci wbf©Kti | ve`yr cwi evnxi ZvcgvÎv  
nfm ewx†Z cwi evnxi tiva h\_vµtg nfm I  
ewx cvq| cwi evnxi GB ag†K wfwË Kti GB  
vtgwgUvi Mw/Z ntqtQ| thgb cwUbg tiva  
vtgwgUvi |



Zij ev cvi` \_vtgwgUvti i wbb¥ w̄ f v¼ I EaŸ© f v¼ wbY©Kiv |

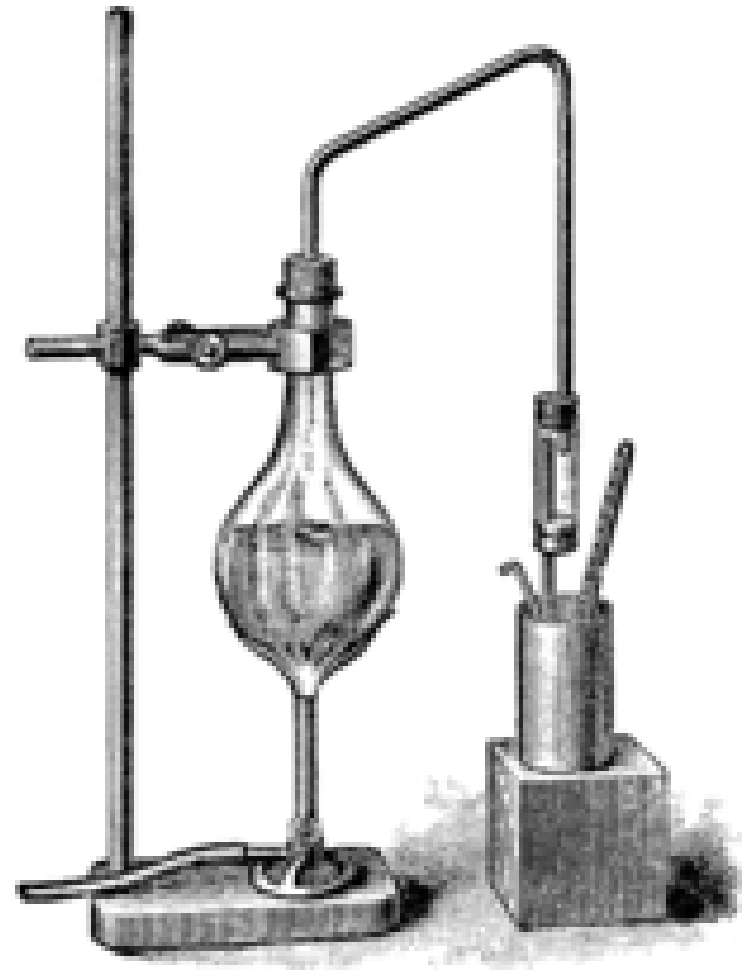
wbb¥ w̄ f v¼ wbY©

wbb¥ w̄ f we>` ybY©q Rb" GKwU eo dvttjt i Kttbv I wei × eitdi  
AttK, ttj v UKiv tbt qv nq | cvi` \_vtgwgUvti K GKwU ÷ "vtbi mvrvtth"  
Lvovfvte vcb Kiv nq hvttZ \_vtgwgUvti evj wU eitdi UKivi gta"  
Wvttbv \_vtK | wKQzY ci t` Lv hvte cvi` µgk msKwPZ ntq wttPi  
w` ttK bvgttZ \_vKtte | ttj i cvitt` i ZvcgvÎv eitdi ZvcgvÎv tcŠOttj  
cvi tt` i Dcwi Zj GK vttb Gttm w̄ f nte | cvi` kxt© i GB vttb GKwU ` vM  
KvUv nq GUvB cvi` \_vtgwgUvti i wbb¥ w̄ f we>` y

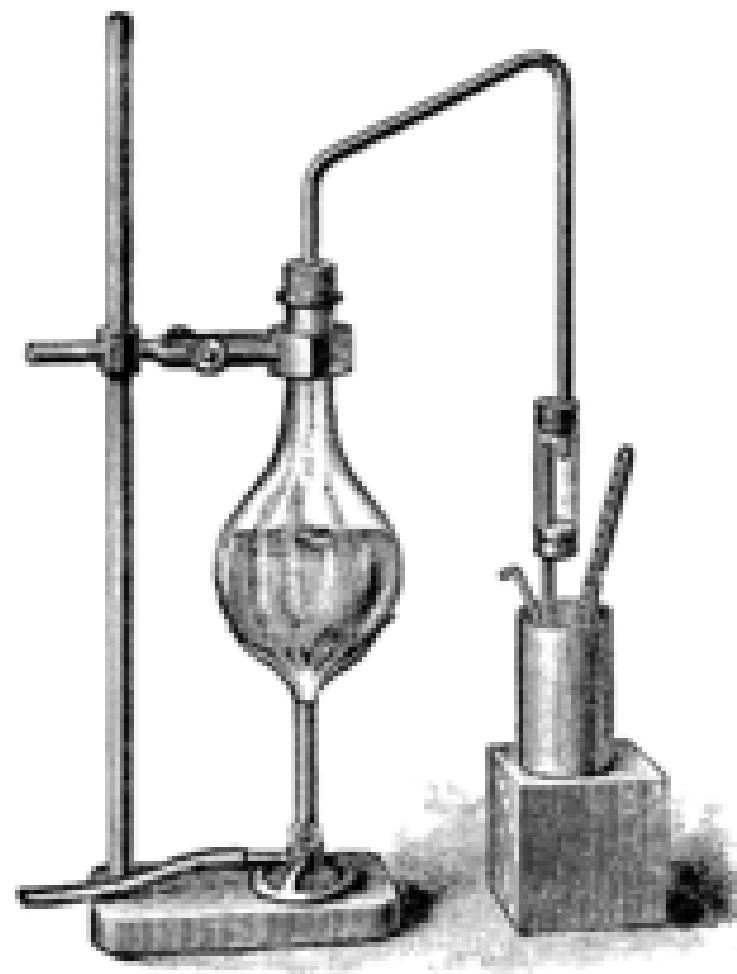


# EaŸ® í we>` ybY®

cvi` \_vtgwgUvtii EaŸ® í we>` ybY®i Rb`  
wnc†mwgUvi bvgK GKWU hšge`envi Kiv nq|  
GUv GKWU w0-†` qvj wenkó ZvgvicvÎ |  
wnc†mwgUvtii evB†ii †` qvtj GKWU wbM®  
bj \_vtK| Gi wecixZ w` †K ev®ú Pvc wbY®i  
Rb` GKWU g`†bwgUvi \_vtK|  
Dctii gly wQmc w` †q eÜ ivLv nq| wQnci  
g†a` wQ` a` †q \_vtgwgUvi wU XKvtbv nq|  
wnc†mwgUvtii Zjvi cv†Î cwmb d†vtbv nq|



Drcbde j xqev<sup>®</sup>ú \_vtgmgUv†i i evj vU†K  
DËB K†i | GLv†b j ÿ ivL†Z n†e evj vU  
thb vKQ†ZB dšícw†K ~úk<sup>®</sup> v K†i |  
ev†j | cvi ` c<sup>®</sup>wi Z nq Ges tKv†bv GK  
~v†b G†m w̄ i n†q hv†e | thLv†b b†j i  
Mv†q cvi ` kx†I<sup>®</sup> Ae~v†b `vM KvUv nq |  
GwUB cvi† ` i Eaÿ<sup>®</sup> ` y Eaÿ<sup>®</sup> i we> ` y  
wbY†qi mgq g'v†bmgUv†i i ` B evûi  
D" PZv mgvb bv \_vK†j Pvc m†kvab  
Ki†Z nq | m†kvab K†i ~v†w†eK Pvc  
cwb i md<sup>®</sup>bv¼ a†i Eaÿ<sup>®</sup> i we> ` y `vMv¼  
Kiv nq |



GKwU wWwMÖtU†MÖ mgvb Kq wWwMÖt†i bnvBU?

mgvavb, g†bKwi, tmwU†MÖ†††j i gvb = 1°C

$$\text{Avgiv Rmb, } \frac{C}{5} = \frac{F-32}{9}$$

$$\text{ev, } \frac{1}{5} = \frac{F-32}{9}$$

$$\text{ev, } 5(F - 32) = 9$$

$$\text{ev, } 5F - 160 = 9$$

$$\text{ev, } 5F = 9 + 160$$

$$\text{ev, } F = \frac{169}{5} = 33.8$$

$$\therefore F = 33.8^\circ\text{F}$$

GKRb Am̄'e" w<sup>3</sup> i kix†ii ZvcgvÎv 40°C | Ww<sup>3</sup>vix \_v†gwgUv†i  
Gi gvb KZ n†e |

mgvavb, †` I qv Av†Q, ZvcgvÎv = 40°C

$$\text{Avgi v Rwb, } \frac{C}{5} = \frac{F-32}{9}$$

$$\text{ev, } \frac{40}{5} = \frac{F-32}{9}$$

$$\text{ev, } (F - 32) = 9 \times 4$$

$$\text{ev, } F - 32 = 36$$

$$\text{ev, } F = 36 + 32$$

$$\text{ev, } F = 68$$

$$\therefore F = 68^\circ\text{F}$$

$$\text{wb†Y†cvV} = 68^\circ\text{F}$$

dv̄i bnvBU t̄t̄j i tKvb ZvcgvÎv tm̄U†M̄ t̄t̄j i cv†Vi w̄, Y?

mgvavb, g†bKwi, tm̄U†M̄ t̄t̄j ZvcgvÎv, C=x

dv̄i bnvBU t̄t̄j ZvcgvÎv, F=2x

$$\text{Avgiv Rwb, } \frac{C}{5} = \frac{F-32}{9}$$

$$\text{ev, } \frac{x}{5} = \frac{2x-32}{9}$$

$$\text{ev, } 5(2x - 32) = 9x$$

$$\text{ev, } 10x - 160 = 9x$$

$$\text{ev, } 10x - 9x = 160$$

$$\text{ev, } x = 160$$

$$\therefore C = 160$$

$$\text{m̄zivs } F = 2x = 2 \cdot 160 = 320 \text{ [C | F Gi gvb ewm†q]}$$

$$\therefore \text{wb†Y} \text{ ZvcgvÎv} = 320^\circ\text{F}$$

GB Aa"vq cv†Vi †k†I Avgiv hv hv wK†Z cvi e |

Av†cwjK Zvc, Zvcavi Y ygZv ev Zvc avi KZ;Ges

cwb-mg ev Zj" Rj v¼ Gi msÁv `vI |

Zvcavi Y ygZv I cwbmg Gi g†a" cv\_K" wj L?

K"vj wi wgv†i i gj-bxwZ wK ?

mßZvc ev j xbZvc wK Ges I KZ cÖi wK, wK |

wKfv†e Av†cwjK Zvc I ev®úxqfet†bi Ges eid

Mj †bi Av†cwjK mßZvc wbYqKiv hvq Zv eYb Ki |

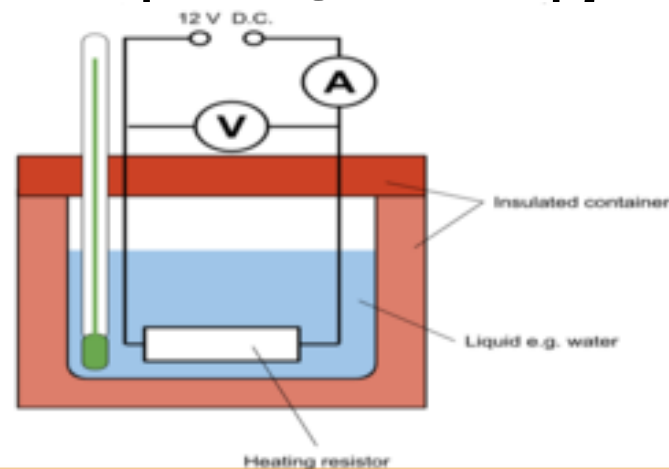


# Avtswyk Zvc

GKK fti e<sup>-</sup> i ZvcgvIv 1 wwmÖKj wfb evovtZ hZUKz  
 Zvtci cÖvRb nq ZvtK Avtswyk Zvc etj | GtK S  
 Øviv cÖk Kiv nq|

Avtswyk Zvc Gi gvIv t-  $S = \frac{H}{m\Delta\theta} = \left[ \frac{J}{kgK} \right]$

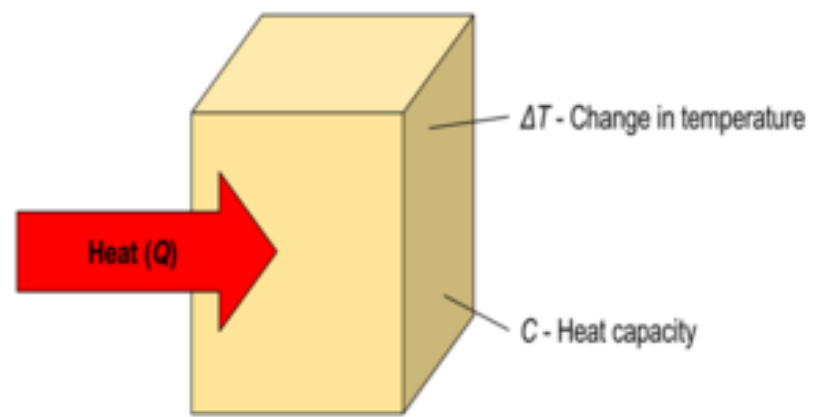
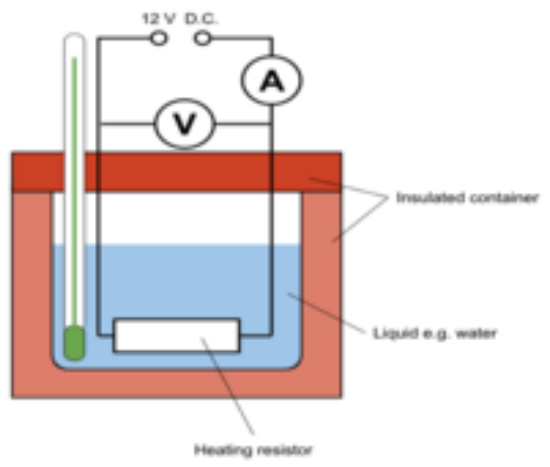
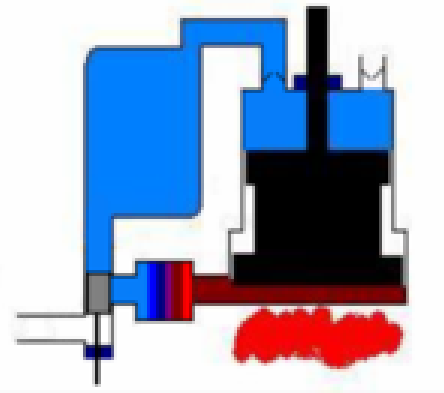
Gm AvB c×wZtZ Avtswyk Zvtci GKK nti v-  
 $Jkg^{-1}k^{-1}$



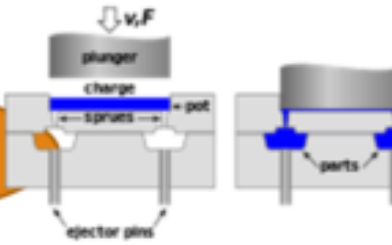
# Zincin ısıtma kapasitesi

Bir miktar zincin ısıtma kapasitesini belirlemek için, zincin belirli bir miktarda ısıyı emmesi için bir elektriksel devre kuruyoruz. Devre, 12V D.C. bir güç kaynağı, bir ampermetre (A) ve bir voltmetre (V) içerir. Voltmetre, zincin üzerindeki voltajı ölçer. Ampermetre, zincin üzerinden geçen akımı ölçer. Zincin, bir ısıtıcı direnç (heating resistor) ile temas etmektedir. Isıtıcı direnç, zincin üzerinden geçen akım nedeniyle ısı üretir. Bu ısı, zincin tarafından emilir. Zincin sıcaklığı, bir termometre ile ölçülür. Zincin sıcaklığının artması, zincin ısıyı emtiğini gösterir. Zincin ısıtma kapasitesini belirlemek için, zincin emdiği ısıya (H) ve sıcaklığının değişimine (Δθ) bakılır.

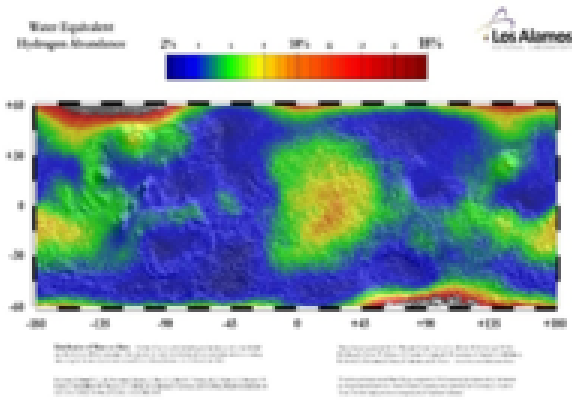
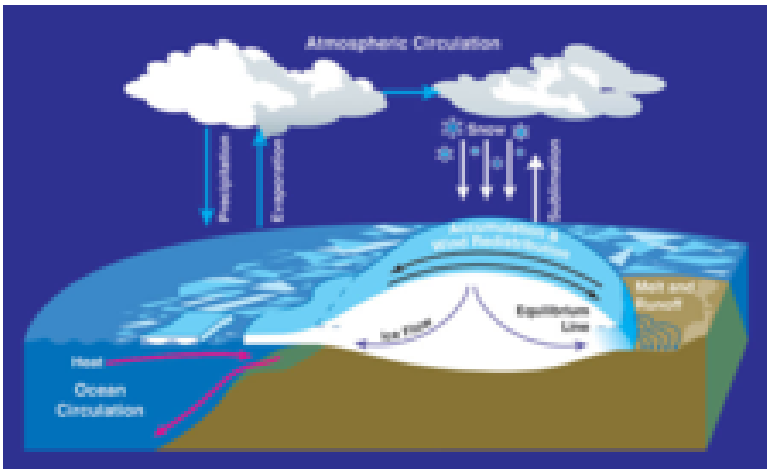
Zincin ısıtma kapasitesi (C) =  $\frac{H}{\Delta\theta} = \left[\frac{J}{K}\right]$   
 Zincin ısıtma kapasitesi (C) =  $Jk^{-1}$



# cwm bmg ev Zj Rj v¼



tKv†bv e<sup>-</sup> f ZvcgvÎ v 1 vWvMÖwi gvY eW× Ki†Z th cwi gvY  
 Zv†ci cÖvRb nq tmB cwi gvY Zvc w` †q hZUKycmbi  
 ZvcgvÎ v 1 vWvMÖZvcgvÎ v eW× Kiv hvq tmB cwi gvY cwb†K  
 H e<sup>-</sup> f cwm bmg etj | G†K W Øviv cÖk Kiv nq|

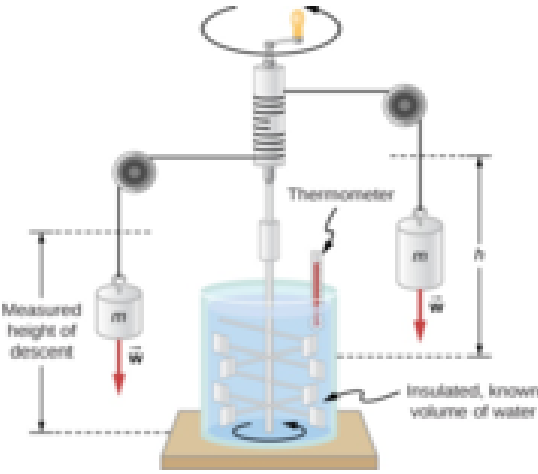
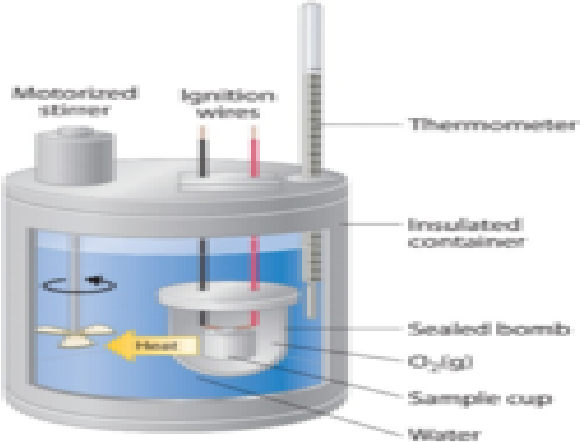


# K'vj wi vgvvfi i gj-bxvZ

hw` GKvvaK e`f gta` evBti t\_tK tKvfbv Zvc bv Avtm ev bv NtU; Zte kw<sup>3</sup> i vbZ`Zvi m^ Abvvti, MnxZ Zvc = emRZ Zvc

GvU K'vj wi vgvvZi gj-bxvZ |

wfbZvcgvIvi `B ev ZtZvvaK e`ci`uti ms`utk Avmtj Zvt`i gta` Zvtci Av`vb cOb NtU | temk ZvcgvIvi e`\_tjv Zvc nviq Ges Kg ZvcgvIvi e`\_tjv Zvc MÖY Kti | GLvfb ejv hvq th e`Zvc nviq Ges Zvi cvtki e`ev Ae`v Zvc MÖY Kti |



# Zvcavi Y ýgZv I cwbmg Gi gta" cv\_Øi wj L?

cv_Øi w q	Zvcavi Y ýgZv	cwbmg
msÁv	1  GKK fti e <sup>-</sup> i ZvcgvÎv 1 wWwMÖ tKj wfb evovtZ hZUKzZvtci cÖvRb nq ZvtK AvtcwÿK Zvc etj	1  tKvttbv e <sup>-</sup> i ZvcgvÎv 1 wWwMÖw  gvY ewx Ki tZ th cw  gvY Zvtci cÖvRb nq tmB cw  gvY Zvc w` tq hZUKycwbi ZvcgvÎv 1 wWwMÖZvcgvÎv ewx Kiv hvq tmB cw  gvY cwbttK H e <sup>-</sup> i cwbmg etj
„Ydj	2  e <sup>-</sup> i fi tK AvtcwÿK Zvc Øviv „Y Ki tjt Zvc aviY ýgZv cvl qv hvq 	2  e <sup>-</sup> i fi   AvtcwÿK Zvtci „Y dj tK 4200 Øviv fvM Ki tjt ev cwbi AvtcwÿK Zvc Øviv fvM Ki tjt cwb- mg cvl qv hvq
cwi gvc	3  GUv Øviv Zvc cw  gvc Kiv nq	3  GUv Øviv cwbi cw  gvc e\$vg
Ae <sup>-</sup> v	4  GUv th tKvttbv e <sup>-</sup> i ntZ cvti	4  GU mvaviYZ tKvttbv cvtÎi e\$vg
cÖk	5  GtK c Øviv cÖk Kiv nq	5  GtK w Øviv cÖk Kiv nq
GKK	6  Zvtci GKK Øviv Zvc aviY ýgZvi GKK cÖk Kiv nq	6  fti GKK Øviv cwb-mg GKK cÖk Kiv nq

# Preparation of ZnO Nanoparticles

## ZnO Nanoparticles

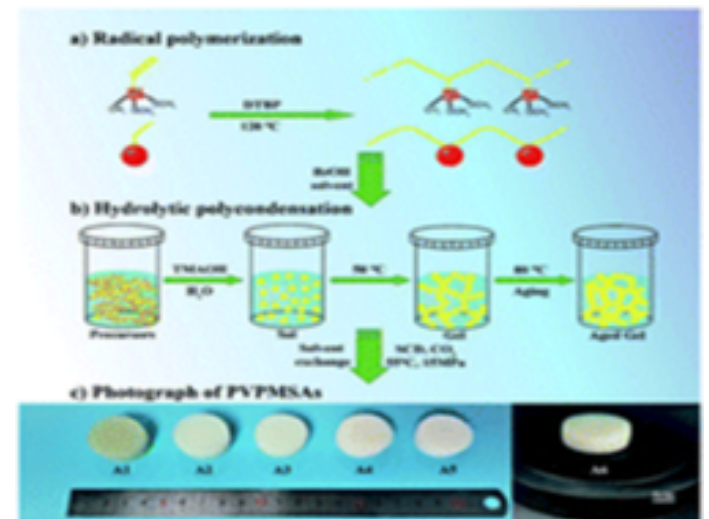
ZnO nanoparticles (Mj  $10^{-9}$  m or  $10^{-8}$  m) are used in various applications. The synthesis of ZnO nanoparticles can be achieved through various methods, including sol-gel, hydrothermal, and chemical precipitation. The resulting nanoparticles are characterized by their size, shape, and crystallinity, which are influenced by the synthesis conditions.

(1) Mj  $10^{-9}$  m ZnO

(2) K<sub>2</sub>W<sub>2</sub>O<sub>8</sub> ZnO

(3) ZnO

(4) ZnO



# AvtcmÿK Mj tbi mßZvc

tKvttbv KwWb c`vt\_©GKK fi tK Zvi Mj bvtt¼ titL ZvcgvÎvi  
cwi eZb©bv NwUtq i agvÎ KwWb t\_tK Zij cwi YZ KitZ th  
cwi gvY Zvtci cÖvRb nq, ZvtK H c`vt\_©Mj tbi mßZvc  
etj | wm wR Gm c×wZtZ eid Mj tbi mßZvc Cal/gm | D³  
Dw³ Øviv Avgiv enS, ZvcgvÎvi eid tK D³ ZvcgvÎvi cwb tZ  
cwi YZ KitZ Zvtci cÖvRb nte |



eid Mj tbi m~~g~~Zvc 80 Cal/gm ev 80

Kvj wi /M~~g~~ ej tZ wK e~~g~~ ?

Dit-eid Mj tbi m~~g~~Zvc 80 Cal/gm

ej tZ e~~g~~vq 1 gm ei d tK Zvi Mj b<sup>1</sup>/<sub>4</sub> ev

0°C ti tL c~~w~~ tZ c~~w~~ YZ Ki tZ 80 Cal

Zv tci c~~g~~vRb nq |



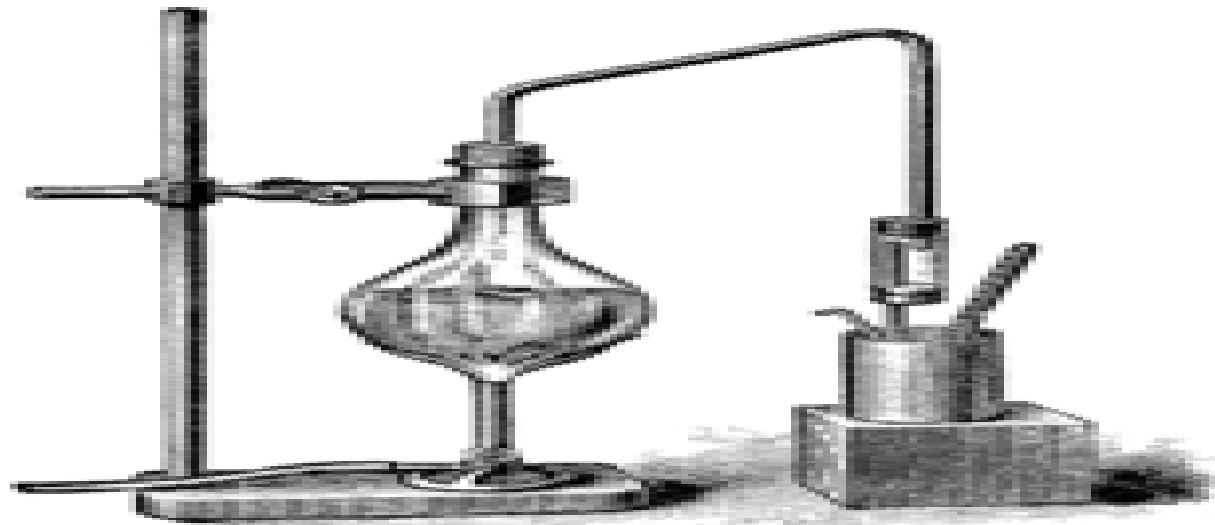
# Kalorimetri malar

GKK fti i tkvbn Zij c`v\_ tk Gi ZvcgvIvi cwi eZb bv  
NwUtg i agvI Zij Ae<sup>-v</sup> t\_ tk KwB Ae<sup>-vq</sup> cwi YZ ntZ th  
cwi gvY Zvc cwi Z<sup>3</sup> nq ZvtK H Zi tj i Kalorimetri malar  
etj |  
cwi Kalorimetri malar ej tZ wk es?



# ev<sup>®</sup>úxqfetbi mßZvc

GKK fti i Zij c`v\_⊗ Zvi ùúbv¼ ti tL ZvcgvÎvi  
tKvtbv cwi eZb⊗bv NwU tq i ayZij ntZ ev<sup>®</sup>ú cwi YZ Ki tZ  
th cwi gvY Zvtci cQvRb nq ZvtK H Zi tj i ev<sup>®</sup>úxqfetbi  
mßZvc etj |



cwbi ev<sup>®</sup> úxqfeþbi m~~þ~~Zvc 537Cal/gm ev  
 537 K<sup>˘</sup>vj wi /M~~q~~ ej þZ wK e~~þ~~ ?  
 DËit-eid Mj þbi m~~q~~Zvc 80 Cal/gm  
 ej þZ e~~þ~~vq 1 gm cw~~b~~þK Zvi ù~~þ~~bv<sup>1/4</sup> ev  
 100°C þi þL ev~~þ~~<sup>®</sup>ú cw~~i~~YZ Ki þZ 537 Cal  
 Zvþci c~~q~~vRb nq|

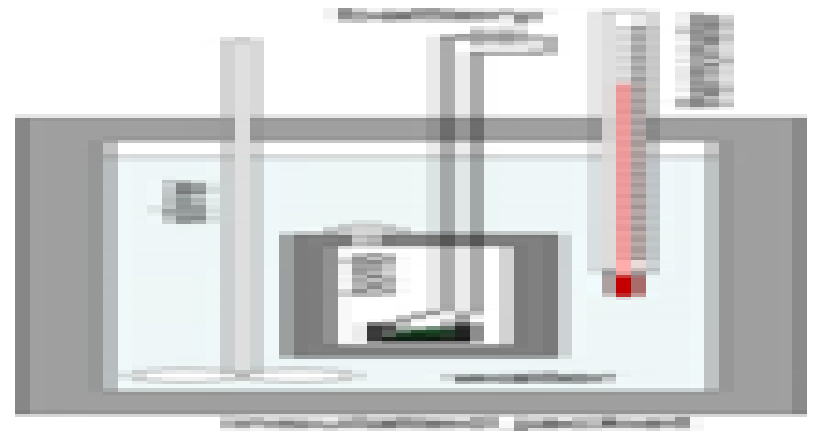
# Nbxfetbi mßZvc

GKK fti i tKvttbv evqexq c`v\_ tK Zvi ZvcgvI vi  
tKvttbv cwi eZb bv NmUttq i agvI evqexq Ae<sup>-v</sup> nttZ  
Zittj i cwi YZ KttZ th Zvtci cÖvRb nq ZvtK H  
evqexq c`vt\_ tNxbfetbi mßZvc etj |

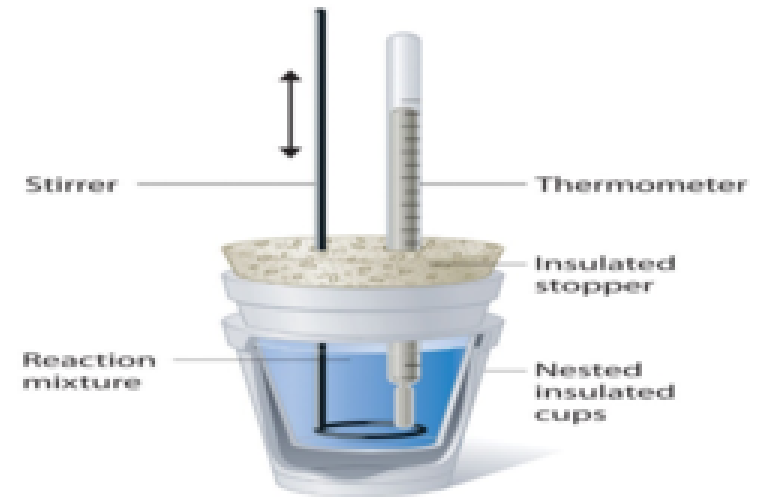


# K'vj wi wguvfi i mrvth" KwB e- f Avtcwjk Zvc wbYq

wgkÖcÖj xtz KwB c` vt\_ ©Avtcwjk Zvc wbYqKi t- Kvh©xwZ :-  
cÖg bvoxbmn GKwU cwi®vi Ges i Ktbv K'vj wi wguvi tbB| Gi fi tei  
Kwi | Gici K'vj wi wguvfi i GK ZZxqvsk cwb Øviv cY©Kwi Ges cmbi fi  
tei Kwi | bvoxbmn K'vj wi wguvi I cmbi Gi ZvcgvÎv wbYqKwi | GKwU  
KwB e- 'tbB Ges KwB e- f fi tei Kwi | KwB e- wUtk Mig Kti  
e- wUtk bvoxb Ges cmbi gta" tQtot` B| Mig KwB e- wU Zvc nvi vte  
Avi cwb Ges K'vj wi wguvi tmB Zvc MÖY Kite| GKwU \_vtgwguvi w` tq  
wgkÖi metkI ZvcgvÎv tei Kwi |



Wmve



buovbxmn K'vj wi wglvfi i fi = m kg

cmbi fi =  $m_1 kg$

Kwb e'fi fi =  $m_2 kg$

buovbx I K'vj wi wglvfi i Dcv`vfi Avtcwjk Zvc =  $s_1 Jkg^{-1}K^{-1}$

cmbi Avtcwjk Zvc =  $s_2 Jkg^{-1}K^{-1}$

Kwb e'fi Dcv`vfi Avtcwjk Zvc =  $s_3 Jkg^{-1}K^{-1}$

cmb, buovbx Ges K'vj wi wglvfi i cÖngK ZvcgvÎv =  $t_1 K$

Kwb e'fi mtev® ZvcgvÎv =  $t_2 K$

wgkÖi ZvcgvÎv =  $t_3 K$

K'vj wi wgwZi gj-bxwZ Abwvfi Avgiv Rwb,

$$M_{px}Z Z_{vc} = e_{wR}Z Z_{vc}$$

wgkÖc×wZ†Z Kwb c`vt\_©AvtcwÿK Zvc wby†qi tytÎ cwbi Ges  
K'vj wi wgwUvi Zvc MÖZ Ki†e Ges Kwb e`Zvc eRÖZKi†e|

mZi vs K'vj wi wgwUvi KZR.MÖZ Zvc  $H_1 = m_1 s_1 (t_3 - t_1)$  Joule

cwb KZR.MÖZ Zvc  $H_2 = m_2 s_2 (t_3 - t_1)$  Joule

Avevi Kwb e`KZR.eRÖZ Zvc  $H_3 = m_3 s_3 (t_2 - t_3)$  Joule

$$m_3 v_3 = m_1 v_1 + m_2 v_2$$

$$H_3 = H_1 + H_2$$

$$m_3 v_3 (t_2 - t_3) = m_1 v_1 (t_3 - t_1) + m_2 v_2 (t_3 - t_1)$$

$$m_3 v_3 (t_2 - t_3) = (t_3 - t_1) (m_1 v_1 + m_2 v_2)$$

$$v_3 = \frac{(t_3 - t_1) (m_1 v_1 + m_2 v_2)}{m_3 (t_2 - t_3)}$$

Diagram showing two particles colliding with a third particle. Particle 1 has mass  $m_1$  and velocity  $v_1$ . Particle 2 has mass  $m_2$  and velocity  $v_2$ . Particle 3 has mass  $m_3$  and velocity  $v_3$ . The collision occurs at time  $t_1$  and ends at time  $t_2$ . The particles are shown at time  $t_3$ .

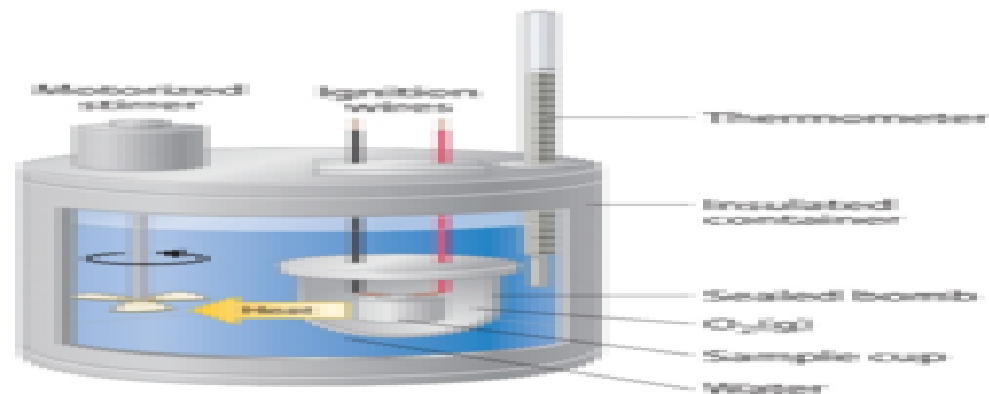
Diagram showing a particle of mass  $m$  and velocity  $v$  colliding with a particle of mass  $M$  and velocity  $V$ . The collision occurs at time  $t_1$  and ends at time  $t_2$ . The particles are shown at time  $t_3$ .



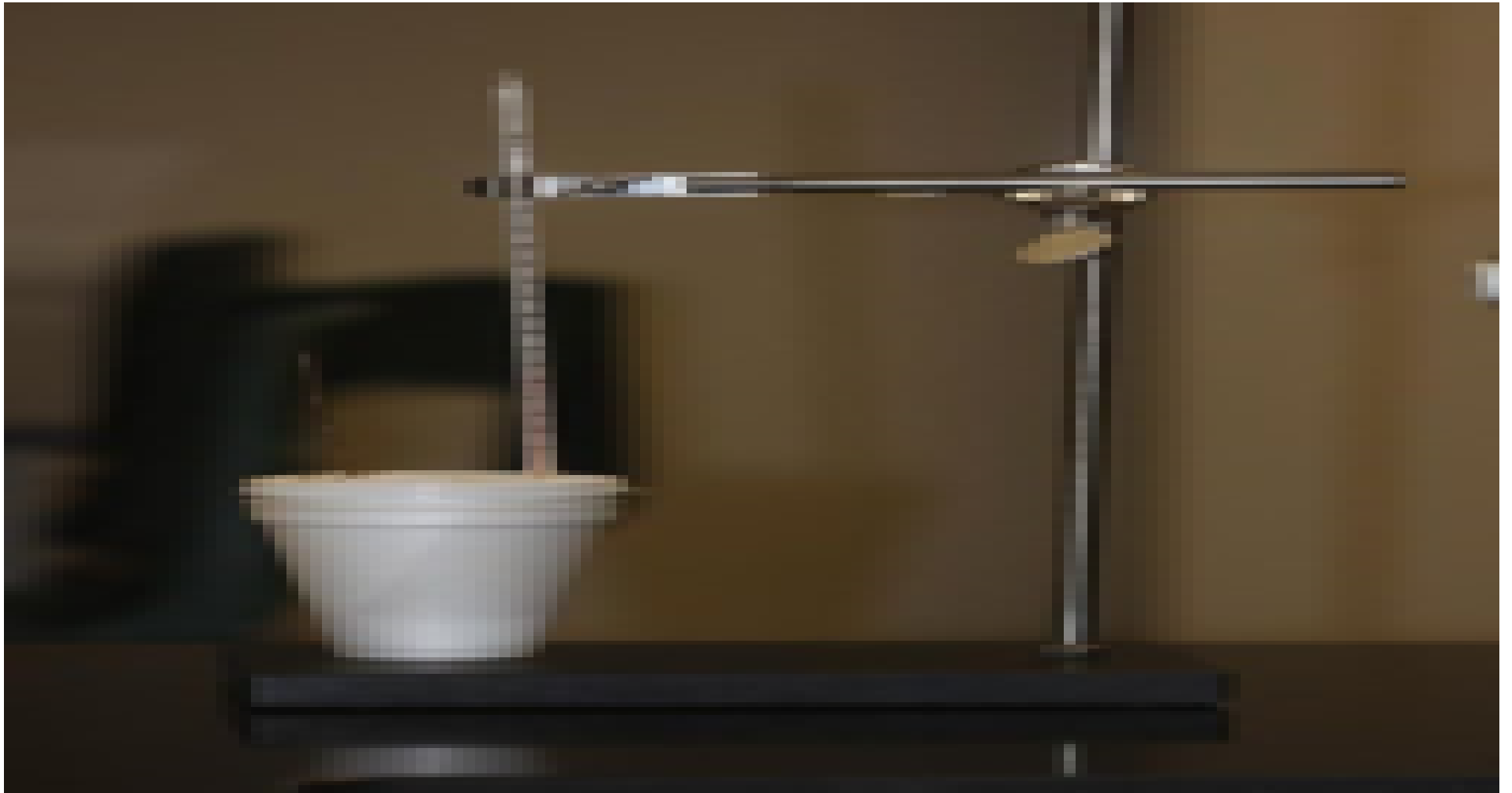
WgkÖcÖj x†Z eid Mj †bi mßZvc wbY©Ki |

Kvh©xWZ

cÖtg GKwU bvombi wb†Pi cÖšmiæZv†i i GKwU Rvj hy<sup>3</sup> Kwi Ges  
GKwU cwi<sup>®</sup>vi I i K†bv Kvj wi wguvi †bB| bvovbxmln Gi fi  $m_1$   
tei Kwi | Zvici Kvj wi wguv†i i `B - ZZxqvsk cmb Øviv cY©Kwi  
Ges cmbi fi  $m_2$  tei Kwi | bvovbxmln Kvj wi wguvi I cmbi Gi  
ZvcgvÎv  $t_1$  °C wbY©Kwi |



GLb KtqK UKiv cwi<sup>®</sup>vi eid tPvI KvMR Øviv i<sup>®</sup> Kti  
ZvovZvmo Kvj wiwgUvti i cwbttZ tdtj w` B Ges  
Avtj votKi Rvj Øviv UKiv ,tj vtK me<sup>®</sup> cwbi wbtP titL  
Avt-ÍAvt-ÍbvotZ \_vK | GB Ae<sup>-</sup>vq eid Mj tZ \_vtK  
Ges cwbi ZvcgvÎv µgk KgtZ \_vtK | mg<sup>-</sup>Íeid Mtj  
hvI qv ci \_vtg<sup>®</sup>Uvi Øviv wgtÿi ZvcgvÎv t°C wby<sup>®</sup>  
Kwi | Gici cwbi Ky ZvcgvÎvq wdti Avmtj cwbn  
Kvj wiwgUvi fi Kwi | ZZxq Ges wØZxq fti i cv<sup>®</sup> nttZ  
Mwj Zeitdi fi  $m_3$  tei Kwi |



## mme

$$g_{\text{bKwi}}, K_{\text{vjwi}} \text{wgUv} \hat{t}_i \text{ fi} = m_1 M_{\text{g}}$$

$$K_{\text{vjwi}} \text{wgUv} \hat{t}_i \text{ Av} \hat{t} \text{cw} \hat{y} \text{K Zvc} = s_1$$

$$c_{\text{wbi}} \text{ fi} = m_2 M_{\text{g}}$$

$$c_{\text{wbi}} \text{ Av} \hat{t} \text{cw} \hat{y} \text{K Zvc} = s_2 = 1$$

$$K_{\text{vjwi}} \text{wgUv} \hat{t}_i \text{ | } c_{\text{wbi}} \text{ c} \hat{\text{O}} \text{wg} \text{K Zvcg} \hat{v} \hat{t}_v = t_1 \text{ } ^\circ\text{C}$$

$$e \hat{t} \text{di} \text{ fi} = m_3 M_{\text{g}}$$

$$e \hat{t} \text{di} \text{ Av} \hat{t} \text{cw} \hat{y} \text{K m} \hat{\beta} \text{Zvc} = L K_{\text{vjwi}} / M_{\text{g}}$$

$$\text{wgk} \hat{\text{O}} \text{di} \text{ Zvcg} \hat{v} \hat{t}_v = t \text{ } ^\circ\text{C}$$

$$\begin{aligned}
 \text{K\u00f6hlerw\u00e4rme} &= m_1 \cdot s_1 (t_1 - t) \\
 &= m_1 s_1 (t_1 - t) \text{ K\u00f6hlerw\u00e4rme}
 \end{aligned}$$

$$\begin{aligned}
 \text{Gesamt w\u00e4rme} &= m_2 \cdot s_2 (t_1 - t) [\because s_2 = 1] \\
 &= m_2 \cdot 1 (t_1 - t) \\
 &= m_2 (t_1 - t) \text{ K\u00f6hlerw\u00e4rme}
 \end{aligned}$$

0\u00b0C Zuzug  $m_2$  Me\u00dfeid 0\u00b0C Zuzug  $m_2$  Me\u00dfeid  $t$  C  
 n\u00e4her  $m_2$  Me\u00dfeid  $m_2 L$  K\u00f6hlerw\u00e4rme

$$\begin{aligned}
 m_2 \text{ Me\u00dfeid } m_2 \text{ Me\u00dfeid } 0^\circ\text{C} \text{ n\u00e4her } t^\circ\text{C} \text{ er\u00f6h\u00dft} \\
 m_2 \text{ Me\u00dfeid } Zuzug &= m_2 \cdot s_2 (t - 0) = m_2 s_2 t = m_2 t \text{ K\u00f6hlerw\u00e4rme} \\
 [\because s_2 = 1]
 \end{aligned}$$

Kuvj wi vgwZi gj-bxwZ Abvnti Avgiv Rvmb,  
 MnxZ Zvc = eWRZ Zvc

$$m_2 L + m_2 t = m_1 s_1 (t_1 - t) + m_2 (t_1 - t)$$

$$m_2 L = (t_1 - t) (m_1 s_1 + m_2) - m_2 t$$

$$L = \frac{(t_1 - t) (m_1 s_1 + m_2) - m_2 t}{m_2}$$

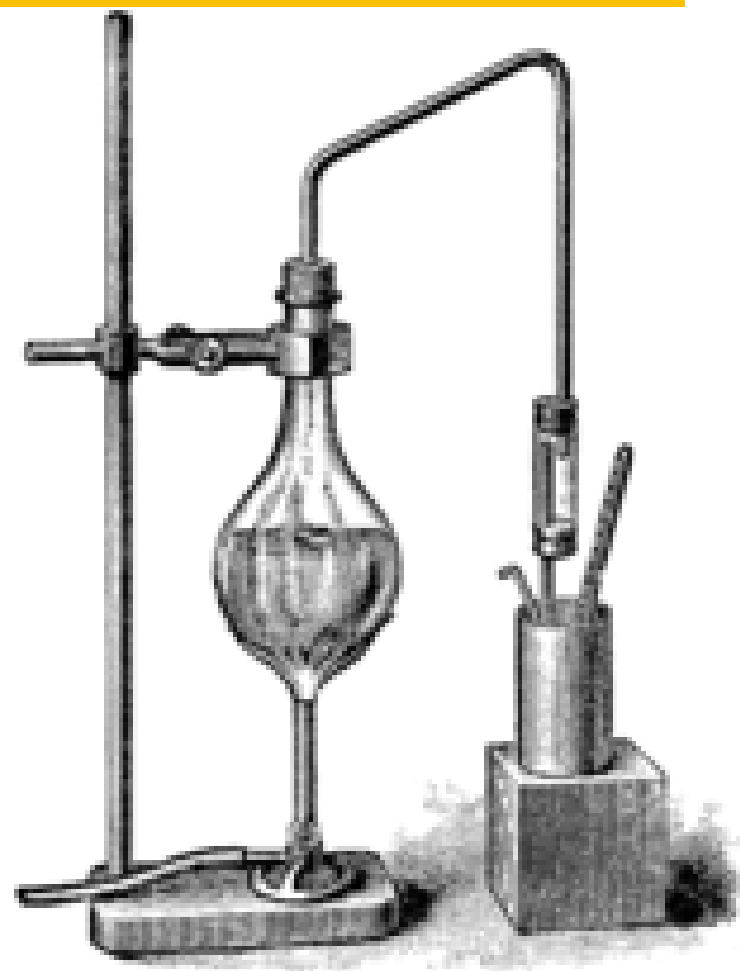
Dctiv<sup>3</sup> iwk  $t_1, t, m_1, s_1, m_2$  Gi gvb tRtb

eid Mj tbi m<sub>2</sub>Zvc L wbyqKiv hvq |

WgkÖc×wZ†Z cwb i ev<sup>®</sup>úxqfetbi mßZvc wbY©

Kvh©×wZ

cÖg GKwU bwowbi wb†Pi cÖšmiaæ  
Zv†i i GKwU Rvj hÿ Kwi Ges GKwU  
cwi<sup>®</sup>wi I i K†bv Kvj wi wguvi tbB |  
bwovbxmn Gi fi  $m_1$  tei Kwi | Zvici  
Kvj wi wguv†i i `ß - ZZxqvsk cwb Øviv  
cY©Kwi Ges cwb i fi  $m_2$  tei Kwi |  
bwovbxmn Kvj wi wguvi I cwb i Gi  
ZvcgvÎ v  $t_1$  °C wbY©Kwi |







## İmmve

güçlü, bürümün K'vji vüvüti fi =  $m_1$  Mg

K'vji vüvüti Avçüçük Zvc =  $s_1$

K'vji vüvüti gta' cübi fi =  $m_2$  Mg

cübi Avçüçük Zvc =  $s_2 = 1$

K'vji vüvüti I cübi cüçük Zvcgüv =  $t_1$  °C

üç cüv nç AvMZ evçüi Zvcgüv = 100 °C

K'vji vüvüti Nbxç evçüi fi =  $m_3$  Mg

cübi evçüçübi Avçüçük mç Zvc = L K'vji / Mg

güçüi Zvcgüv =  $t$  °C

$t_1$  °C ZvcgvÎ v n†Z  $t$  °C ZvcgvÎ vq cwi YZ n†Z K¨vj wi wgv†i i

$$M_{\text{px}}Z Zvc = m_1 s_1 (t - t_1) = m_1 s_1 (t - t_1) \text{ K¨vj wi}$$

$t_1$  °C ZvcgvÎ v n†Z  $t$  °C ZvcgvÎ vq cwi YZ n†Z cwmbi M<sub>px</sub>Z

$$Zvc = m_2 s_2 (t - t_1) = m_2 \cdot 1 \cdot (t - t_1) = m_2 (t - t_1) \text{ K¨vj wi}$$

(†h†nZK¨vj wi wgv†i i  $Zvc = f_i \times \text{Av†cwjK } Zvc \times ZvcgvÎvi \text{ cv}_R$ )

[∴  $s_2=1$ ]

100 °C ZvcgvÎ vi M<sub>g</sub> ev<sup>R</sup>ú 100 °C ZvcgvÎ vi cwmb†Z cwi YZ

n†Z ev<sup>R</sup>ú KZK<sup>R</sup>.ewR<sup>R</sup> Zvc =  $m_2 L$  K¨vj wi

$m_2$  M<sub>g</sub> Nbx†Z cwmbi ZvcgvÎ v 100 °C n†Z  $t$  °C ew<sup>R</sup>× t†Z

$$\text{ewR} Zvc = m_2 s_2 (100 - t) = m_2 (100 - t) \text{ K¨vj wi |}$$

[∴  $s_2=1$ ]

K'vj wi wgvZi gj-bxwZ Abvvti Avgiv Rwb,  
 $m_2 L + m_2(100-t) = m_1 s_1(t - t_1) + m_2(t - t_1)$

$$m_2 L + m_2(100-t) = m_1 s_1(t - t_1) + m_2(t - t_1)$$

$$m_2 L = (t - t_1)(m_1 s_1 + m_2) - m_2(100-t)$$

$$L = \frac{(t - t_1)(m_1 s_1 + m_2) - m_2(100-t)}{m_2}$$

Dctiv<sup>3</sup> i wvk  $t_1, t, m_1, s_1, m_2$  Gi gvb tRtb  
 ev<sup>®</sup> úxqfetbi m<sup>3</sup>Zvc L wby<sup>®</sup> Kiv hvq |

120°C ZvcgvÎvi 50 gm f†i i GKWU e-†K 50 gm f†i i  
 GKWU A¨vj wwbqv†gi K¨vj wi wUvi 20°C ZvcgvÎvi 150 gm  
 cwbi g†a¨ w†y†c Kiv n†j w†k†i ZvcgvÎv 30°C cvl qv  
 tMj | e-†U i Dc` v†bi Av†cw†y†K Zvc w†Y†K i |  
 A¨vj wwbqv†gi Av†cw†y†K Zvc 900Jkg<sup>-1</sup>K<sup>-1</sup> |

GLv**†**b,

e<sup>-</sup>i fi  $m_1 = 50 \text{ gm} = 0.05\text{kg}$

K<sup>-</sup>vj wi wgvUv**†**i i fi  $m_2 = 50 \text{ gm} = 0.05\text{kg}$

cwbi fi  $m_3 = 150 \text{ gm} = 0.15\text{kg}$

Mig e<sup>-</sup>i Zvcgv**†**v  $t_3 = 120^\circ\text{C} = 120 \text{ k}$

K<sup>-</sup>vj wi wgvUv**†**i i I cwbi Zvcgv**†**v  $t_1 = 20^\circ\text{C} = 20 \text{ k}$

wgk**†** Zvcgv**†**v  $t_2 = 30^\circ\text{C} = 30 \text{ k}$

A<sup>-</sup>vj wgvbqv**†**gi Av**†**cw**†**yK Zvc  $s_2 = 900\text{Jkg}^{-1}\text{K}^{-1}$

cwbi Av**†**cw**†**yK Zvc  $s_3 = 4200\text{Jkg}^{-1}\text{K}^{-1}$

e<sup>-</sup>vU**†**i Dc<sup>-</sup>v**†**bi Av**†**cw**†**yK Zvc =  $s_1$

e<sup>-</sup>vU K<sup>-</sup>vj wi wgvUv**†**i i I cwbi Kv**†**Q Zvc nvivq =  $30 - 20 = 10 \text{ k}$

K<sup>-</sup>vj wi wgvUv**†**i i I cwbi e<sup>-</sup>vU**†**i Kv**†**Q Zvc M**†**Y K**†**i =  $120 - 30 = 90 \text{ k}$

mgvavb,

$$e^{-W} e^{WR} Z_{vc} Q_1 = f_i \times Av\{c\}y\{K\} Z_{vc} \times Z_{vc}g\{v\}I\{vi\} cv\_K \\ = 0.05 \times s_1 \times 90$$

$$K\{v\}j\{wi\}wg\{Uv\}f\{i\}i\ M\{n\}x\{Z\} Z_{vc} Q_2 = f_i \times Av\{c\}y\{K\} Z_{vc} \times Z_{vc}g\{v\}I\{vi\} cv\_K \\ 0.05 \times 900 \times 10 = 450k$$

$$c\{mb\}i\ M\{n\}x\{Z\} Z_{vc} Q_3 = f_i \times Av\{c\}y\{K\} Z_{vc} \times Z_{vc}g\{v\}I\{vi\} cv\_K \\ 0.15 \times 4200 \times 10 = 6300k$$

$$Av\{g\}i\{v\} R\{mb\}, e^{WR} Z_{vc} = M\{n\}x\{Z\} Z_{vc}$$

$$Q_1 = Q_2 + Q_3$$

$$0.05 \times s_1 \times 90 = 450 + 6300$$

$$s_1 = 1500 \text{ Jkg}^{-1} \text{ K}^{-1}$$

90°C ZvcgvIvi 30 gm fti i GKwU ej tK 70 gm fti i GKwU

Kvj wi wglvi 20°C ZvcgvIvi 90 gm cmbi gta" wbtyc Kiv ntj

wgkÖi ZvcgvIv 22.1°C cvl qv tMj | avZe Dc` v\bi etj i Av\{c\}y\{K\}

Zvc wby\Ki |

-10 mWm<sup>2</sup> m<sup>2</sup> Zvcgv<sup>1</sup>v 100 M<sup>2</sup> ei d<sup>1</sup>K 100 mWm<sup>2</sup> m<sup>2</sup>  
 Zvcgv<sup>1</sup>vi ev<sup>1</sup>ú cwiYZ Ki<sup>1</sup>Z KZ Zv<sup>1</sup>ci ` iKvi nte | [ ei<sup>1</sup>di  
 Av<sup>1</sup>cw<sup>1</sup>yK Zvc =0.5, ei d Mj <sup>1</sup>bi m<sup>1</sup>Zvc =80 K<sup>1</sup>vj wi /M<sup>1</sup>, cw<sup>1</sup>bi  
 ev<sup>1</sup>úxfet<sup>1</sup>bi m<sup>1</sup>Zvc =537 K<sup>1</sup>vj wi /M<sup>1</sup> ]

mgvavb,

g<sup>1</sup>tbKwi ,

ei d<sup>1</sup>K ev<sup>1</sup>ú cwiYZ Ki<sup>1</sup>Z c<sup>1</sup>QvRbxq Zv<sup>1</sup>ci cwi gvY H = K<sup>1</sup>vj wi |  
 GB <sup>1</sup>y<sup>1</sup>t<sup>1</sup>I Pvi chv<sup>1</sup>q Zvc M<sup>1</sup>Y Ki<sup>1</sup>te |

(1) - 10 °C n<sup>1</sup>Z 0 °C ei<sup>1</sup>d cwiYZ n<sup>1</sup>Z c<sup>1</sup>QvRbxq Zvc =mst  
 =100×0.5×{0-(-10)}=100×0.5×10=500 K<sup>1</sup>vj wi

(2) 0 °C ei d†K n†Z 0 °C ZvcgvÎ vq cwb†Z cwi YZ n†Z c†QvRbxq Zvc = mL

$$= 100 \times 80 = 8000 \text{ K}^{\circ}\text{v} \text{ j} \text{ wi}$$

(3) 0 °C cwb†K n†Z 100 °C ZvcgvÎ vq cwb†Z cwi YZ n†Z c†QvRbxq Zvc = mst

$$= 100 \times 1 \times \{100 - 0\}$$

$$= 100 \times 1 \times 100 = 10000 \text{ K}^{\circ}\text{v} \text{ j} \text{ wi}$$

(4) 100°C cwb†K n†Z ev†<sup>®</sup>ú cwi YZ n†Z c†QvRbxq

$$Zvc = \text{mL}$$

$$= 100 \times 537 = 53700 \text{ K}^{\circ}\text{v} \text{ j} \text{ wi}$$

†gvU c†QvRbxq Zvc H = (500 + 8000 + 1000 + 53700)

$$= 72200 \text{ K}^{\circ}\text{v} \text{ j} \text{ wi}$$

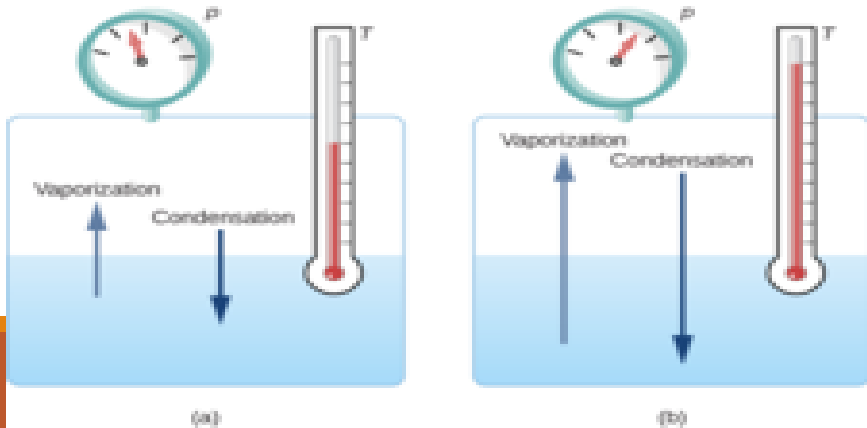
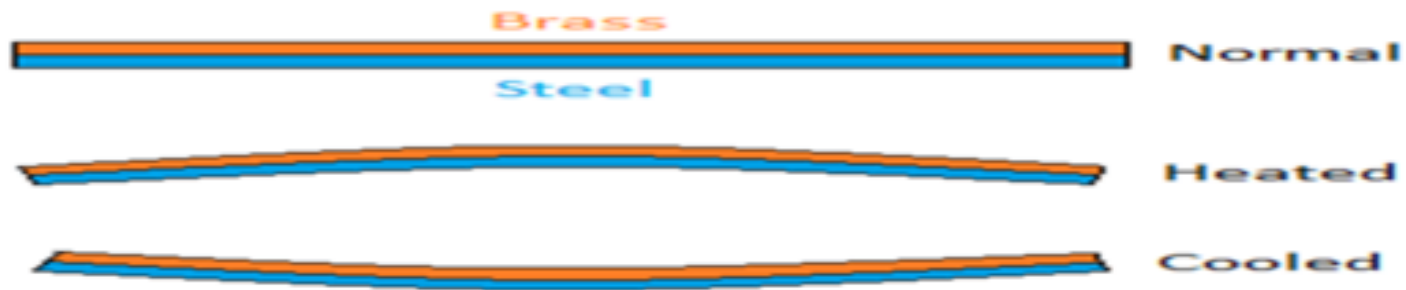


# পাঠ ঘোষণা

Kw/b c` v\_ P%oN" @ñiY, tyI cñiY, AvqZb  
cñiY vK Ges %oN" @ñiY, tyI cñiY, AvqZb  
cñiY , Yv†Ki g†a" m†úK @Avj vPbv Kie |

# Thermal Expansion

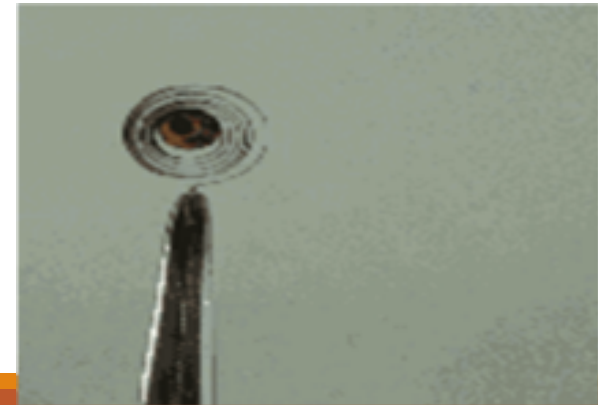
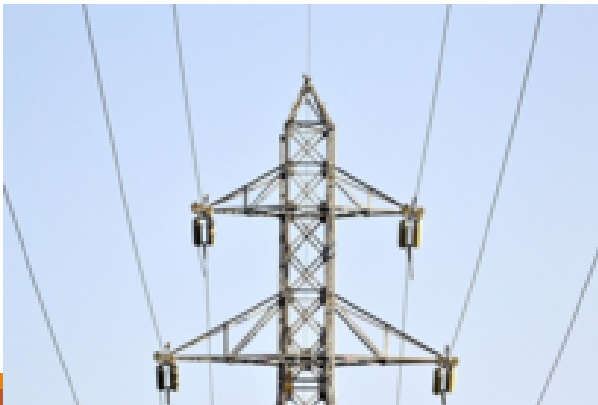
Thermal expansion is the increase in length, area, or volume of a material as its temperature increases. It is a common property of most materials and is caused by the increased vibration of atoms and molecules as they gain thermal energy. This expansion is reversible and is a key factor in many engineering and scientific applications.



# KwWb c`vt\_P cöiY

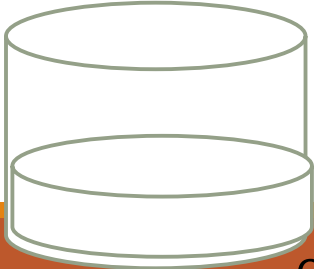
†Uwj †dwb, we`ytZi jvB†bi Zvi wXjv \_vtK †Kb?

Mx<sup>AR</sup>YKvj I kxZKvtj i ZvcgvIvi cwieZ†bi Kvi†Y †Uwj †dwb  
I we`ytZi jvB†bi Zvi cöiY Ges mst†KvPb nq| G ai†bi  
cöiY Ges mst†KvP†bi Zvi wQto th†Z cv†i | GB Amweav  
`†Kivi Rb` `†cv†oi gv†Si Zvi wXjv ivLv nq| GKgvI  
^`†N`cöi†Yi Rb`|



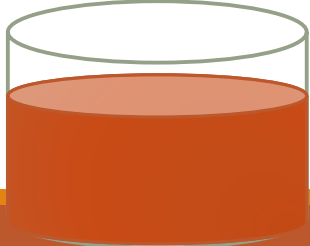
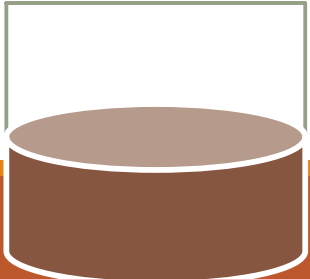
# Zitji cöiY

wewfboe Zitji tytî cöiY wewfboeKvi ntq \_vtK | GKB  
cÖ"Q` wewkó wZbwU Kv†Pi btji wZb aitbi Zij c`v\_©  
tblqv nq| awi , Zij \_tjv h\_vµtg A`vj †Kvnj , cwb ,  
cvi` | cÖtg GKB D"PZvq wZbwU bj †K GKwU cwbi ivLv  
cÖî Wzv†bv nq| GLb cvî wU†K DËß Kiv nq| GZ t`Lv  
tMj A`vj †Kvnj met††q tewk D"PZvq cwb Zvi t††q Kg ,  
cvi` met††q Kg D"PZvq D†V†Q | G t\_†K ejv hvq, wewfboe  
Zitji cöiY wewfbøe

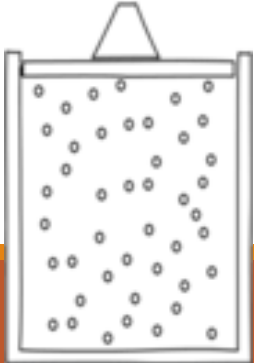


cwb

cvi`

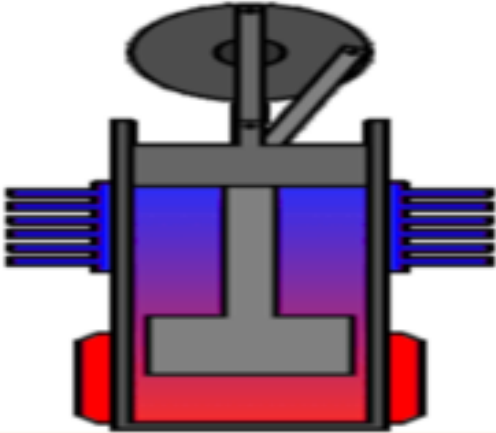


A`vj †Kvnj



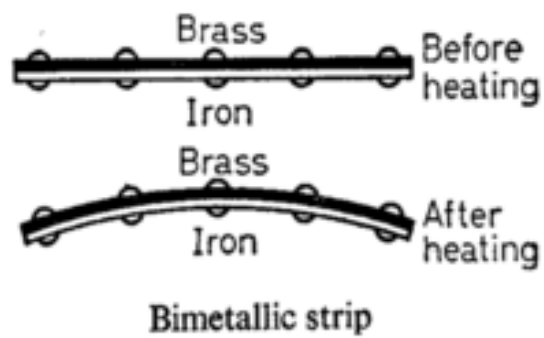
# M'v'tmi c'ö'iY

M'v'tmi t'yt'Î c'ö'iY K'Wb Ges Zi'tj i t'P'tq tewk nq|  
K'wbK'vj dv'f' < w'KQyi w'Ob c'wb t'bl qv nq| g'ymU KK'® t'q  
eÜ K'ti K'v'tPi bj t' l qv nq| GLb dv'f'w'Ui M'v'tq Z'vc  
c'ö'qM Ki'tj t' qv hvq i'w'Ob c'w'bi D'PZ'vq e'w'x cv't'Q| G  
t'\_t'K ej v hvq, Z'v'tci M'v'tmi c'ö'wi Z n't'Q|



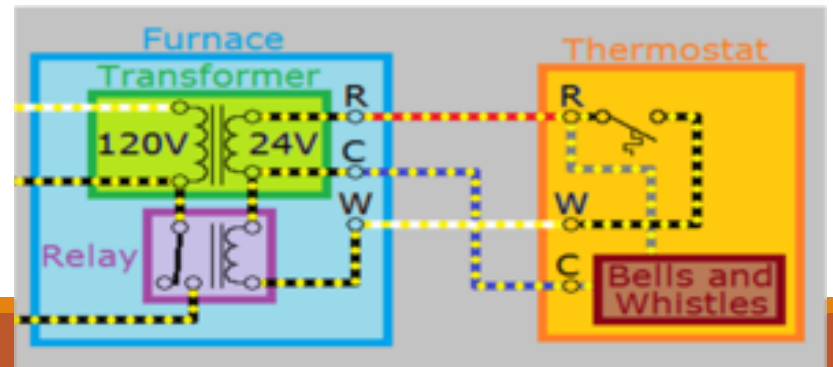
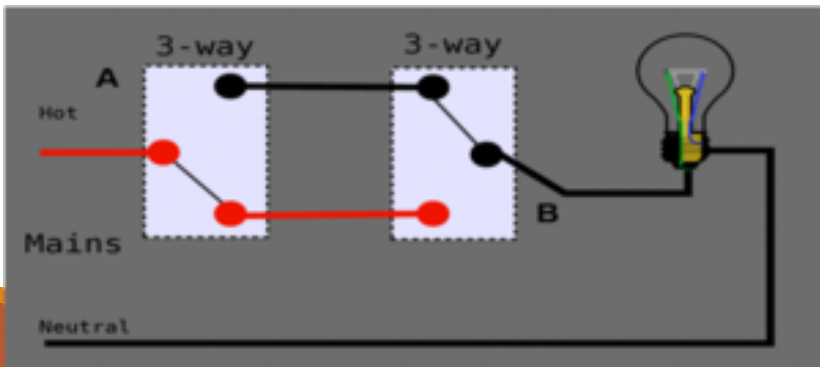
# দ্বিধাতব পাত কি ?

w0avZe t- mvavi YZ GKB ^` †N` ©` w wfbœ` vt\_ ©cvZj v  
 cvZ†K ` vÖŠÍSvj vB K†i †Rvov j wM†q †` l qv nq| G†KB  
 w0avZe cvZ etj | GLv†b cvZ ` w tj vnv l wcZ†j i cvZ  
 †bl qv nq| Gfv†e mō cvZwU mvavi Y ZvcgvÎ vq †mvRv \_v†K |  
 wKš'D³ cvZ ` w†K DĒß Ki†j †j vnv Ges wcZ†j i cvZwU  
 wfZ†i i w` †K tet†K †M†Q| Zv†c A†cyv tenk cōwi Z nq  
 etj GwU †j vnv i cvZ†K evwK†q †` q| D³ w0ave cvZwU†K  
 VvÛv Ki†j Zv Avevi weci xZ w` †K tet†K hvq|



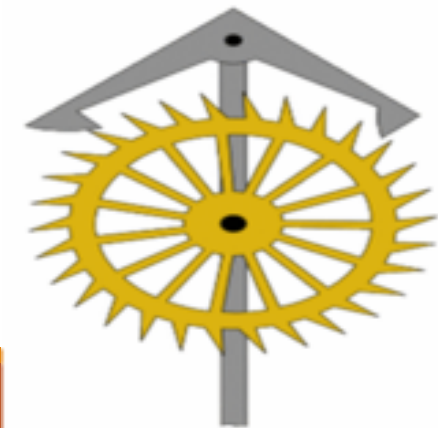
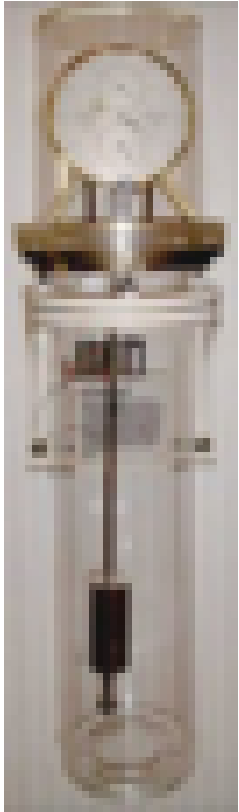
# থার্মোস্টাট কি ?

\_vtgvcvU t-%e` yvZK hšgwmZtZ Zvc wbašy Kiv wefkl cQvRb ev  
 `iKvi | th e`e`vi gva`tg ev tKvfbv c×wZtZ GKwU cwi gvY ZvcgvIv  
 me@ ivLv hvq ev nq ZvtK \_vtgvcvU etj |  
 mvaviYZ \_vtgvcvU GKwU w0avZe cvZ e`envi Kiv nq| Ky ZvcgvIvq  
 ^e` yvZK eZl@tZ hLb GB cvZ tmvRv \_vtK ZLb Zvtci ^e` yvZK eZl@  
 cY@nq| dtj we` y c0n Pjv m@eci nq| wKš'wKQzyY we` y Pjvi ci  
 hLb w0avZe cvZ DĒB nq ZLb GUv tetK hvq dtj ^e` yvZK eZl@ w0boe  
 nq| GtZ we` y c0n Pjv eÜ ntq hvq| \_vtgvcvU GB bwmZtZ KvR  
 Kti mvaviYZ ^e` yvZK Bw` Btj KwUR tgvUi, tiwdRvtiUi, %e` yvZK  
 tKZj x BZ`w` tZ Gi euj e`envi t`Lv hvq|



ciöewwZ t`vj K

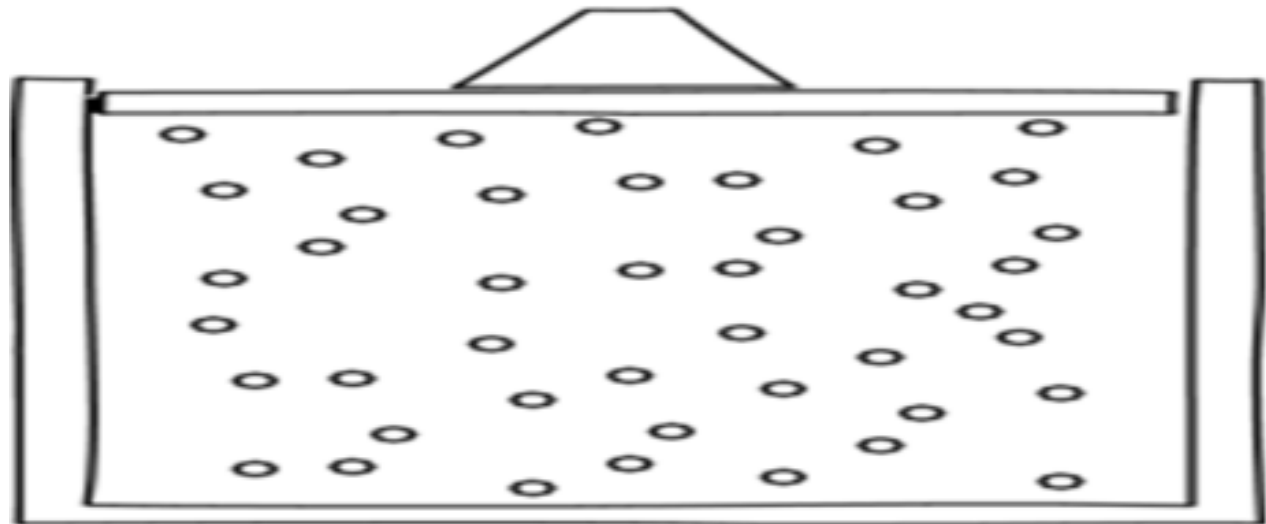
ZvcgvÎvi cwi eZbntj t`vj tKi ^`tN"©nvm ev ewx  
nq| Avevi , ^`N"©evotj t`vj bKvj evto A\_vr©Nwo  
Avt`Íev axti Ptj | Ab" w`tK ^`N"©Kgv t`vj bKvj  
Ktg hvq A\_vr©Nwo `z Ptj | G Kvi tY MÖKvtj axti  
Ptj Ges kxZKvtj `y Ptj | GB Amveav `i Kivi Rb"  
Ggb t`vj K Nwo e"envi Kiv nq hv tZ Nwo me©B mwWK  
mgq t`q | G mKj t`vj tKi B ciöewwZ t`vj K etj |





AvqZb cñiY<sub>s</sub> bv¼ t-

0°C ZvcgvÎvi GKK AvqZbñenkó tKv†bv GKWU  
cv†Îi ZvcgvÎv 1 WWMÖW× Ki†j Gi AvqZb th  
cwi gvY eW× cvq Zv†K tmB cv†Îi Dcv` v†bi  
AvqZb cñiY<sub>s</sub> Yv¼ e†j | G†K γ<sub>g</sub>Øviv cØ/k  
Ki |



$$a_{wi}, 0^\circ\text{C } Z_{vcgv\hat{I}v} t_{Kv\ddaggerbv} Z_{i\ddaggerj} i_{AvqZb} = V_o$$

$$\therefore t^\circ\text{C } Z_{vcgv\hat{I}vq} H Z_{i\ddaggerj} i_{AvqZb} = V_t$$

$$c_{\ddot{O}Z} . AvqZb c_{\ddot{O}iY} = V_t - V_o = \Delta V_r \text{ (awi)}$$

$$Z_{vcgv\hat{I}v} e_{\Psi\times} = (t - 0) = \Delta\theta^\circ\text{C}$$

$$Z_{i\ddaggerj} i_{c_{\ddot{O}Z} . c_{\ddot{O}iY}} , Y_{v\frac{1}{4}},$$

$$c_{\ddot{O}Z} . AvqZb c_{\ddot{O}iY}$$

$$Y_r = \frac{0^\circ\text{C } Z_{vcgv\hat{I}v} t_{Kv\ddaggerbv} Z_{i\ddaggerj} i_{AvqZb} \times Z_{vcgv\hat{I}v} e_{\Psi\times}}{}$$

$$= \frac{V_t - V_o}{}$$

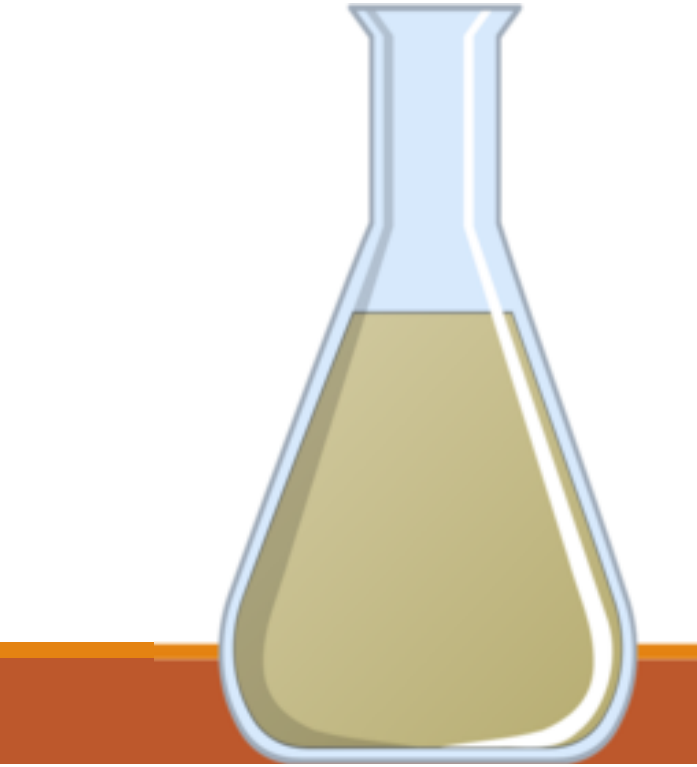
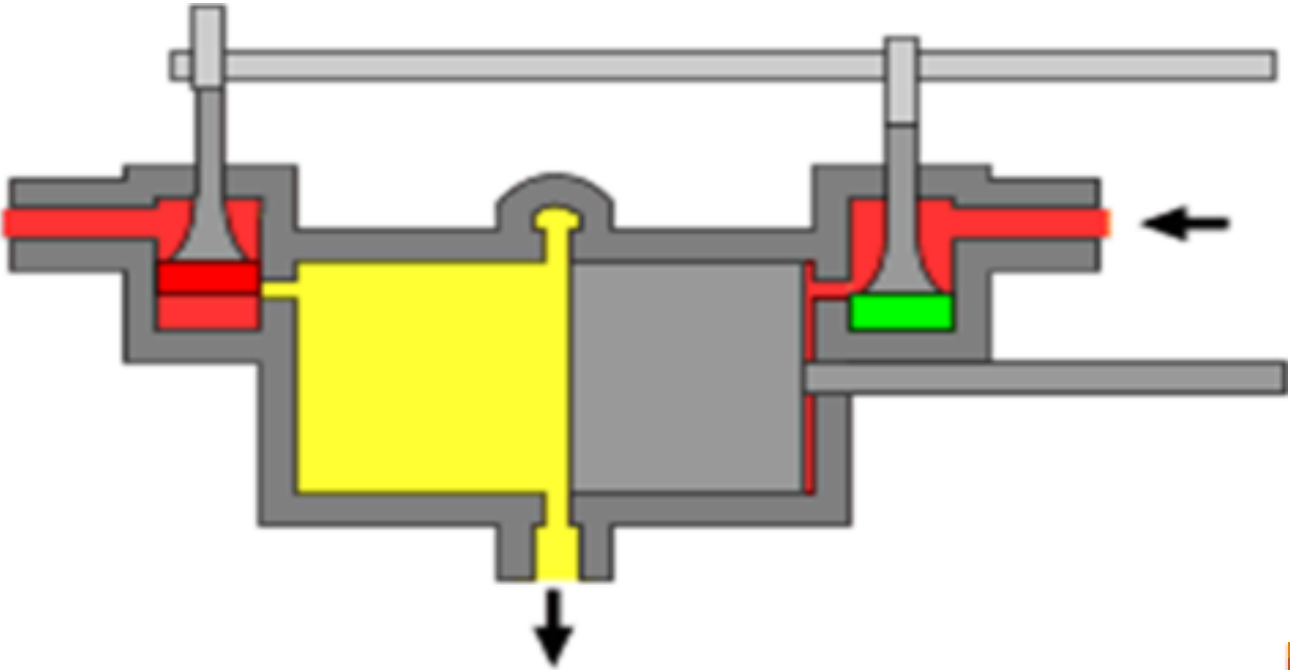
$$V_o \times \Delta\theta$$

$$= \frac{\Delta V_r}{}$$

$$V_o \times \Delta\theta$$

Ziþj i AvcvZ cöiY , Yvsk t-

0°C ZvcgvÎ vi GKK AvqZþbi tKvþbv Ziþj i  
ZvcgvÎ v 1 wwmöw× Kiþj th cwigvY AvcvZ cöiY  
ew× nq ZvþK tmB Ziþj i AvcvZ cöiY , Yv¼ etj |  
GþK  $\gamma_a$ öviv cök Ki |



$$a_{wi}, 0^\circ\text{C } Z_{vcgv\hat{I}v} \dagger K_{v\ddagger bv} Z_{i\ddagger j} i A_{vq} Z_b = V_o$$

$$\therefore t^\circ\text{C } Z_{vcgv\hat{I}vq} H Z_{i\ddagger j} i A_{vq} Z_b = V_t$$

$$c_{\ddot{O}Z} . A_{vq} Z_b c_{\ddot{O}i} Y = V_t - V_o = \Delta V_a \text{ (awi)}$$

$$Z_{vcgv\hat{I}v} e_{\Psi\times} = (t - 0) = \Delta\theta^\circ\text{C}$$

$$Z_{i\ddagger j} i A_{vcvZ} c_{\ddot{O}i} Y_{s} Y_{v1/4},$$

$$c_{\ddot{O}Z} . A_{vcvZ} c_{\ddot{O}i} Y$$

$$\gamma_a = \frac{0^\circ\text{C } Z_{vcgv\hat{I}v} \dagger K_{v\ddagger bv} Z_{i\ddagger j} i A_{vq} Z_b \times Z_{vcgv\hat{I}v} e_{\Psi\times}}{V_t - V_o}$$

$$= \frac{V_t - V_o}{V_o \times \Delta\theta}$$

$$= \frac{\Delta V_a}{V_o \times \Delta\theta}$$

# ¿Z.¿i¼ | AvZ ¿i¼i gS mÚK©cb Ki?

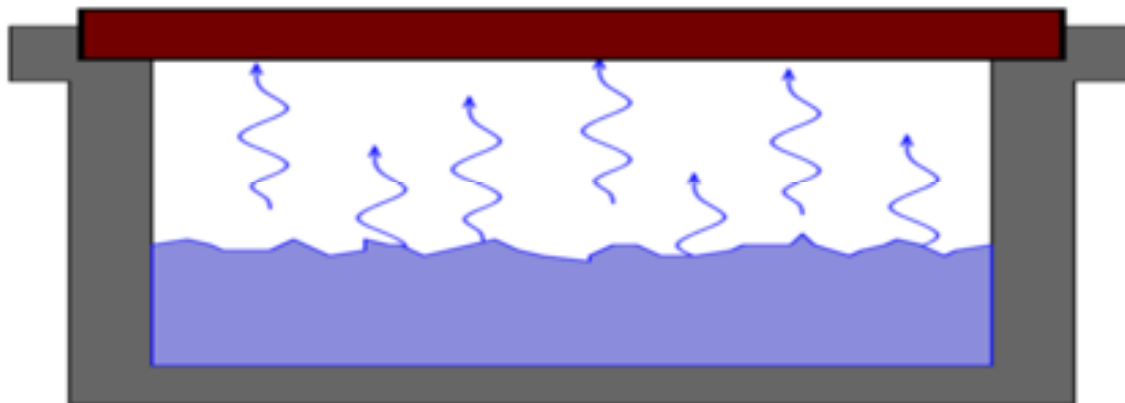
Ziŧi ¿iY `B aiŧi ZvB Gi ¿i¼i `B ¿iŧi  
¿Z.¿iŧi Rb" ¿Z.¿i¼ Ges AvZ ¿iŧi  
Rb" AvZ ¿i¼ |

Ziŧi ¿Z.¿iY , YvSK t-

0°C ZvcgvÎvi GKK AvqZŧi †Kvŧbv Ziŧi ZvcgvÎv 1

¿¿MÖ× Kiŧi th cwi gvY ¿Z.AvqZb e× nq ZvŧK tmB

Ziŧi ¿Z.¿iY , Y¼ etŧ | GŧK γrθviv ¿k Ki |



$$a_{wi}, 0^\circ\text{C } Z_{vcgv\hat{I}v} t_{Kv\hat{t}bv} Z_{i\hat{t}j} i_{AvqZb} = V_o$$

$$\therefore t^\circ\text{C } Z_{vcgv\hat{I}vq} H Z_{i\hat{t}j} i_{AvqZb} = V_t$$

$$c_{v\hat{t}\hat{I}i} A_{vqZb} c_{\hat{m}iY} = V_t - V_o = \Delta V_a \text{ (awi)}$$

$$Z_{vcgv\hat{I}v} e_{\Psi\times} = (t - 0) = \Delta\theta^\circ\text{C}$$

$$c_{v\hat{t}\hat{I}i} D_{cv\hat{t}bi} c_{\hat{m}iY} \text{ , } Y_{v\hat{1}4},$$

$$c_{v\hat{t}\hat{I}i} c_{\hat{m}iY}$$

$$\gamma_g = \frac{0^\circ\text{C } Z_{vcgv\hat{I}v} t_{Kv\hat{t}bv} Z_{i\hat{t}j} i_{AvqZb} \times Z_{vcgv\hat{I}v} e_{\Psi\times}}{}$$

$$= \frac{V_t - V_o}{V_o \times \Delta\theta}$$

$$= \frac{\Delta V_g}{V_o \times \Delta\theta}$$

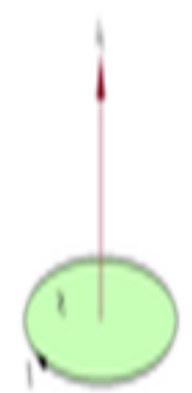
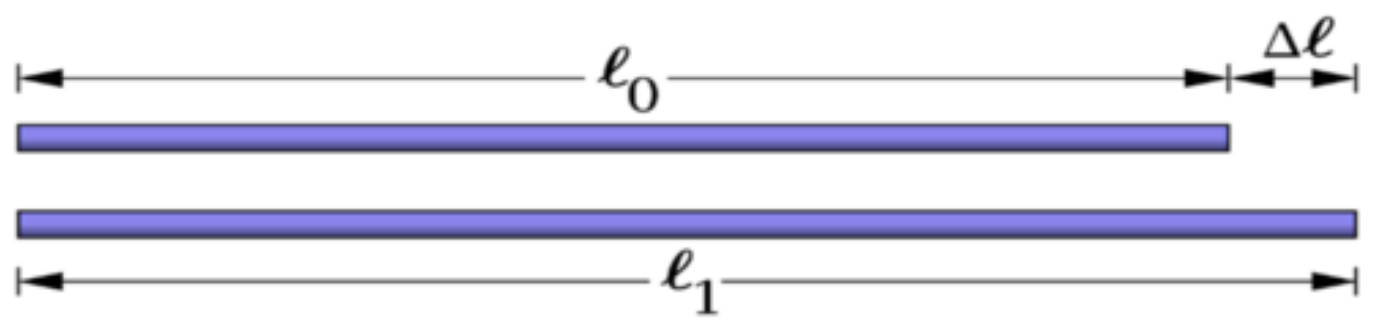
# cKÖZ.cMöiY I AvcvZ cMöiY Gi gta" cv\_K' wj L?

wb†P cKÖZ.cMöiY I AvcvZ cMöiY Gi gta" cv\_K' ntjv

cKÖZ.cMöiY	AvcvZ cMöiY
1   cv†Î i cMöiY wetePbv K†i Zi†j i th AvqZb cvl qv hvq A_® cKÖZ.c†¶ Zi†j i th AvqZb cwi eZb®N†U Zv†K cKÖZ.cMöiY etj	1   cv†Î i cMöiY wetePbv bv K†i †h cMöiY cvl qv hvq Zv†K AvcvZ cMöiY etj
2   cKÖZ.cMöiY = AvcvZ cMöiY + cv†Î i AvqZb cMöiY	2   AvcvZ cMöiY = cKÖZ.cMöiY cv†Î i AvqZb cMöiY
3   cKÖZ.cMöiY i agvÎ Zi†j i cKÖZ.i Dci wbf®K†i   cv†Î i Dcv`v†bi Dci wbf®K†i bv   cKÖZ. cMöiY	3   AvcvZ cMöiY Zi†j i cKÖZ. Ges cv†Î i Dcv`v†bi Dci wbf®K†i   AvcvZ cMöiY
4   GUv KLbI FYvZK n†Z cv†i bv	4   GUv FYvZK I n†Z cv†i

# 1 | $\hat{N}^{\circ} \text{c} \ddot{m} i Y$

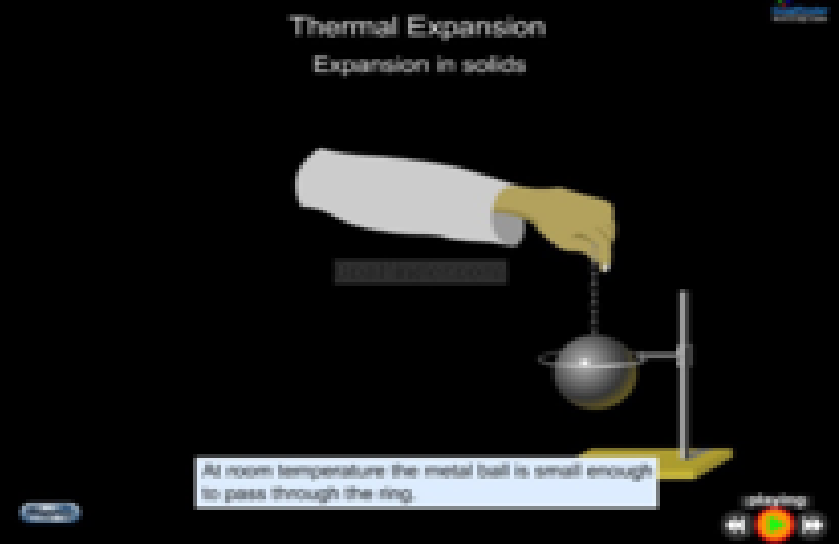
ZvcgvÎ v ewx i mv†\_ mv†\_ KwB c` v†\_ P  
 $\hat{N}^{\circ} \text{c} \ddot{m} i Y$  th ewx N†U Zv†K  $\hat{N}^{\circ} \text{c} \ddot{m} i Y$  etj |  
 †hgb cvZj v l miæavZe cvZ DËß Ki†j  
 Gi  $\hat{N}^{\circ} \text{c} \ddot{m} i Y$  N†U |





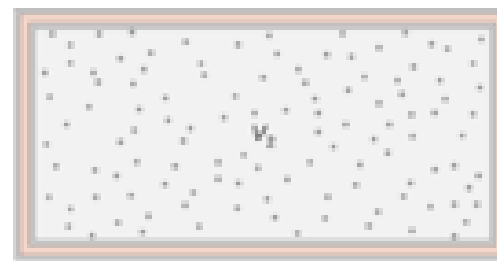
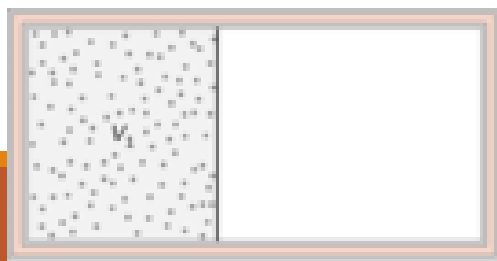
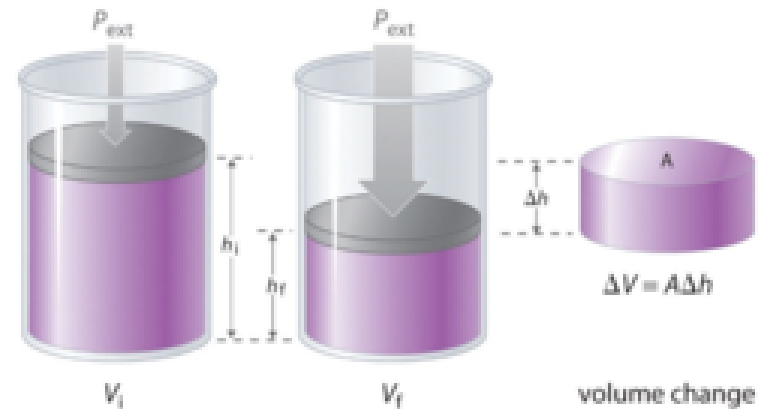
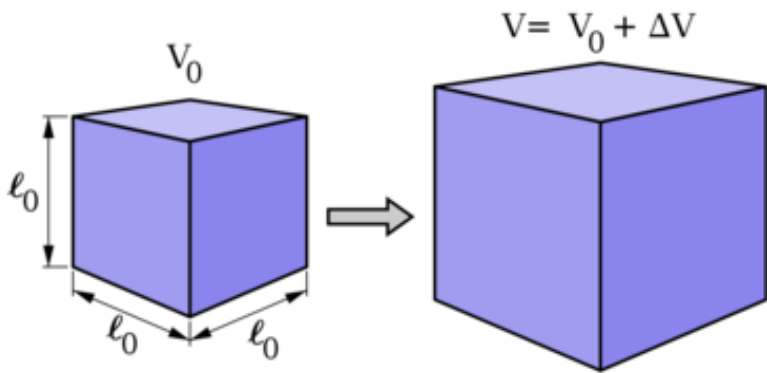
# 2 | $\hat{y} \hat{c} \hat{i} Y$

Zvcgv $\hat{I}$  v ew $\times$  i mv $\dagger$ \_ mv $\dagger$ \_ KwB c` vt\_  $\hat{c} \hat{y} \hat{I}$  dtj i  
th ew $\times$  N $\dagger$ U ZvtK  $\hat{y} \hat{I}$   $\hat{c} \hat{i} Y$  etj | thgb  $\dagger$ Kvtbv  
avZe cvZ D $\ddot{E}$  $\beta$  Ki $\dagger$ j Gi  $\hat{\sim}$   $\dagger$ N $\ddot{Q}$  c $\ddot{O}$ ev DfqB  
 $\hat{c} \hat{i} Y$  N $\dagger$ U |



# 3 | AvqZb cöiY

ZvcgvÎ v ew×i mvt\_ mvt\_ †Kv†bv AvqZKvi Nb avZe KwWb  
 c` vt\_ ©AvqZb th ew× N†U Zv†K AvqZb cöiY etj |  
 †hgb †Kv†bv AvqZKvi Nb avZe c` v\_†K DËß Kitj Gi  
 ^ †N` ,©cÖGes D" PZv Gi cöiY N†U |



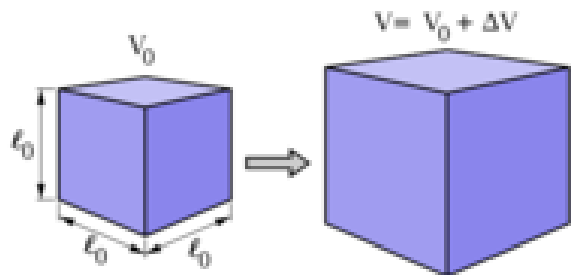
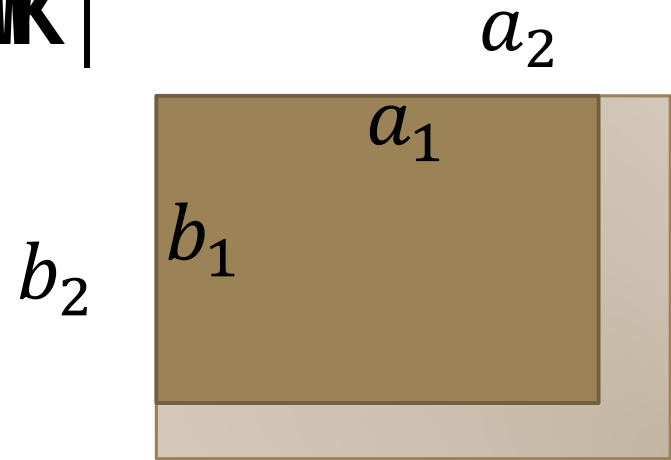
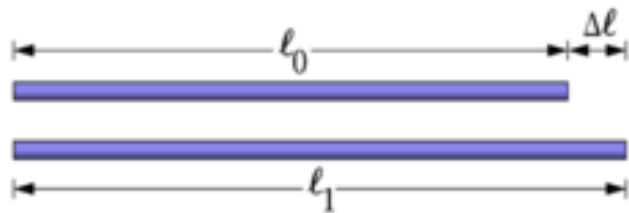
# পাঠ ঘোষণা

2q Aa`vq t- c`v\_ ©Dci Zvci cfve |

Kv/b c`v\_ ©%oN` ©ñiY, tyÎ cñiY, AvqZb  
cñiY Ges Gt` i , YvK ej†Z vK eS Ges Gi  
Yv†Ki mꣳúK ©Avj vPbv Kie |

# Thermal Expansion

Linear expansion of a solid is the change in length of a solid object due to a change in temperature. It is a type of thermal expansion. The change in length is directly proportional to the original length and the change in temperature.



Thermal Expansion in Solids

Linear Expansion

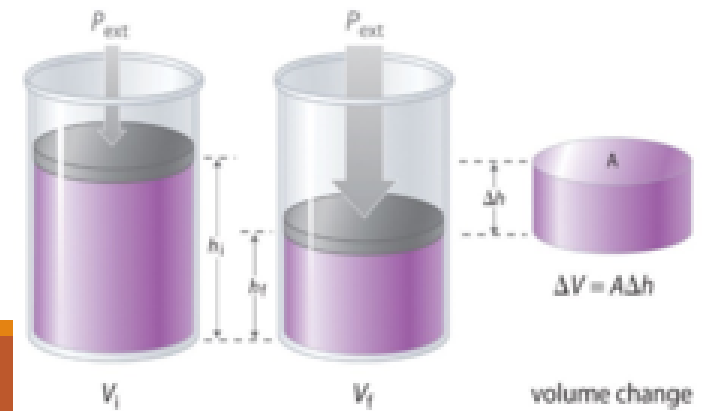
Rod

Superficial Expansion

Thin sheet

Volume Expansion

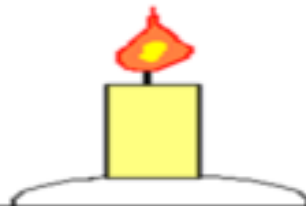
Solid Cube



KwB c`vt\_©cöiY

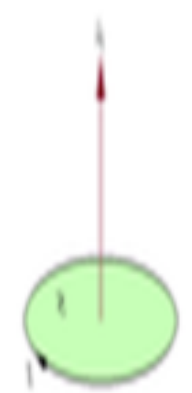
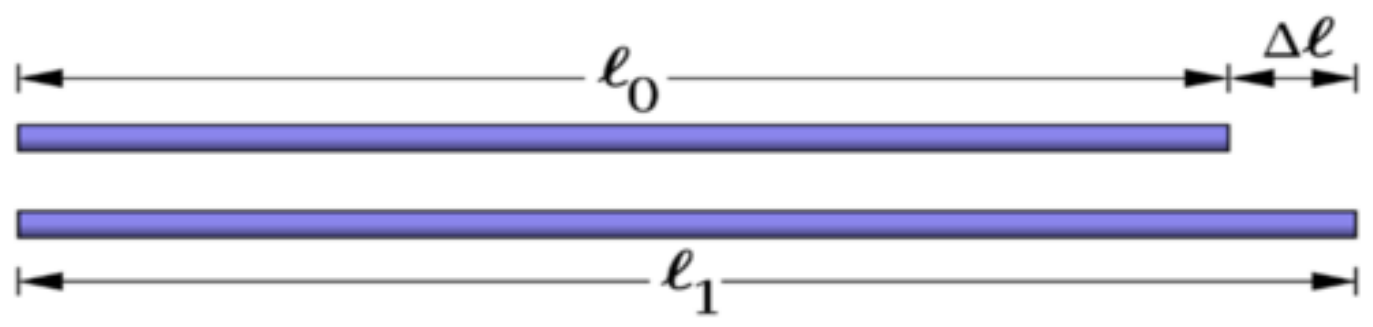
Zvc cöqM Kitj KwB c`vt\_©mew`‡K cöiY  
N‡U | KwB c`vt\_©cöiY wZb ai‡bi thgb -

- 1 | ^`N`©cöiY
- 2 | tyÎ cöiY
- 3 | AvqZb cöiY



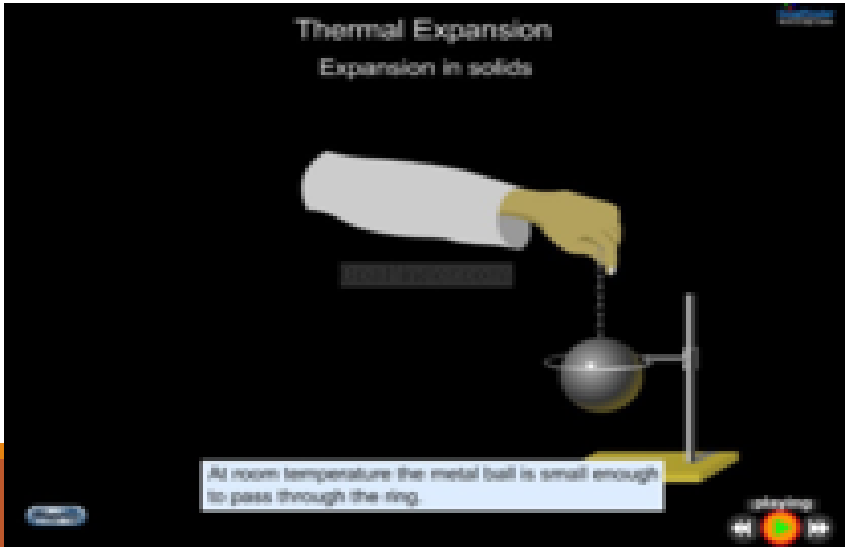
# 1 | $\hat{N}^{\circ} \text{c} \ddot{m} i Y$

ZvcgvÎ v ewx i mv†\_ mv†\_ KwWb c`v†\_ P  
 $\hat{N}^{\circ} \text{c} \ddot{m} i Y$  th ewx N†U Zv†K  $\hat{N}^{\circ} \text{c} \ddot{m} i Y$  etj |  
 †hgb cvZj v l miæavZe cvZ DËß Ki†j  
 Gi  $\hat{N}^{\circ} \text{c} \ddot{m} i Y$  N†U |



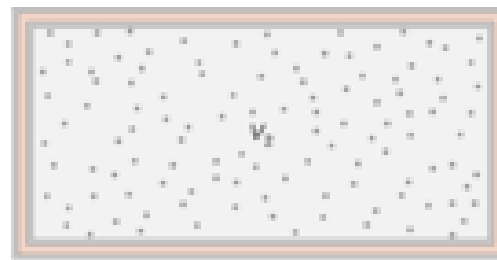
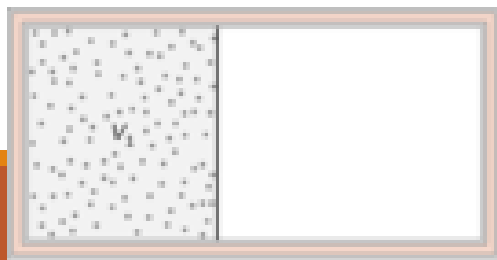
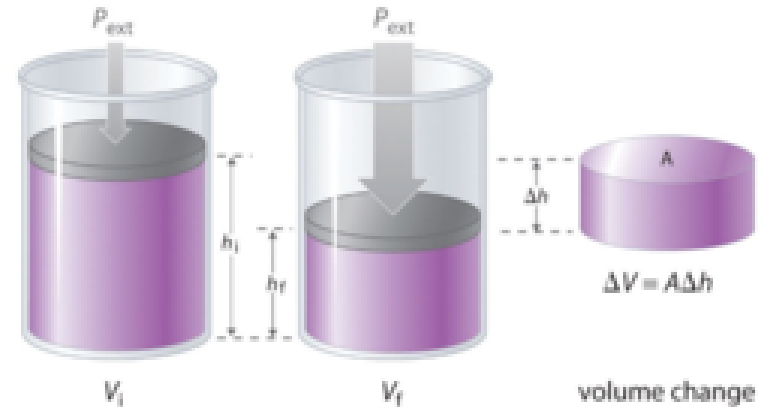
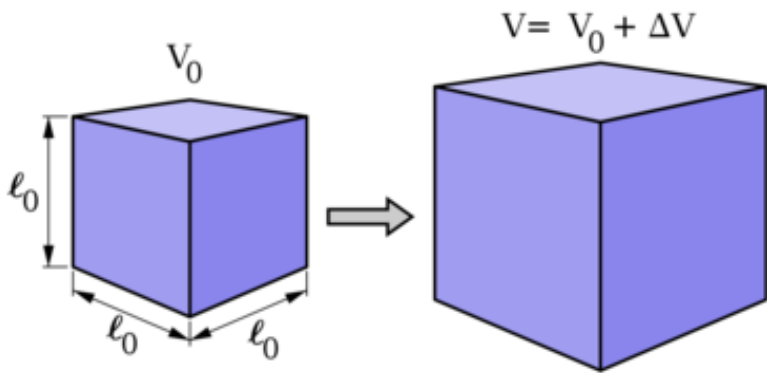
# 2 | $\hat{y} \hat{c} \hat{i} Y$

Zvcgv $\hat{I}$  v ew $\times$  i mv $\dagger$ \_ mv $\dagger$ \_ KwB c` vt\_  $\hat{c} \hat{y} \hat{I}$  dtj i  
th ew $\times$  N $\dagger$ U ZvtK  $\hat{y} \hat{I}$   $\hat{c} \hat{i} Y$  etj | thgb  $\dagger$ Kvtbv  
avZe cvZ D $\ddot{E}$  $\beta$  Ki $\dagger$ j Gi  $\hat{\sim}$   $\dagger$ N $\ddot{Q}$  c $\ddot{O}$ ev DfqB  
 $\hat{c} \hat{i} Y$  N $\dagger$ U |



# 3 | AvqZb cöiY

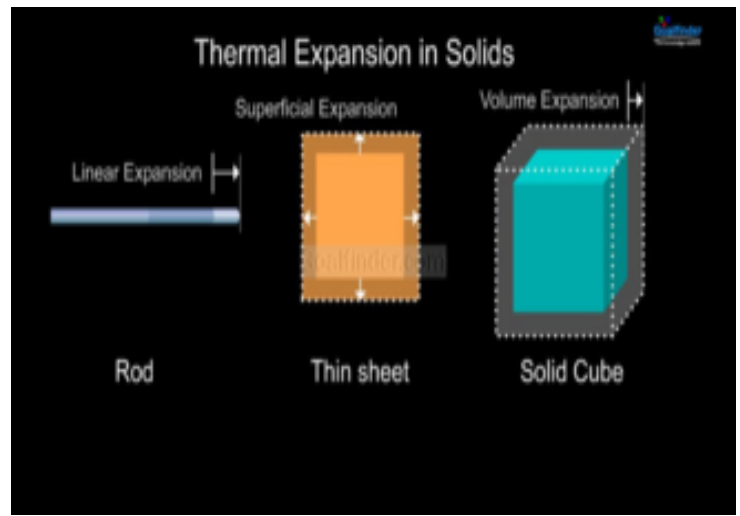
ZvcgvÎ v ew×i mvt\_ mvt\_ †Kv†bv AvqZKvi Nb avZe KwWb  
 c` vt\_ ©AvqZb th ew× N†U Zv†K AvqZb cöiY etj |  
 †hgb †Kv†bv AvqZKvi Nb avZe c` v\_ †K DËß Kitj Gi  
 ^ †N` ,©cÖGes D" PZv Gi cöiY N†U |





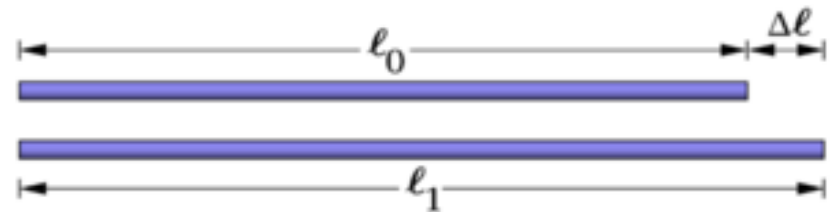
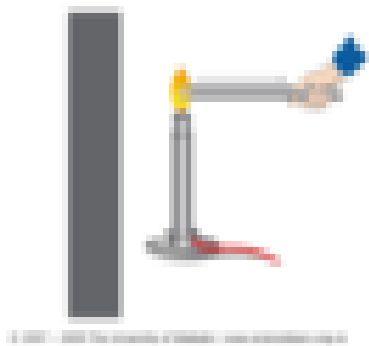
# Kw/b c`vt\_@cniY

tKv#bv Kw/b c`vt\_@zvc cqvM Kitj wZb cKti  
 cniY NtU | GB wZb cKti cniYi Rb` wZb  
 cKti cniY  $\Delta Y \propto \Delta T$  |  
 h\_v- 1 |  $\Delta Y \propto \Delta T$  |  
 2 |  $\Delta Y \propto \Delta T$  |  
 3 |  $\Delta Y \propto \Delta T$  |



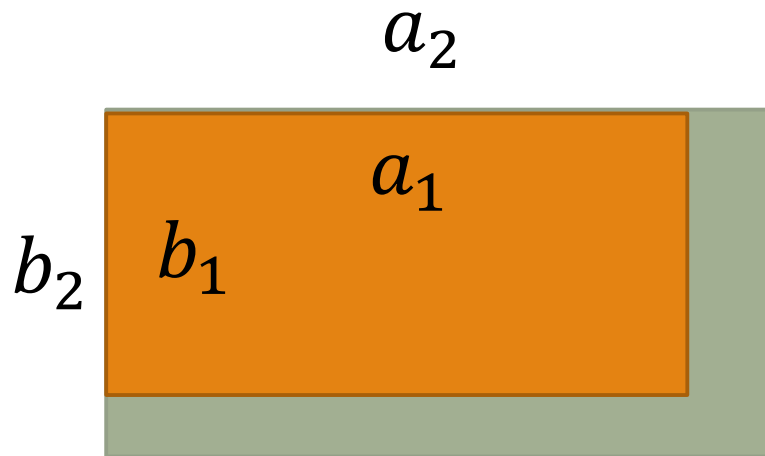
^`N"©m̈iY 5 Yv¼ Kv†K etj ?

GKK ^`N"©m̈iY 5 Yv¼ Kv†K etj ?  
 1°C ew× Ki†j Gi ^`N"©m̈iY 5 Yv¼ Kv†K etj ?  
 Zv†KB H c`v†\_P ^`N"©m̈iY 5 Yv¼ Kv†K etj |  
 G†K α 0viv cKk Kiv nq|



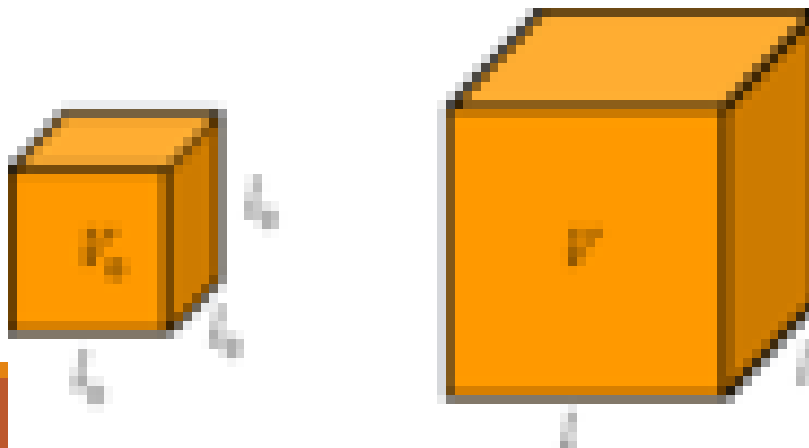
$\hat{t}y\hat{I} c\ddot{m}iY_{,} Yv^{1/4} Kv\hat{t}K e\hat{t}j ?$

GKK  $\hat{t}y\hat{I} dj$   $wewk\acute{o}$   $\hat{t}Kv\hat{t}bv$  GKWU  $e^{-i}$   
Z $\hat{t}j$  i Zvcgv $\hat{I}v$   $1^{\circ}C$   $e_{W\times}$  Ki $\hat{t}j$  Gi  $\hat{t}y\hat{I} dj$   
hZUK $ze_{W\times}$  cvq Z $\hat{t}KB$  H c`v $\hat{t}$   $\hat{t}y\hat{I}$   
c $\ddot{m}iY_{,} Yv^{1/4} e\hat{t}j$  | G $\hat{t}K$   $\beta$   $\emptyset$ viv c $\ddot{m}iK$  Kiv  
nq |



AvqZb c $\ddot{m}$ iY  $\text{Yv}^{1/4}$  Kv†K etj ?

GKK AvqZb wemkó tKv†bv GKwU Nb†Ki e<sup>-</sup>f  
Z†j i Zvcgv $\hat{v}$ 1°C ewx Ki†j Gi AvqZb  
hZUKzewx cvq Zv†KB H c`v†\_f AvqZb  
c $\ddot{m}$ iY  $\text{Yv}^{1/4}$  etj | G†K  $\gamma$  Øviv c $\ddot{m}$ k Kiv  
nq |



# 1 | ^ N ° C m i Y , Y v 1/4 w b Y q K i e v e v L v K i

GKK ^ N ° C k o t K v t b v G K W U e - f 1 ° C Z v c g v I v e W x  
 K i t j G i ^ N ° C Z U K z e W x c v q Z v t K B H c ` v t \_ P ^ N ° C  
 c m i Y , Y v 1/4 e t j | G t K a 0 v i v c K o k K i v n q |  
 e v L v t - g t b K w i , 0 ° C Z v c g v I v q G K W U ` t U i ^ N ° C  
 G e s ` t U i t ° C Z v c g v I v c t q v M K i t j H ` t U i ^ N ° C  
 e W x t c t q l t n t j v |  
 t ° C Z v c g v I v e W x K i v q ^ N ° C w i e Z B = l t - l o



$$\begin{aligned}
 \Delta l &= l_t - l_0 \\
 \therefore 1^\circ\text{C} & \dots \dots l_0 \dots \dots \dots = \frac{l_t - l_0}{t} \\
 \therefore 1^\circ\text{C} & \dots \dots 1 \dots \dots \dots = \frac{l_t - l_0}{t \times l_0}
 \end{aligned}$$

$$\alpha = \frac{l_t - l_0}{t \times l_0} \text{----- (1)}$$

$$\alpha = \frac{\Delta l}{l_0 \Delta T}$$



mgxKi Y (1) bs n†Z cvB,  $l_t - l_o = \alpha \times t \times l_o$

ev,  $l_t = \alpha t l_o + l_o$

ev,  $l_t = l_o + \alpha t l_o$

ev,  $l_t = l_o(1 + \alpha t)$  -----(2)

Dctiv<sup>3</sup> msÁvq tmwU†MÖ† †j O°C n†Z t°C

ZvcgvÎv aiv nq wKš' O°C n†Z cñiY wbY©Kiv Ley

KóKi | G Rb" th tKv†bv `w ZvcgvÎv n†Z % N"©

cñiY , Yv¼ wbY©Kiv nq|

awi , `w ZvcgvÎv h\_vμ†g t<sub>1</sub>°C | t<sub>2</sub>°C Ges D<sup>3</sup>

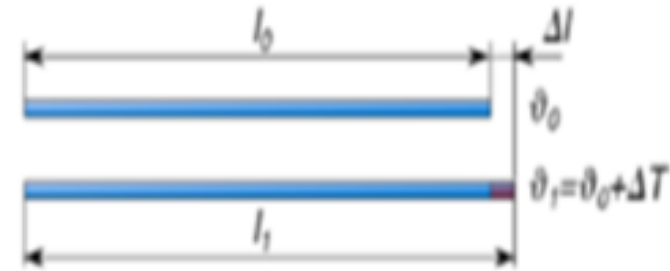
ZvcgvÎv tKv†bv GKwU `†Ûi ^ N"© h\_vμ†g l<sub>1</sub> |

l<sub>2</sub> nq|

ZLb mgxKiY (2) bs Abmvti tj Lv hvq -

$$l_1 = l_0(1 + \alpha t_1) \text{ ----- (3)}$$

$$l_2 = l_0(1 + \alpha t_2) \text{ ----- (4)}$$



thñnZzO°C Zvcgvi vi ðÛi ð N° l\_0

Ges hw` t\_2 > t\_1 Zte l\_2 > l\_1

$$\frac{l_2}{l_1} = \frac{l_0(1 + \alpha t_2)}{l_0(1 + \alpha t_1)} \text{ ev, } \frac{l_2}{l_1} = \frac{l_0(1 + \alpha t_2)}{l_0(1 + \alpha t_1)}$$

$$= (1 + \alpha t_2)(1 + \alpha t_1)^{-1} \text{ [woc` x mñi mñvñh' ]}$$

$$= (1 + \alpha t_2) (1 - \alpha t_1 + \alpha^2 t_1 - \alpha^3 t_1 \text{ -----} + \alpha^n t_1)$$

$$= (1 + \alpha t_2) (1 - \alpha t_1) \text{ [Kwb c` vt_ P° N° mñi Y Lv Kg etj Gi}$$

D°P NvZ eR°Kñi cvB]



$$\frac{l_2}{l_1} = (1 + \alpha t_2 - \alpha t_1 - \alpha^2 t_2 t_1)$$

etj Gi D"P NvZ eRiKti cvB]

$$= (1 + \alpha t_2 - \alpha t_1)$$

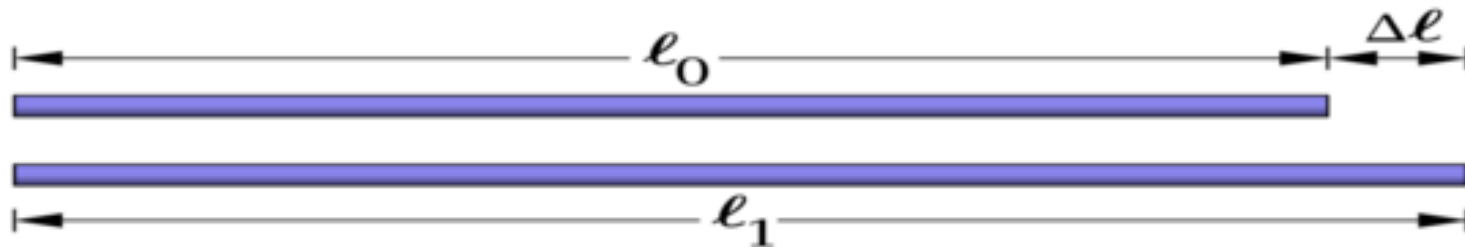
$$\therefore \frac{l_2}{l_1} = 1 + \alpha(t_2 - t_1)$$

$$l_2 = l_1 [1 + \alpha(t_2 - t_1)]$$

$$= l_1 + \alpha l_1 (t_2 - t_1)$$

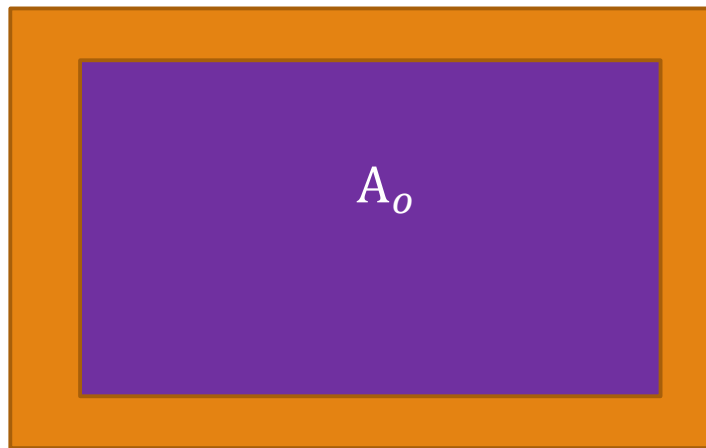
$$\therefore l_2 - l_1 = \alpha l_1 (t_2 - t_1) \text{----- (5)}$$

A\_vr^N^iY = ^N^iY , Yv¼ × Aw` %N^ ZvcgvÎvi  
cwi eZk|



1 |  $\dot{m}_i Y_{i,1} + \dot{m}_e Y_{e,1} = \dot{m}_i Y_{i,2} + \dot{m}_e Y_{e,2}$

GKK  $\dot{m}_i \dot{h}_i + \dot{m}_e \dot{h}_e = \dot{m}_i \dot{h}_i + \dot{m}_e \dot{h}_e + \dot{Q}$   $\dot{Q} = \dot{m} c_p (T_2 - T_1)$   
Zvcgv $\dot{m}_i \dot{h}_i + \dot{m}_e \dot{h}_e = \dot{m}_i \dot{h}_i + \dot{m}_e \dot{h}_e + \dot{Q}$   $\dot{Q} = \dot{m} c_p (T_2 - T_1)$   
H c`vt\_  $\dot{m}_i \dot{h}_i + \dot{m}_e \dot{h}_e = \dot{m}_i \dot{h}_i + \dot{m}_e \dot{h}_e + \dot{Q}$   $\dot{Q} = \dot{m} c_p (T_2 - T_1)$   
Kiv nq|



$A_t$

e<sup>-</sup> vL<sup>v</sup> t- gtbKwi , 0°C ZvcgvÎ vq GKwU AvqZKvi e<sup>-</sup> i  
 ‡ÿÎ dj A<sub>0</sub> Ges AvqZKvi e<sup>-</sup> i t°C ZvcgvÎ v cQvM Ki ‡j  
 H AvqZKvi e<sup>-</sup> i ‡ÿÎ dj e<sup>v</sup>× ‡ctq A<sub>t</sub> ntj v |  
 t°C ZvcgvÎ v e<sup>v</sup>× Kivq ‡ÿÎ dj cwi eZ<sup>⊙</sup> = A<sub>t</sub> - A<sub>0</sub>

A<sub>v</sub>⊙

t°C ZvcgvÎ v e<sup>v</sup>× ‡Z A<sub>0</sub> H e<sup>-</sup> i ‡ÿÎ dtj i ‡ÿÎ dj e<sup>v</sup>× cvq = A<sub>t</sub> - A<sub>0</sub>

$$\therefore 1^\circ\text{C} \quad \dots \quad A_0 \quad \dots \quad \dots \quad \dots \quad \dots \quad \dots \quad \dots \quad \dots \quad \dots \quad = \frac{A_t - A_0}{t}$$

$$\therefore 1^\circ\text{C} \quad \dots \quad 1 \quad \dots \quad \dots \quad \dots \quad \dots \quad \dots \quad \dots \quad \dots \quad \dots \quad = \frac{A_t - A_0}{t \times A_0}$$

% N<sup>⊙</sup> e<sup>v</sup>× iY<sub>v</sub> ¼,  $\beta = \frac{A_t - A_0}{t \times A_0} \text{-----} (1)$

$$\beta = \frac{\% N^{\odot} e^{\vee} i Y}{A_{v\text{v}} \text{ } \text{ } N^{\odot} Zvcgv\hat{I} v e^{\vee} \times}$$



mgxKi Y (1) bs n†Z cvB,  $A_t - A_o = \beta \times t \times A_o$

ev,  $A_t = \beta t A_o + A_o$

ev,  $A_t = A_o + \beta t A_o$

ev,  $A_t = A_o(1 + \beta t)$  -----(2)

Dc†iv<sup>3</sup> msÁvq tmwU†MÖt<sup>-</sup>†j O°C n†Z t°C ZvcgvÎv

aiv nq wKš'O°C n†Z cÖiY wbY©Kiv Ly KóKi | G

Rb<sup>•</sup> th tKv†bv `w ZvcgvÎv n†Z %<sub>00</sub> N<sup>•</sup>©cÖiY , Yv¼

wbY©Kiv nq |

awi , `w ZvcgvÎv h\_vμ†g t<sub>1</sub>°C | t<sub>2</sub>°C Ges D<sup>3</sup>

ZvcgvÎv tKv†bv GKwU `†Ûi ^ N<sup>•</sup>©h\_vμ†g A<sub>1</sub> |

A<sub>2</sub> nq |

ZLb mgxKiY (2) bs Abmvti tj Lv hvq -

$$A_1 = A_o(1 + \beta t_1) \text{ ----- (3)}$$

$$A_2 = A_o(1 + \beta t_2) \text{ ----- (4)}$$

thñnZzO°C ZvcgvÎvi `†Ûi ^`N"© A\_o

Ges hw` t\_2 > t\_1 Z†e A\_2 > A\_1

$$\frac{A_2}{A_1} = \frac{A_o(1 + \beta t_2)}{A_o(1 + \beta t_1)} \text{ ev, } \frac{A_2}{A_1} = \frac{A_o(1 + \beta t_2)}{A_o(1 + \beta t_1)}$$

$$= (1 + \beta t_2)(1 + \beta t_1)^{-1} \text{ [wOc` x m†Î i mvrvtñh" ]}$$

$$= (1 + \beta t_2) (1 - \beta t_1 + \beta^2 t_1 - \beta^3 t_1 \text{ -----} + \beta^n t_1)$$

$$= (1 + \beta t_2) (1 - \beta t_1) \text{ [KwWb c` vt_ P` ^`N"©m"iY Lv Kg etj Gi}$$

D"P NvZ eR©K†i cvB]

$$\frac{A_2}{A_1} = (1 + \beta t_2 - \beta t_1 - \beta^2 t_2 t_1)$$

kg etj Gi D"P NvZ eR@Kti cvB]

$$= (1 + \beta t_2 - \beta t_1)$$

$$\therefore \frac{A_2}{A_1} = 1 + \beta(t_2 - t_1)$$

$$A_2 = A_1 [1 + \beta(t_2 - t_1)]$$

$$= A_1 + \beta A_1(t_2 - t_1)$$

$$\therefore A_2 - A_1 = \beta A_1(t_2 - t_1)$$

$$\therefore A_2 - A_1 = \beta A_1(t_2 - t_1) \text{ ----- (5)}$$

A\_vr@tÿÎ c@iY = tÿÎ c@iY , Yv¼ × Awv` tÿÎ dj × ZvcgvÎvi  
cwi eZ@|

GKB fvtē Avgiv tÿÎ cñiY MY¼ I AvqZb cñiY , Yv¼  
 e"vL"v Ki†Z cvie |

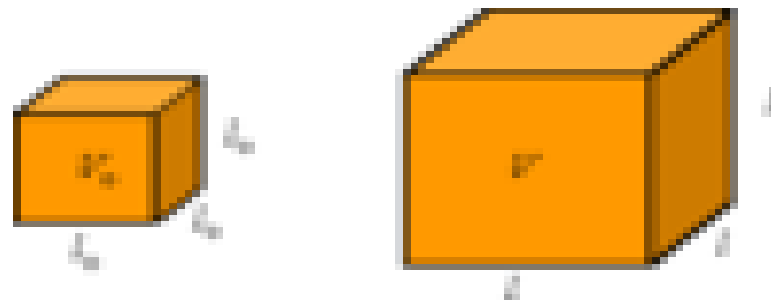
Avgiv †ei Ki†Z cvie

$$S_2 - S_1 = \beta S_1 (t_2 - t_1)$$

$$A_{v\text{c}} tÿÎ cñiY = tÿÎ cñiY , Yv¼ \times A_{w\text{c}} tÿÎ dj \times Zvcgv\hat{I}vi cwi eZ\text{c}$$

$$V_2 - V_1 = \gamma V_1 (t_2 - t_1)$$

$$A_{v\text{c}} AvqZb cñiY = AvqZb cñiY , Yv¼ \times A_{w\text{c}} AvqZb \times Zvcgv\hat{I}vi cwi eZ\text{c}$$



$\%_0 N'' \text{ c} \hat{\text{O}} \text{ i v} \frac{1}{4}, \text{ t} \hat{\text{y}} \hat{\text{I}} \text{ c} \hat{\text{O}} \text{ i v} \frac{1}{4} \text{ Ges AvqZb c} \hat{\text{O}} \text{ i v} \frac{1}{4} \text{ i gv} \hat{\text{t}} \text{S}$   
 $m^{\alpha} \acute{u} K \text{ c} \hat{\text{O}} \text{ vcb Kie} | A_{ev} \text{ c} \hat{\text{O}} \text{ Y Ki th, } \epsilon \alpha = 3\beta = 2\gamma$

$\text{wZb c} \hat{\text{O}} \text{ i c} \hat{\text{O}} \text{ i Y } \text{, Yv} \frac{1}{4} \text{ i m}^{\alpha} \acute{u} K \text{ c} \hat{\text{O}}$

$\alpha \text{ Ges } \beta \text{ Gi gv} \hat{\text{t}} \text{S m}^{\alpha} \acute{u} K \text{ c} \hat{\text{O}}$

$\text{gtbKwi, tKv} \hat{\text{t}} \text{bv GK Zvcgv} \hat{\text{I}} \text{vq GKwU eMvKvi cv} \hat{\text{t}} \text{Zi } \hat{\text{N}}'' \text{ c} \hat{\text{O}}$

$h_{v\mu} \hat{\text{t}} \text{g } a_1 | b_1 | \text{H Zvcgv} \hat{\text{I}} \text{vi Gi t} \hat{\text{y}} \hat{\text{I}} \text{dj, } A_1 = a_1 b_1$

$\text{Avevi, gtbKwi, } t^{\circ} \text{C Zvcgv} \hat{\text{I}} \text{v e} \times \text{ dtj GB cv} \hat{\text{t}} \text{Zi } \hat{\text{N}}'' \text{ c} \hat{\text{O}} \text{ e} \times$

$h_{v\mu} \hat{\text{t}} \text{g } a_2 | b_2 \text{ nq} | \text{Zvntj t} \hat{\text{y}} \hat{\text{I}} \text{dj, } A_2 = a_2 b_2 |$

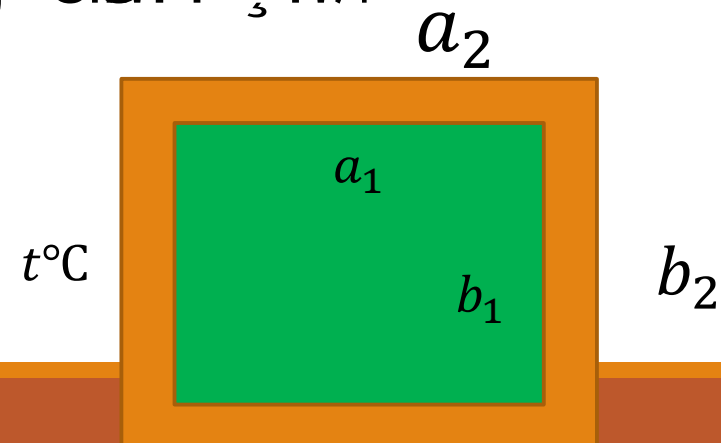
$hw \text{ cv} \hat{\text{t}} \text{Zi c} \hat{\text{O}} \text{ v} \hat{\text{t}} \text{ c} \hat{\text{O}} \text{ i Y } \text{, Yv} \frac{1}{4} | \text{t} \hat{\text{y}} \hat{\text{I}} \text{dj c} \hat{\text{O}} \text{ i Y } \text{, Yv} \frac{1}{4}$

$h_{v\mu} \hat{\text{t}} \text{g } \alpha | \beta \text{ nq, Zte}$

$$\therefore a_2 = a_1(1 + \alpha t) \text{ ----- (1)}$$

$$\therefore b_2 = b_1(1 + \alpha t) \text{ ----- (2)}$$

$$\text{Ges } A_2 = A_1(1 + \beta t) \text{ ----- (3)}$$





mgxKiY (1) bs tK (2) bs mgxKiY Øviv ,Y Kti cvB,

$$a_2 b_2 = a_1 b_1 (1 + \alpha t) \times (1 + \alpha t)$$

ev,  $A_2 = A_1 (1 + \alpha t)^2$  [:: tÿÎ dj  $A_1 = a_1 b_1$  Ges  $A_2 = a_2 b_2$  ]

ev,  $A_1 (1 + \beta t) = A_1 (1 + \alpha t)^2$  [::  $A_2 = A_1 (1 + \beta t)$  ]

ev,  $1 + \beta t = (1 + \alpha t)^2$

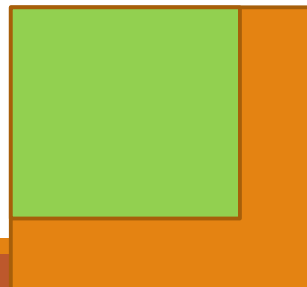
ev,  $1 + \beta t = 1 + 2\alpha t + (\alpha t)^2$  [::  $\alpha$  Gi gvb Ly Kg ZvB Gi D" P NvZ eRlq ]

ev,  $1 + \beta t = 1 + 2\alpha t$

ev,  $\beta t = 2\alpha t$

$\therefore \beta = 2\alpha$  ----- (4)

AZGe, c` vt\_ P tÿÎ cmiY ,Yv¼ = 2 × ^` N` cmiY ,Yv¼ |



$\alpha$  Ges  $\gamma$  Gi gv†S m<sup>α</sup>úK<sup>⊕</sup>

gv†bKwi , tKv†bv GK ZvcgvÎvq GKWU AvqZKvi c`v†\_P<sup>^</sup> N<sup>°</sup>,cÖGes D"PVv

h\_vμ†g  $a_1, b_1 \mid c_1$  ntjv | Zvntj AvqZb,  $v_1 = a_1 b_1 c_1$

gv†bKwi , t°C ZvcgvÎv e $\Psi$ xi dtj H AvqZKv†ii <sup>^</sup> N<sup>°</sup>,cÖGes D"PVv e $\Psi$ x

tctq h\_vμ†g  $a_2, b_2 \mid c_2$  ntjv | Zvntj AvqZb,  $v_2 = a_2 b_2 c_2$

hw` AvqZKv†ii NY†Ki <sup>^</sup> N<sup>°</sup> c<sup>⊙</sup>iY<sub>s</sub> Yv¼ | AvqZb c<sup>⊙</sup>iY<sub>s</sub> Yv¼ h\_vμ†g

$\alpha \mid \gamma$  nq , Z†e

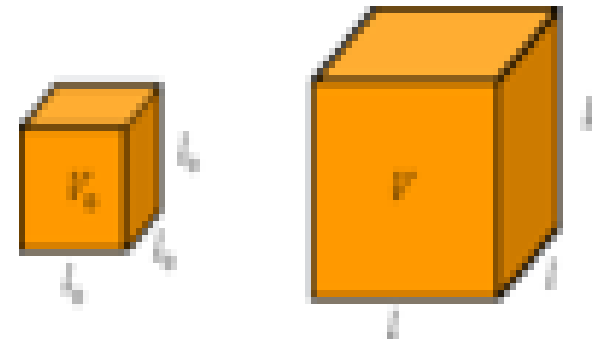
$$a_2 = a_1(1 + \alpha t) \text{ ----- (5)}$$

$$b_2 = b_1(1 + \alpha t) \text{ ----- (6)}$$

$$c_2 = c_1(1 + \alpha t) \text{ ----- (7)}$$

$$\text{Ges } v_2 = v_1(1 + \gamma t) \text{ ----- (8)}$$

mgxKiY (5), (6) | (7) bs mgxKiY†K<sub>s</sub> Y K†i cvB,



$$a_2 b_2 c_2 = a_1 b_1 c_1 (1 + \alpha t) \times (1 + \alpha t) \times (1 + \alpha t)$$

$$\text{ev, } v_2 = v_1 (1 + \alpha t)^3 \quad [ \because \text{AvqZb } v_1 = a_1 b_1 c_1 \text{ Ges } v_2 = a_2 b_2 c_2 ]$$

$$\text{ev, } v_1 (1 + \gamma t) = v_1 (1 + \alpha t)^3 \quad [ \because v_2 = v_1 (1 + \gamma t) ]$$

$$\text{ev, } 1 + \gamma t = (1 + \alpha t)^3$$

$$\text{ev, } 1 + \gamma t = 1 + 3\alpha t + 3(\alpha t)^2 + (\alpha t)^3 \quad [ \alpha \text{ Gi gvb } L \gamma ]$$

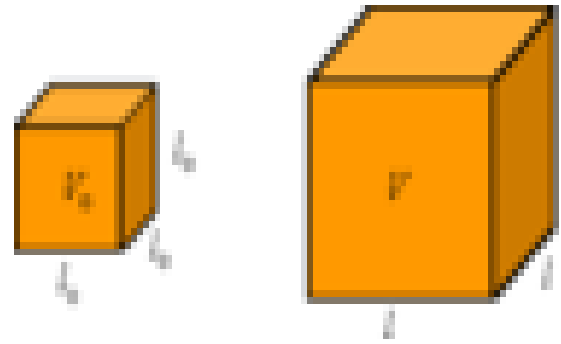
Kg ZvB Gi D" P NvZ eRkq ]

$$\text{ev, } 1 + \gamma t = 1 + 3\alpha t$$

$$\text{ev, } \gamma t = 3\alpha t$$

$$\therefore \gamma = 3\alpha \text{-----} (9)$$

AZGe, c` v†\_ © AvqZb cñiY , Yv¼ = 3 × ^` N" ©ñiY , Yv¼ |



$\beta$  Ges  $\gamma$  Gi gta" m $\alpha$ úK $\oplus$

mgxKiY (4) bs Ges (9) bs n $\dagger$ Z tj Lv hvq,

$$\beta = 2 \alpha \text{ ev, } \alpha = \frac{\beta}{2} \text{ -----(10)}$$

$$\gamma = 3 \alpha \text{ ev, } \alpha = \frac{\gamma}{3} \text{ -----(11)}$$

$$\therefore \frac{\beta}{2} = \frac{\gamma}{3} \text{ -----(12)}$$

$\alpha, \beta, \gamma$  Ges  $\gamma$  Gi gta" m $\alpha$ úK $\oplus$

mgxKiY (10) bs Ges (11) bs n†Z tj Lv hvq,

$$\alpha = \frac{\beta}{2} = \frac{\gamma}{3}$$

$$\text{ev, } 6\alpha = \frac{6\beta}{2} = \frac{6\gamma}{3}$$

$$\text{ev, } 6\alpha = 3\beta = 2\gamma$$

$$\therefore 6\alpha = 3\beta = 2\gamma \text{ (cöwYZ)}$$

AZGe, % N" cöiY<sub>s</sub> Yv¼, tÿÎ cöiY<sub>s</sub> Yv¼ Ges

AvqZb cöiY<sub>s</sub> Yv¼ Gi gta" m $\alpha$ úK $\oplus$  Lv†bv n†j v |

$0^{\circ}\text{C}$  ZvcgvÎ vq GKWU mcZ†j i †Ûi ^ N°©  
 3mgUvi |  $100^{\circ}\text{C}$  ZvcgvÎ vq Gi ^ N°© 3.0057  
 mgUvi ntj mcZ†j i ^ N°© cöiY , YvsK KZ?

mgvavb, Avgiv Rvmb, % N°©

$$c\ddot{o}iY , Yv\frac{1}{4}, \alpha = \frac{l_t - l_o}{\Delta t \times l_o}$$

$$\alpha = \frac{3.0057 - 3}{100 \times 3}$$

$$= \frac{0.0057}{300}$$

$$= 1.9 \times 10^{-5} \text{K}^{-1}$$

GLv†b,

$$l_t = 3.0057 \text{ mgUvi}$$

$$l_o = 3 \text{ mgUvi}$$

$$\text{ZvcgvÎ v e}\psi\times, \Delta t = 100 - 0$$

$$= 100\text{k},$$

$$\% \text{ N}^{\circ}\text{© c}\ddot{o}iY , Yv\frac{1}{4}, \alpha = ?$$

$0^{\circ}\text{C}$  ZvcgvÎ vq GKWU B-úv†Zi Zv†i i †Ûi ^ N°© 100 mgUvi |  $100^{\circ}\text{C}$  ZvcgvÎ vq Gi  
 ^ N°© 100.033 mgUvi ntj B-úv†Zi Zv†i i ^ N°© cöiY , YvsK KZ?

0°C ZvcgvÎ vq GKwU mxmvi e t j tUi AvqZb 5.5 Nb  
 t m w U w g U v i | 98°C ZvcgvÎ vq Gi AvqZb 0.038 Nb  
 t m w U w g U v i t e t o t M j | m x m v i ~ N " e m i Y s Y v s K K Z ?

mgvarb, Avgiv Rwb, AvqZb c m i Y

$$\gamma = \frac{V_t - V_o}{\Delta t \times V_o}$$

$$\gamma = \frac{0.038}{98 \times 5.5}$$

$$= \frac{0.038}{539}$$

$$= 7.05 \times 10^{-5} k^{-1}$$

Avevi Avgiv Rwb,  $\gamma = 3\alpha$

$$3\alpha = \gamma$$

$$\alpha = \frac{\gamma}{3} = \frac{7.05 \times 10^{-5}}{3} = 2.35 \times 10^{-5} / ^\circ C$$

GLv t b,

$$V_o = 5.5 \text{ Nb } t m w U w g U v i$$

$$V_t - V_o = 0.038 \text{ Nb } t m w U w g U v i$$

$$ZvcgvÎ v e w \times, \Delta t = (98 - 0)$$

$$= 98k,$$

$$\% N " e m i Y s Y v s K, \alpha = ?$$

0°C ZvcgvÎ vq GKLU t j v n v i AvqZb 200 Nb w g U v i | 40°C ZvcgvÎ vq Gi AvqZb  
 KZ n t e ? [ t j v n v i AvqZb c m i Y s Y v s K  $\gamma = 34.8 \times 10^{-5} / ^\circ C$  ]

$0^{\circ}\text{C}$  ZvcgvÎvq cvi†` i NbZ; 13.59 Mg/Nb†m↘UvgUvi |  
 $80^{\circ}\text{C}$  ZvcgvÎvq Gi AvqZb 0.038 Nb †m↘UvgUvi te†o  
 †Mj | mxmvi ~ N`©iY , YvsK KZ?

mgvarb, Avgiv Rwb, AvqZb c©iY

$$\gamma = \frac{V_t - V_o}{\Delta t \times V_o}$$

$$\gamma = \frac{0.038}{80 \times 13.59}$$

$$= \frac{0.038}{1087.2}$$

$$= 7.05 \times 10^{-5} \text{ k}^{-1}$$

Avevi Avgiv Rwb,  $\gamma = 3\alpha$

$$3\alpha = \gamma$$

$$\alpha = \frac{\gamma}{3} = \frac{7.05 \times 10^{-5}}{3} = 2.35 \times 10^{-5} / ^{\circ}\text{C}$$

GLv†b,

$$V_o = 13.59 \text{ Nb } \dagger\text{m}\dagger\text{UvgUvi}$$

$$V_t - V_o = 0.038 \text{ Nb } \dagger\text{m}\dagger\text{UvgUvi}$$

$$\Delta t = (80 - 0)$$

$$= 80 \text{ k}$$

$$\% \text{ N`©iY } , \alpha = ?$$



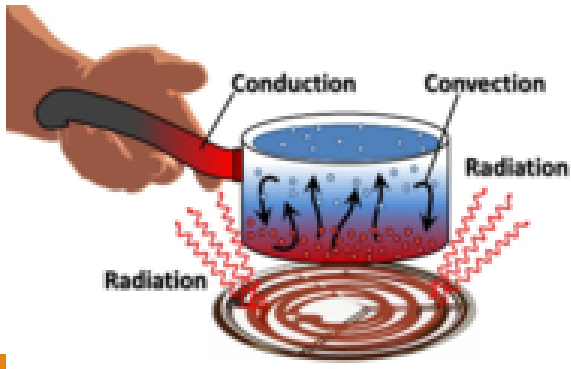
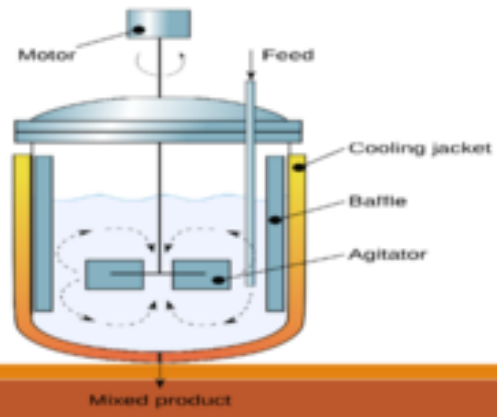
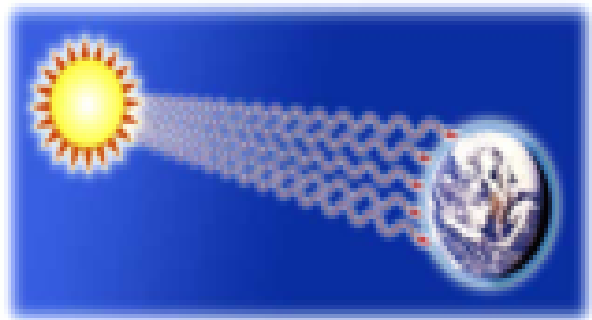
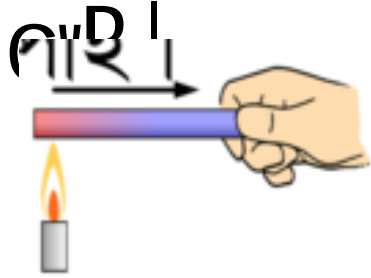
# পাঠ ঘোষণা

2q Aa"vq t- Zvc mÂvj b

mÂvj b wK, wK c×wZ†Z Zvc mÂvj b K†i, wK wK  
we†qi Dci Zvc mÂvj b wbf©K†i | GB cwi eZ†  
weÁvbxiv gZev` w` †q†Qb Ges Avgiv wK mo†j cvB  
Zvi m×ú†K ©Av†j vPbv Kie |

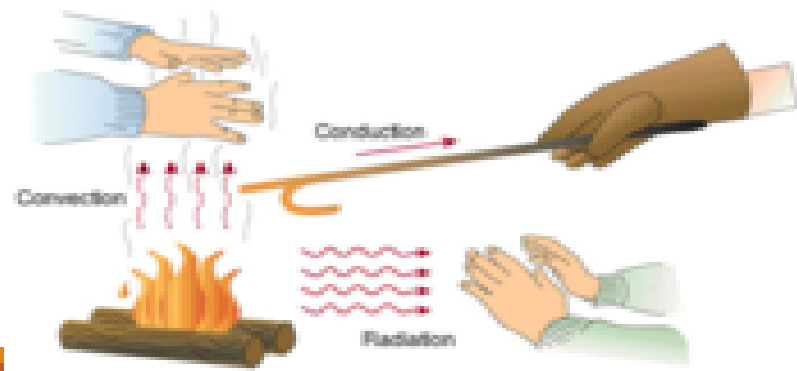
# Heat Transfer

Heat transfer is the process of energy moving from one object to another. It occurs through three main methods: conduction, convection, and radiation. Conduction is the transfer of heat through direct contact between particles. Convection is the transfer of heat through the movement of fluids (liquids or gases). Radiation is the transfer of heat through electromagnetic waves, which do not require a medium.



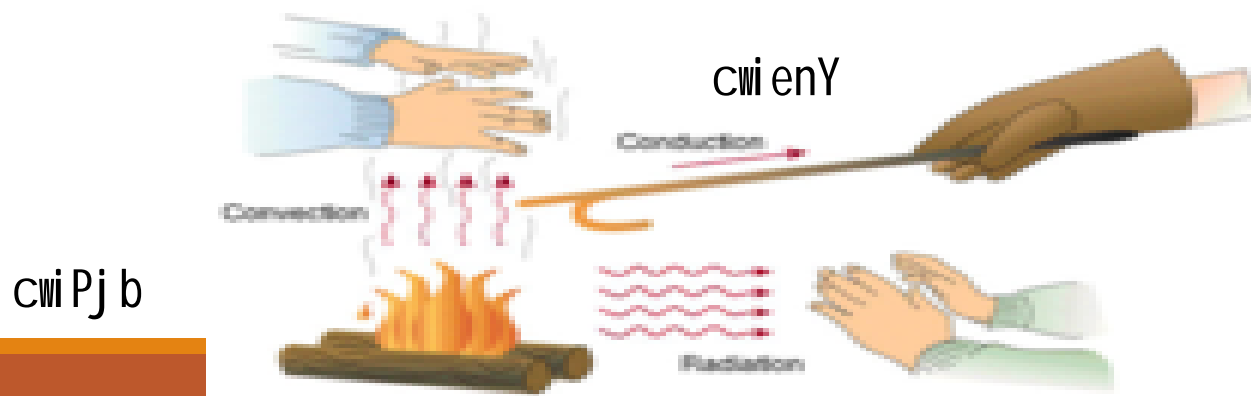
# Zvc mÂvj b

GKwU Zvgvi LÛ ev tKv†bv avZe `†Ûi GK cÖÍAv, †b  
cÖk Kiv†j GKUz†iB Aci cÖÍMig AbyZ nq|  
Avevi hw` `ÛwU ei†d cÖk Kiv†bv nq Z†e Aci cÖÍ  
kxZj n†q hvq ev VvÛv AbyZ nq| Zij c`v\_†Kv†bv  
cv†Î ti†L tmB cv†Î Zvc w`†j tmtÿ†Î Zvc GK cvk  
t\_†K Ab` cv†k hvq| Avevi Pjvi cv†k `vav†j I kix†i  
Mig AbyZ nq|



Gme D`vniY †\_†K e\$hv hvq th, Zvc me©B DËß Astk  
 †\_†K kxZj Zi Ask ev †Kv†bv D"P ZvcgvÎ vewkó Ask  
 †\_†K wbb¥ ZvcgvÎ v ††b cÖwnZ nq Zvc cÖwnZ nI qvi  
 GB cÖqv†K Zvc mÂvj b etj |

- wZb fv†e Zvc mÂvwj Z nq - (1) cwi enY ,  
 (2) cwi Pj b I  
 (3) wewKi Y |

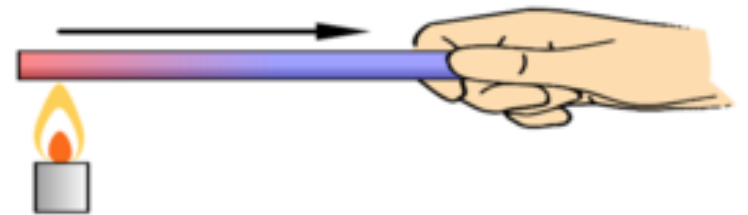


cwi Pj b

wewKi Y

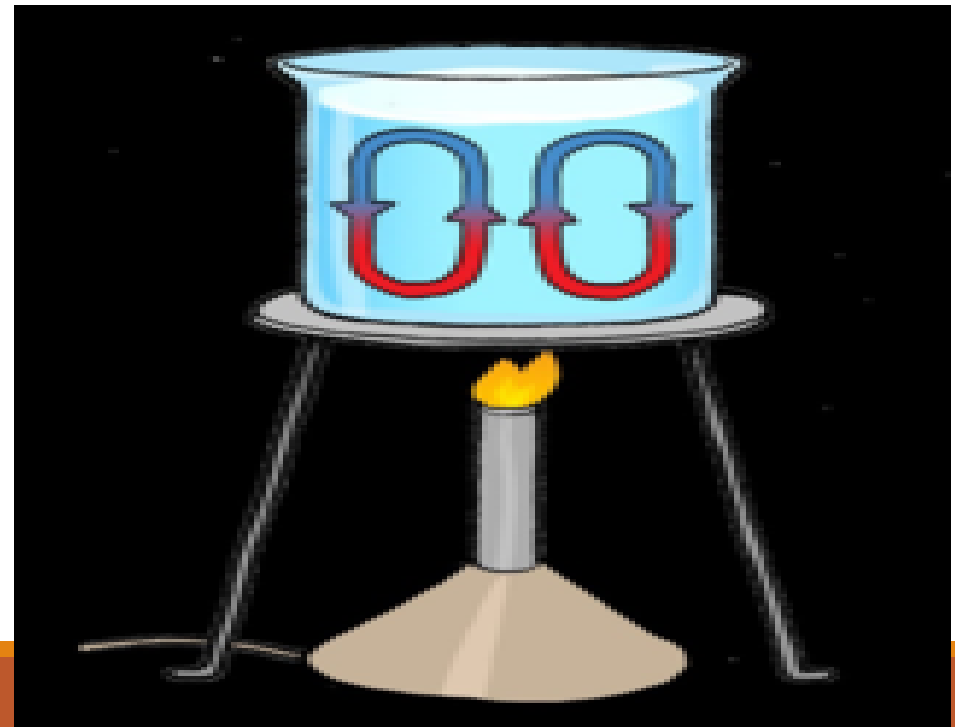
# (1) cwi enY

th cwi enY Zvc tKv tbn KwB c` vt\_ ©DòZi Ask  
t\_ tK kxZj Zg Astk mÂwuj Z nq wKš' c` vt\_ ©  
AYy t j vi - vbP z N t U bv A\_ vt\_ ©AYy t j vi - vb  
cwi eZ ©K t i bv tmB cwi enY t K cwi enb e t j |



## (2) cwi Pj b

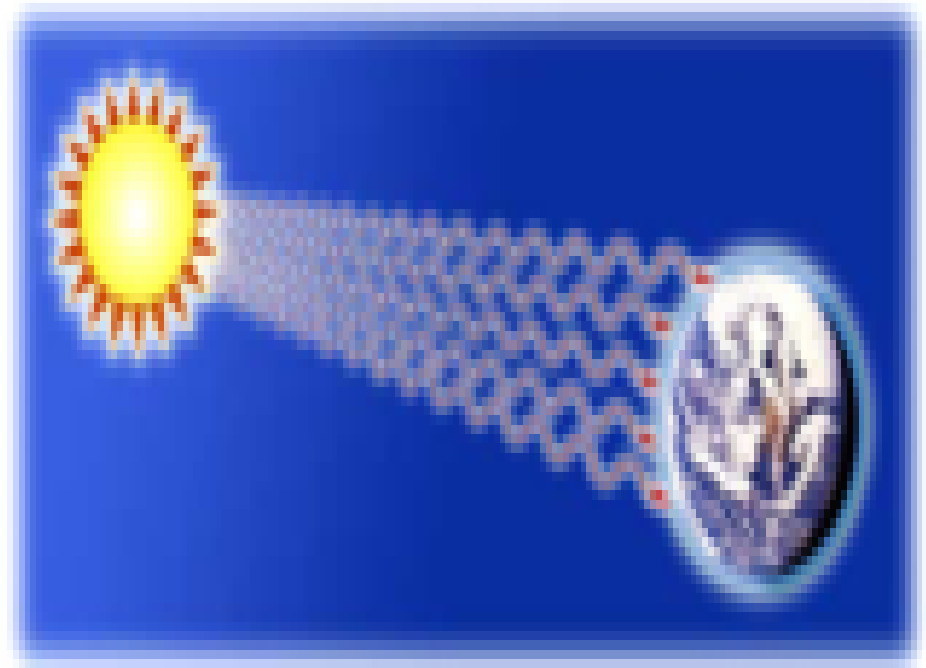
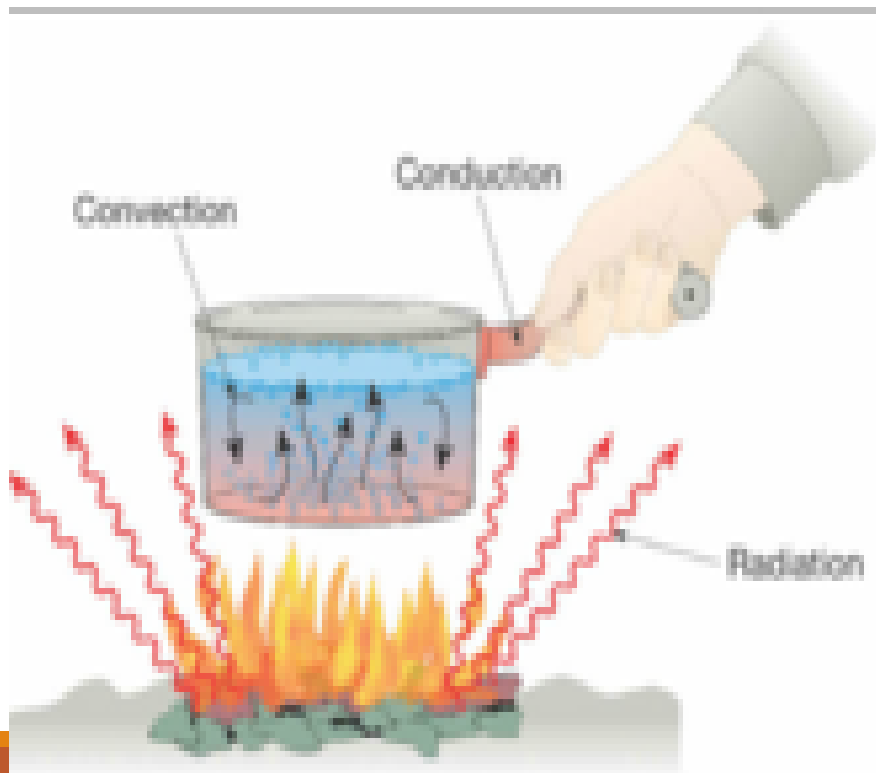
th cwi qvi tKv tbn c` vt\_ ©KYv, tj vi Pj vPtj i  
gva`tg Zvc DòZi vb t\_tK kxZj Zg vb  
mÂwj Z nq tmB cwi qvtK cwi Pj b etj |



### (3) Գրգռում

Գրգռումը հիմնականում տարբերակվում է ջրի և օդի միջավայրերում շարժման հատկություններից: Ջրի և օդի միջավայրերում գրգռումը տեղի է ունենում հիմնականում ջրի մոլեկուլների և օդի մոլեկուլների միջև:

Գրգռումը տեղի է ունենում երեք եղանակով |



# cwi enY, cwi Pj b Ges weK i Y gva`tgi gv`S cv\_` wj L ?

wb`b` cwi enY, cwi Pj b Ges weK i Y gva`tgi gv`S cv\_` t` l qv ntj v

cw` velq	cwi enY	cwi Pj b	weK i Y
msÁv	1   th c`q`qvq Zvc tKv`tbv KwWb c`v`_`DòZi Ask t`_`K kxZj Zg Astk mÂwvj Z nq wKš'c`v`_` AYy`tj vi `vbP`Z N`U bv tmB c`q`qv`K cwi enb etj	1   th c`q`qvi tKv`tbv c`v`_`KYv`_`tj vi Pj vP`tj i gva`tg Zvc DòZi `vb t`_`K kxZj Zg `v`tb mÂwvj Z nq tmB c`q`qv`K cwi Pj b etj	1   th c`q`qvq Zvc tKv`tbv Ro gva`g Qvov we`y P`Kxq Zi`½i AvKv`ti A`c`y`vKZ.`vb n`Z kxZj `v`tb mÂwvj Z nq Zv`K weK i Y etj
gva`g	2   Ro gva`tgi c`q`vRb nq	2   Ro gva`tgi c`q`vRb nq	2   gva`tgi c`q`vRb nq bv
c`q`qv	3   GwU GKwU axi c`q`qv	3   GwU GKwU axi c`q`qv	3   GwU Zvc Av`tj vi te`M mÂwvj Z nq



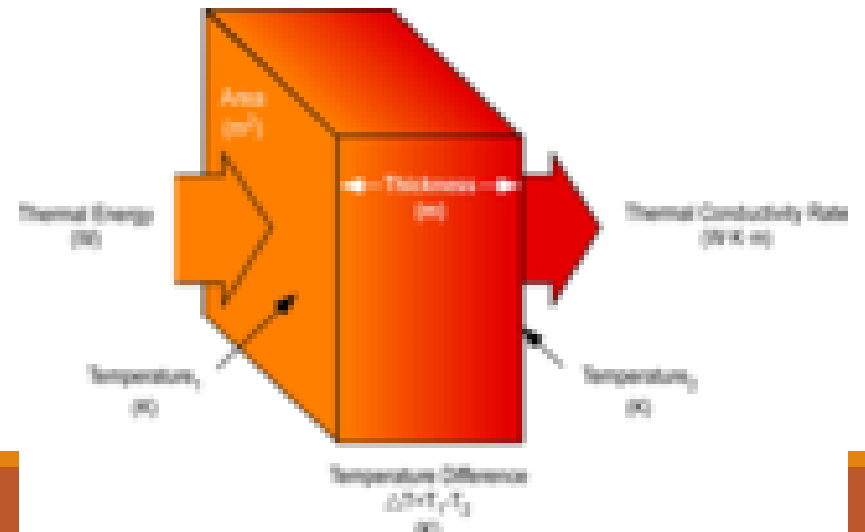
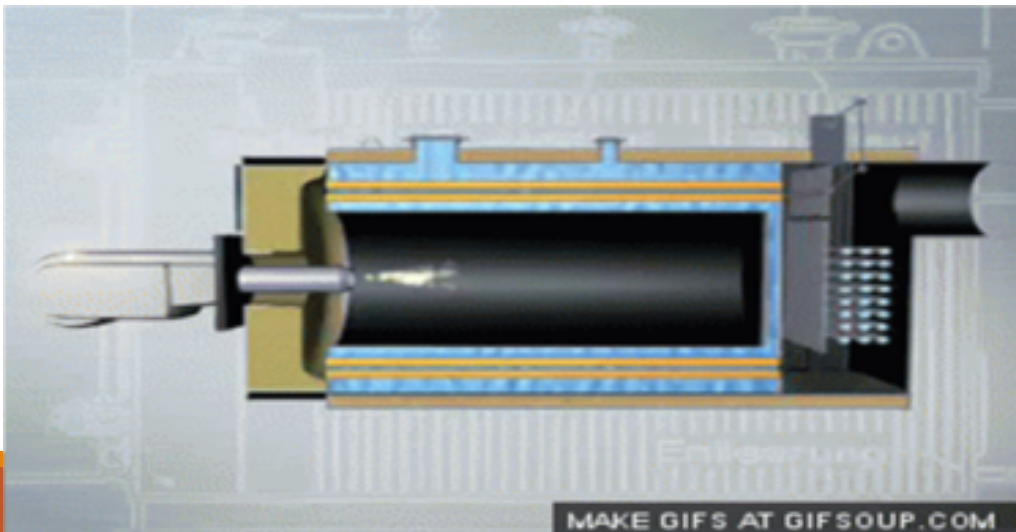
wb†b‡ cwi enY, cwi Pj b Ges wewKiY gva¨†gi gv†S cv\_© t` l qv n†j v

Pj w†j i c_	4   th†Kvb c†_ Zvc mÂwuj Z nq	4   th†Kvb c†_ Zvc mÂwuj Z nq	4   Zvc mij c†_ mÂwuj Z nq
c`v_©	5   GB c×wZ†Z KwWb c`v†_©ga¨ w`†q Zvc mÂwuj Z nq	5   GB c×wZ†Z Zij l evqexq c`v†_©ga¨ w`†q Zvc mÂwuj Z nq	5   evqexq l kb¨ gva¨†gi ga¨ w`†q Zvc mÂwuj Z nq
AYiy ~†bvšÍ	6   gva¨†gi KYv_†j vi ~†b PžZ N†U bv	6   gva¨†gi KYv_†j vi ~†bPžZ N†U	6   Zvc Zi†½i AvKv†i mÂwuj Z nq

Zvcxq cwi ewnZv Ges Zvcxq cwi ewnZvi  $\frac{1}{4}$  msÁv t-

Zvc cwi ewnZv

c`vt\_©th wełkl atg©Rb" wfbœbœ`vt\_©ga" w`tq Zvc  
cwi entbi nvi wfbœc`vt\_©tmB agtK Zvc cwi ewnZv  
etj | `tûi ^`N"©ivei cŲ GKK ^`tN"©Rb" ZvcgvÎvi th  
cwi eZb©nq ZvtK ZvcgvÎvi bWZ ev ZvcgvÎvi Aeμg etj |

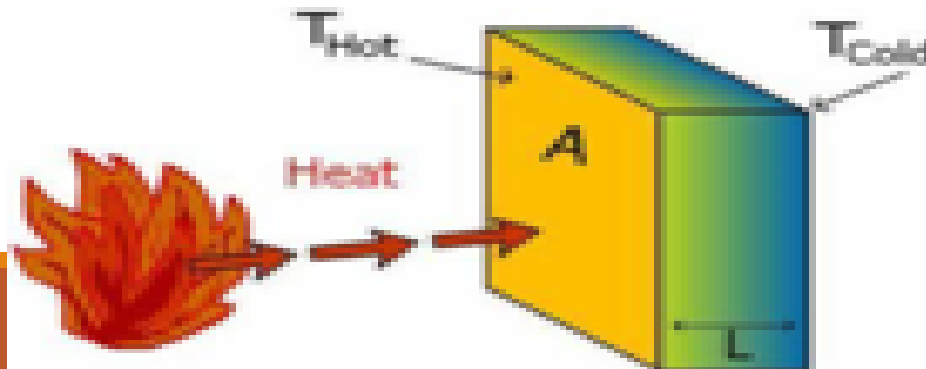


# Thermal Conductivity

Heat conduction through a rectangular block of material with length  $L$ , cross-sectional area  $A$ , and thickness  $d$ . The block is placed between two reservoirs at temperatures  $T_{\text{hot}}$  and  $T_{\text{cold}}$ . The heat  $Q$  flows through the block in time  $t$ . The thermal conductivity  $k$  is defined as the amount of heat  $Q$  that flows through a unit area  $A$  of the material in a unit time  $t$  through a unit thickness  $d$  of the material, when the faces of the material are maintained at a unit temperature difference  $\Delta T$ .

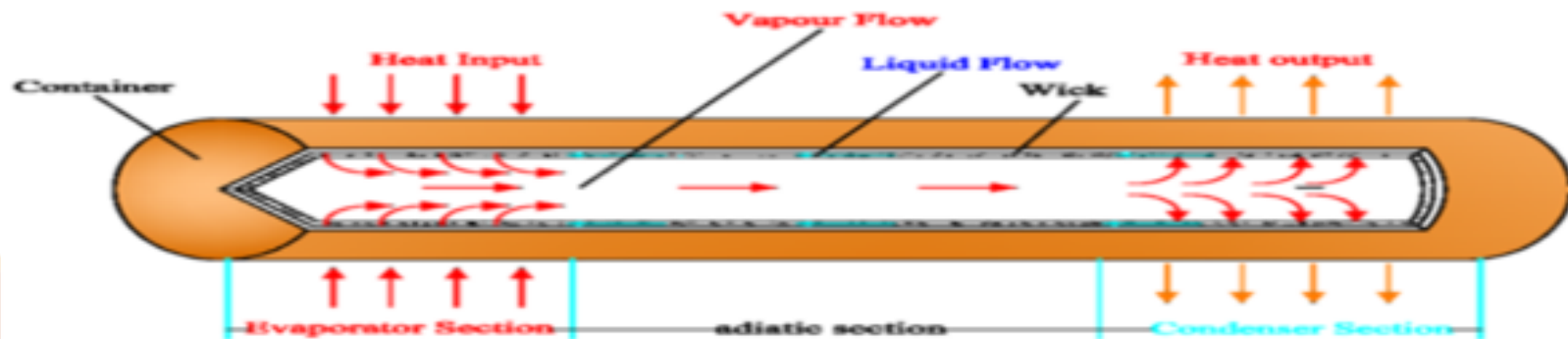
$$k = \frac{Q}{A \cdot t \cdot \Delta T} \quad [K] = \left[ \frac{W}{LT} \right] = WL^{-1}T^{-1}$$

Units of  $k$  are  $Wm^{-1}K^{-1}$



c`vt\_©ga" w` tq c©wZ Zvtci cwigvY th th wel tq wbf©  
 Kti Zv eY© Ki |

mKj c`vt\_©Zvc cwiewnZv mgvb bq| GKwU tj vnv` tûi gv\_v Av, tb  
 ti tL Ab" c©tewkÿY nv tZi gta" ivLv hvq bv| Avevi GK LÛ Kv tVi  
 GK c©Av, tb ti tL A t bKÿY ch s©Ab" c©ivLv hvq| mÿz vs tj vnvi  
 hZ mn tR Zvc cwienb Ki tZ cvti, KvW ZZ mn tRB Zvc cwienY  
 Ki tZ cvti bv| th mKj c`vt\_©gta" Zvc cwiewnZ nq bv ZvtK  
 Zvc Kz w i evnx c`v\_©tj |  
 th mKj c`vt\_©ga" w` tq mn tR Zvc cwiewnZ nq ZvtK Zvc  
 mgw i evnx c`v\_©tj | mKj avZe c`v\_©Zvc mgw i evnx |



Dò cộ nặZ kxZj cộ t mặq th cwi gvY Zvc Q j ặvte cộ nặZ  
nq Zv ặặặ KZK, tặ v ặặặ Dci ặặặ | h\_vt-

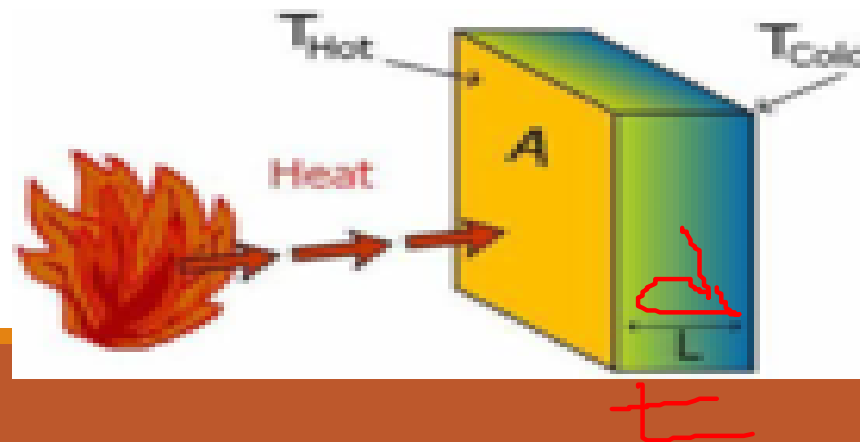
1 | cwi ewnZ Zặci cwi gvY ặặặ Z ` ặặặ Zvcgặặ vi c\_vặặ i  
mặặặặ |

2 | cwi ewnZ Zặci cwi gvY cộặ tặặ i mặặặặ |

3 | cwi ewnZ Zặci cwi gvY Zvc cộặ tặặ i mặặặặ |

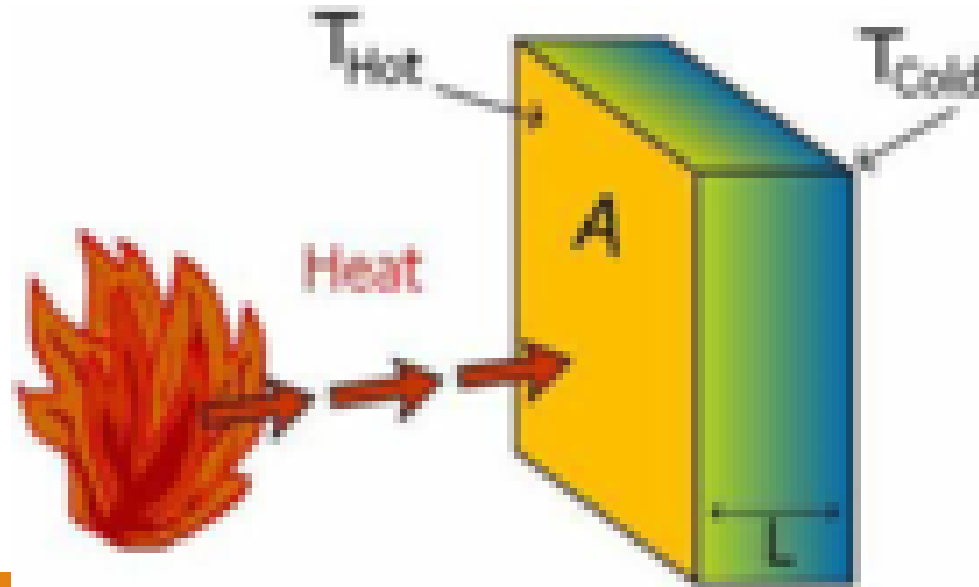
4 | cwi ewnZ Zặci cwi gvY ` ặặặ cộặ ga"eZ ặặặ i  
e" ặặặ |

5 | cwi ewnZ Zặci cwi gvY c` vặ\_ặặặ Dci ặặặ | Zặ  
GK ặặ ặ c` vặ\_ặặặ cwi ewnZ Zvc 5bs Qvov Ab 4ặặ Dci  
ặặặ |



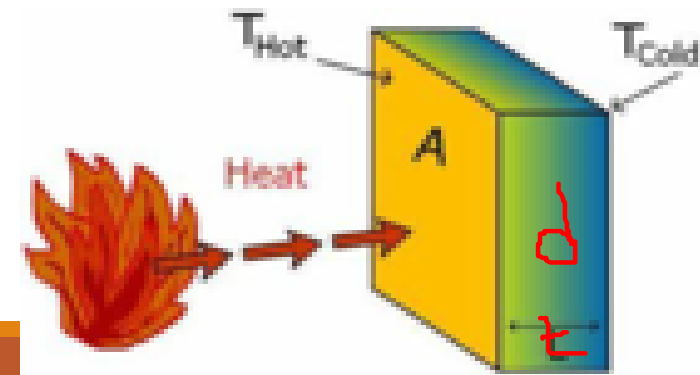
Zvgyi cwi enY  $k = 386 \text{ W m}^{-1} \text{ K}^{-1}$  ej tZ  $\text{K eS}$ ?

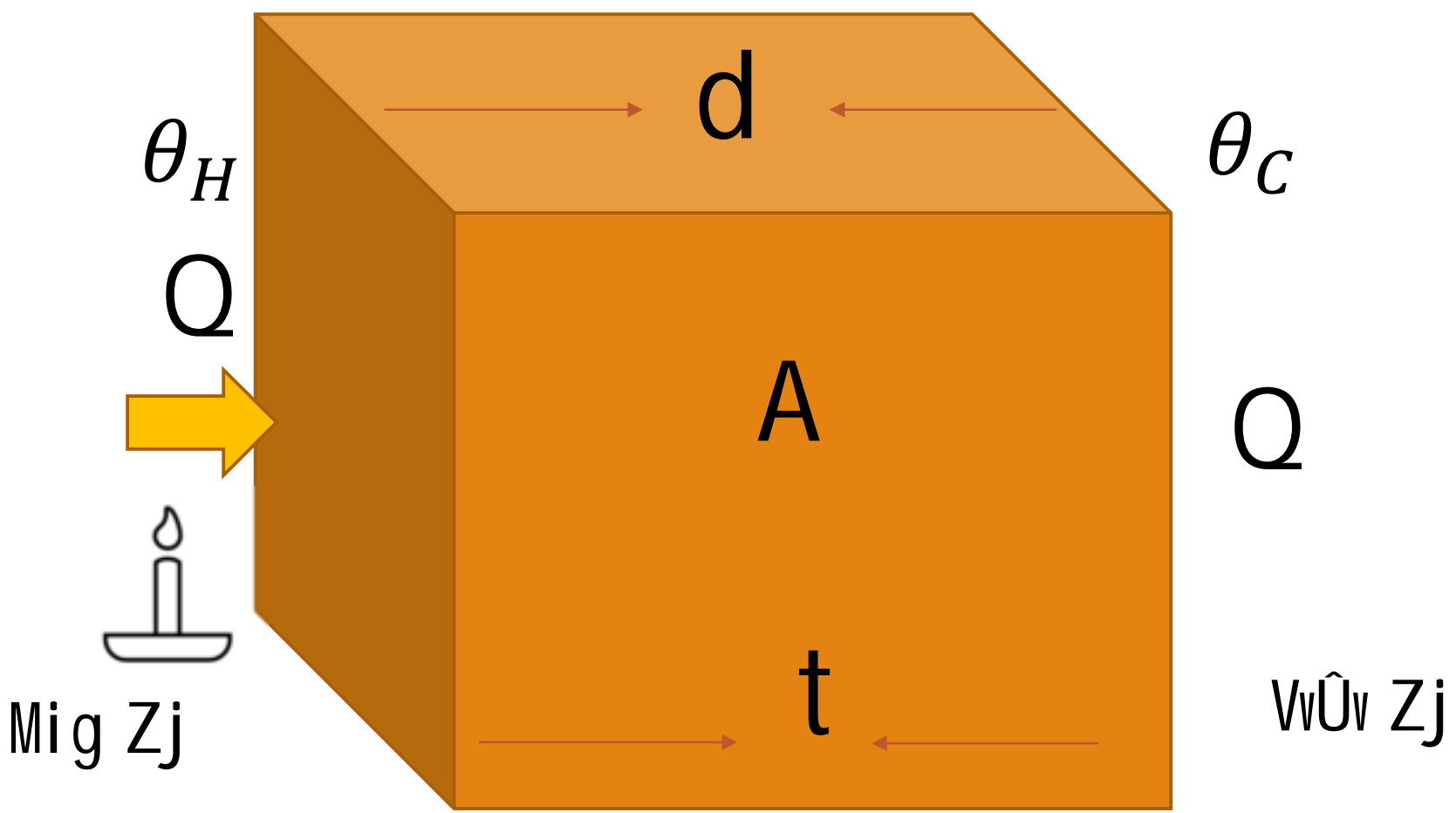
1m cyaZ; Ges  $1 \text{ m}^2$  cÖ"Q†` i tÿÎ dj Zvgvi tKv†bv  
 `†Ûi `B wecixZ mgvšÍvj c†ôï ZvcgvÎvi cv\_K 1K  
 ntj Gi DòZj t\_†K kxZj Z†j j ∝ f†te 386 Watt  
 nv†i (A\_v†©1sec G 386 Joule) Zvckw³ cwi emnZ  
 nq|



Zvc mÂvj b th welfqi Dci wbfkxj Ges cöY Ki th,  $Q = \frac{Kt(\theta_H - \theta_C)A}{d}$

awi , PQSR tKv†bv c` vt\_©^Zwi GKwU NbK | Gi PR I  
 QS Z†j i ZvcgvÎv h\_vµ†g  $\theta_H$  |  $\theta_C$  (Mig cöší ZvcgvÎv  
 $\theta_H$  Ges A†cÿvKZ .wUv cöší ZvcgvÎv  $\theta_C$ ) | Dfq Z†j i  
 ga`eZx©iZjd Ges Z†j i tÿÎdj A | PR Zj t\_†K QS  
 Z†j i w` †K j †fv†e th cwigvY Zvc cwiewnZ n†e Zv wbfk  
 K†i (1) weciXZ `y Z†j i ZvcgvÎvi cv\_†K`i  $(\theta_H - \theta_C)$   
 Dci , (2) `y cöší d `iZjDci , (3) th tÿÎdj w` †q hv†e  
 Zvi Dci Gi Dci , (4) th mgq t a†i Zvc cwiewnZ n†e Zvi  
 Dci Ges (5) c` vt\_©cöwZi Dci |





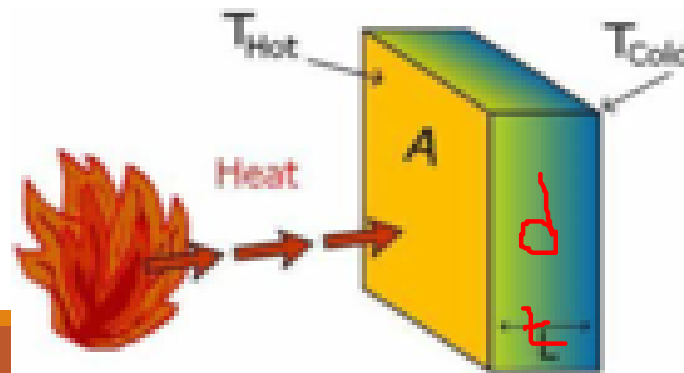


Zte GKwU wbw` ©c` vt` P`tytI cwi ewnZ Zvc (5) bs evt`  
 Ab` ,tjvi Dci wbf©kxj | hw` (awi) Q cwi gvY Zvc tKvtbv c` vt` ©  
 ga` w` tq c©wnZ nq Zte MvYwZKfvte tj Lv hvq -

Dò cò nřZ kxZj cò t mgřq th cwi gvY Zvc Q j`fvte c©wnZ  
 nq Zv wbtbřKZK ,tjv velřqi Dci wbf©kxj | h\_vt-

1 | cwi ewnZ Zvtci cwi gvY vecixZ ` B cřoi ZvcgvIvi cv`ř`i  
 mgvbywZK |  $Q \propto (\theta_H - \theta_C)$  ----- (1) (hLb A, t, d w`f)

2 | cwi ewnZ Zvtci cwi gvY cřoi tytI dtj i mgvbywZK |  
 $Q \propto A$  ----- (2) (hLb  $(\theta_H, \theta_C)$ , t, d w`f)



3 | cwi ewnZ Zvtci cwi gvY Zvc cÖnKvtj i mgvbywZK |  
 $Q \propto t$  ----- (3) (hLb  $(\theta_H, \theta_C) A, d w^{-1}$ )

4 | cwi ewnZ Zvtci cwi gvY `B vecixZ ctoi ga'eZx© itZj

e-íbywZK |  $Q \propto \frac{1}{d}$  ----- (4) (hLb  $(\theta_H, \theta_C, A, t w^{-1})$ )

hLb mKj iwkb cwieZkxj , ZLb (1)bs, (2)bs, (3)bs Ges (4)

bs mgxKiY ntZ cvB,  $Q \propto \frac{t(\theta_H - \theta_C)A}{d}$

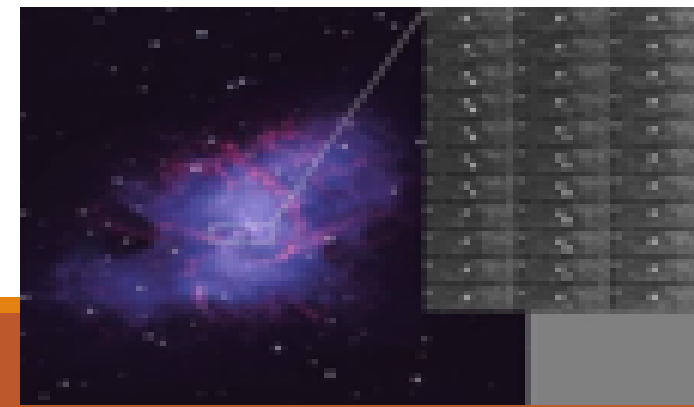
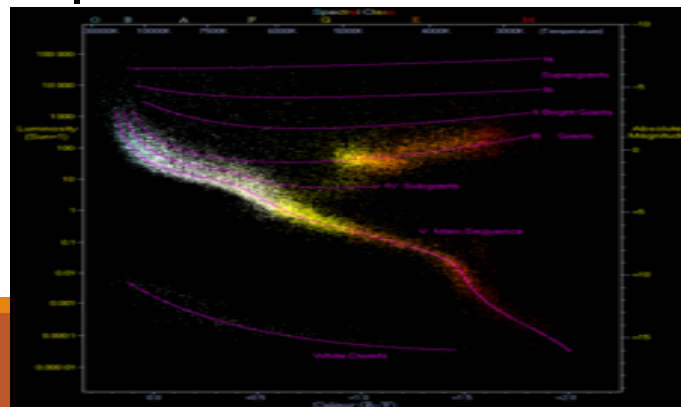
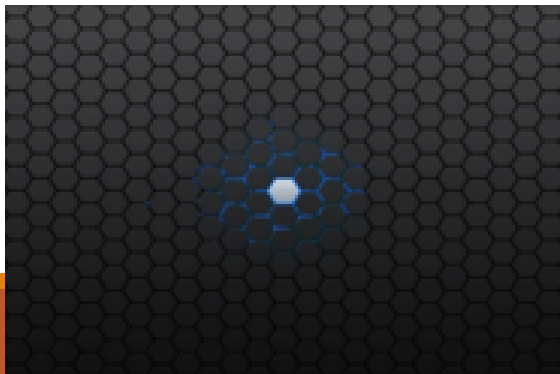
$$Q = \frac{Kt(\theta_H - \theta_C)A}{d} \text{ ----- (5)}$$

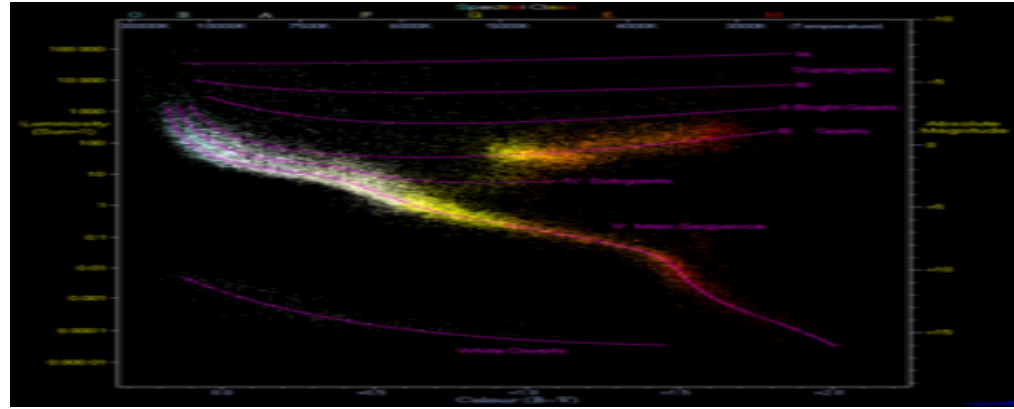
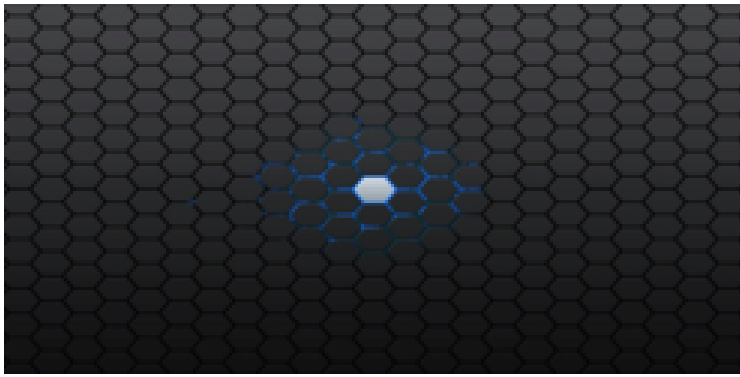
GLvtb K GKUv adK hvi gvB c`vt\_©cÖZ.i Dci wbf©kxj |

† ÷ dnb-tevëRg"vb Gi mĤ wK Ges eYb Ki

DËi t-1884 wL<sup>†</sup> tevëRg"vb ZvcMwZwe`"vi m<sup>v</sup>n<sup>v</sup>t<sup>h</sup>"  
† ÷ dnb mĤ i ZËxq c<sup>g</sup>Y t` b Ges t` Lvb th, Dctiv<sup>3</sup> mĤ  
GKgvĪ Av` k<sup>Ⓢ</sup>òe`'KZK<sup>Ⓢ</sup>.btmiY we<sup>w</sup>Ki†Yi t<sup>y</sup>†ĪB  
c<sup>†</sup>vR" | GRb" mĤw<sup>†</sup>K † ÷ dnb- tevëRg"vb mĤ ej v nq |

mĤ t- †Kv†bv Av` k<sup>Ⓢ</sup>òe`' GKK t<sup>y</sup>†Īdj n†Z c<sup>w</sup>  
tm†K†Ū weKxY<sup>Ⓢ</sup>v†ci cw<sup>i</sup>gvY H e`' cig ZvcgvĪvi PZz<sup>Ⓢ</sup>  
Nv†Zi mgvY<sup>g</sup>w<sup>v</sup>ZK |





e"vL"v t- T cig ZvcgvI vq tKv†bv Av` kⓈòe- i GKK  
 tÿI dj ntZ cW tmtK†U weKxYⓈvtci cwi gvY E ntj , GB  
 m† ntZ Avgiv cvB,

$$E \propto T^4$$

$$E = \sigma T^4 \text{-----} (1)$$

GLv†b,  $\sigma =$  mgvbgvwZK aæK | G†K †÷ dvb- tevëRg"vb  
 aæK ej v nq|

$$\sigma \text{ Gi gvb } \sigma = 5.67 \times 10^{-8} \text{ W m}^{-2} \text{ K}^{-4} |$$

fxb- Gi miY mĤ Ges eUub mĤ ev cĀNvZ mĤ wK Gi eYb Ki |

miY mĤ

Kò.e<sup>-</sup> t<sub>Ĥ</sub>K mevĀK weKxY Āw<sup>3</sup> i Rb<sup>o</sup> Zi½ Ā<sup>ˆ</sup> N<sup>o</sup> Ges  
 cig ZvcgvĪvi e<sup>-</sup> vbgwZK |

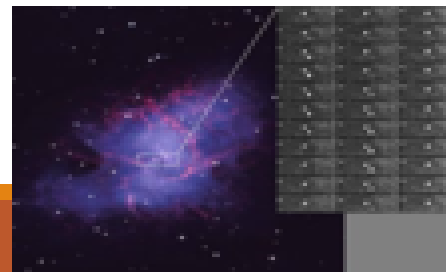
e<sup>-</sup>vL<sup>v</sup> t- hw<sup>ˆ</sup> Kòe<sup>-</sup> t<sub>Ĥ</sub>K mevĀK weKxY Āw<sup>3</sup> i Rb<sup>o</sup> Zi½ Ā<sup>ˆ</sup> N<sup>o</sup> λ<sub>m</sub>

Ges cig ZvcgvĪv TK nq Zte, λ<sub>m</sub> ∝ 1/T

$$\text{ev, } \lambda_m = \frac{1}{T} \times \text{ade msL}^{\text{v}}$$

$$\text{ev, } \lambda_m \times T = \text{ade msL}^{\text{v}}$$

GLvĤb λ<sub>m</sub> = mevĀK k<sup>3</sup> i Rb<sup>o</sup> Zi½ Ā<sup>ˆ</sup> N<sup>o</sup> GB adeĤKi msL<sup>v</sup>i gvb =  
 28.98 × 10<sup>-6</sup> mK



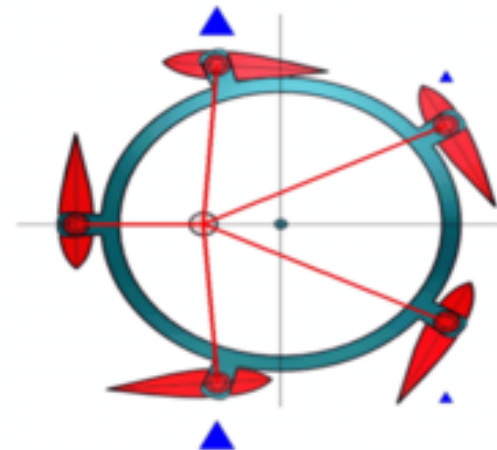
$e \times U_b \approx m \hat{T} \approx e v c \hat{A} N v Z \approx m \hat{T}$

$m_e v_{th} \approx k_B T \approx N_b Z_j e v K \approx e^{-1} m_e v_{th} \approx v_{th} K i Y$   
 $\dot{y} g Z v Z v i c i g Z v c g v \hat{I} v i c \hat{A} N v \dagger Z i m g v b y w Z K |$

$$A_{\nu} \propto E_m = T^5$$

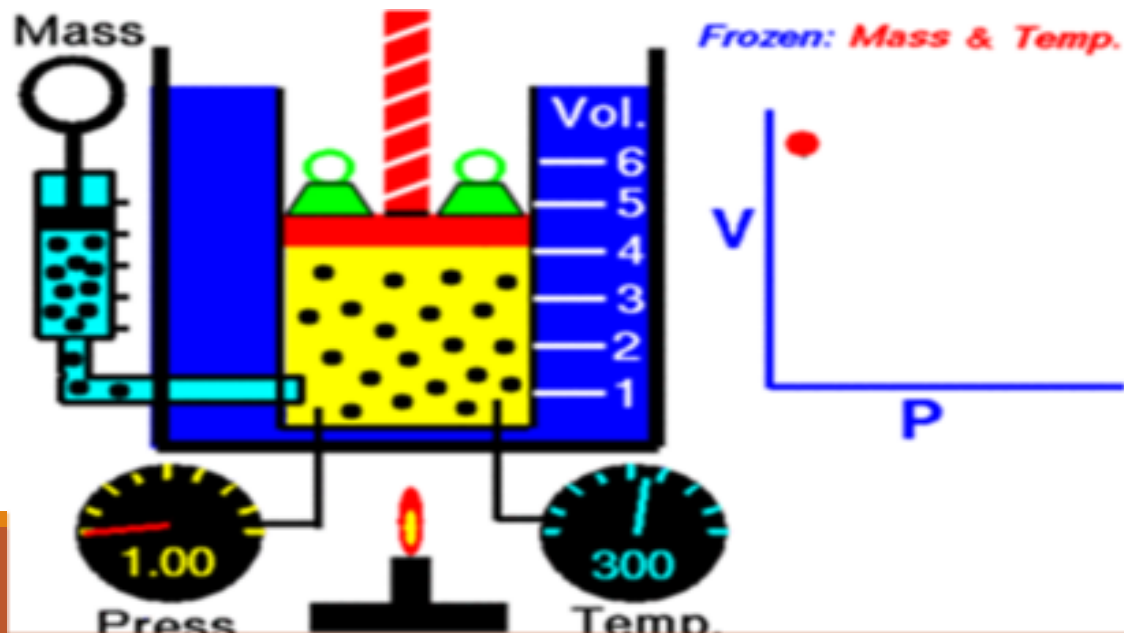
$$e v, \frac{E_m}{T^5} = a \hat{y} m s L \ddot{v}$$

GB  $a \hat{e} m s L \ddot{v} i g v b 28.98 \times 10^{-4} \text{ mK}.$



Volume of gas  $V$  is proportional to  $nRT$

Volume of gas  $V$  is proportional to  $nRT$  if temperature  $T$  is constant and pressure  $P$  is constant. This is Boyle's Law. If pressure  $P$  is constant and temperature  $T$  is constant, this is Charles's Law. If temperature  $T$  is constant and pressure  $P$  is constant, this is Avogadro's Law.



Abviti DĒß e<sup>-</sup> n̄Z Zvc n̄mi

$$nvi \frac{dQ}{dt} n̄j tj Lv hvq, - \frac{dQ}{dt} \propto (\theta_1 - \theta_2)$$

$$ev - \frac{dQ}{dt} = k (\theta_1 - \theta_2) \text{ ----- (1)}$$

(1) G  $\theta_1$  |  $\theta_2$  nj h<sub>v</sub>μtg e<sup>-</sup> i | cwi

cvk̄ Zvcgv̂v Ges k mgvbv̄wZK āyK | k Gi

gvb e<sup>-</sup> i cōt̄ t̄ki t̄ŷdj Ges cK̄wZ.i Dci

wbf̄K̄ti | mgxKiY evg cvk̄FYvZK wPy e<sup>-</sup>

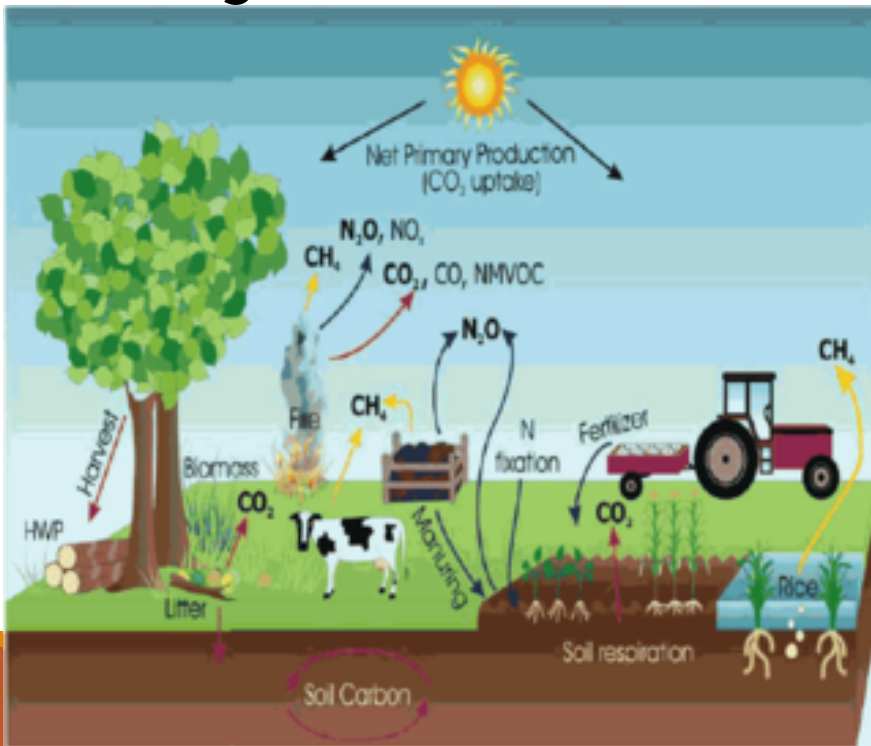
Zvc nvi vq wbt̄ K̄ti | mgxKiY n̄Z e<sup>-</sup> i

Zvcgv̂v n̄mi nvi wv̄Y Kiv nq |



# WMOndm ev meR Ni

WMOndm ev meR Ni GK ai tbi Kv tPi ^Zwi Ni thLv t b  
GKwU w b w` ©Zvcgv I v eRvq ti tL kvK- mewR, Dw™ ¢ BZ` w`  
Drcv` b l msyiY Kiv nq| Giæ Ni tK WMOndm ev meR  
Ni etj | w b tP w f tbi m t i m v n v t h` WMOndm c p i q v e` v L` v  
Kiv n t j v-



fxtbi mĥ Abvĥi Avgiv Rmb, Zvcgvĥv ewx tctj  
DĖB e<sup>-</sup> nĥZ wbtmi Y KZR. Zi 1/2% N<sup>©</sup> m cvq |  
Avevi Zvcgvĥv nwm tctj wbtmi Y KZR. Zi 1/2% N<sup>©</sup>  
ewx cvq | KvĥPi agĥtj v Gi wfZi w<sup>-</sup> tq AĥcÿvKZ.  
ÿž<sup>a</sup> ĥN<sup>©</sup> Zvc mntR Pj vPj KiĥZ cvĥi, wKš<sup>-</sup> xN<sup>©</sup>  
ĥ<sup>-</sup> ĥN<sup>©</sup> Zi 1/2 evavcĖ nq | mh<sup>©</sup> DĖB Ae<sup>-</sup> vq Zvc  
wewKi Y Kĥi, dtj tewk nl qvq ÿž<sup>a</sup> nq | dtj ÿž<sup>a</sup>  
ĥ<sup>-</sup> ĥN<sup>©</sup> Zi 1/2 KvĥPi ga<sup>-</sup> w<sup>-</sup> tq cĖk Kĥi wfZĥi i  
MvQcvj v, kvKmeWR BZ<sup>-</sup> w<sup>-</sup> ĥK Mig Kĥi |

wKš' Kv†Pi N†i i wfZ†i i MvQcvj v gwU BZ"ww` hLb  
Zvc wewKiY K†i ZLb wfZ†i i ZvcgvÎ v Kg \_vKvq  
wbtmiY KZK. Zi ½ ^` N"©xN©nq, dtj Kv†Pi wfZi  
w` †q tewi †q Avm†Z cv†i bv etj wMönvD†mi wfZi  
h†\_ó Mig \_v†K | G Kvi†Y wMönvD†mi wfZi  
MvQcvj v, Dw™Ç, kvKmeWR BZ"ww` Drcv` b I  
msi ÿY mnR nq | Avgv†` i GB cW\_ext†Z wMönvDm  
wµqv msNwUZ n†"Q etj cW\_exi ZvcgvÎ v LyB ax†i  
ax†i ewx cv†"Q |

12cm cija Ges 2m<sup>2</sup> tÿÎ dj wewkó BtUi t` l qvtj i GK  
 cvtki 28°C ZvcgvÎv Ab" cvtki ZvcgvÎv 8°C | BtUi Zvc  
 cwienY , Yv¼ 0.84W m<sup>-1</sup> K<sup>-1</sup> ntj t` l qvtj i ga" w` tq  
 GK N>Uvq KZ Zvc mÂwvj Z nte | GLvtb ZvcgvÎv Aeµg  
 KZ?

$$\begin{aligned}
 \text{Avgiv Rwb, } Q &= \frac{Kt(\theta_H - \theta_C)A}{d} \\
 &= \frac{0.84 \times 3600 \times 2 \times 20}{12 \times 10^{-2}} \\
 &= 1008000 \text{ J} = 1008 \text{ KJ}
 \end{aligned}$$

$$\begin{aligned}
 \text{Avgiv Rwb, ZvcgvÎv Aeµg} &= \frac{(\theta_H - \theta_C)}{d} \\
 &= \frac{20}{12 \times 10^{-2}} \\
 &= 166.66 \text{ K m}^{-1}
 \end{aligned}$$

GLvtb,

$$A = 2 \text{ m}^2$$

$$d = 12 \text{ cm} = 12 \times 10^{-2} \text{ m}$$

$$t = 1 \text{ hr} = 60 \times 60 = 3600 \text{ s}$$

$$K = 0.84 \text{ W m}^{-1} \text{ K}^{-1}$$

$$\theta_H = 28 \text{ }^\circ\text{C}$$

$$\theta_C = 8 \text{ }^\circ\text{C}$$

$$\theta_H - \theta_C = 28 - 8 = 20 \text{ }^\circ\text{C} = 20 \text{ K}$$

$$Q = ?$$

$$\text{ZvcgvÎv Aeµg} = ?$$

4mm cija Ges 4m<sup>2</sup> tÿÎ dj wekó BtUi t` l qvtj i GK cvtki  
 38°C ZvcgvÎv Ab` cvtki ZvcgvÎv 8°C | BtUi Zvc cwienY  
 Yv¼ 0.84W m<sup>-1</sup> K<sup>-1</sup> ntj t` l qvtj i ga` w` tq GK wgbtU  
 KZ Zvc mÂwvj Z nte | GLvtb ZvcgvÎv Aeµg KZ?

$$\begin{aligned}
 \text{Avgiv Rmb, } Q &= \frac{Kt(\theta_H - \theta_C)A}{d} \\
 &= \frac{0.84 \times 60 \times 4 \times 30}{4 \times 10^{-3}} \\
 &= 1512000 \text{ J} = 1512 \text{ KJ}
 \end{aligned}$$

$$\begin{aligned}
 \text{Avgiv Rmb, ZvcgvÎv Aeµg} &= \frac{(\theta_H - \theta_C)}{d} \\
 &= \frac{30}{4 \times 10^{-3}} \\
 &= 7.5 \text{ K m}^{-1}
 \end{aligned}$$

GLvtb,

$$A = 4 \text{ m}^2$$

$$d = 4 \text{ mm} = 4 \times 10^{-3} \text{ m}$$

$$t = 1 \text{ min} = 60 \text{ sec} = 60 \text{ s}$$

$$K = 0.84 \text{ W m}^{-1} \text{ K}^{-1}$$

$$\theta_H = 38 \text{ }^\circ\text{C}$$

$$\theta_C = 8 \text{ }^\circ\text{C}$$

$$\theta_H - \theta_C = 38 - 8 = 30 \text{ }^\circ\text{C} = 30 \text{ K}$$

$$Q = ?$$

$$\text{ZvcgvÎv Aeµg} = ?$$

এই অধ্যায় আমরা যে বিষয় গুলি আলোচনা করব

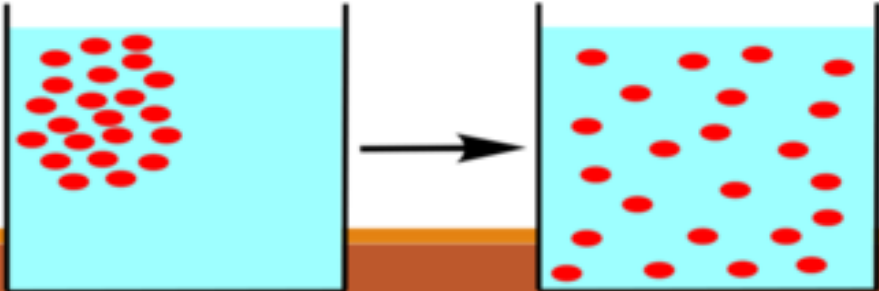
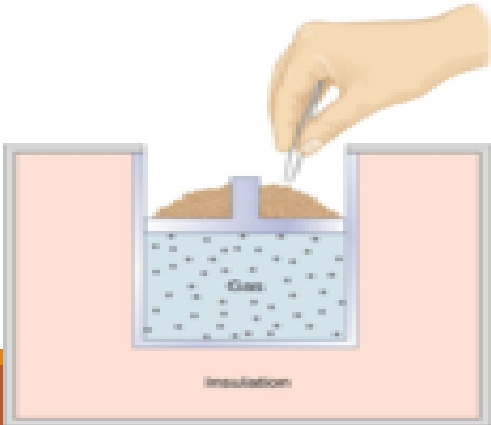
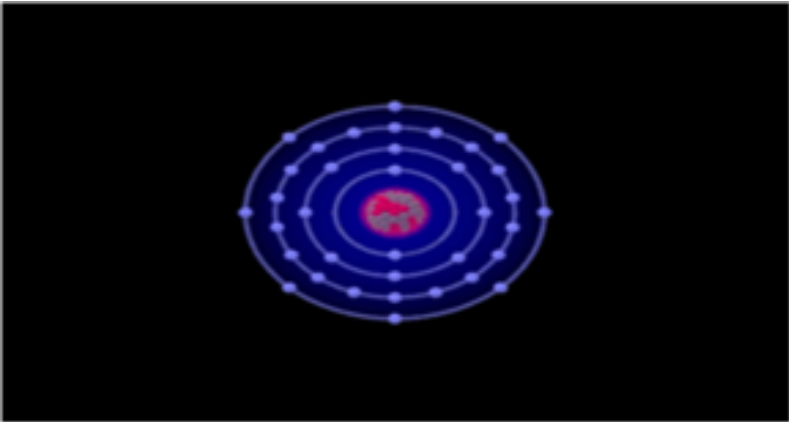
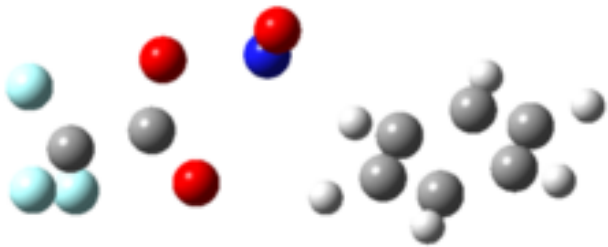
3q Aa'vq t-Zv†ci cKÖvZ. Ges Gi hvšK mgZv

Zv†ci K'vj wi K gZev` I MwZZË!Ges ÎaU, †j v wj L,  
ZvcMwZwe` vi cÖg mÎ, m†gvò cwi eZb I iæ×Zvc  
cwi eZbK Ges Gi kZmgn, †j v wj L, iæ×Zvc  
cwi eZb Pvc I AvqZ†bi g†a" m×úK†ei Kie ev  
cÖY Ki th, PVγ = aæK |



# čteř Ávb hvPvB

Zvřci Křvj wi K gZev` I MwZZEř Ges řæUř řj v Rvbr AvřQ wKbv,  
ZvcMwZve` řvi cřg mř wK, mřgvò cwi eZřř I iæř Zvc cwi eZřř wK Ges  
Gi kZřgnř řj v wK |



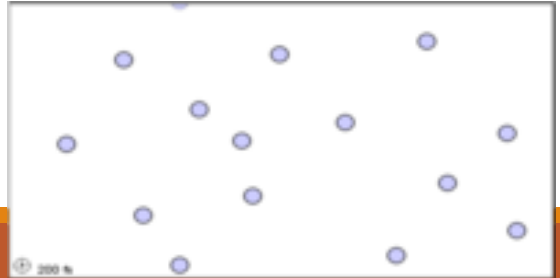
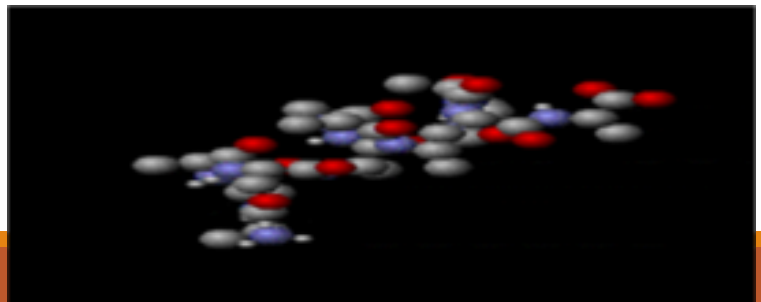
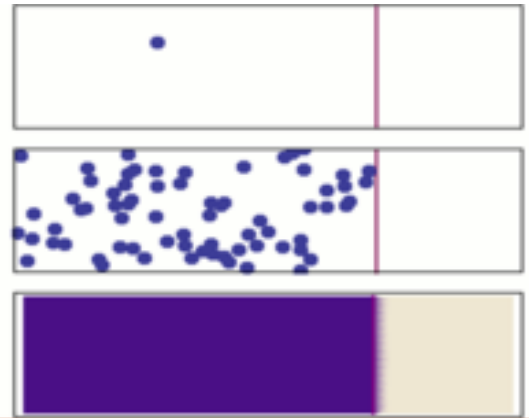


# Zvřci Křvj wi K gZev` Ges MwZZEj

Ebvesk kZvřxi ce@hšřRvbn wQj th, Zvc MwZi GK cřri  
 ewntcřk wKš'tm mgřq Křvj wi K gZev` bvtg GK cřri gZev` Pvj y  
 wQj | Zvc mřúwKř mečřg Křvj wi K bvgK weÁvbx Avřj vPbn Kři b  
 GBRbř Zvřci w m wR Gm cřwZřZ Křvj wi | ZvB wbtbř Křvj wi K gZev`  
 řřj v Avřj vPbn Kiv nřj v -

1| Zvc Křvj wi K bvtg GK cřri AwZ mřyèřwZřvcK c`v\_čřYv hv  
 AwZ mnřR GK e`řřřK Abř e`řZ cřk KiřZ cvři Ges GřK  
 AciřK weKIYčřKři |

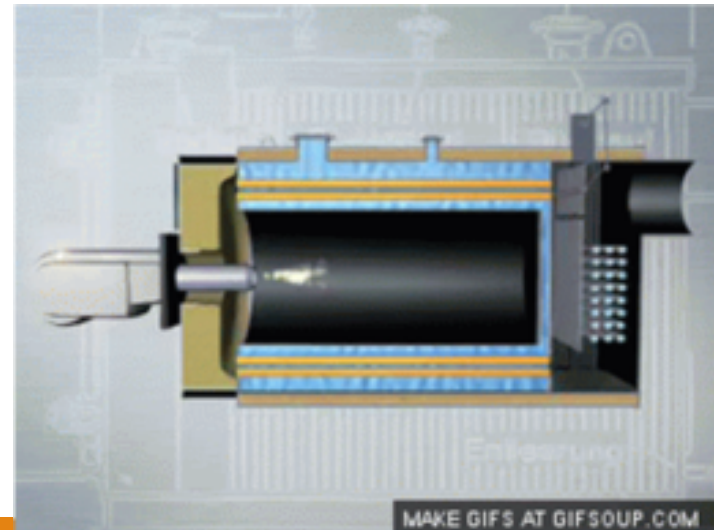
2| cřřK e`řZ Kg ev řenk Křvj wi K \_vřK | řh e`ř Zvcgvřv řenk  
 ZvřZ Kg Zvcgvřvi e`ř řřřq Křvj wi K řenk \_vřK |



3 | `B e`f gta` Zvcxq msthvM w` tj Zvt` i ZvcgvÎv mgvb bv  
chšDò ZvcgvÎvi e`'t\_†K wbb¥ ZvcgvÎvi e`†Z K`vj wi K  
cÈnnZ nq| G†Z Zv†ci †Kvb cwi eZb©nq bv|

4 | e`'K`vj wi K nvi v†j kxZj I msKwPZ nq| Aciw` †K K`vj wi K  
jvf Ki†j Zv DÈB I cÈwi Z nq|

5 | ùHbv¼ ev Mj bv¼ e`†Z K`vj wi K c`v\_©Èk K†i Zvi  
ZvcgvÎv Acwi ewZ© i v†L |



# Zvřci Křvj wi K gZev` ĀæU , t j v w j L

wbřPi Zvřci Křvj wi K gZev` i ĀæU , t j v n t j v

(1) th mKj e<sup>-</sup> KYvi gřa AvKI Yej Ařcyv weKI Yej

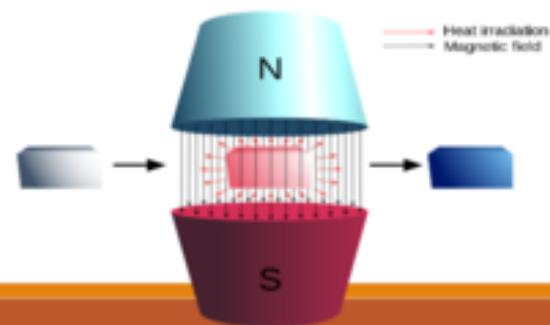
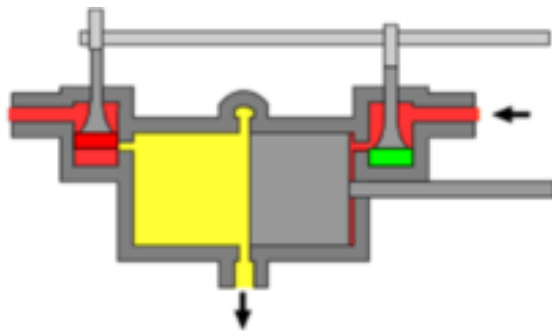
tevk Zvř` i w wZ` vcKZv Kg | tm Kvi řY D" P w wZ` vcK

, Ymřúbd eřvj wi K GKwU K í bvi e<sup>-</sup> gvĀ |

(2) Křvj wi řKi fi hZB Kg tnvK bv řKb Gi Av` vb cÖřb

e<sup>-</sup> ř řři i Kgřevk řKvřbv cwi eZř nře | wKř'GB gZev` G

i Kg řKvřbv cwi eZř řv n l qvi K\_v ej v nřqřQ |



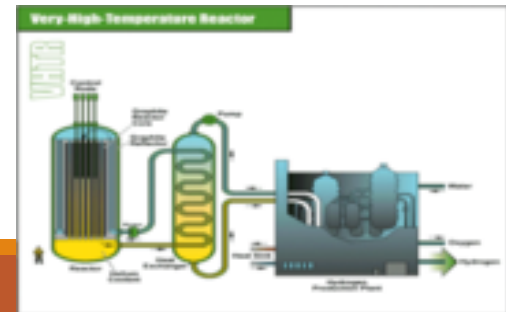
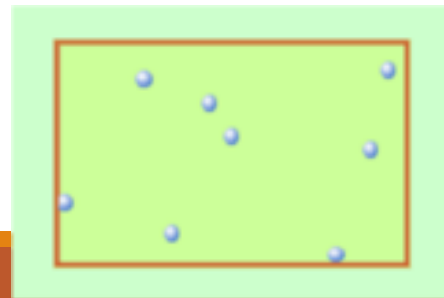
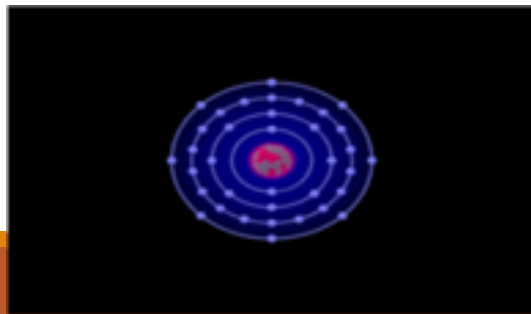
(3) G gZevt` e`i Zvc aviY ygZv NI ~~ni~~ cvq| wKš'  
cixyvq t` Lv tMtQ NI ~~ni~~ e`i Zvc aviY ygZvi tKv~~tbv~~  
cwi eZ~~l~~ nq bv|

(4) Zvc GK c~~ö~~i kw<sup>3</sup> Ges Gi ifcvšÍ AvtQ| G gZevt`  
Zvc~~t~~K KYv i~~æ~~c aiv ntqtQ, wKš' KYv t~~\_~~tK wKfvte Zvc  
kw<sup>3</sup> i D<sup>TM</sup> ~~e~~ nte Zvi tKv~~tbv~~ m~~w~~WK e`vL`v t` l qv nqwb|

(5) wKfvte K`vj wi K c`v\_ ~~e~~ök Kti Mj bv~~t~~¼ ev ù~~h~~bv~~t~~¼  
ZvcgvÎv a~~æ~~ ifc Zvi tKv~~tbv~~ e`vL`v GB gZevt` tbB|

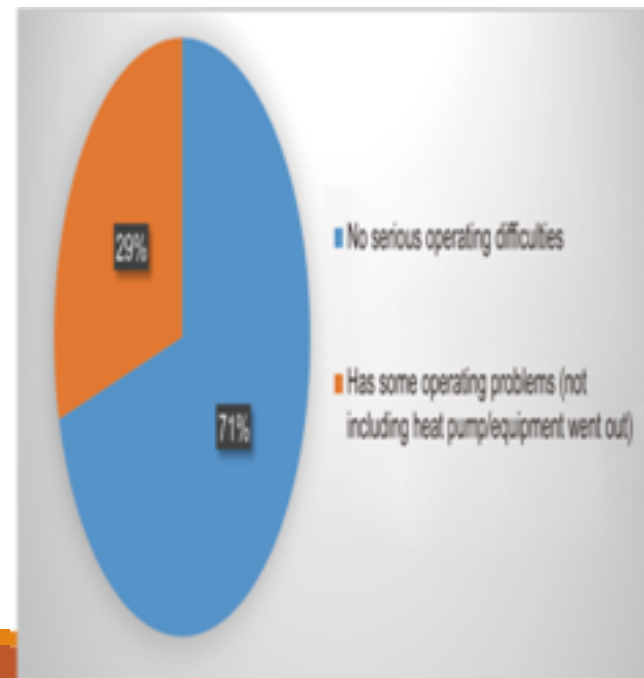
# Zvřci MwZ gZev`

1847 mvtj veÁvbx tRgm tcnÖKU Ry cÖg Zvc I hmišk kw<sup>3</sup> i  
gřa` mřúK@YqKřib| GB gZev` Abmvti cÖ`K e`i AYyřj v  
Kgřenk MwZkxj Ges Zvc AYyřj vi KřqK cÖi MwZiB iřcvří |  
řKvřbv e`i ZvcgvÎ v GřZ AYyř Mo MwZkw<sup>3</sup> i mgvbyřvZK | e`i  
AYyř MwZkw<sup>3</sup> NIY, AvNvZ cÖZ. th řKvřbv Dcvřq eřx tctj Zvi  
ZvcgvÎ v eřx cvq| Zvřci MZxq gZev` Abmvti řKvřbv e`i Zvřci  
cwi gvY H e`i ga`w`Z AYyřj vi MwZkw<sup>3</sup> i mvt\_ mřúK@ř | hLb  
`ř e`řK ci`úři i mvt\_ NIYev AvNvZ Kiv nq ZLb e`řřqi  
ga`Kvi AYyřj vi DřĚRbv mřó nq| GřyřÎ hmišk Zvckw<sup>3</sup> řZ  
i řcvříi Z nq|



# ZincMwZ we`v

c`v\_@Áv†bi th kvLvq Zvc I hwišK kw<sup>3</sup>i cvi`úwi K i gší  
m†Ü Av†j vPbv Kiv nq Zv†K ZvcMwZ we`v etj |  
ZvcMwZ we`vi cÖg m† eš†Z ntj w†÷g ev e`e`v m†ú†K@avi Yv  
\_vKv Avek`K | cixyv wixyv Rb` †Kv†bv e`f hZUKzAsk  
we†Pbv Kiv nq ZvB w†÷g ev e`e`v | e`e`v ev†` e`f ev` ewKku  
Ask†K cwi cvk@etj |  
e`e`v wZb cÖri h\_v t-  
1 | gy<sup>3</sup> e`e`v  
2 | ex e`e`v  
I 3 | iæZvcxq e`e`v



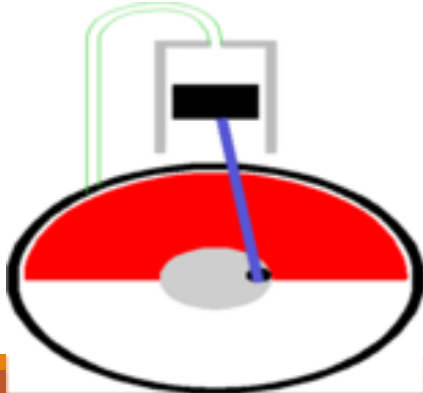
1 | gŷ ėėv̇ t- G tÿtÎ ėėv̇ | cwi cvtk®gtȧ kw³ | ėf  
KYv wewbgq NUvtZ cvti | thgb Kvc Mig Pv (XvKbwenxb)

2 | ex ėėv̇ t- G tÿtÎ ėėv̇ | cwi cvtk®gtȧ kw³ wewbgq  
NUvtZ cvti | thgb Dchy® Pvti Kvc XvKbv w` tq tXtK w` tj  
iayZvc tei ntZ cvti wKšiev®ú tei ntZ cvti bv |

3 | iæZvcxq ėėv̇ t- G tÿtÎ ėėv̇ | cwi cvtk®gtȧ kw³  
| ėf KYv wewbgq NUvtZ cvti bv | thgb Pv dv̇. titL gy  
ex Kti w` tj Zvi wfZi t\_tK Zvc | ev®ú tei ntZ cvti bv |

# ZvcMwZve`vi cÖg mĤ e"vL"v Ki

ivgtdvW©es Rjy cixyv t\_†K cÖ dj vdtj i wfwE†Z Zvc I  
Kv†Ri mαú†K©ZvcMwZve`vi cÖg mĤ ev R†j i mĤ bvtg  
cÖwôZ nq| GB mĤ n†Z hLb †Kv†bv KvR mαúY†c Zv†c ev  
Zvc mαúY†c Kv†R iæcvšli Z nq, ZLb Zvc me© Kv†Ri  
mgvbywZK n†e|  
hw` W cwi gvY KvR mαúY†c Zv†c cwi YZ nI qvq H cwi gvY  
Zvc Drcboq Z†e,





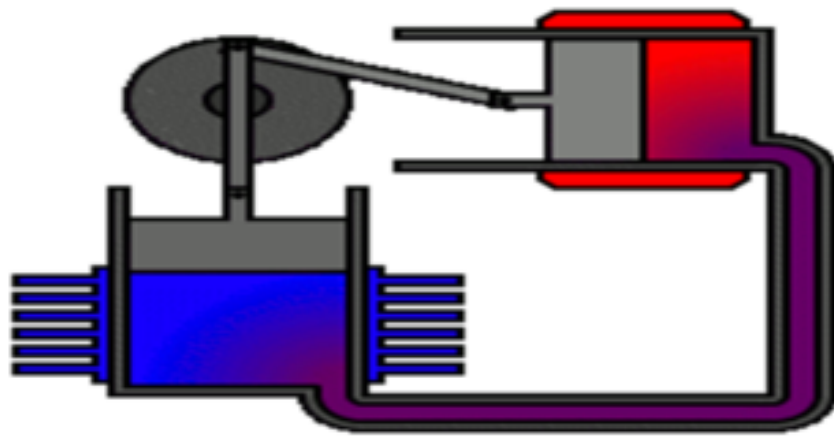
Rtj i mĤ gĤZ Avgiv cvB,  $W \propto H$

$$W = JH$$

$$JH = W$$

$$J = \frac{W}{H}$$

GLvĤb J GKwU aĕK hvĤK ZvĤci hwmšK mgZv ev Rtj i  
aĕK etj | GUv DrcboZrc Ges i cvšĤi Z KvĤRi gĤa''  
mgZv i ĥv KĤi |



Zvřci hwišK mgZv Gi e"vL"v (Rřj i mřĤ i e"vL"v Ki)

Rřj i mřĤU nřj v -

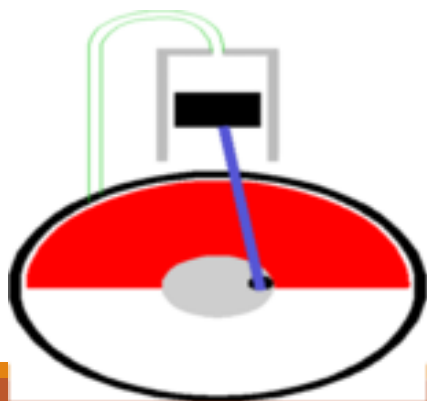
hLb řKvřbv KvR mřúYřřřc Zvřc ev Zvc mřúYřřřc KvřR  
i řcvřřři Z nř, ZLb Zvc meřř KvřRi mgvbyřřřřK nře |

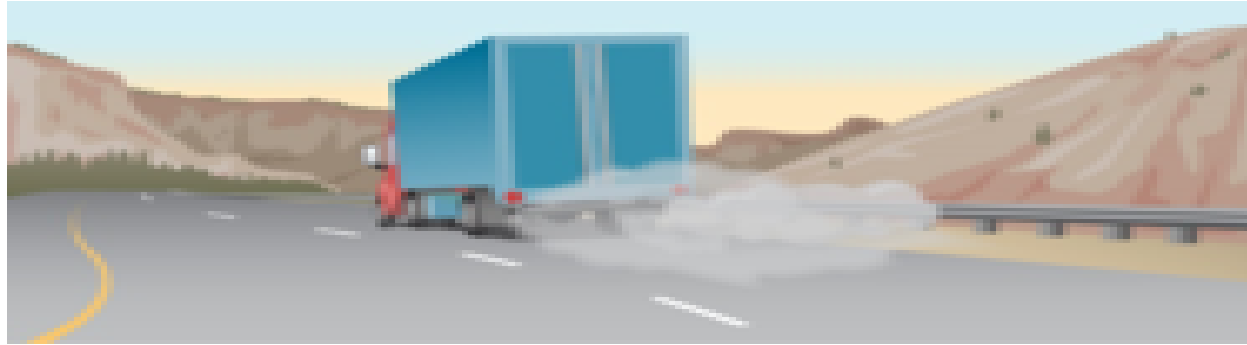
hw` W cwi gvY KvR mřúYřřřc Zvřc cwi YZ nI qvq H cwi gvY  
Zvc Drcbřřřř Zře, Rřj i mřĤ gřZ Avgiv cvB,  $W \propto H$ .

$$W = JH$$

$$JH = W$$

$$J = \frac{W}{H}$$





GLv†b J GKwU aæK hv†K Zv†ci hwišk mgZv ev  
R†j i aæK etj | GUv Drcboævc Ges i cvšwi Z  
Kv†Ri g†a" mgZv i yv K†i |  
AZGe th cwi gvY KvR mαúY†c Zv†ci cwi YZ  
n†j GK GKK Zvc Drcboævc Zv†K Zv†ci hwišk  
mgZv etj |  
msÁv t- Dc†i i mgxKiY n†Z H=1, J=W |

# Kinematik Gi Zvcmwzwe`v cög mHw eYb Ki

Kinematik Gi Zvcmwzwe`v cög mHw t-

tKvfbv e`e`v KZK.MnxZ Zvtci wKQzAsk Gi Ašf`kw<sup>3</sup> ewx Kti

Ges ewwK Ask ewnt`KvR e`q nq|

tKvfbv ms`vtK ΔQ cwi gvY Zvc w`tj hw`H ms`vi Ašf`kw<sup>3</sup> ΔU nq

Ges ΔW cwi gvY ewnt`KvR nq,

$$Zte \Delta Q = \Delta U + \Delta W$$

ÿž<sup>a</sup>cwi eZti tytî mgxKiY t`tk tj Lv hvq|

$$dQ = dU + dW$$

w`i ewnt`Pvc P Gi weia<sup>x</sup> dv Gi AvqZtbi cwi tYi Rb`th ewnt`

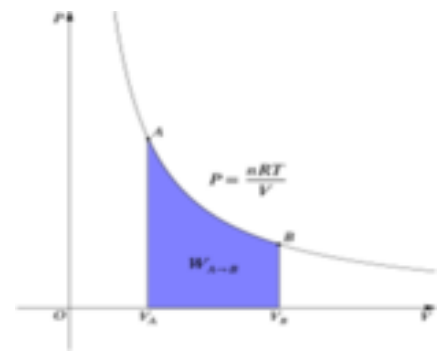
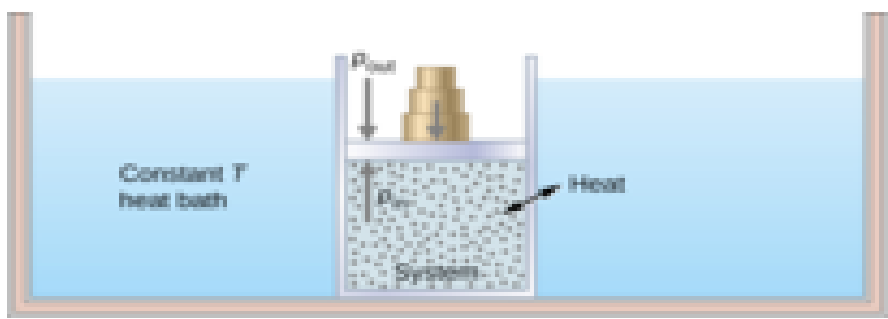
KvR Kti Zvi cwi gvY  $dW = Pdv$

[ΔW = F. Δx = PA.Δx = P.dv]

$$dQ = dU + Pdv$$

# mġgvo' cwi eZb' wK | Gi kZmgn , tġv wġL

th cwi eZb' tKv'tbv M'v'tmi Pvc | AvqZ'tbi cwi eZb' nq, wKš' ZvcgvĠv w' f \_v'tK tmB cwi eZb' K mġgvo' cwi eZb' etġ | Ges th c×wZ'tZ GB cwi eZb' msNwUZ nq Zv'tK mġgvo' cwi eZb' etġ | mġgvĠ cwi eZb' M'v'tmi Pvc | AvqZ'tbi m'úK etġ i mġ' tg'tb P'tġ |  $A_{w' p} \propto \frac{1}{V}$  ev,  $pV = a_{w'K}$



mtgvò cwi eZtbi kZmgn t-

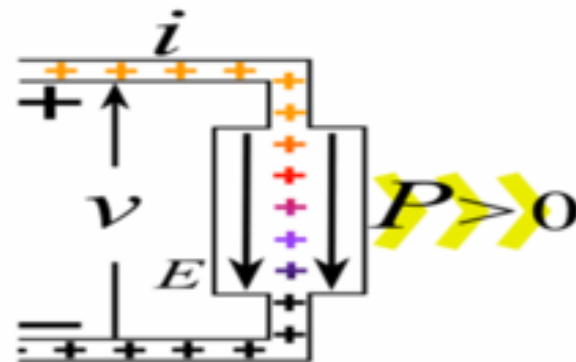
mtgvÂ cwi eZtbi Rb" w b g e L Z kZmgn ni cQvRb;

1 | M'vmtK GKwU mgywi cvnx cvtÎ ivLtZ nte |

2 | cvtÎ i PZzvk gva'tgi ZvcMÖZv ev Zvc avi YögZv D"P nte |

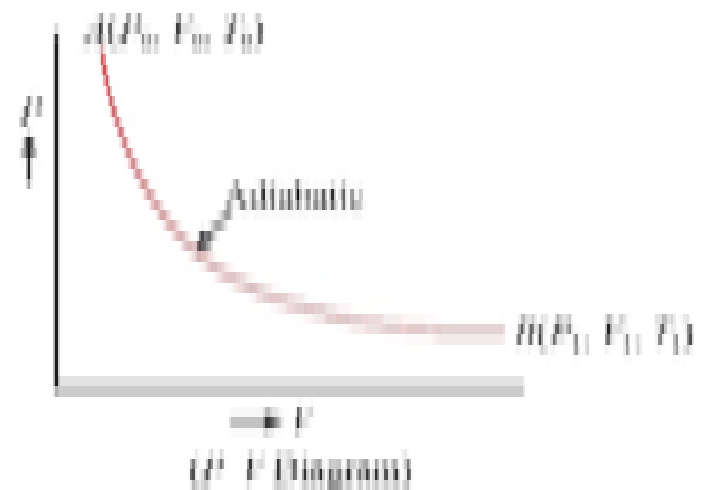
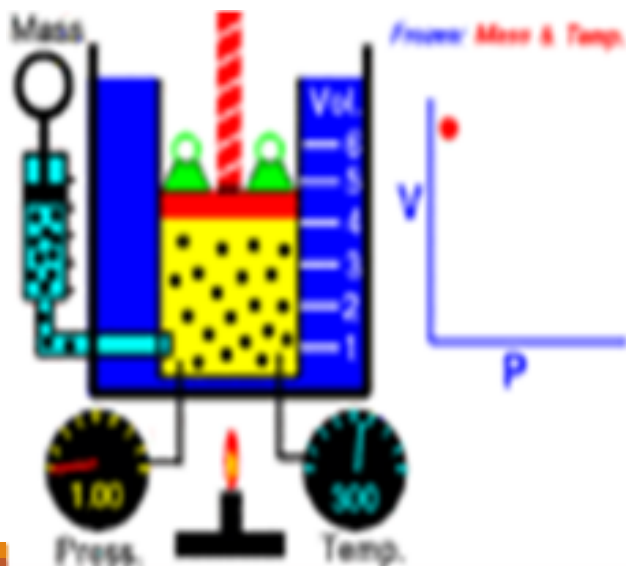
3 | Pvctci cwi eZtbi axti axti msNwUZ KitZ nte |

4 | cQvRbxq Zvc MÖY ev eRtbi Øviv ZvcgvÎv w'î \_vKte |



# Thermodynamic Process: Adiabatic Expansion

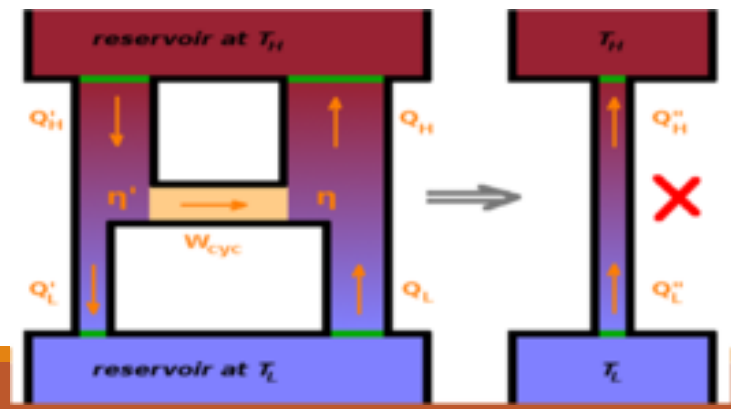
In an adiabatic process, no heat is exchanged with the surroundings ( $Q = 0$ ). The process is reversible and follows the equation  $PV^\gamma = \text{constant}$ , where  $\gamma$  is the adiabatic index. The work done by the gas is equal to the change in internal energy,  $W = \Delta U$ . For an ideal gas, the internal energy is  $U = \frac{f}{2} nRT$ , where  $f$  is the number of degrees of freedom,  $n$  is the number of moles,  $R$  is the gas constant, and  $T$  is the temperature.



# i æ × Zvc cwi eZ†i kZmgñ t-

i æ × Zvc cwi eZ†i Rb'' w b α w j e L Z k Z m g ñ i c q v R b ;

- 1 | M'v m † K G K w U K z w i e v n x c v † Î i v L † Z n † e |
- 2 | c v † Î i P Z z ú v k g v a † g i Z v c M ö Z v K g n † Z n † e |
- 3 | P v † c i c w i e Z † L y ` æ Z m s N w U Z K i † Z n † e h v † Z e v B † i i m v † \_ Z v c A v ` v b - c ö b † K v † b v m y h v M b v \_ v † K |





$PV^\gamma = \text{const}$

$dQ = dU + dW$   
 $dQ = C_v dT + PdV$   
 $dU = C_v dT$   
 $dW = PdV$

$$dQ = du + dw$$

$$dQ = C_v dT + PdV \quad (1)$$

GLv†b,

$du = C_v dT = \dots$   
 $dw = PdV = \dots$

Rb" KZ.Kv†Ri cwi gvY |



Av giv Rmb, iæ Zvc cÖvq evBti i mv\_ M'v'tmi Zv'tci tKv'tbv Av`vb cÖb NtU bv |  
AZGe,  $dQ = 0$  -----(2)

(1) bs I (2) bs mgxKiY n'tZ cvB,

$$C_v dT + PdV = 0 \text{ -----(3)}$$

cbivq, Av`k M'v'tmi tÿtÎ,  $PV = nRT$  ev,  $PV = 1 \cdot RT$   
ev,  $PV = RT$  -----(4)

[GLv'tb 1 tgvj Av`k M'v'tmi tÿtÎ R tgvj vi M'v'tmi aæK]

D<sup>3</sup> (4) bs mgxKiYtK Aš'xKiY ev e'eKj b Kti cvB,

$$PdV + VdP = RdT + TdR \quad dR = 0$$

$$\text{ev, } RdT = PdV + VdP$$

$$\text{ev, } dT = \frac{PdV + VdP}{R}$$

$$\text{ev, } C_v \left( \frac{PdV + VdP}{R} \right) + PdV = 0$$

[ (3) bs mgxKiY dT Gi gvb emtq cvB ]

$$\text{ev, } \frac{C_v(PdV + VdP) + RPdV}{R} = 0$$

$$\text{ev, } C_v(PdV + VdP) + RPdV = 0 \quad (\because R = C_P - C_V)$$

$$\text{ev, } C_v(PdV + VdP) + (C_P - C_V)PdV = 0$$

$$\text{ev, } (C_vPdV + C_vVdP) + C_PPdV - C_VPdV = 0$$

$$\text{ev, } C_vVdP + C_PPdV = 0$$

$$\text{ev, } \frac{C_vVdP}{C_v} + \frac{C_PPdV}{C_v} = 0 \quad (\text{Dfqc} \ddot{y} C_v \text{ } \emptyset \text{viv fVM K} \ddot{i} \text{ cvB})$$

$$\text{ev, } VdP + \gamma PdV = 0 \quad (\text{th} \ddot{n} Z \frac{C_P}{C_v} = \gamma)$$

$$\frac{VdP}{PV} + \frac{\gamma PdV}{PV} = 0 \quad (\text{Dfqc} \ddot{y} PV \text{ } \emptyset \text{viv fVM K} \ddot{i} )$$

$$ev, \frac{dP}{P} + \frac{\gamma dV}{V} = 0 \text{ ----- (5)}$$

GLb (5) bs mgxKi Y Gi Dfqctÿ mgvKj b K†i cvB

$$\int \frac{dP}{P} + \gamma \int \frac{dV}{V} = 0 \quad \because \int \frac{dx}{x} = \log_e x$$

$$ev, \log_e P + \gamma \log_e V = a \hat{y} K \quad \because (\log_e K = a \hat{y} K)$$

$$ev, \log_e P + \log_e V^\gamma = \log_e K$$

$$ev, \log_e (P \times V^\gamma) = \log_e K$$

$$ev, PV^\gamma = K$$

$$\therefore PV^\gamma = K$$

AZGe, iæ×Zvc cwieZ†b Pvc I AvqZ†bi g†a" mæúK† PV<sup>γ</sup> = aæK |

İki ZVC cwi eZt Zvcgvİv I AvqZtbi gta" mK

$$TV^{\gamma-1} = aK$$

Avqiv Rwb, Av` Mvımi ttİ, PV = nRT

$$\text{ev, } PV = 1.RT$$

$$\text{ev, } PV = RT$$

$$\text{ev, } P = \frac{RT}{V} \text{ -----(6)}$$

Avqiv İki ZVC cwi eZt Pvc I AvqZtbi gta" mK Avqiv cvB,

$$PV^{\gamma} = aK$$

$$\text{ev, } \frac{RT}{V} \times V^{\gamma} = aK \text{ [ P Gi gvb emtq cvB]}$$

$$\text{ev, } \frac{T}{V} \times V^{\gamma} = \frac{aK}{R}$$

$$\text{ev, } TV^{-1}V^{\gamma} = aK$$

$$\therefore TV^{\gamma-1} = aK$$

$C_p$  |  $C_v$  Gi gta"  $c_v$   $K_i$  |  
 $A_{ev}$   $c_v$   $K_i$  th,  $C_p - C_v = R$

Avgiv Rmb M'v'tmi `  $\mu$  Av'tcwy'K Zvc Av'tQ, GKwU  $C_p$  Ges AciwU  $C_v$  |  
 Gt` i gta"  $c_v$   $K_i$   $Z$  nte | GKwU Av` M'v'tmi `  $\mu$  Av'tcwy'K  
 Zv'tci gta"  $c_v$   $K_i$   $Z$  w'tq Zvc Kzwi evnx c` vt`  $\rho$  GKwU Ave  $\times$  tPv0  
 wbB | gtbKwi , tPv0 C | tPv't0i gta" GKwU nvj Kv NI Y kb" I evqyb i  $\times$   
 $wc \div b$  webv evavq Pj vPj  $K_i$   $Z$  cv'ti | gtbKwi ,  $wc \div b$  wU D |  $wc \div b$  wU  
 Kzwi evnx c` vt`  $\rho$   $Zix$  | GB Ave  $\times$  tPv't0 1 tgvj cw' gvY M'vm wbB | GLb  
 M'vmwUi AvqZb w` f ti'tL Gi Zvcgv'tv dT cw' gvY e  $\times$  Kwi |



h<sub>w</sub> w<sub>i</sub> f AvqZtb M<sub>v</sub>tmi Avtcw<sub>y</sub>K Zvc C<sub>V</sub> nq Zte M<sub>v</sub>vm  
 KZR. M<sub>n</sub>xZ Zvc = f<sub>i</sub> × Avtcw<sub>y</sub>K Zvc × Zvcgv<sub>I</sub>v

$$c_{v\_R} = 1 \times C_V \times dT = C_V dT$$

M<sub>v</sub>tmi Zvcgv<sub>I</sub>v e<sub>w</sub>x<sub>i</sub> cwi gvY GK tKj wfb n<sub>tj</sub> M<sub>v</sub>vm KZR.

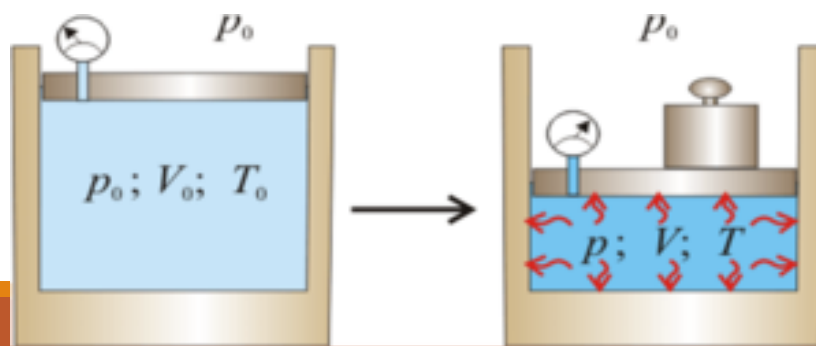
$$M_{n,x}Z Zvc = C_V \times 1 = C_V R_j$$

g<sub>t</sub>bKwi , w<sub>i</sub> f Pv<sub>t</sub>c M<sub>v</sub>tmi tgvj vi Avtcw<sub>y</sub>K Zvc C<sub>p</sub>A<sub>w</sub>

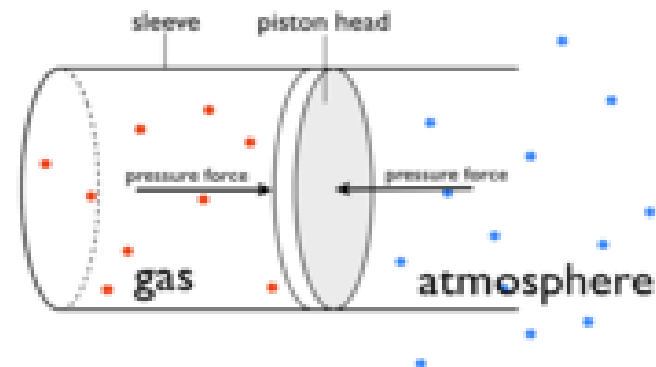
w<sub>i</sub> f Pv<sub>t</sub>c 1 tgvj tKv<sub>t</sub>bv GKwU M<sub>v</sub>tmi Zvcgv<sub>I</sub>v 1 w<sub>w</sub>MÖ

tKj wfb e<sub>w</sub>x<sub>t</sub>Z C<sub>p</sub>cwi gvY Zv<sub>t</sub>ci c<sub>Q</sub>vRb n<sub>te</sub>, M<sub>v</sub>tmi

mieivnKZ.GB Zvc ` B fv<sub>t</sub>M e<sub>w</sub>qZ n<sub>te</sub> |



Gi GKwU Ask M'v†mi ZvcgvÎv evo†e Ges Aci Ask  
 ewn"K Pvc Gi wei†× M'v†mi AvqZb e†× KvR K†i | awi ,  
 Pv†ci wei†× M'v†mi AvqZb e†×i d†j wc ÷ bWU cwi gvY  
 ` i-Z;evB†i m†i tMj | AZGe Kv†Ri cwi gvY = ej × miY  
 =Pvc × tÿÎ dj × miY [ ej = Pvc × tÿÎ dj ]  
 = P×A × x ; GLv†b dV= M'v†mi cwi Z AvqZb = A . X  
 AZGe Kv†Ri cwi gvY = PdV  
 AZGe Cp = Cv + Kv†Ri cwi gvY  
 ev, Cp = Cv + P.dV ..... (1)  
 Avgiv Rwb, Av` ©M'v†mi tÿ†Î  
 PV = RT .....(2)





$P \cdot dV + V \cdot dP = R \cdot dT + T \cdot dR$

$P \cdot dV + V \cdot 0 = R \cdot dT + T \cdot 0$

$P \cdot dV = R \cdot dT = R \dots \dots \dots (3)$

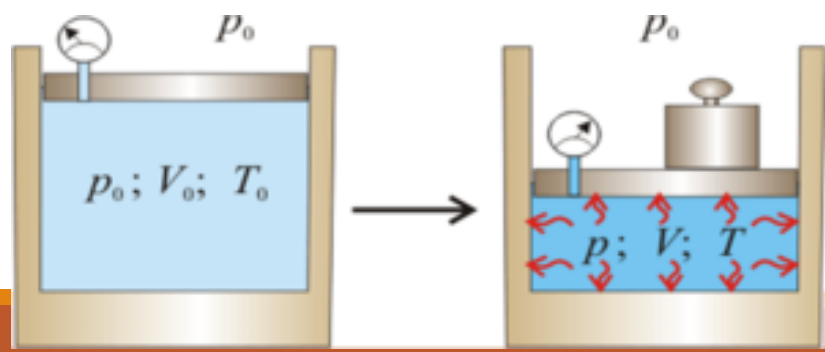
(1) | (3)  $C_p = C_V + R$

$C_p = C_V + P \cdot dV$

$C_p = C_V + R \cdot dT$

$C_p - C_V = R$

A  $P_0; V_0; T_0$   $\rightarrow$   $P; V; T$



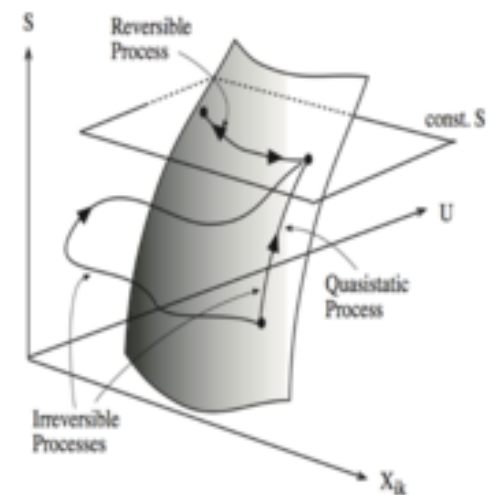
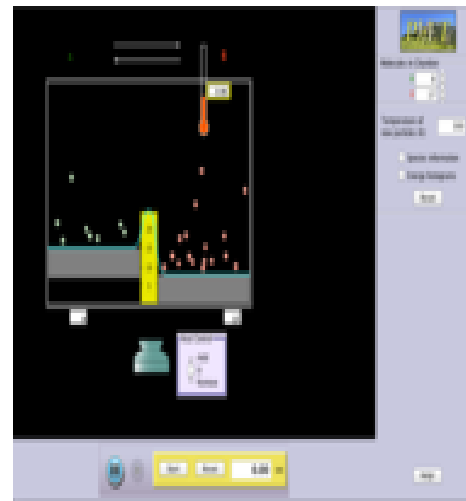
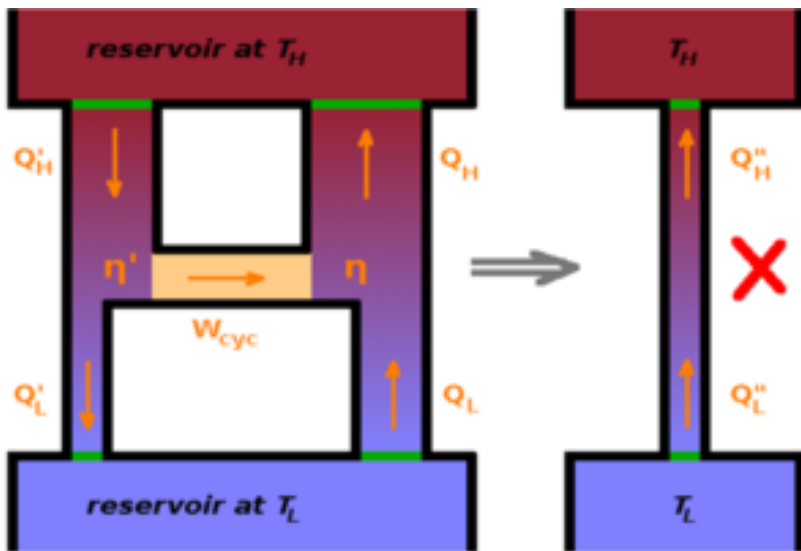
এই অধ্যায় আমরা যে বিষয় গুলি আলোচনা করব

4\_  $\Delta A_a'' vq t - ZvcMwZwe'' vi 2q m\hat{t} |$

$c\ddot{O}vMvgx Ges Ac\ddot{O}vMvgx c\ddot{O}qv wK | G\ddot{t}'' i cv_K$   
 $t'' LvI | ZvcMwZwe'' vi 2q m\hat{t} wj L | GbUwK | Zvi$   
 $Zvrch\oplus LvI | C_p | C_v wK | c\ddot{O}Y Ki th, C_p -$   
 $C_v = R |$

# Second Law of Thermodynamics

No process is possible whose sole result is the conversion of heat from a reservoir at a higher temperature into work.



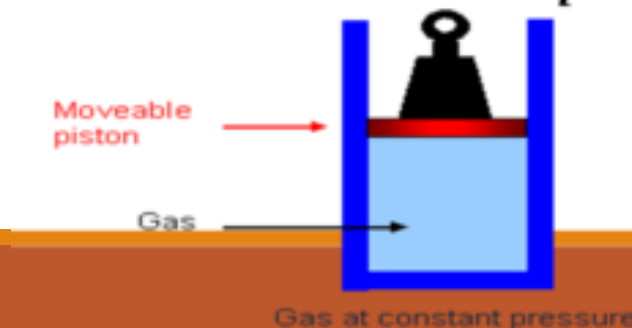
# M'v'tmi Avt'cw'jK Zvc

Avqiv Rwb, M'v'tm Zvc c'q'vM Ki t'j Zvcgv'v e'w'x mvt\_ mvt\_  
 Gi AvqZb I Pvc e'w'x cvq| w'Kš'Kwb I Zij c`vt\_ P'ty'tI  
 Giac nq bv ej t'j B P'tj | m'z'ivs M'v'tmi Avt'cw'jK Zvt'ci  
 ms'Avq AvqZb I Pvt'ci D'tj b\_vKv GKvš'ic'q'vRb | AvqZb  
 I Pvt'ci g'ta'' KLbI AvqZb'tK Avevi KLbI Pvc'tK w'f' i'vLv  
 nq et'j M'v'tmi `w' Avt'cw'jK Zvc Av'tQ ;

h\_v t-

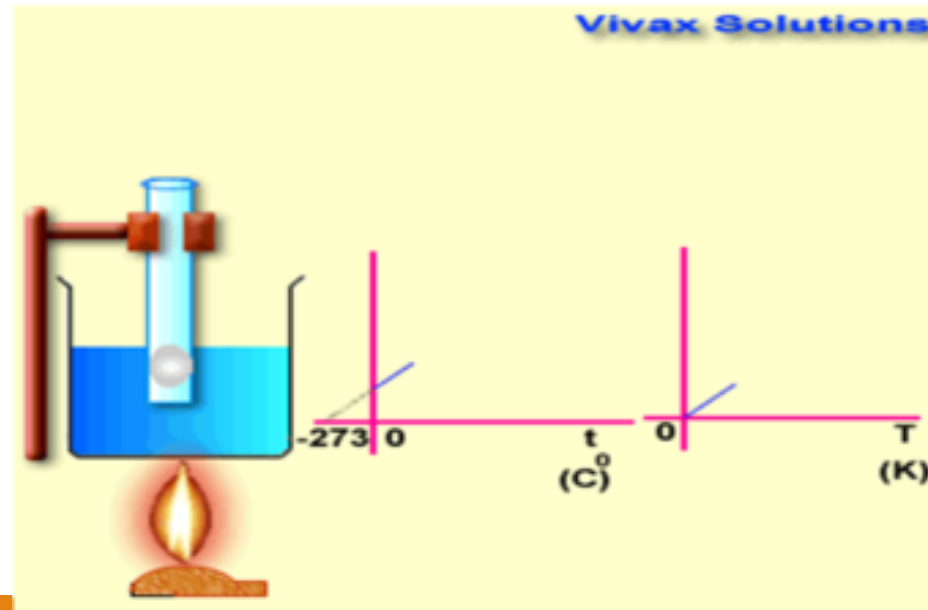
(1) w'f' AvqZ'tb M'v'tmi Avt'cw'jK Zvc ( $C_v$ )

(2) w'f' Pvt'c M'v'tmi Avt'cw'jK Zvc ( $C_p$ )



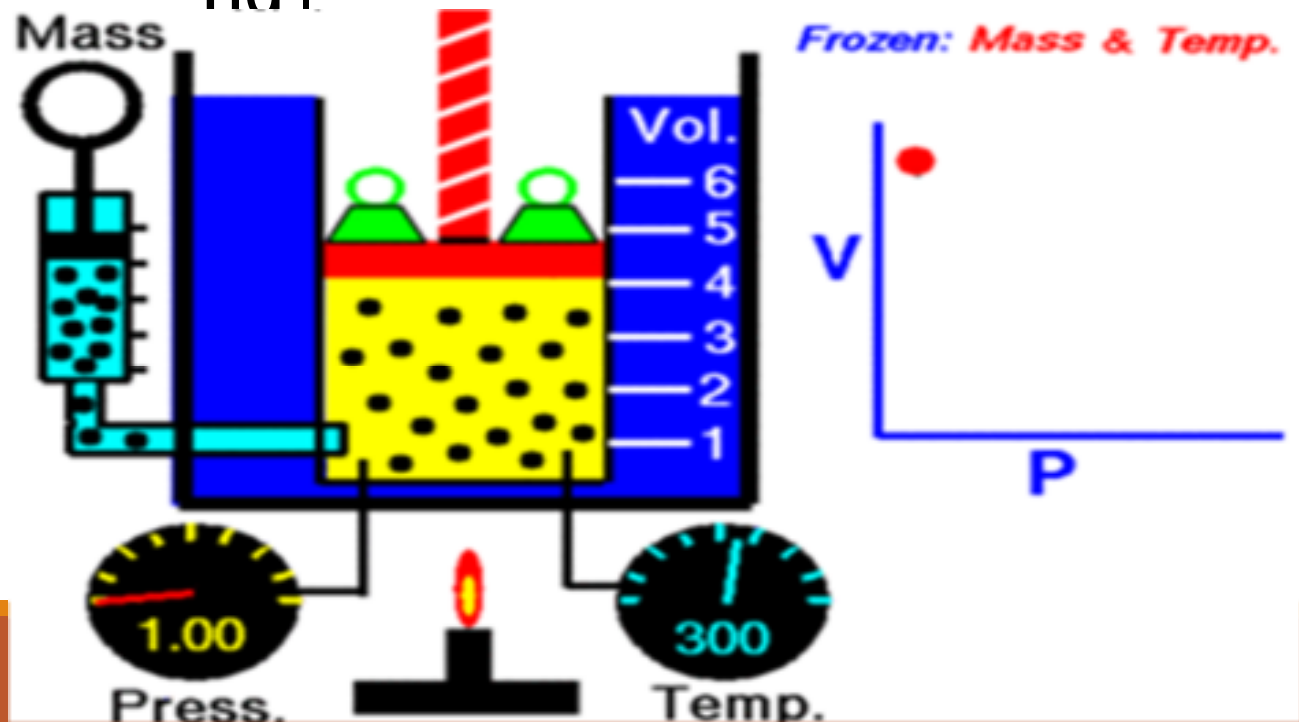
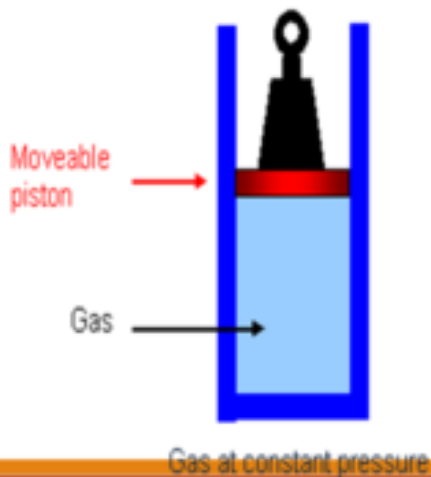
(1)  $w$  i AvqZtb M'vfm i Avtcwjk Zvc( $C_v$ ) t-

AvqZb  $w$  i ti tL GKK fti i tKv tbn GKwU M'vfm i  
Zvcgv  $\hat{I} v 1$   $w$   $w$   $M$   $\hat{O}$   $w$   $\times$   $t$   $Z$  th cw i gvY Zv tci c  $\hat{O}$   $v$   $R$  b nq,  
Zv tK  $w$  i AvqZtb M'vfm i Avtcwjk Zvc etj | Bnv tK  
 $C_v$   $\hat{O}$   $v$   $i$  v c  $\hat{O}$   $r$  k Kiv nq |



## (2) $w$ $f$ $P$ $v$ $c$ $M$ $v$ $t$ $m$ $i$ $A$ $v$ $c$ $w$ $y$ $K$ $Z$ $v$ $c$ $(C_p)$ $t$ -

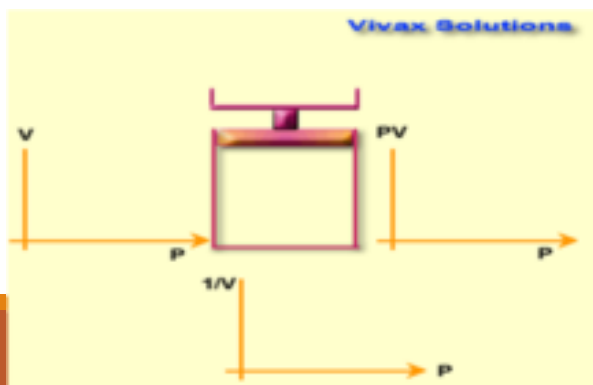
$P$   $v$   $c$   $w$   $f$   $t$   $i$   $L$   $G$   $K$   $K$   $f$   $t$   $i$   $t$   $K$   $v$   $t$   $b$   $v$   $G$   $K$   $w$   $M$   $v$   $t$   $m$   $i$   $Z$   $v$   $c$   $g$   $v$   $I$   $v$   $1$   
 $w$   $w$   $M$   $O$   $w$   $x$   $t$   $Z$   $t$   $h$   $c$   $w$   $i$   $g$   $v$   $Y$   $Z$   $v$   $t$   $c$   $i$   $c$   $O$   $v$   $R$   $b$   $n$   $q$ ,  $Z$   $v$   $t$   $K$   $w$   $f$   $P$   $v$   $t$   $c$   
 $M$   $v$   $t$   $m$   $i$   $A$   $v$   $t$   $c$   $w$   $y$   $K$   $Z$   $v$   $c$   $e$   $t$   $j$  |  $B$   $n$   $v$   $t$   $K$   $C_p$   $O$   $v$   $i$   $v$   $c$   $O$   $r$   $k$   $K$   $i$   $v$   
 $n$   $a$   $l$ .



Temperature is a measure of the average kinetic energy of the particles in a substance. It is directly proportional to the average kinetic energy of the particles.

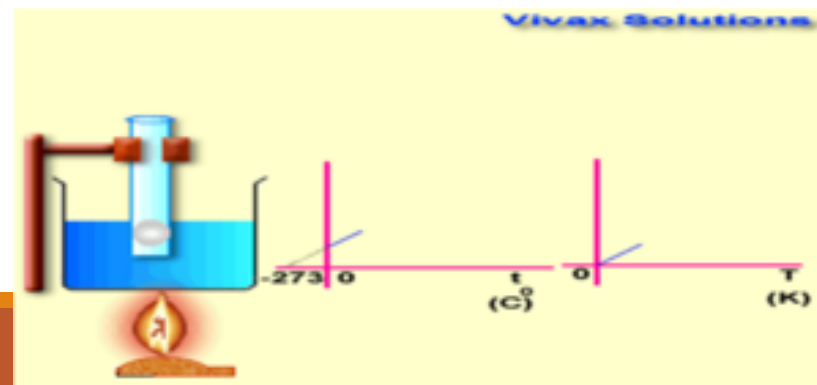
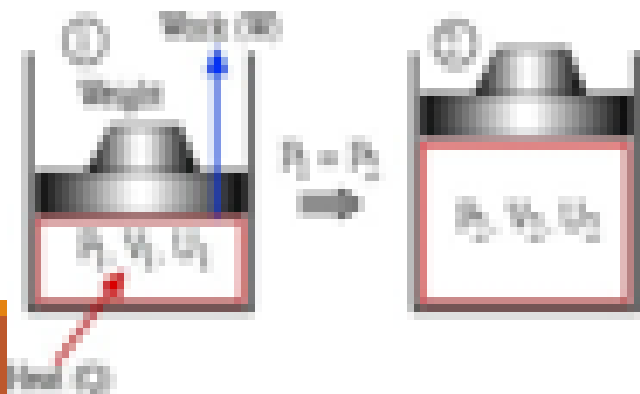
1. Temperature is a measure of the average kinetic energy of the particles in a substance. It is directly proportional to the average kinetic energy of the particles. Temperature is a measure of the average kinetic energy of the particles in a substance. It is directly proportional to the average kinetic energy of the particles.

Temperature is a measure of the average kinetic energy of the particles in a substance. It is directly proportional to the average kinetic energy of the particles. Temperature is a measure of the average kinetic energy of the particles in a substance. It is directly proportional to the average kinetic energy of the particles.



(1)  $w$  i Pvfc M'vtmi tgvj vi Avfcwjk Zvc( $C_p$ ) t-

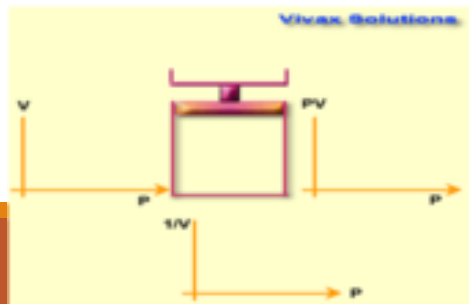
Pvc  $w$  i ti tL 1 tgvj tKvfbv GKwU M'vtmi ZvcgvI v 1  
 wvMÖKj wfb ewx tZ th cwigvY Zvtci cÖvRb nq,  
 ZvtK  $w$  i AvqZtb M'vtmi tgvj vi Avfcwjk Zvc  
 etj | Bnvtk  $C_p$  Øviv cÖk Kiv nq | Pvc  $w$  i ti tL  
 m tgvj M'vtmi ZvcgvI v  $\Delta T$  evov tZ hw` Rj  $\Delta Q$   
 Zvtci cÖvRb nq, Zte msÁvbnvti  $C_p = \frac{\Delta Q}{m\Delta T}$





(2)  $w$   $\bar{f}$  AvqZtb M'vtmi tgvj vi Avtcwjk Zvc( $C_v$ ) t-

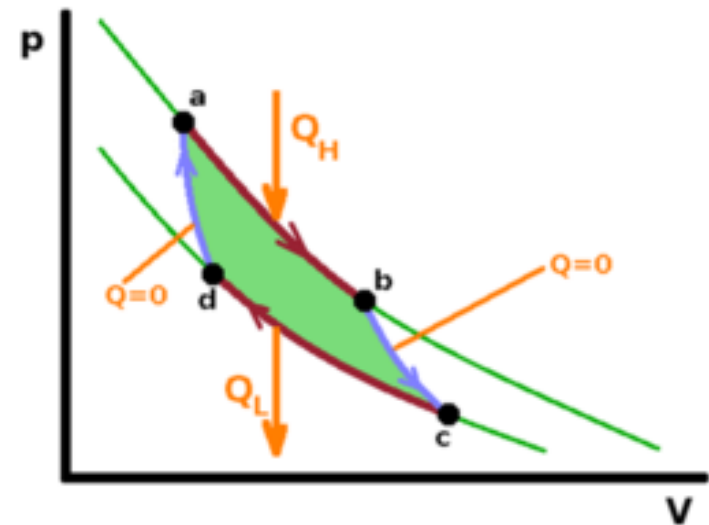
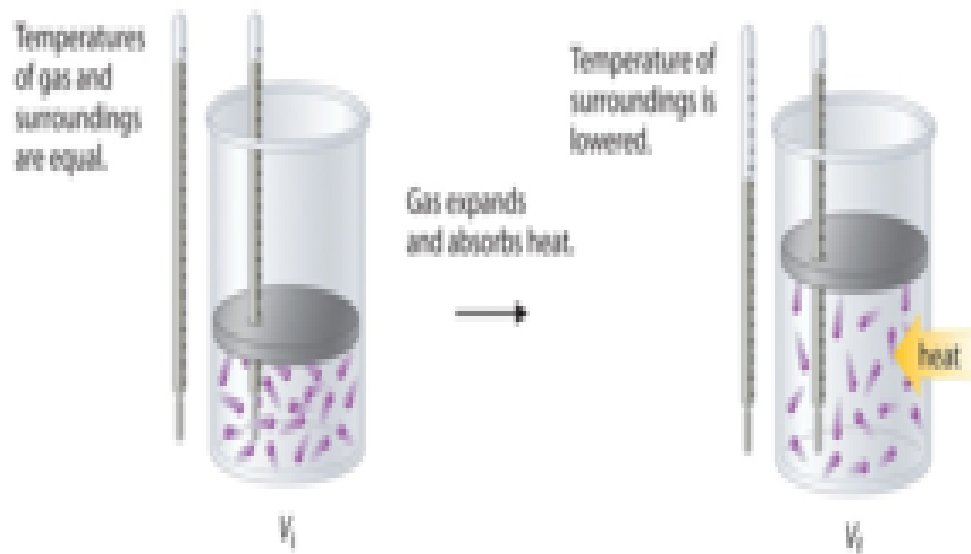
AvqZb  $w$   $\bar{f}$  ti tL 1 tgvj tKvtbv GKwU M'vtmi Zvcgv $\hat{I}$ v 1  
 wmwMÖKj wfb ewx tZ th cwigvY Zvtci cÖvRb nq,  
 ZvtK  $w$   $\bar{f}$  AvqZtb M'vtmi tgvj vi Avtcwjk Zvc etj |  
 Bnv tK  $C_v$  Öviv cÖk Kiv nq | AvqZb  $w$   $\bar{f}$  ti tL m  
 tgvj M'vtmi Zvcgv $\hat{I}$ v  $\Delta T$  evontZ hw` Rj  $\Delta Q$  Zvtci  
 cÖvRb nq, Zte msAvbvti  $C_v = \frac{\Delta Q}{m\Delta T}$   
 cixyvq t` Lv tM tQ  $C_p$  Gi gvb  $C_v$  Atcyv tenk nq |



# Thermodynamic Cycle

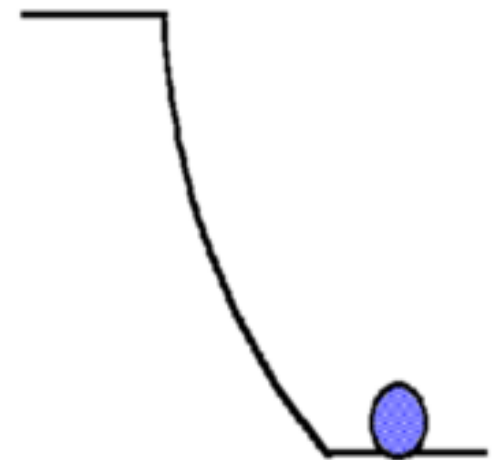
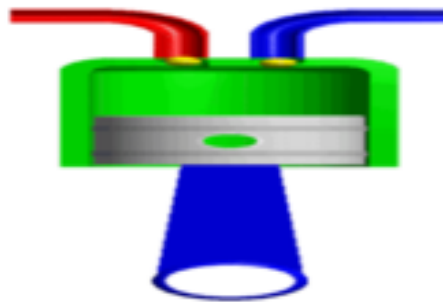
A thermodynamic cycle is a series of processes that return a system to its initial state. The cycle is represented by a closed loop on a P-V diagram. The cycle is shown in the diagram below, with the following processes:

- (1) Isothermal expansion: The gas expands at a constant temperature, absorbing heat from the surroundings.
- (2) Adiabatic expansion: The gas expands without exchanging heat with the surroundings.



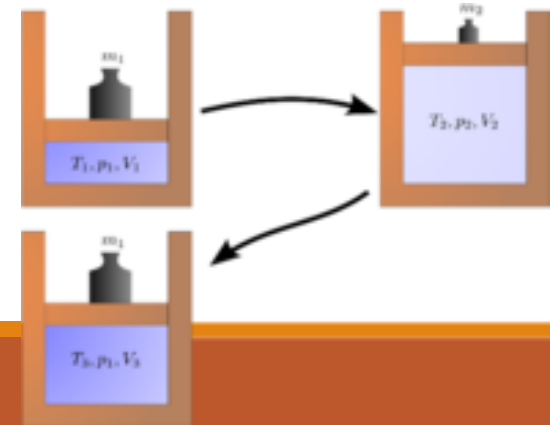
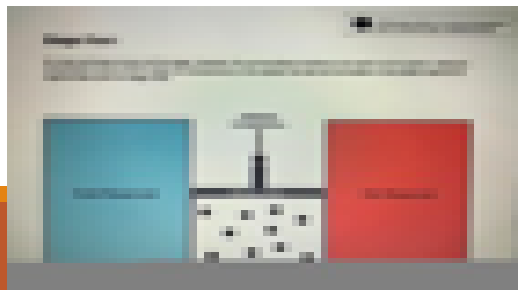
# cĐvMvgx cĐiqv t-

ZvcMwZve`vi`wótkvY nřZ Avgiv tmB cĐiqvtK  
cĐvMvgx ej řev hv mřŁgŁx cwieZři ci wecixZgŁx  
nřq cĐveZřKiřZ cvři Ges mřŁ I wecixZgŁx  
cwieZři cĐři Zvc I Kvřhřdjvdj mgvb I  
wecixZgŁx nq|



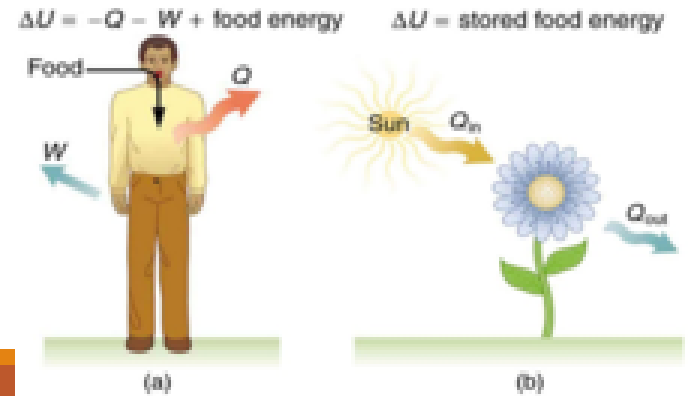
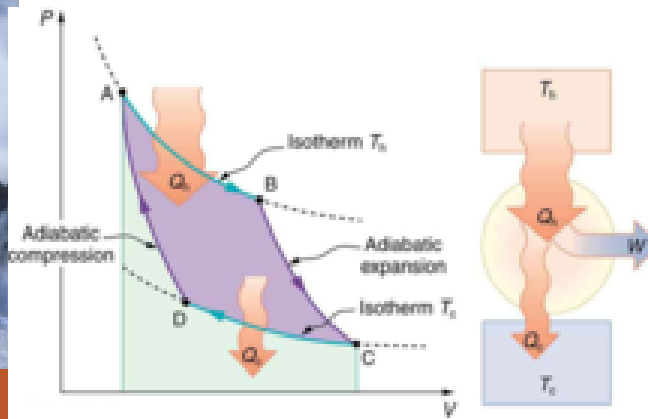
D`vniY t- ev<sup>-</sup> é tÿtÎ m<sup>α</sup>úY cÖvMvgx cPiqvi  
 D`vniY t` lqv m<sup>α</sup>€ ci bq | Zte wKQzKQzcPiqv  
 AvtQ hv<sup>t</sup> i tK AvcvZfvte cÖvMvgx cPiqv ej v  
 thtZ cvti |

(1) Ley axti axti msNwUZ Ki tj mtgvò Ges  
 iyZvc cwieZ<sup>©</sup>cÖvMvgx nte | Kvi Y GtÿtÎ  
 NI tY<sup>©</sup>b<sup>¨</sup>vq Aeÿqx ej bv \_vKvq Ges cPiqvU Ley  
 axti axti msNwUZ n lqvq cwienY, cwipj b l  
 wewKi tYi ` iæZvc ev kw<sup>3</sup> ÿq nq bv |



# Acyclic process

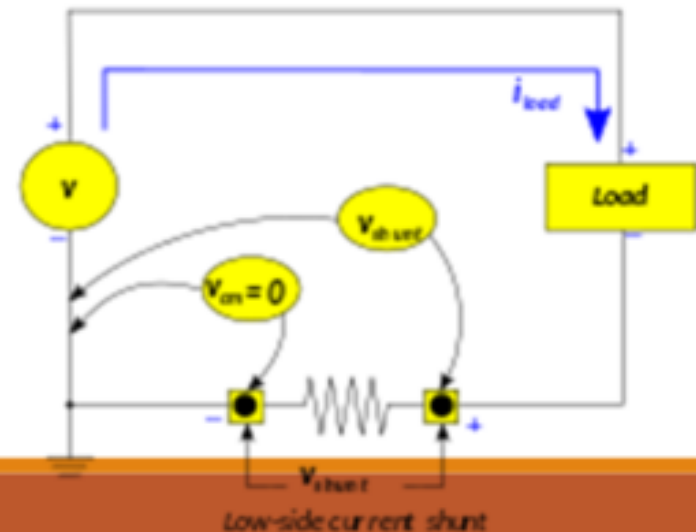
An acyclic process is a thermodynamic process that does not return to its initial state. It is a cycle that is not closed. In a cyclic process, the system returns to its initial state after a series of processes. In an acyclic process, the system does not return to its initial state. The process is irreversible and the system is not in equilibrium with its surroundings. The process is characterized by a change in the state of the system. The process is characterized by a change in the state of the system. The process is characterized by a change in the state of the system.



# D`vniY t-

(1) ^e` ywZK tivtai ga` w` tq we` y cEvnZ  
ntj Zvc mwpó nq| GwU GKwU AcÖvMvgx  
cñiqv|

(2) e>` k ntz ,wj Qøtj eviaf` i wetüviY  
NtU| GB wetüviY AwZ `æZ msNwUZ nq| GB  
cñiqv AcÖvMvgx|



Zvc BwÄb:- Zvc kw<sup>3</sup>†K w` †q KvR Kiv†Z ntj c†QvRb GKwU  
hvwšK e`e`vi , GB hvwšK e`e`v†KB Zvc BwÄb | Rv†j wvb  
†cvov†bvi e`e`vi Dci wbf†K†I BwÄb†K c†QvZ ` B†fv†e fvM  
Kiv hvq h\_v;- 1 | ewn` †BwÄb 2 | Aš† †BwÄb  
1 | ewn` †BwÄb t- th BwÄ†b Rv†j wvb i ` nb w†μqv BwÄ†bi gj-  
A††ki evB†i N†U, Zv†KB ewn` †BwÄb etj | ev<sup>®</sup>úxq BÄb GKwU  
ewn` †BwÄb |  
2 | Aš† †BwÄb t- th BwÄ†b Rv†j wvb i ` nb w†μqv BwÄ†bi gj-  
A††ki w†fZ†i N†U, Zv†KB Aš† †BwÄb etj | †c†U†j BwÄb,  
w††Rj BwÄb GKwU ewn` †BwÄb |

# cÖvMvgx | AcÖvMvgx cÖqv gv†S cv\_ R' wj L ?

cÖvMvgx | AcÖvMvgx cÖqv gv†Si cv\_ R' , t j v w b † P t` l qv n t j v -

## cÖvMvgx

(1) th cÖqv wecixZgEx n†q cÖveZbK†i  
Ges mαsLeZx⊙ wecixZgEx cÖqv cÖ  
-†i Zvc | Kv†Ri dj v dj mgvb | wecixZ  
nq tmB cÖqv†K cÖvMvgx etj |

(2) Kgl⊙j ms- v cÖvgK Ae- vq wd†i  
Av†m |

(3) GwU AwZ axi cÖqv |

(4) ms- v ZvcMZxq mvg' ve- v eRvq iv†L |

(5) GB cÖqvq Aeÿqx dj v dj ` ó nq bv |

## AcÖvMvgx

(1) th cÖqv wecixZgEx n†q cÖveZbK†i  
Ki†Z cv†i bv Zv†K AcÖvMvgx cÖqv  
etj |

(2) Kgl⊙j ms- v cÖvgK Ae- vq wd†i  
Av†m bv |

(3) GwU AwZ ` aZ cÖqv |

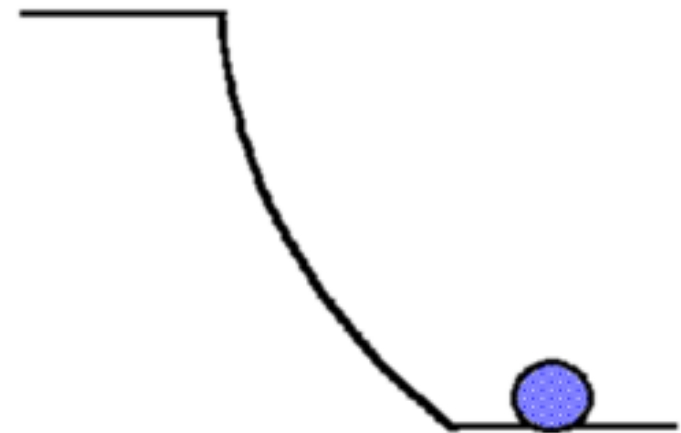
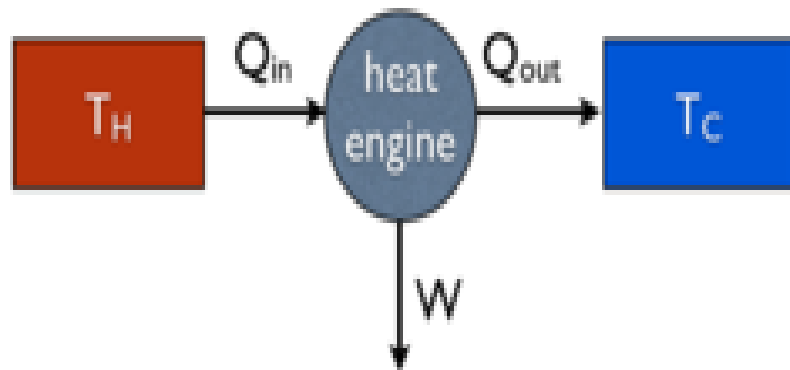
(4) ZvcMZxq mvg' ve- v eRvq iv†L bv |

(5) GB cÖqvq Aeÿqx dj v dj ` ó nq |



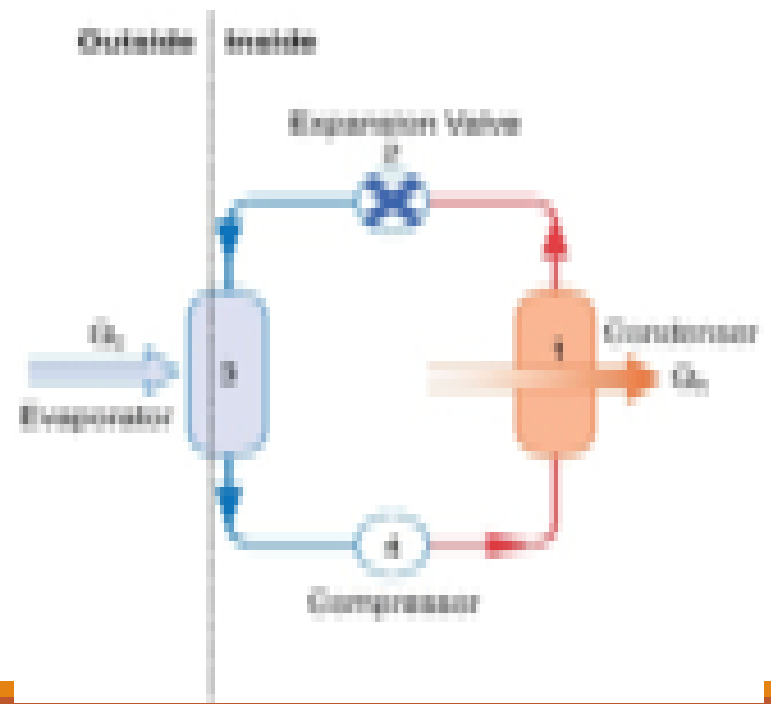
# ZvčMwZwe`vi 2q mĤ t-

Avgiv Rmb th, hvišk kw<sup>3</sup>, kãkw<sup>3</sup>, Avtj vK kw<sup>3</sup> cÖZ. wewfboe  
 cÖri kw<sup>3</sup> AwZ mnĤR Zvckw<sup>3</sup>ĤZ iæcvšĭi Z nq| wKš'  
 Zvckw<sup>3</sup>ĤK AwZ mnĤR Ab''kw<sup>3</sup>ĤZ iæcvšĭi Kiv hvq bv| ZĤe  
 Zvc kw<sup>3</sup>ĤK Ab'' kw<sup>3</sup>ĤZ iæcvšĭi KiĤZ ntj hĤšĭ cÖvRb|  
 GB hšĭ Zvc BwÄb bvĤg cwi wPZ|  
 weÁvbx KvĤYv GB wmxvšĭAvĤm th ZvcĤK KLbB mæúYĤc  
 KvĤR iæcvšĭi Kiv mæeci bq|



K<sub>1</sub> m<sub>1</sub> q<sub>1</sub> v<sub>1</sub> t<sub>1</sub> m<sub>1</sub> i w<sub>1</sub> e<sub>1</sub> w<sub>1</sub> Z t- evB<sub>1</sub> t<sub>1</sub> i t<sub>1</sub> K<sub>1</sub> v<sub>1</sub> t<sub>1</sub> b<sub>1</sub> v<sub>1</sub> k<sub>1</sub> w<sub>1</sub><sup>3</sup> i m<sub>1</sub> v<sub>1</sub> n<sub>1</sub> v<sub>1</sub> t<sub>1</sub> h<sub>1</sub>''  
 e<sub>1</sub>'' w<sub>1</sub> Z t<sub>1</sub> i t<sub>1</sub> K t<sub>1</sub> K<sub>1</sub> v<sub>1</sub> t<sub>1</sub> b<sub>1</sub> v<sub>1</sub> - q<sub>1</sub> s<sub>1</sub> m<sub>1</sub> μ<sub>1</sub> q h<sub>1</sub> t<sub>1</sub> š<sub>1</sub> ğ c<sub>1</sub> t<sub>1</sub> y<sub>1</sub> w<sub>1</sub> b<sub>1</sub> b<sub>1</sub> † Z<sub>1</sub> v<sub>1</sub> c<sub>1</sub> g<sub>1</sub> v<sub>1</sub> I<sub>1</sub> v<sub>1</sub>  
 t<sub>1</sub> K<sub>1</sub> v<sub>1</sub> t<sub>1</sub> b<sub>1</sub> v<sub>1</sub> e<sub>1</sub> - ' n<sub>1</sub> t<sub>1</sub> Z D'' P Z<sub>1</sub> v<sub>1</sub> c<sub>1</sub> g<sub>1</sub> v<sub>1</sub> I<sub>1</sub> v<sub>1</sub> t<sub>1</sub> K<sub>1</sub> v<sub>1</sub> t<sub>1</sub> b<sub>1</sub> v<sub>1</sub> e<sub>1</sub> - † Z Z<sub>1</sub> v<sub>1</sub> t<sub>1</sub> c<sub>1</sub> i  
 - v<sub>1</sub> b<sub>1</sub> v<sub>1</sub> š<sub>1</sub> I m<sub>1</sub> α € b<sub>1</sub> q |

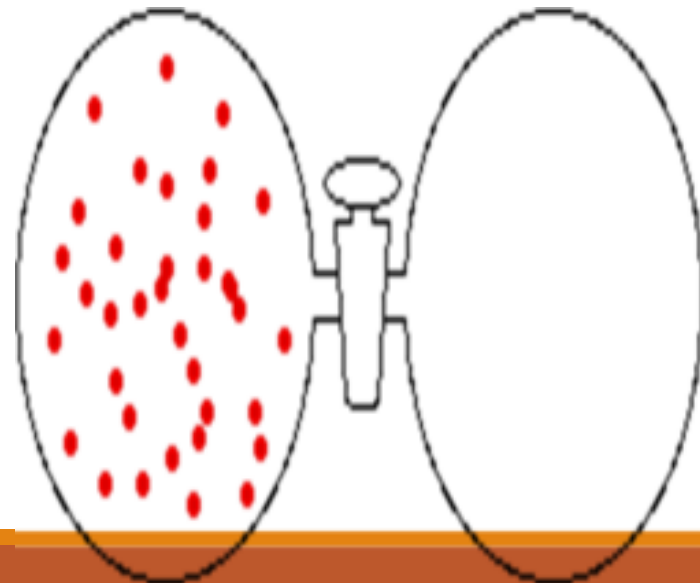
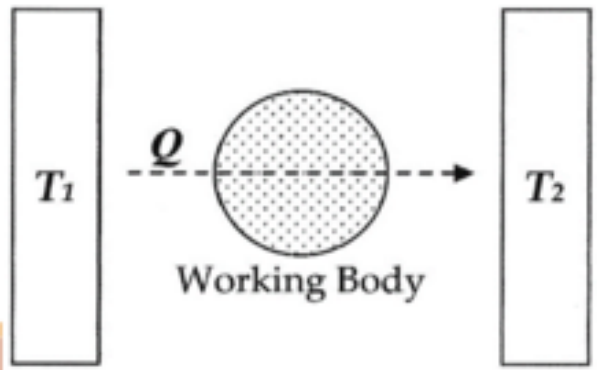
c<sub>1</sub> o<sub>1</sub> s<sub>1</sub> K G<sub>1</sub> i w<sub>1</sub> e<sub>1</sub> w<sub>1</sub> Z t- t<sub>1</sub> K<sub>1</sub> v<sub>1</sub> t<sub>1</sub> b<sub>1</sub> v<sub>1</sub>  
 Z<sub>1</sub> v<sub>1</sub> c<sub>1</sub> D<sub>1</sub> r<sub>1</sub> m<sub>1</sub> n<sub>1</sub> t<sub>1</sub> Z A<sub>1</sub> b<sub>1</sub> e<sub>1</sub> i Z Z<sub>1</sub> v<sub>1</sub> c<sub>1</sub>  
 t<sub>1</sub> k<sub>1</sub> v<sub>1</sub> I Y K<sub>1</sub> i t<sub>1</sub> e G<sub>1</sub> e<sub>1</sub> s m<sub>1</sub> α ú Y € t<sub>1</sub> c  
 K<sub>1</sub> v<sub>1</sub> t<sub>1</sub> R i α c v<sub>1</sub> š<sub>1</sub> I i Z n<sub>1</sub> t<sub>1</sub> e G<sub>1</sub> i α c  
 G<sub>1</sub> K<sub>1</sub> w<sub>1</sub> U Z<sub>1</sub> v<sub>1</sub> c B<sub>1</sub> w<sub>1</sub> Ä b ^ Z<sub>1</sub> w<sub>1</sub> i K<sub>1</sub> i v  
 m<sub>1</sub> α € b<sub>1</sub> q |



# Geometrische Optik

Die Brennweite  $f$  ist die Hälfte des Krümmungsradius  $r$ .  
 $f = \frac{r}{2}$

Abbildungsgleichung, Brennweite  $f$  ist positiv für Sammellinse  
 negativ für Zerstreuungslinse



# GbUñc Zvrch©

ZvcMwZve`"vq GbUñci , iæZ;Acwi mxg | Gi wbbñvj wLZ  
Zvrch©†q†Q -

(1) GbUñc GKwU cñkñZ.K iwwk hvi gvb Zvc I cig  
ZvcgvÎvi Abgv†Zi mgvb |

(2) GwU e-í GKwU Zvcxq ag©ñv Zvc mÂvj †bi w`K  
wb†`©K†i |

(3) GwU e-í ZvcMZxq Ae-í wbbav©Y mnvqZv K†i |

(4) GwU ZvcgvÎv, Pvc,AvqZb, Ašlbwn©kw<sup>3</sup>, PzKxq  
Ae-ívi b"vq †Kv†bv e-'Ae-í cñkñ Kiv nq |

(5) ZvcgvÎv I Pv†ci b"vq G†K Abñe Kiv hvq bv |

GKwU mxmvi e<sub>ij</sub> U tKv\_vl evavc<sup>0</sup> ntq Zvcgv<sup>1</sup>v 150K e<sub>ij</sub>× tcj , hw`  
 Ab` tKv<sub>t</sub>brfv<sub>te</sub> Zvc bó bv nq Zte e<sub>ij</sub> tUi teM KZ? mxmvi Av<sub>t</sub>cw<sub>j</sub>K  
 Zvc S=126 J kg<sup>-1</sup>k<sup>-1</sup>.

mgvarb,

$$awi, e_{ij} tUi teM = v \text{ ms}^{-1}$$

$$\text{Ges } e_{ij} tUi fi = mkg$$

$$\text{GLv<sub>t</sub>b } e_{ij} U KZK.KZKvR = e_{ij} tUi MvZkw^3 =$$

$$\text{Drcbde, } Zvc Q = ms\Delta\theta$$

$$\text{KZKvR } w \text{ m} \hat{A}Z MvZkw^3 \text{ wntmte } \_v\text{tK } Zvc$$

$$w = E_k = \frac{1}{2}mv^2 = \text{Drcbde, } Zvc Q$$

$$\frac{1}{2}mv^2 = ms\Delta\theta$$

$$v^2 = 2s\Delta\theta$$

$$= 2 \times 126 \times 150$$

$$v^2 = 37800$$

$$V = \sqrt{37800}$$

$$= 194.42 \text{ ms}^{-1}$$

GLv<sub>t</sub>b,

Av<sub>t</sub>cw<sub>j</sub>K Zvc,

$$S = 126 \text{ J kg}^{-1} \text{ k}^{-1}$$

Zvcgv<sup>1</sup>v e<sub>ij</sub>×,

$$\Delta\theta = 150 \text{ K}$$

e<sub>ij</sub> tUi teM, V=?

$dQ = 1200 \text{ J}$  Zvc tkvIY Kti Ges e'e-vi Dci 400J  
 KvR m $\alpha$ úv`vb Kti | e'e-vi Ašf-kw<sup>3</sup> i cwi gvY wbY©Ki |

mgvavb,  
 ZvcMwZve`vi 1g m $\hat{F}$  t $\_t$ K  
 Avgiv cvB,  $dQ = du + dw$   
 $dQ - dw = du$   
 $du = dQ - dw$   
 $= 1200 - (-400)$   
 $= 1200 + 400$   
 $= 1600 \text{ J}$

GLv**t**b, Zvc tkvIY Kti,  $dQ = 1200 \text{ J}$   
 e'e-vi Dci KvR m $\alpha$ úv`vb Kti,  
 $dw = -400 \text{ J}$   
 [:: e'e-vi(e<sup>-</sup>) Øviv KvR m $\alpha$ úw`Z  
 n**t**j abvZK Ges e'e-vi Dci KvR  
 m $\alpha$ úw`Z n**t**j FbvZK n**t**e]  
 e'e-vi Ašf-kw<sup>3</sup>,  $du = ?$

$m = 0.01 \text{ kg}$ ,  $c = 4200 \text{ J kg}^{-1} \text{ K}^{-1}$ ,  $T_1 = 0^\circ\text{C}$ ,  $T_2 = 10^\circ\text{C}$ .  
 Find the change in entropy  $\Delta S$ .

Given,  $m = 0.01 \text{ kg}$ ,  $c = 4200 \text{ J kg}^{-1} \text{ K}^{-1}$ ,  $T_1 = 0^\circ\text{C}$ ,  $T_2 = 10^\circ\text{C}$ .

$$\begin{aligned}
 \Delta S &= \int_{T_1}^{T_2} \frac{dQ}{T} \\
 &= \int_{T_1}^{T_2} \frac{msdT}{T} \\
 &= ms \int_{T_1}^{T_2} \frac{dT}{T} \\
 &= [m \log T]_{T_1}^{T_2} \\
 &= m s [\log T_2 - \log T_1] \\
 &= m s \left[ \log \frac{T_2}{T_1} \right] \\
 &= 0.01 \times 4200 \times \left[ \log \frac{283}{273} \right] \\
 &= 0.01 \times 4200 \times [\log_{10} 283 - \log_{10} 273] \\
 &= 0.01 \times 4200 \times [2.4527 - 2.4361] \\
 &= 1.509 \text{ J K}^{-1}
 \end{aligned}$$

Given,  $m = 0.01 \text{ kg}$

$S = 4200 \text{ J kg}^{-1} \text{ K}^{-1}$

$T_1 = 0^\circ\text{C} = (0 + 273) \text{ K}$   
 $= 273 \text{ K}$ ,

$T_2 = 10^\circ\text{C} = (10 + 273) \text{ K}$   
 $= 283 \text{ K}$ ,

Find the change in entropy  $\Delta S = ?$

এই অধ্যায় আমরা যে বিষয় গুলি আলোচনা করব

5g Aa"vq t- w̄ í Zwor

Avavb I Avavtbi cKÖZ., Kjt̄<sup>α</sup>m̄î, Zwot̄ȳî, Zwor  
wefe, Zwor cœt̄j̄", Zwor ZxeZv ev cœt̄j̄" I Zwor  
wefe Gi gta" m<sup>α</sup>úK, Zwor t̄ȳt̄î i tKv̄tbv we>`y  
wef̄tei i wkgvj v wbYq

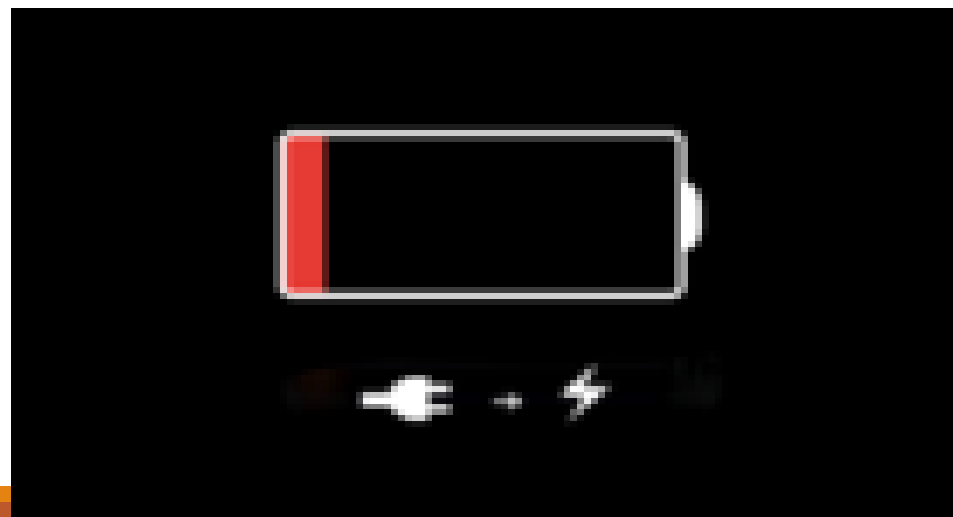


Avavb ev Pv†R†©msÁv t-

c`v\_@wóKvix tgšwj K K yng†ni tgšwj K I ^enkó“gj-K ag†KB Avavb ev  
PvR††j | tc†bi Avavb n†j v abvZK Ges B†j KUB Avavb†K FbvZK aiv  
nq| wbDU†bi †Kvb Avavb tbB|

Avav†bi cÖZ. t-

Avgiv Rwb, NI† PvR†Drcbœq| NI††i dtj wewfbœ†Z Drcbœ†R†  
cÖZ. GK iKg nq bv| GKw†Z mó Pv†R†cÖZ. Aciw†Z mó Pv†R†  
cÖZ.i wecixZ | cÖZ. Abv††i PvR†† cÖ†i h\_vt- 1| abvZK PvR† 2|  
FbvZK PvR†



wb†b†i cixÿv t\_†K Avgiv Pv†R†©cKÖZ. wbY†©Ki†Z cwi -  
GKwU KvP ` û wbB | GwU†K GK U†Kiv i K†bv tikgx Kvco  
w` †q NI†©Kwi Ges ` ûwU†K w†éi mÿzv w` †q S†j †q w` B |  
G†Z KvP` ûwU PvR†©Z Ae`vq \_vK†e | GLb Aci GKwU  
KvP` ûwU†K Abiyæfv†e †ikwq Kvco Øviv N†I S†žšÍ  
KvP` ûwUi wbKU awi | †` Le S†žšÍKvP` ûwU LwbKUv m†i  
wM†q†Q ev Gi ci`úi weKI†©Ki†Q |

Gevi GKWU BtevbvBU `Utk GK LU dv#bj Kvc0 ev ckwg Kvc0  
0viv NI Pkwí Ges SzšKvP` tUi wKtU Avmb| t` Le KvP` UWU  
BtevbvBtUi w` tK mti AvmtQ, ev ci`úitK AvKIYKtQ| Averi  
GKWU BtevbvBtUi `Utk dv#bj ev ckwg Kvc0 0viv NtI cteP  
BtevbvBU `tUi wKtU Sij tq w` B| t` Le Giv ci`úitK weKIY  
KtQ|

Dctii cixyv ntZ cöwZ nq th, tikgti NI P KwP` tU Drcboe  
PvR@dv#btj i NI P BtevbvBtU DrcboeP@wecixZ agx|ZvB  
ejv hvq , NI P i dtj `BU wecixZ cöwZi PvR@Drcboe|

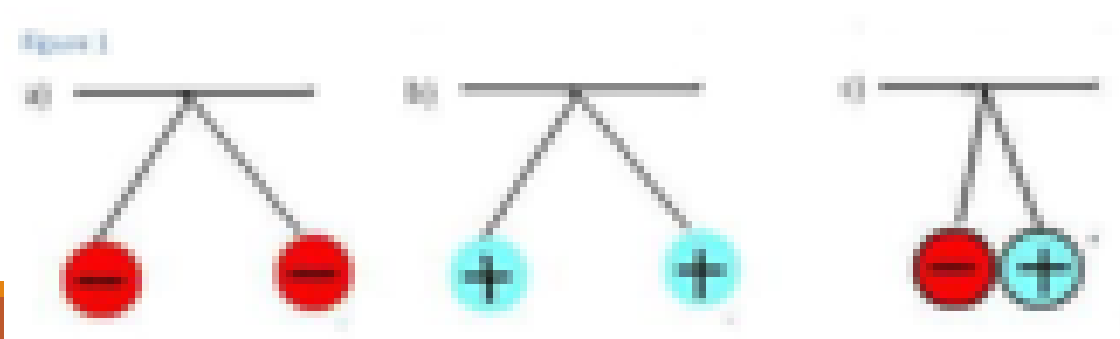
Avav†bi AvKIY⊙I weKIY⊙mĤt-

1| AvKIY⊙mĤ t-

weci xZ agx⊙vR⊙ei ~úit†K AvKIY⊙K†i , Zv†K AvKIY⊙  
mĤ etj | †hgb ab PvR⊙ FY PvR⊙ei ~úit†K AvKIY⊙  
K†i |

2| weKIY⊙mĤ t-

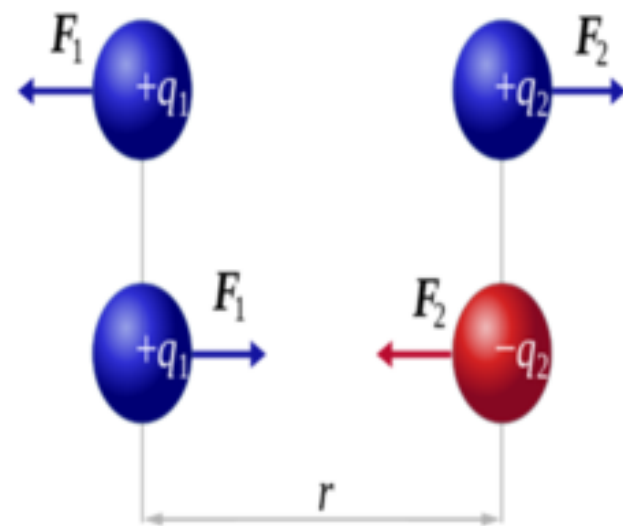
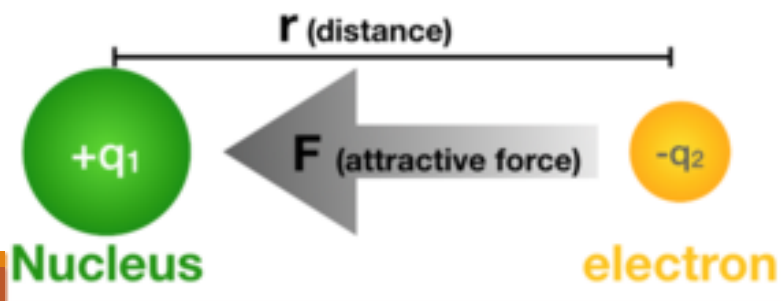
mgagx⊙vR⊙ei ~úit†K weKIY⊙K†i , Zv†K weKIY⊙mĤ  
etj | †hgb ab PvR⊙ ab PvR⊙ei ~úit†K weKIY⊙  
K†i |



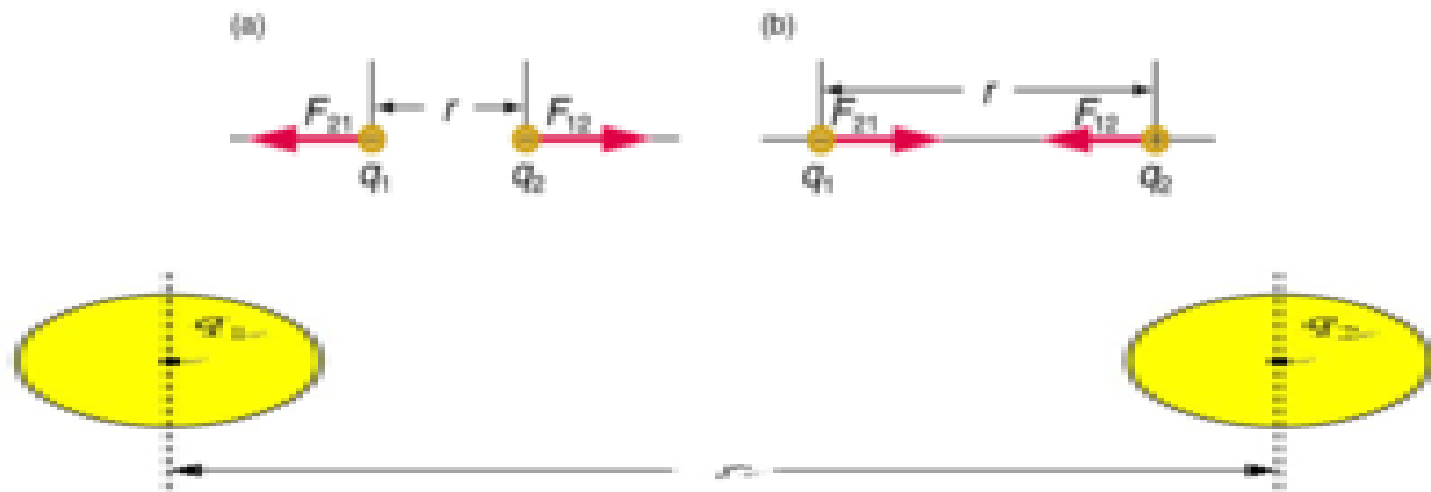
Kiztari m-t- Avgi v Rmb, ` BmU vecixZRvZxq Avavb ci -ui  
 AvKIYKti, Avi mgRvZxq Avavb ci -ui tK veKIYKti | ` w  
 Avavtbi ga'eZxG AvKIYev veKIYetj i gvb wbfKti |  
 m-t-

wv` o gva'tg ` w ve` yAvavtbi gta` wμqvKxj AvKIYev veKIY  
 etj i gvb Avavb0tqi , bdtj i mgvbwvZK | Gt` i ga'eZxG itZj  
 etM'e` vbwvZK Ges GB ej Avavb0tqi msthvRK mi j tiLv  
 eivei wlvav Ktil

$$F = k \frac{q_1 q_2}{r^2}$$



$$\frac{|F_1|}{r^2} = \frac{|q_1 \times q_2|}{r^2} = k_e$$



aihvK, Al B we` tZ Aew`Z `w Avartbi cwigvY h\_vµtg q1 Ges q2 Gt` i ga`eZx©

`iZjd Gt` i gta` µqvqxj AvKIY©ev weKIY©ej tK w`i Zvor ej etj Ges G etj i

gvb ntj F, Kj tα^ m^vbnvti ,

$F \propto q_1 q_2$  hLb, d w`i \_vtK |

$F \propto \frac{1}{d^2}$  hLb, q1 Ges q2 w`i \_vtK |

d, q1 Ges q2 mKj iwkb cwieZbkxj iwkb ZLb,

$F \propto \frac{q_1 q_2}{d^2}$

$F = C \frac{q_1 q_2}{d^2}$  GLvtb GKwU mgvbywZK aæK, hvi gvb iwkb \_tj vi GKK Ges we`y

Avavb0tqi ga`eZx©va`tgi cKwZ. Dci wbf©Kti | G aæKtK AtbK mgq Kj tα^ aæK

ej v nq |

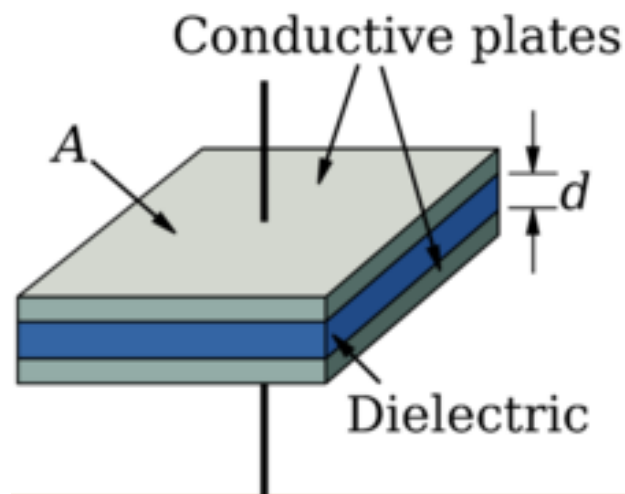
Zvor gva'gv<sup>1/4</sup>i msAv t- th tKv<sup>1/2</sup>bv ` y Avav<sup>1/2</sup>bi gta' w` wkó  
` iZ<sub>j</sub>kb' v<sup>1/2</sup>tb μqv<sup>1/2</sup>kxj ej Ges H ` y Avav<sup>1/2</sup>bi gta' H  
GKB ` iZ<sub>j</sub>Ab' gva'tg μqv<sup>1/2</sup>kxj etj i AbvZ GKU adē  
msL'v nq| G adē msL'v<sup>1/2</sup>tK H gva'tgi Zvo gva'gv<sup>1/4</sup> etj |  
GtK K 0v<sup>1/2</sup>iv cK<sup>1/2</sup> Kiv nq|

aiv hvK  $F = kb' v<sup>1/2</sup>tb ` y Avav<sup>1/2</sup>bi ga'Kvi ej ,$

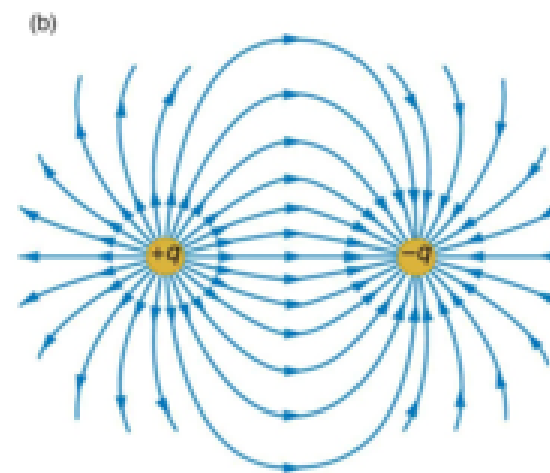
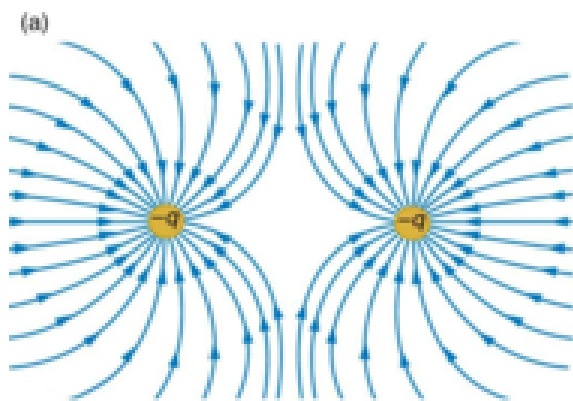
$F_m = th tKvb gva'tg GKB ` iZ<sub>j</sub> ` y Avav<sup>1/2</sup>bi ga'Kvi ej$

H gva'tgi Zvor gva'gv<sup>1/4</sup> K

$$\therefore K = \frac{F}{F_m}$$

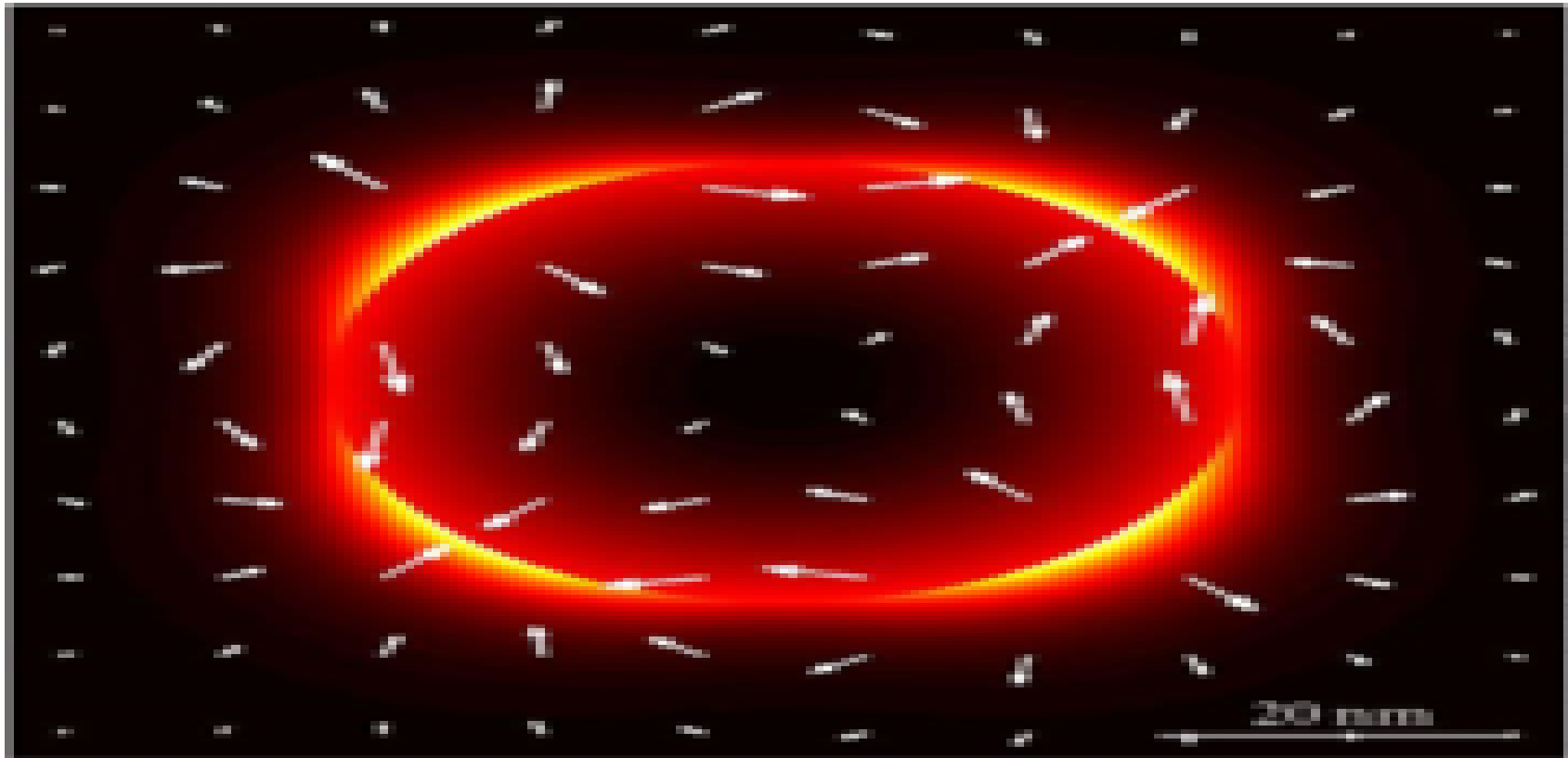


Zvor tÿÎ t- GKwU AwnZ e<sup>-</sup> i Pvi w` ‡K th AÂj e<sup>-</sup>vcx Zvi  
 cÖe eRvq \_v†K A\_v†Ab<sup>•</sup> †Kv†bv AwnZ e<sup>-</sup> i Avbv ntj †mwU  
 AvKI<sup>•</sup>ev weKI<sup>•</sup>ej jvf K†i tmB AÂj †K H AwnZ e<sup>-</sup> i  
 ej tÿÎ ev ZvortÿÎ etj | ZvE|Kfvte GKwU ZvorMÖe<sup>-</sup> i  
 ZvortÿÎ Amxg chsÖe<sup>-</sup> Z |

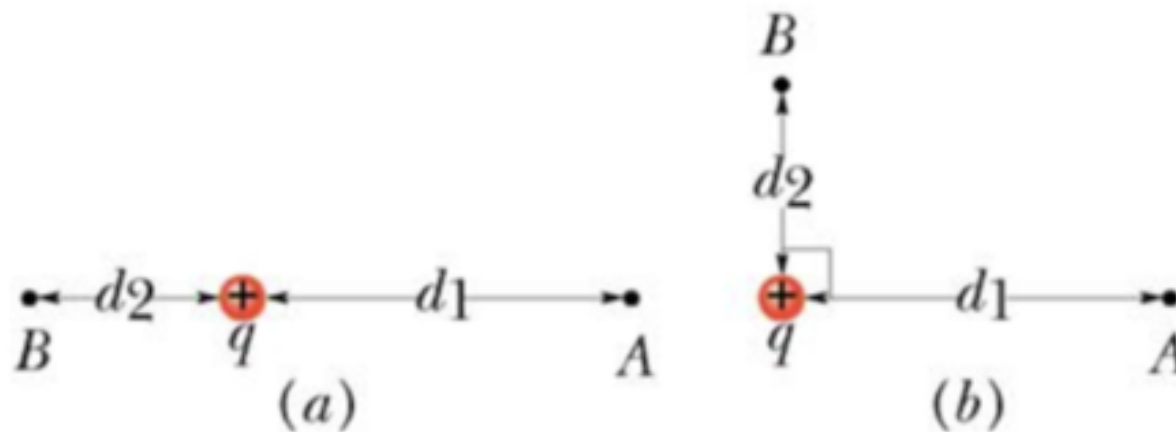




Zvor cöj " t- Zvortÿtî i tKv†bv we› †Z GKwU GKK  
abvZK ciL Avavb ~vcb Kitj tmwU th ej Abye K†i ,  
Zv†K H we› †y Zvor cöj " etj | tKv†bv ZvorMÖe~f  
Zvor tÿtî i g†a" me†©Gi cÖe mgvb \_v†K bv | wevfboe  
we› †Z Gi cÖe wevfboe |



Zvor wefe t- Amxg t\_†K cÖ GKK abvZK Avavb†K  
 cwievn†Ki Ly wK†U Avb†Z Zvor ej Øviv ev Zvor etj i  
 weia†× th cwigvY KvR m×úboq , Zv†KB H cwievn†Ki  
 Zvor wefe etj | tKv†bv AvnZ e†i Zvort††i g†a GKwU  
 Avavb†K GK we† y\_†K Ab we† yZ v†bš†i Ki†Z ntj wKQz  
 KvR m×úboq.



Zvor c $\ddot{e}$ j " ev Zvor ZxeZv I Zvor wef $\ddot{t}$ ei m $\alpha$ úK $\oplus$   
 awi , A Ges B Zwort $\ddot{y}$ t $\hat{I}$  i g $\ddot{t}$ a" Aew $\bar{Z}$  w $\text{b}$ KeZx $\odot$  w $\text{e}$  $\rangle$ ` y  
 Avevi awi , A we $\rangle$ ` y wefe hw`  $V_A$  , B we $\rangle$ ` y wefe hw`  $V_B$  nq,  
 Z $\ddot{t}$ e wefe cv $\_K$  n $\ddot{t}$ e =  $V_A - V_B$   
 GLb Ges we $\rangle$ ` y KvQvKvQ n l qvq we $\rangle$ ` y w $\ddot{t}$ Z Zvor c $\ddot{e}$ tj " i gvb  
 c $\ddot{e}$  GKB aiv hvq | awi , GB c $\ddot{e}$ tj " i gvb=E

GLb GKK abvZK Avavb†K †\_†K we>` †Z Avb†Z th KvR  
 Ki†Z n†e Zvi cwi gvY = c<sup>⊙</sup>†j "×` i-Z&

$E \times AB$

Wkš'GKK abvZK Avavb†K †\_†K we>` †Z Avb†Z th KvR  
 Kiv j v†M †mB Kv†Ri cwi gvY H we>` y` wli wefe cv\_†K"i  
 mgvb | mgvb Zvnt†j

wefe cv\_†K" = Kv†Ri cwi gvY ev,

$$A_{v\odot} V_A - V_B = E \times AB$$

$$\text{ev, } E \times AB = V_A - V_B$$

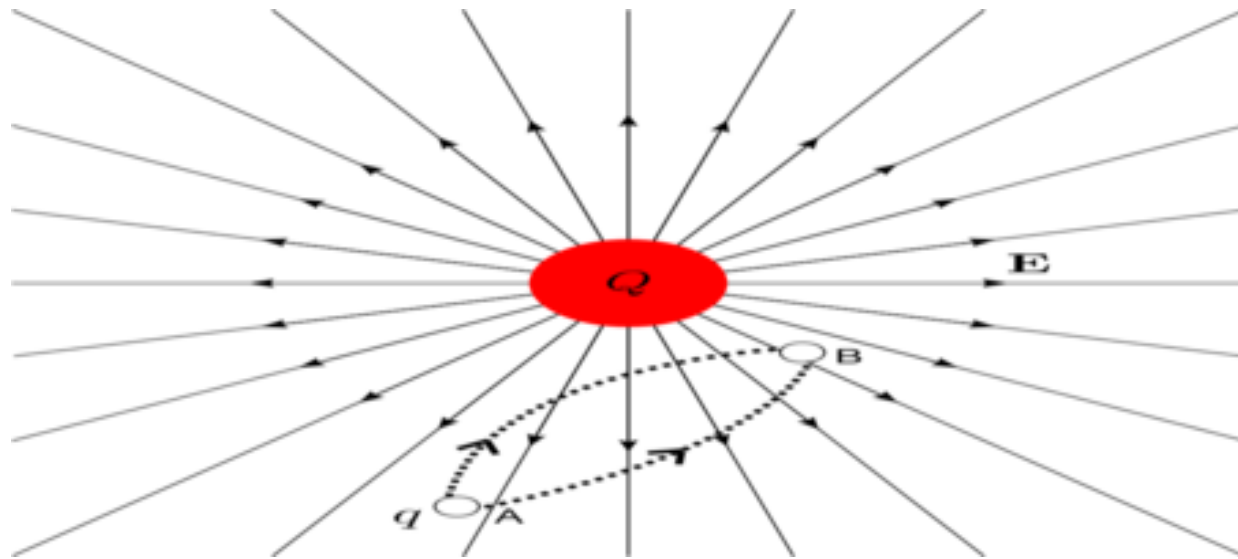
$$\text{ev, } E \times r = V_A - V_B$$

$$\therefore E = \frac{V_A - V_B}{r}$$

Zvor tÿtÎ i tKvÿbv we>` y wefÿei i wkgvj v t-  
 aiv hvK, K gva`gv¼wekó tKvÿbv gva`tg A we>` yZ +q cwi gvY Avavb  
 ~wicz AvtQ | A we>` yÿ\_tK r` hÿZj B we>` yZ wefe wby©KiÿZ  
 nÿe |

A we>` yZ +q ~wicz Avavÿbi Rb B we>` yZ GKK abvZK Avavÿbi

Dci ej Z\_ Zvor cÿj nÿe | 
$$E = \frac{1}{4\pi\epsilon_0 K} \frac{q}{r^2} \text{----- (1)}$$



Zvor cÖtj i w` K BC eivei |

GLb GB GKK abvZK Avavb†K BA eivei AwZ ýž<sup>a</sup>dr

` i-Z |cwi gvY mwi †q D we>` yZ Avb†Z mαúbd†Ri cwi gvY

GB ` B we>` y wefe cv\_K dV Gi mgvb |

dV = GKK abvZK Avav†bi Dci ej × etj i w` †K

mi†Yi Dcvsk

$$dV = E \times dr \cdot \cos 180^\circ$$

$$dV = E \times dr \cdot (-1)$$

$$dV = - E \times dr.$$

$$dV = - \frac{1}{4\pi\epsilon_0 K} \frac{q}{r^2} dr$$

mis vs Amxg ` i-Zit\_+K GKK abvZK Avavb+K B we>` yZ Avb+Z tgvU

$$\int_{\infty}^v dv = \int_{\infty}^r - \frac{1}{4\pi\epsilon_0 K} \frac{q}{r^2} dr$$

$$ev, [v]_{\infty}^v = - \frac{q}{4\pi\epsilon_0 K} \int_{\infty}^r \frac{1}{r^2} dr$$

$$ev, V-0 = - \frac{q}{4\pi\epsilon_0 K} \int_{\infty}^r r^{-2} dr$$

$$ev, V = - \frac{q}{4\pi\epsilon_0 K} \left[ - \frac{1}{r} \right]_{\infty}^r$$

$$ev, V = - \frac{q}{4\pi\epsilon_0 K} \left[ - \frac{1}{r} + \frac{1}{\infty} \right] \because \frac{1}{\infty} = 0$$

$$ev, V = - \frac{q}{4\pi\epsilon_0 K} \left[ - \frac{1}{r} + 0 \right]$$

$$ev, V = - \frac{q}{4\pi\epsilon_0 K} \cdot - \frac{1}{r}$$

$$\therefore V = \frac{1}{4\pi\epsilon_0 K} \cdot \frac{q}{r} \text{ ----- (2)}$$

এই অধ্যায় আমরা যে বিষয় গুলি আলোচনা করব

৬০ Aa"vq t-†PŠαKZj

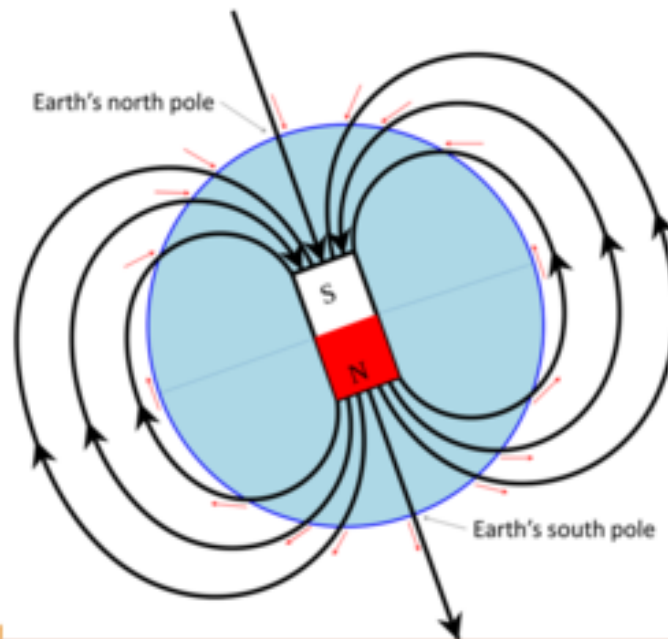
PyK, †PŠαK c`v\_@†PŠαK c`v\_@†PŠαK

†giæ†PgŠαK†ÿÎ, †PgŠαK ZxeZv, cW\_exi Dcv`vb,

†PŠαK c`v†\_†tkÖnefvM

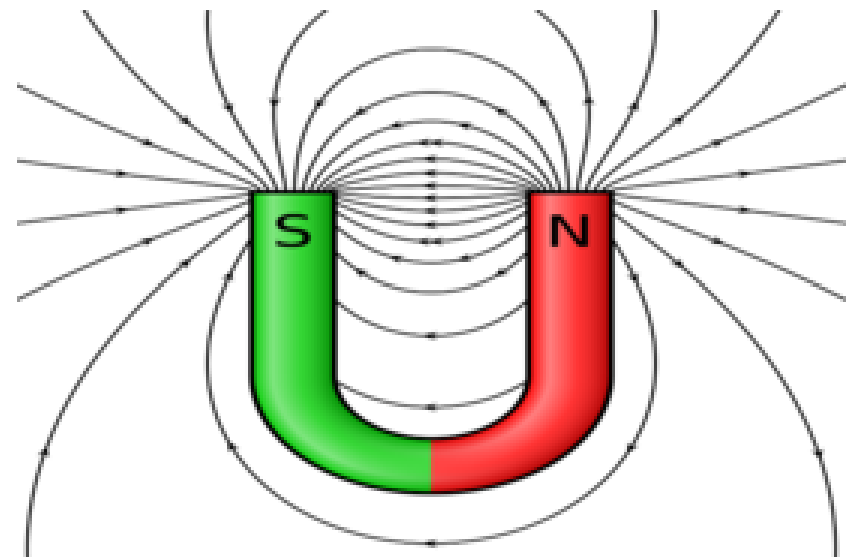


†Kv†bv PzK kj vKv ev ` Ū PzK†K AbfugKfvte Gi fvi†K†` a  
 gŷ Ae`vq `vcb Ki†j GwU me mgqB tgvUv†gwwU Dëi `wŷY  
 w` K eivei Ae`vb K†i | Gi †\_†K eŷv hvq th, fcô GKwU  
 †PŠαK†y†Î ve` `gvb | cww\_ex GKwU Pz†Ki b`vq AvPiY K†i | PzK  
 kj vKvi Ay Ges Abfug†Ki Ašf, © †KvY fc†ôï wewfbœ†b  
 wewfbœ†b | GgbwK H-†ôï wewfbœ†b j wä †PŠαK†y†Î i w` K  
 wewfbœ†b



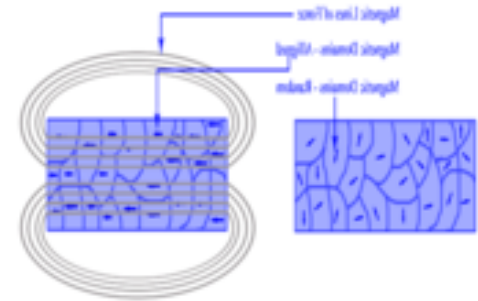
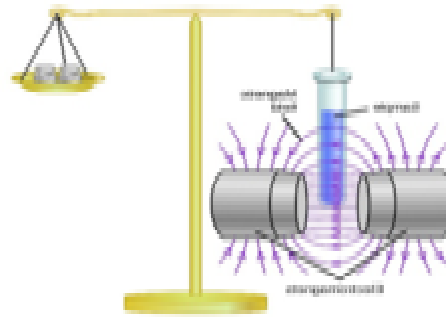
c<sub>w</sub> ex tPŠ<sub>α</sub>K tgiæ` wji msthvRK mij tiLv Ges tFŠtMwj K tgiæ  
 ` wji msthvRK mij tiLvi AšM<sub>z</sub> tKvY A\_v<sub>©</sub>c<sub>w</sub> exi tPŠ<sub>α</sub>K Aÿ  
 Ges tFŠtMwj K A†ÿi AšM<sub>z</sub> tKvY c<sub>ö</sub> 11.5 wM<sub>ö</sub>c<sub>w</sub> exi  
 tPŠ<sub>α</sub>K ` wÿY tgiæ Ges tFŠtMwj K DËi tgiyAšM<sub>z</sub> tKvY c<sub>ö</sub>  
 1750 wKwg c<sub>w</sub> ðtg Ges tPŠ<sub>α</sub>K tgiæ tFŠtMwj K ` wÿY tgiæi c<sub>te</sub> ©  
 Aew<sup>-</sup>Z |

PzK t- th me c` vt\_ ©AvKI V ev  
 weKI V I w` K wbt` k<sub>©</sub> ag<sub>©</sub>†qtQ,  
 tmB me c` v\_ t<sub>©</sub> P<sub>α</sub>K etj | Gme  
 tPŠ<sub>α</sub>K c` v\_ ©PŠ<sub>α</sub>K†ÿÎ m<sub>w</sub>ó K†i  
 Ges Ab` tKvb Pz†Ki Dci ej  
 c<sub>ö</sub>vM K†i |



†PŠαK c`v\_Ⓢ

th me c`v\_Ⓢ PzK AvKIYⓈK†i Ges hv†` i†K Pz†K cwiYZ Kiv  
hvq, Zv†` i†K †PŠαK c`v\_Ⓢ†j | thgb, tj vnv, wb†Kj, †Kvevë  
B`úvZ BZ`vw` |

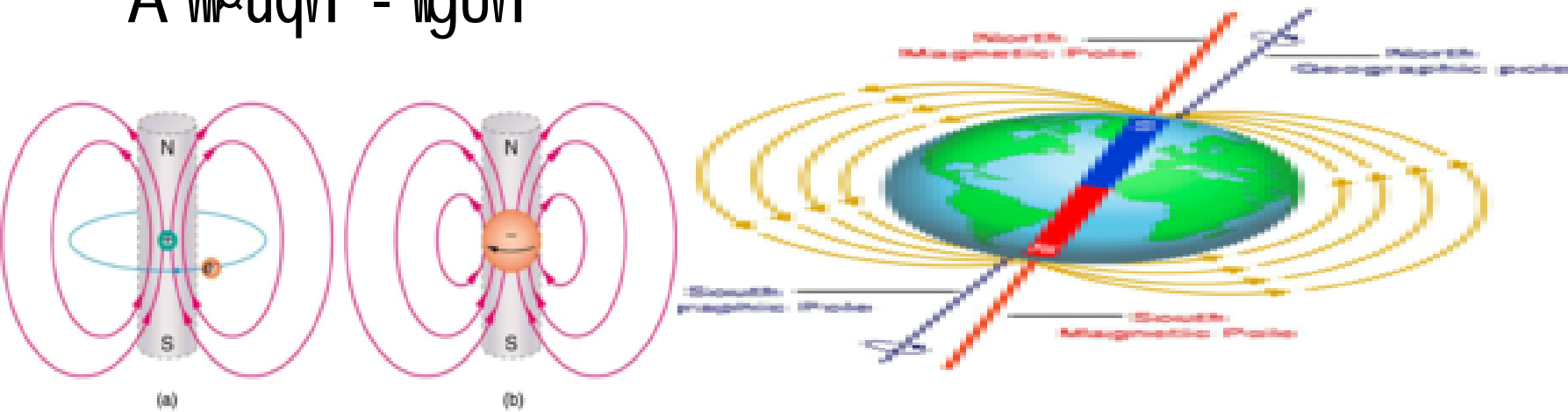


A†PŠαK c`v\_Ⓢ

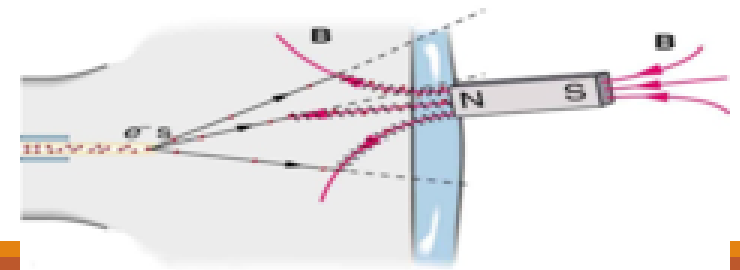
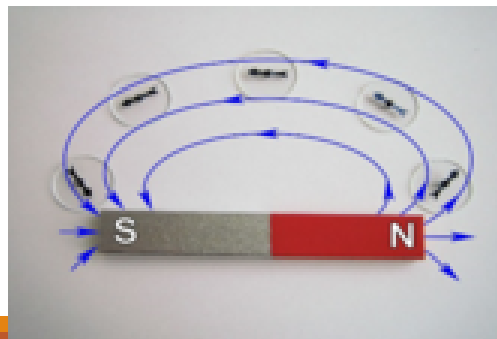
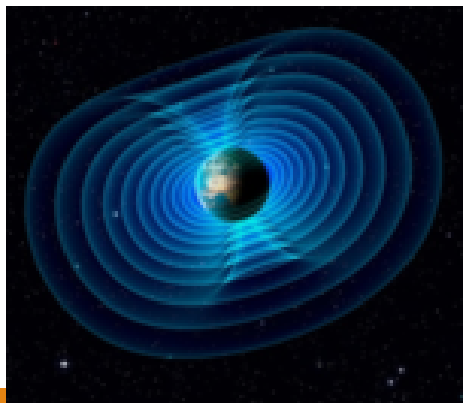
th me c`v\_Ⓢ PzK AvKIYⓈK†i bv Ges hv†` i†K Pz†K cwiYZ Kiv  
hvq bv Zv†` i†K A†PŠαK c`v\_Ⓢ†j | thgb, KvW, KvMR, Zvgv  
BZ`vw` |



1.  $\vec{B}$  is a vector field. It is represented by lines of force. The direction of the field is the direction in which a north pole of a magnet would move. The strength of the field is indicated by the density of the lines.

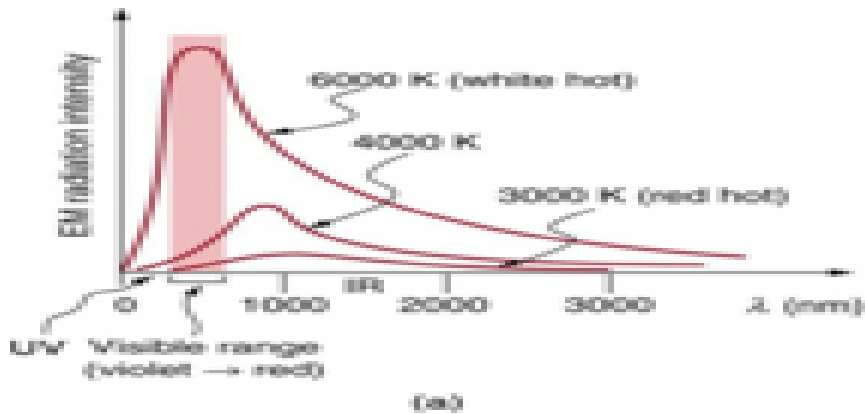


2. The magnetic field lines are closed loops. They do not start or end at any point. This is because there are no magnetic monopoles. The field lines are continuous and form closed loops.

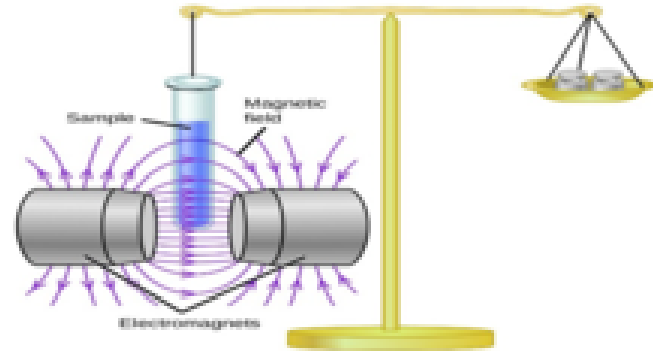
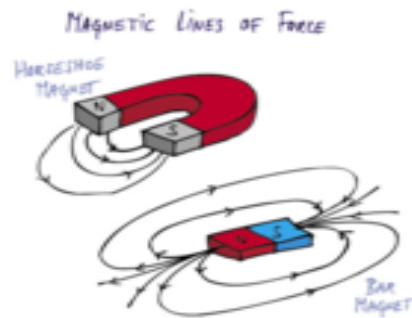


†PŠαK cŕj " t-

†Kv†bv Pz†Ki †PŠαK†y†Î i †Kv†bv we>` †Z GKWU GKK  
kW<sup>3</sup> i DËi tgiæ<sup>-</sup> vcb Kitj H tgiæth ej Ab†Z K†i  
Zv†K D<sup>3</sup> †PŠαK†y†Î i Rb" H we>` †Z †PŠαK cŕj " etj |  
†Kv†bv we>` y †PŠαK†y†Î Ges †PŠαK cŕk" Zvi Ab†vZB  
ntj v †PŠαK ZxeZv etj |



tPŠαK MÖZv t- tKv†bv c` vt\_ ©AF`šfi PzKvqb ZxeZv I cöy  
 tPŠαK†y†Î i ZxeZvi AbvZ†K H c` vt\_ ©tPŠαK MÖZv etj | G†K  
 $X_m$  Øviv cÖk Kiv nq|



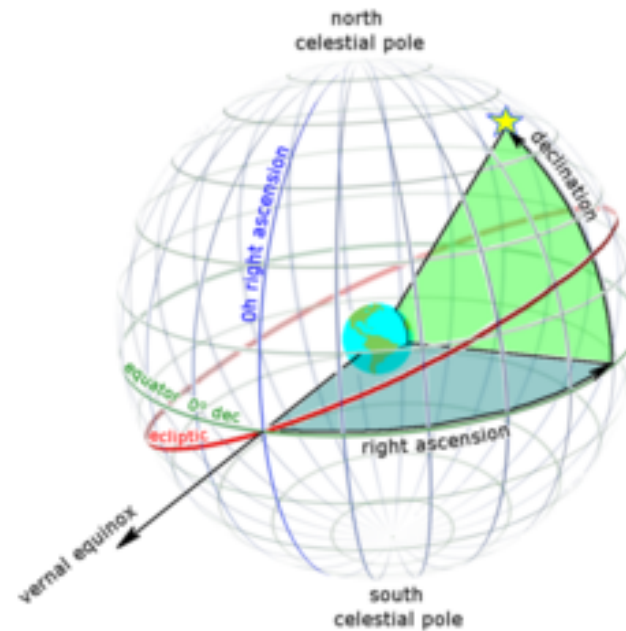
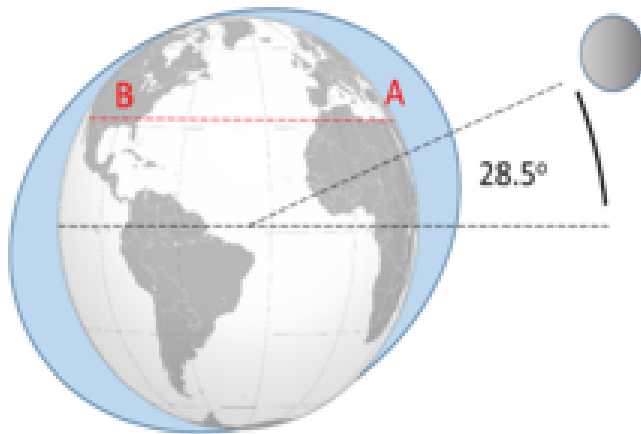
cW\_ex tPŠαK Dcv`vb t- tKv†bv `w†b cW\_exi tPŠαK†y†Î†K mαúY©  
 i†c eY† Kivi Rb` mvariY w†αv†v†k wZbWU w†Y†Kiv hvq|

1 | wePzWZ,

2 | webWZ,

3 | f, tPŠαK†y†Î i Abv†gK Dcvsk |

wePzwwZ t- tKvfbv vtb gy<sup>3</sup> fvte vwcZ PzK kj vKv  
 tfŠtMvwj K DEi-` wyY t\_tK th tKvfy wePzZ nq, H vtb  
 wePzwwZ etj | tKvfbv vtb wePzwwZ mvaviY θ 0viv cÖk Kiv  
 nq|



webwZ t- tKv†bv ~v†b f,†PŠαK tÿ†Î Aby†g†Ki mv†\_ th tKvY Drcboe  
K†i Zv†K H ~v†bi webwZ etj | tKv†bv ~v†b webwZ†K δ Øviv cÖk Kiv  
nq|

f,†PŠαK tÿ†Î i Aby†g†K Dcvsk t- tKv†bv ~v†b Aby†g†K eivei  
f,†PŠαK tÿ†Î i th Dcv0k \_v†K, Zv†K f,†PŠαK tÿ†Î i  
Aby†g†K Dcvsk etj | f,†PŠαK tÿ†Î i Aby†g†K Dcvsk B<sub>H</sub> ev  
H w` †q cÖk Kiv hvq|



†PŠαK c`v†\_©tkWÖ wefvM t- †PŠαK AvPi†Yi Dci wfw<sup>3</sup> K†i  
c`v\_@gn†K Wwqv†PŠαK, c`viv †PŠαK, tdtiv†PŠαK c`v\_@ntmte  
tkwYwefvM Kiv nq|  
1| Wwqv†PŠαK t-  
th-me c`v\_†K †PŠαK tÿ†Î ~vcb Kiv n†j PzKvqbKvix tÿ†Î i  
wecixZ w`†K mvgvb` PzKZij vf K†i, Zv†` i†K Wwqv†PŠαK etj |  
†hgb, Zvgv, `~Í, wmmv, tmvbw, KvP BZ`w` |

2 | c'vivtPŠαK t-

th-me c`v\_⊗ tPŠαK tÿtÎ ~vcb Kiv ntj PzKvqbKvix tÿtÎ i w`tK  
mvgvb" PzKZ;j vf Kti, Zvt`itK c'vivtPŠαK etj | thgb,tmvWqvg,  
A"vj wvbqvg, A"vwUgwb BZ"vw` |

tdtvtPŠαK t-

th-me c`v\_⊗ tPŠαK tÿtÎ ~vcb Kiv ntj PzKvqbKvix  
tÿtÎ i w`tK kw<sup>3</sup>kvj x PzKZ;j vf Kti, Zvt`itK  
tdtvtPŠαK etj | thgb, tj vnv, wbtKj, tKvevë BZ"vw` |

Wvqv†PŠαK, c`viv†PŠαK, †d†iv†PŠαK c`v†\_©gta` Zjbn KiY

Wvqv†PŠαK	c`viv†PŠαK	†d†iv†PŠαK
<p>1   th-me c`v_Ⓢ †PŠαK          †y†Î `vcb Kiv n†j          PzKvqbKvix †y†Î i wecixZ          w`†K mvgvb` PzKZij vf K†i ,          Zv†` i†K Wvqv†PŠαK etj  </p>	<p>1   th-me c`v_Ⓢ †PŠαK          †y†Î `vcb Kiv n†j          PzKvqbKvix †y†Î i w`†K          mvgvb` PzKZij vf K†i ,          Zv†` i†K c`viv†PŠαK etj  </p>	<p>1   th-me c`v_Ⓢ †PŠαK          †y†Î `vcb Kiv n†j          PzKvqbKvix †y†Î i w`†K          mvgvb` PzKZij vf K†i ,          Zv†` i†K c`viv†PŠαK etj  </p>
<p>2   †hgb, Zvgv, `~v, wmmv,          †mvbv, KvP BZ`w`  </p>	<p>2   †hgb, †mwwvqvg,          A`vj wgvbqvg, A`wvUgvb          BZ`w`  </p>	<p>2   †hgb, †jvnv, w†Kj ,          †Kvevë BZ`w`  </p>
<p>3   ZvcgvÎvi cwieZⓈ Gi          AvPi†Yi †Kv†bv cwieZⓈnq          bv  </p>	<p>3   ZvcgvÎvi ewx mv†_ Gi          PzKZjnviv†Z _v†K  </p>	<p>3   Kix we`y ci Gi †Kv†bv          PzKZj_v†K bv  </p>
<p>4   Wvqv†PŠαK c`v†_©          Af`š†i †PŠαK†y†Î kb`~v†b          †PŠαK †y†Î A†cyv Kg  </p>	<p>4   c`viv†PŠαK c`v†_©          Af`š†i †PŠαK†y†Î kb`~v†b          †PŠαK †y†Î A†cyv †ekx  </p>	<p>4   Wvqv†PŠαK c`v†_©          Af`š†i †PŠαK†y†Î kb`~v†b          †PŠαK †y†Î A†cyv A†bK</p>

# পাঠ ঘোষণা

cÂ`k Aa`vq t-Av†cwÿK ZËj

1905 mv†j hLb Avj evU@AvBb÷vBb Gi eqm vek eQi ZLb wZwb  
Av†cwÿKZvi we†kl ZËj;cÖk K†ib Avgv†`i wPšÍ †PZbv ev vekv†mi  
A†bK wKQB cwi eZb©mvab K†i†Q GB Av†cwÿKZvi ~vb, Kvj I fi  
†Kv†bvB cig ev wbi†cyÿ iwkk bq|

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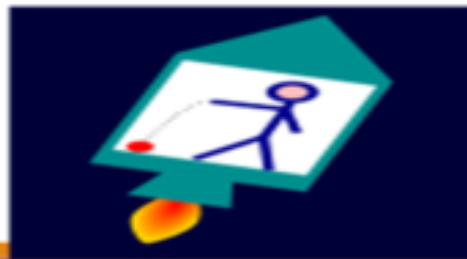
—/

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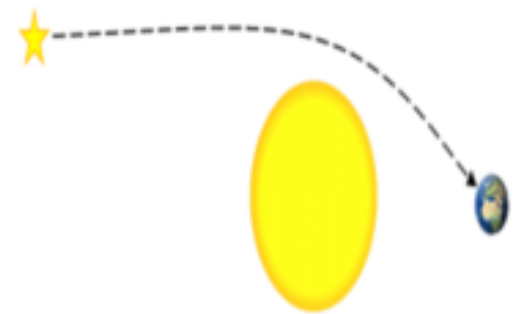
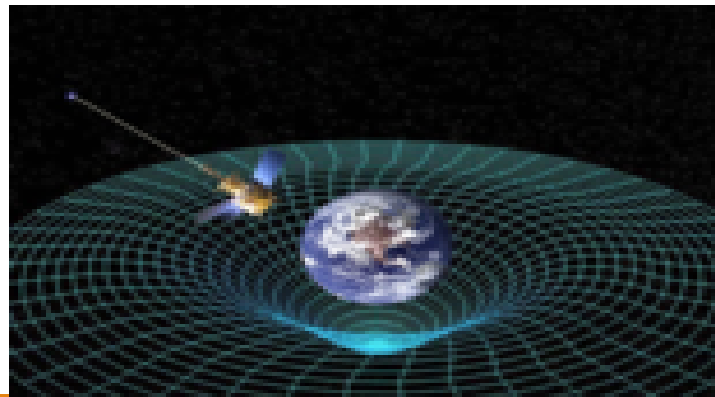
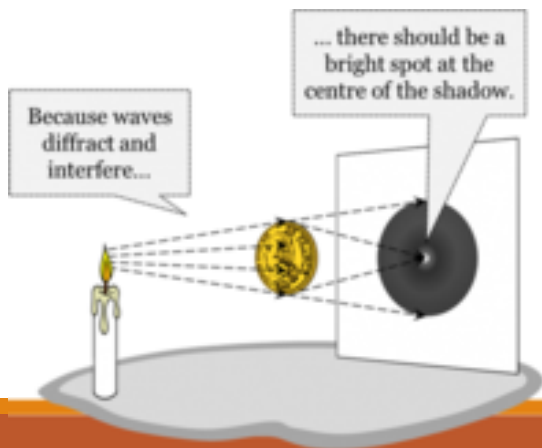
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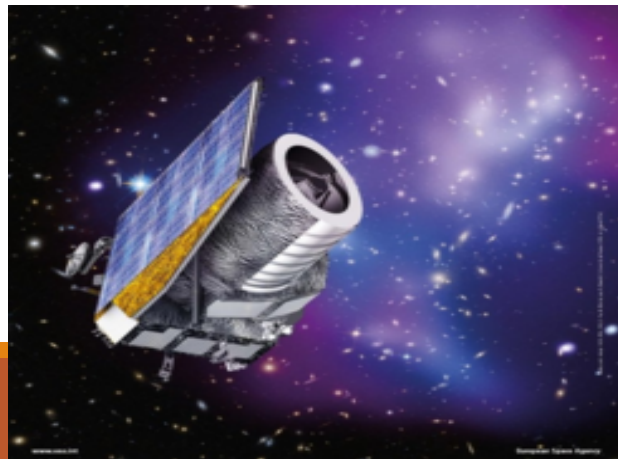
weÁvb Z\_v c`v\_@Áv‡bi ~vb I Kvj AZší\_iæZçY©  
avi Yv| ‡Kv‡bv NUbv eY@ Ki‡Z Avgv‡`i ~vb I Kv‡j i  
cÖvRb nq| NUbwU ‡Kv\_vq NU‡Q Ges KLb N‡U‡Q  
GUv bv Rvb‡j Avgiv NUbwU mαú‡K©"Q avi Yv cve bv|  
‡Kv‡bv e`í Ae`vb ‡Kv\_vq Ges e`U KZUv RvqMv`Lj  
K‡i Zv e\$‡Z ~v‡bi avi Yv cÖvb Kvj ‡\_‡K P‡j  
Avm‡Q| ‡Kvb NUbv Av‡M NU‡Q Ges ‡Kvb NUbv c‡i  
NU‡Q Ges KZÿY a‡i NU‡Q Zv e\$‡Z mg‡qi avi Yv  
cÖvRb|



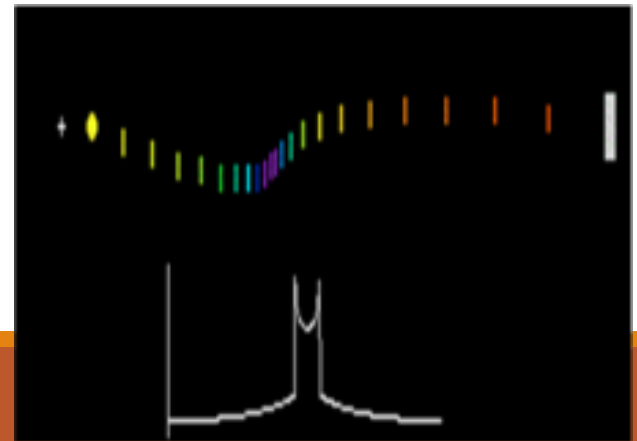
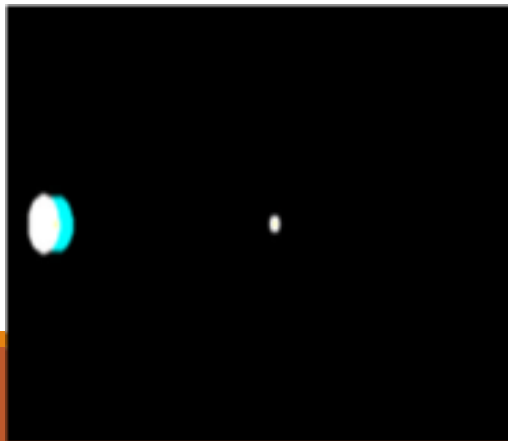
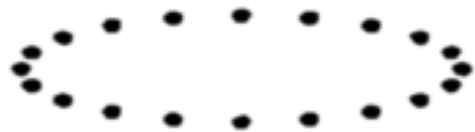
M'wj wj | Gi avi Yv t- M'wj wj | Zui mwZwe`v  
 ev Roe f tytI vb | Kvj e'envi KtiQb Zvi  
 MwZ | ZjtYi mH | Gi dtj c`v\_@Avtb vb |  
 Kvj AZ'si, iæZçY@wkw wntmte MwywZK mgxKiY  
 cök KtiQ | wDUtbi avi Yv t- vb | Kvj avi Yv  
 Avtiv uó | cwi gvYMZ ifc MÖY KtiQ wDUtbi  
 ej we`vi gva'tg |



BDW K#Wi Gi avi Yv t- v̄t̄bi R''w gwZK avi Yv cÖg  
 Dc v̄cbv Kt̄i b BDW KW | Avgv̄t̄ i Pvi cv̄tk hv Av̄t̄Q meB  
 v̄b |  
 wbDUbxq ev wPivqZ c`v\_w@Áv̄t̄b v̄b nt̄"Q wĭ gwĭ K GK  
 we v̄Z. | v̄t̄b tKv̄t̄bv i iæev tkI tbB | hv Amxg Gi  
 we v̄Z. | v̄b t̄K AwZyž<sup>a</sup> Ast̄k fvM Kiv hvq A\_v̄© v̄b  
 wbie wQb Ges v̄b mgmËj | v̄b thgb e`' I NUbv wbi t̄cÿ  
 tZgbB mgq wbi t̄cÿ, dt̄j Kv̄t̄j i cÖn v̄b t̄K e`j v̄t̄Z  
 cv̄ti bv |



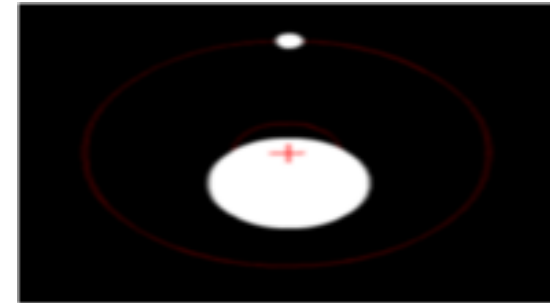
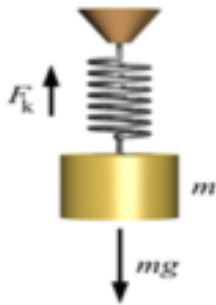
wDUtbi avi Yv Abvnti mgq ev Kvj wR<sup>-</sup> ^avivq c<sup>ö</sup>nZ  
 nte | tKvttbv e<sup>-</sup>'ev NUbvi Øviv GB Kwj K c<sup>ö</sup>n c<sup>ö</sup>meZ nq  
 bv | mgtqi tKvttbv i iæev tkl tbB | mgqtK AwZyž<sup>a</sup>Asfk  
 fvM Kiv hvq | mgq <sup>-</sup>vb wbitcy |  
 wDUbxq <sup>-</sup>vb Kvttj i avi Yvq Avgvt` i GB gnwmetk <sup>^</sup>ml gw<sup>^</sup>l K  
<sup>-</sup>vb I GKgw<sup>^</sup>l K mgq wttq MwZ nq | thLvttb mg<sup>-</sup>ÍNUbv  
 NUttQ I mg<sup>-</sup>Íe<sup>-</sup>'avi Yv Kiv AvttQ |  
 AvawbK c<sup>-</sup>v\_w<sup>@</sup>Ávttbi wDUbxq <sup>-</sup>vb Kvttj i cwieZl<sup>©</sup>GttttQ |  
 Gi gttj itttQ AvBb ÷ vBttbi Avttcw<sup>y</sup>K ZË;Ges cöt<sup>1</sup>/<sub>4</sub>i  
 tKvqv>Uvg ZË;|





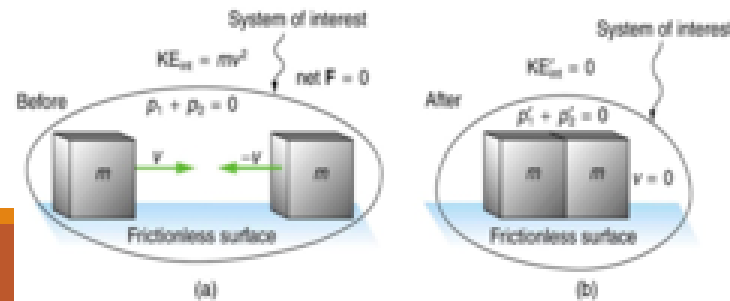
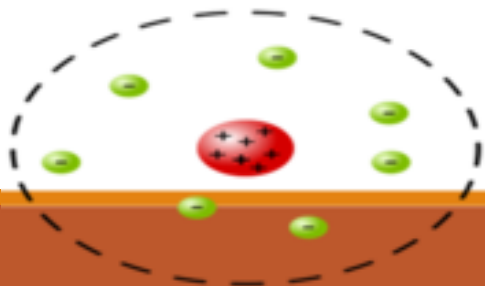
# e<sup>-</sup> i f i t-

tKv<sub>1</sub>bv e<sup>-</sup> tZ tgvU th cwi gvY c`v\_ Av<sub>1</sub>Q Zv<sub>1</sub>K Zvi (e<sup>-</sup> i) fi etj |  
 ~vb<sub>1</sub>f<sub>1</sub>` Gi gv<sub>1</sub>bi tKv<sub>1</sub>bv cwi eZ<sub>1</sub> nq bv | Zte e<sup>-</sup> 'hw` LyB D"P tetMi  
 (Av<sub>1</sub>tj vi tetMi KvQvKvM<sub>1</sub>Q) P<sub>1</sub>tj tmt<sub>1</sub>y<sub>1</sub>t<sub>1</sub>I f<sub>1</sub>tii cwi ewZ<sub>1</sub> nq |



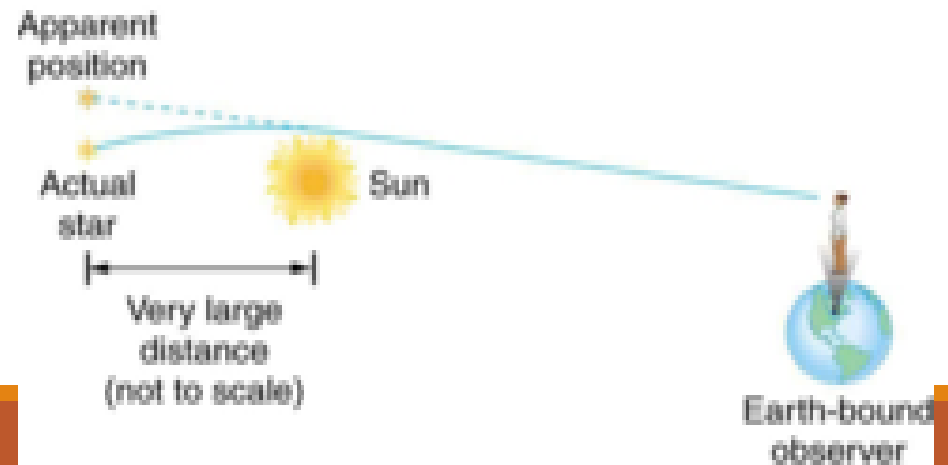
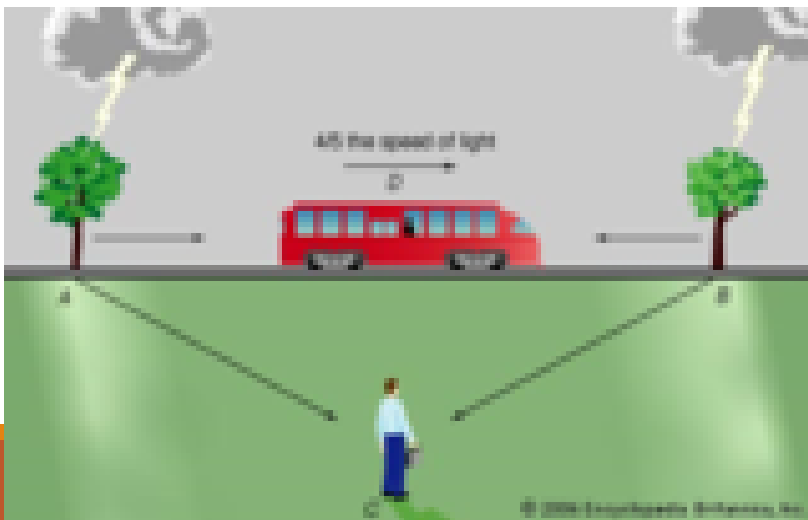
# w<sup>-</sup> wZ f<sub>1</sub>i i msÁv t-

ch<sub>1</sub>e<sub>1</sub>y<sub>1</sub>K vek<sub>1</sub>Q mv<sub>1</sub>t<sub>1</sub>ct<sub>1</sub>y<sub>1</sub> e<sup>-</sup> i fi cwi gvY Kiv ntj  
 Zv<sub>1</sub>t<sub>1</sub>K w<sup>-</sup> wZ fi etj | w<sup>-</sup> wZ fi e<sup>-</sup> i GKwU mnRvZ ag<sub>1</sub>Q

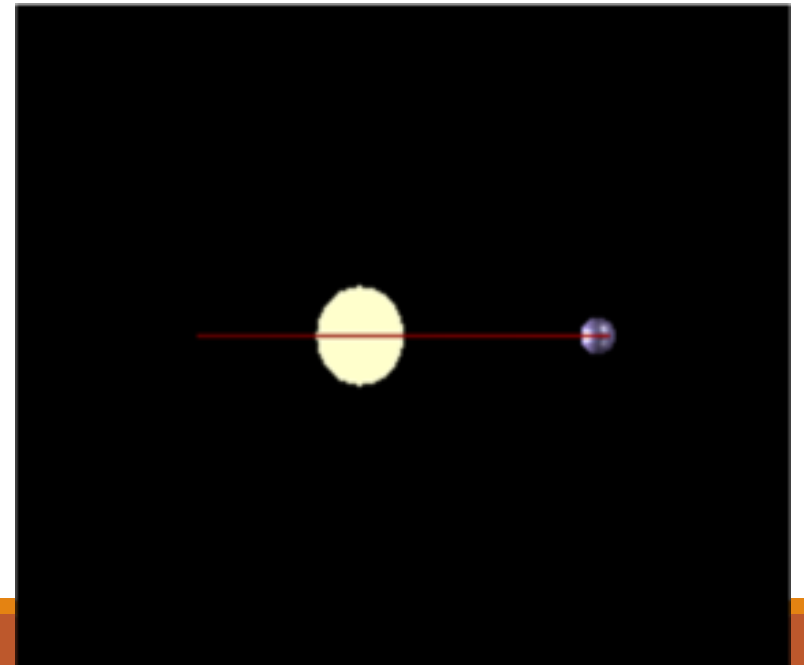
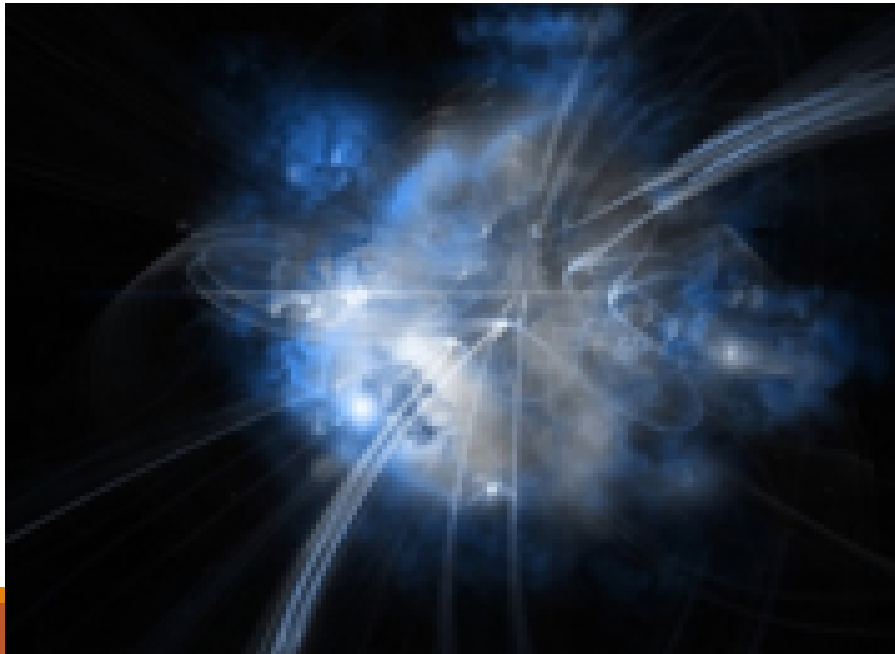


# AvčwýKZv Gi ZĚjt-

wDUB v, Kvj I fičK wbičý aičj I Avj evU©  
 AvBb ÷ vBb Zvü AvčwýK ZčĚj G ,čj včK AvčwýK ačib |  
 wbičý kčāi A\_ ,čKvčbv wKQzmvččý hv cwi eZčKxj bq |  
 hw` čKvčbv e` cwi cwkčK čKvčbv wKQž mvččý vč cwi eZč  
 bv Kči Zvi bvg w wZ, Avi hw` cwi eZčKči Zvi bvg MwZ,  
 KvčRB AvčwýK w wZ Ges AvčwýK MwZ Qvov Ab` wKQzej v  
 A\_čb | wKš' wDUB cig tečMi avi Yvq vekvwx wQčj b |



AvBb ÷ vBb  $\bar{u}o$  fvlvB e<sup>3</sup> Ktib th  $\bar{v}b$ , Kvj Ges  
fi Gt` i tKvbvU wbi tcy bq| GB wZbvU weI tqi  
cZ<sup>o</sup> KwU Ab<sup>o</sup> tKv tbn wKQz mv tcty wete wPZ nevi  
bvgB Av tcyK | Av tcyK Zvi we tkl ZZ; Ab mti  
cig MwZ wbi \_K, me MwZB Av tcyK |



# AvtciwÿKZvi weþkI ZË;Ges tgšwÿ K ~xKvhⓈ

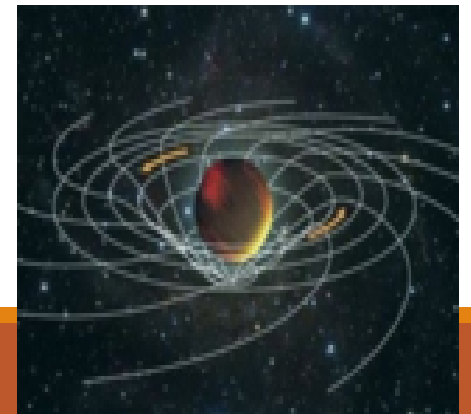
mPbv t-

weÁvbx gvBþKj mb Ges weÁvbx gwj Ⓢ\_vti i Aw-É;cⓈþYi  
Rb" GKwU cixÿv mæúv` vb Kþib | Zvt` i cixÿv nþZ  
wbbwÿj wLZ wmxvtšÍDcbxZ nI qv wMqvþQ |

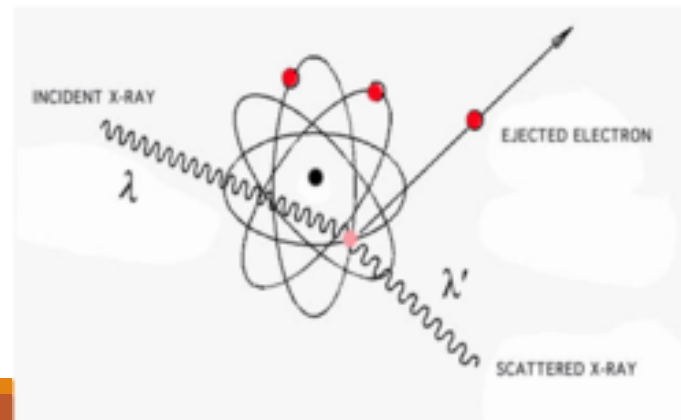
(1) B\_vi ej þZ G weþk wKQzþB |

(2) M"wwj wj I ifcvšÍ mWwK bq |

(3) Avþj vtKi teM GKwU aæe iwkk | GwU Drm A\_ev  
chtⓈÿY ev gva"tgi MwZi Dci wbfⓈKþi bv |

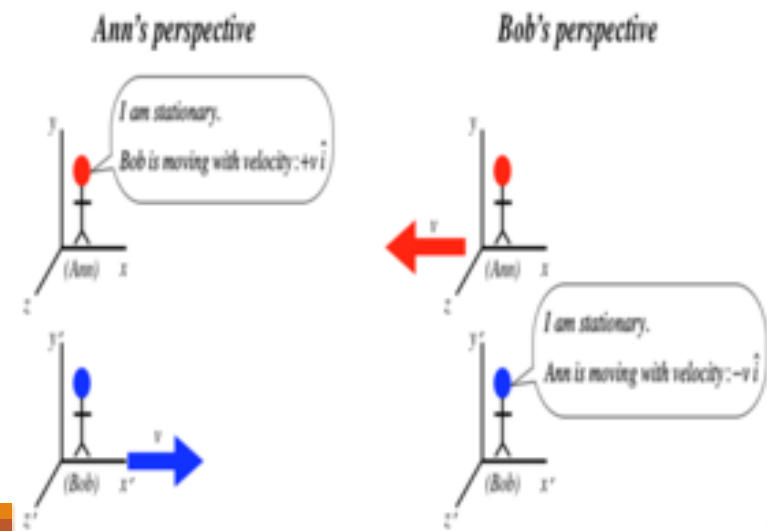
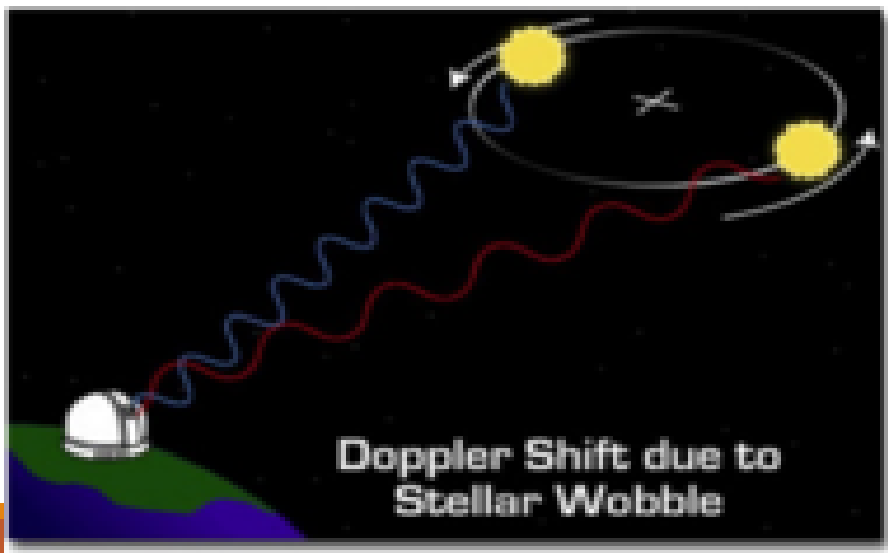


1905 mvtj hLb Avj evU @AvBb ÷ vBb  
 AvtcwÿKZvi wełkl ZË;cÖZ@Ktīb hv  
 wbbÿvj wLZ `wJ tgšwj K ~xKvh@Đci cWôZ |  
 GB `wJ ~xKvh@K AvtcwÿKZvi wełkl ZtËj  
 tgšwj K ~xKvh@tj | wtbÿ ~xKvh@wJ weeZ |  
 e"vL"v Kiv ntjv -



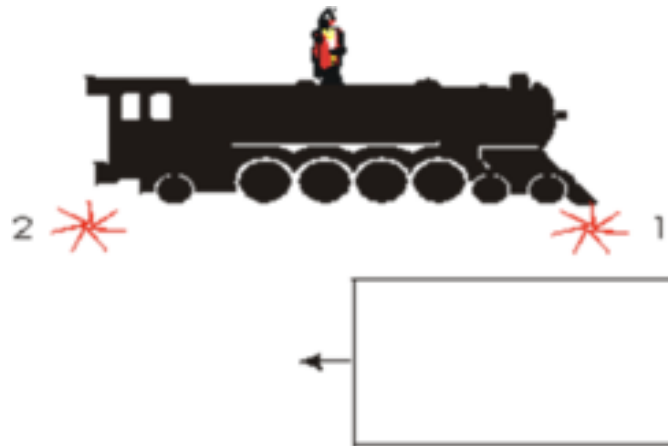
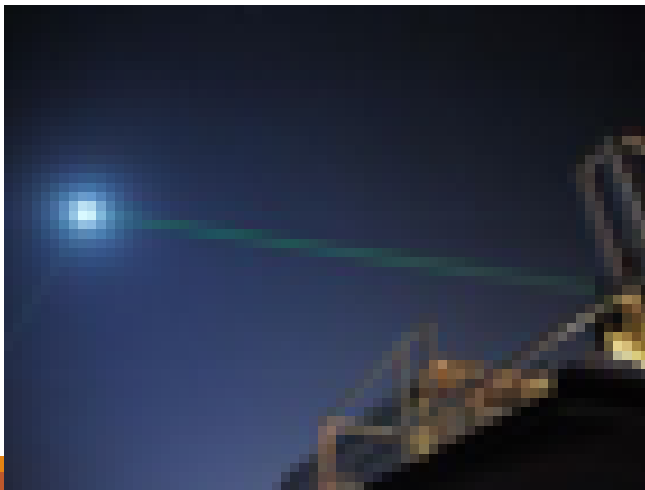
# Doppler Shift

The Doppler effect is the change in frequency or wavelength of a wave in relation to an observer moving relative to the wave source. It is named after Christian Doppler, who first proposed it in 1842. The effect is most commonly observed with sound waves, but it also applies to light waves.



e"vL"v t-

wbDU†bi MwZm†Î i 1g m† th cÖ½ KvV†gv†Z cÖy  
nq,Zv†K RoZvi KvV†gv etj | hw` tKv†bv e`RoZvq  
(w` í ev MwZ) \_v†K, Z†e Gi Dci ewn`K ej cÖy bv  
ntj Gi Ae`vi tKv†bv cwieZ†nte bv | GB `xKvh©  
Abm†i `Rb ch†e†yK GKB `i wLK tetM Pj †Z \_vK†j  
th†Kv†bv t†ŠZ m†Î i ifc ev Ae`v GKB \_vK†e |



D`vniY t-

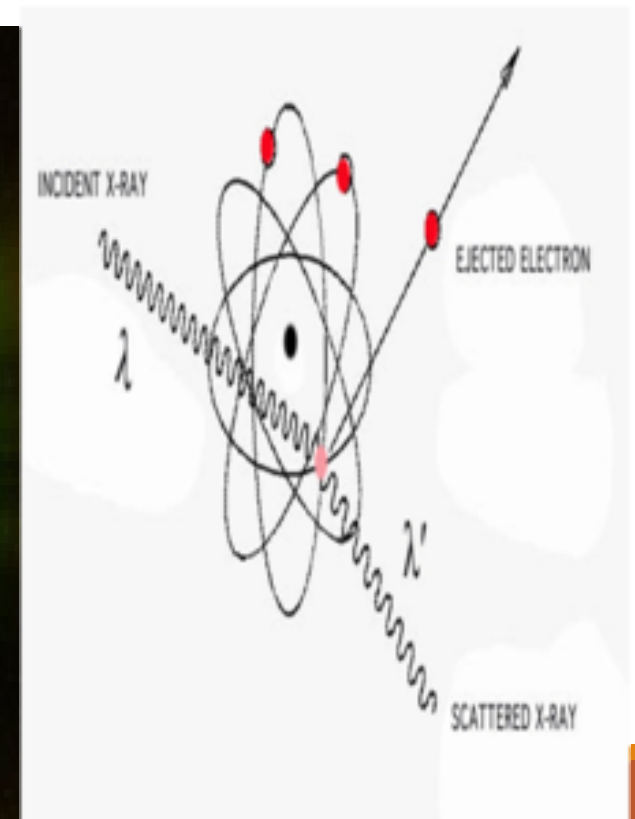
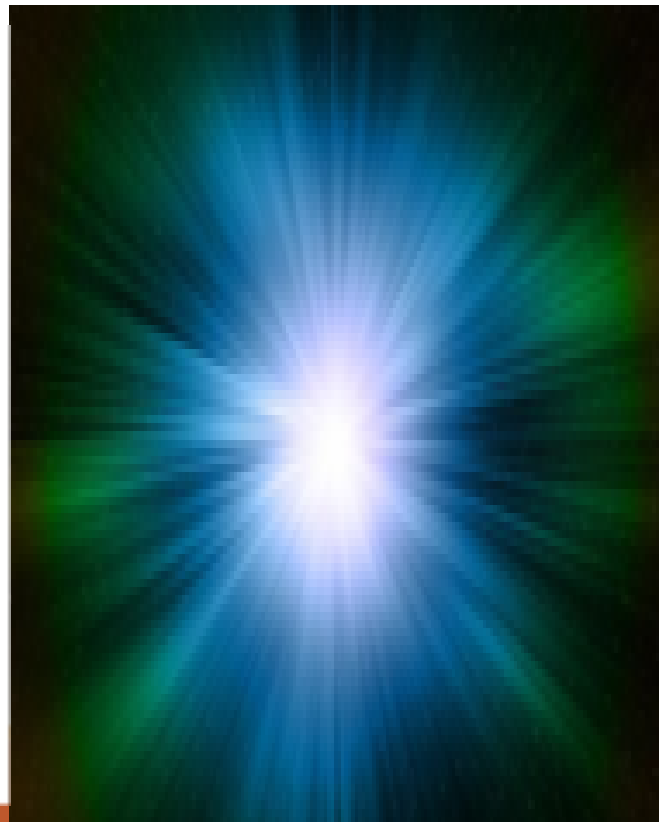
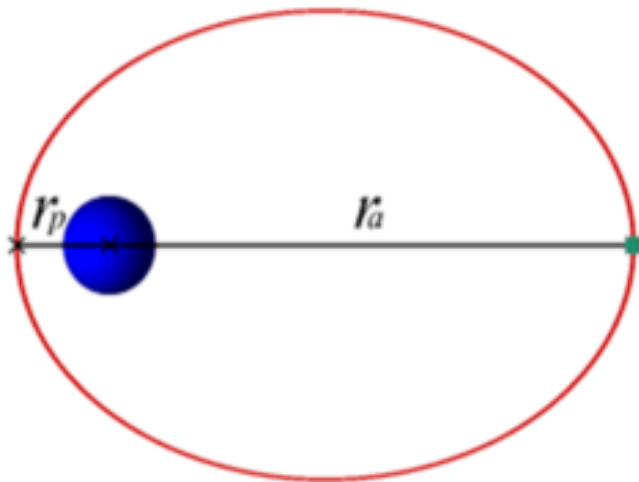
mgMwZmαúbdKv̄bv tUBhvÎ x Kvgivi wfZti i tKv̄bv  
cix̄yvi m̄v̄v̄th̄ c̄Y KīZ cvīteb bv tUB w̄i ītq̄Q  
bv Pj̄t̄Q | c`v\_w̄Áv̄t̄bi mKj̄ cix̄yvi dj tUB w̄i  
\_vK̄t̄j | hv̄ n̄te, mḡt̄t̄M Pj̄t̄j | Zv̄B cv̄l qv̄ hv̄te |





# Compton Effect

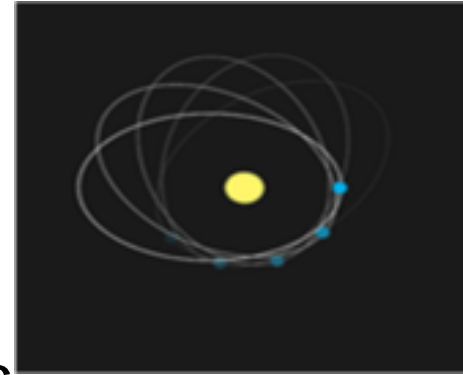
The Compton effect is the inelastic scattering of a photon by a charged particle, usually an electron. It is named after Arthur H. Compton, who discovered it in 1923. The effect shows that the photon's wavelength increases (and its energy decreases) after the collision. This is evidence for the particle nature of light, as it demonstrates that photons can transfer momentum and energy to electrons.



e"vL"v t-

GB -xKvth©cwi tciÖtZ B\_vti i Aw-É; -xKvi Kiv tKvttbv  
gtZB mæ€ nqbv | ZvQvov B\_vi gva"tgi I Rb ev mv` Zv  
wKQzbY©Kiv hvq bv | AvBb÷vBtbi gtZ Avtj vK cwi evnx  
B\_vti i cÖZK Abvek"K | gvBtKj mb- gwj ©cixyv Ges  
cieZx©M eû cixyv wixyvi mrvnth" cÖwYZ ntqtQ th  
kb"vttb ev evqygva"tg Avtj vtKi teM, Avtj vK cÖttni w` K,  
Drm Ges chteytKi AvtcwytK tetMi Dci wbf©Kxj bq |  
GwU GKwU aê i wnk |

# Avtcrnyk ZtEj cÖitf` t-



Avtcrnyk ZtEjgj-Z `B fvM wef<sup>3</sup>, h\_v -

(1) AvtcrnykZvi mvavi Y ev mwieK ZtEjGes

(2) AvtcrnykZvi wetkl ZtEj

AvtcrnykZvi mvavi Y ev mwieK ZtEjci`úti i Zjbrq EaYev

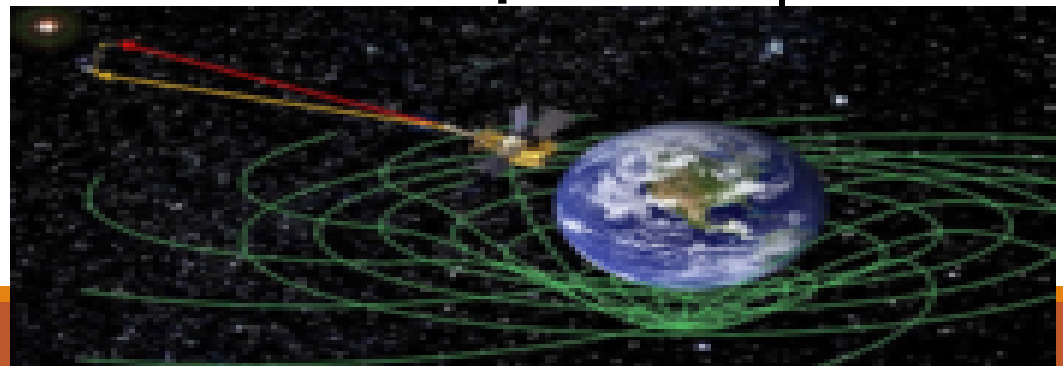
wbb¥MwZkxj (Zwi Z) e<sup>-</sup> mgn ev wmt÷g wbtq Avtj vPbv

Kti tQ| thgb mh, P>` a, byI, agtKZz DéwicU cÖvZi

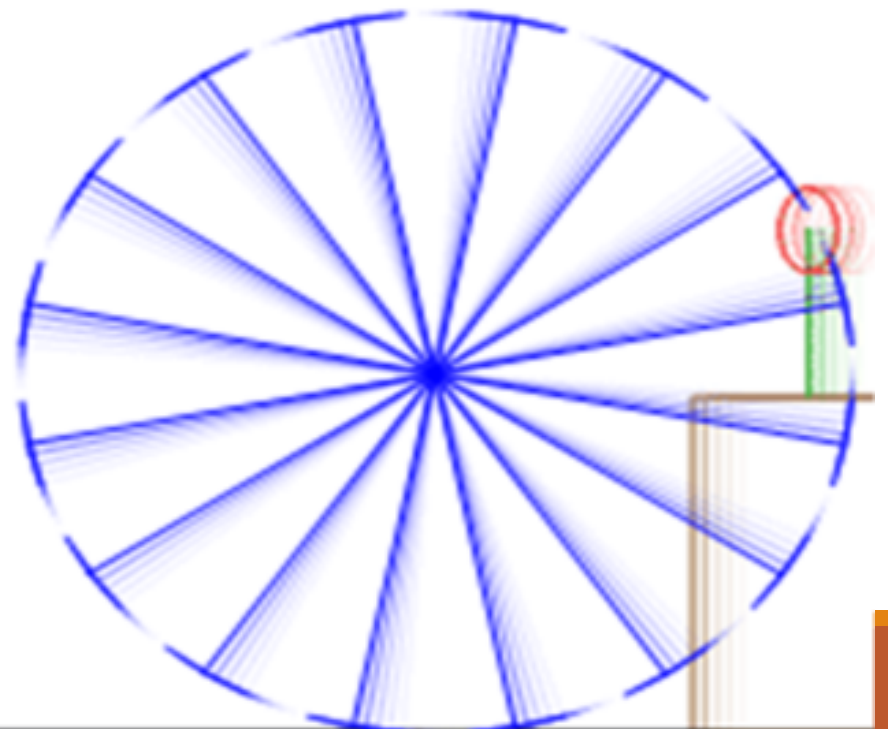
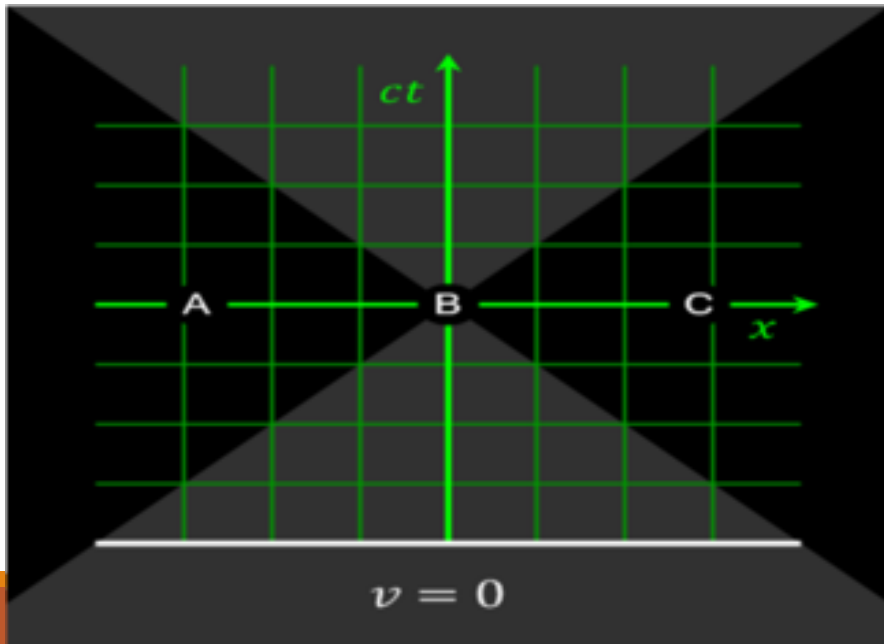
MwZ, gva`vKI Y Ges mgMÖetkî MVb mαútk Zv %ÁwbK I

`vkwK gZev` mgn AvtcrnykZvi mvavi Y ZtEj Ašf, |

GwU cÖmkZ nq 1916 mvttj |

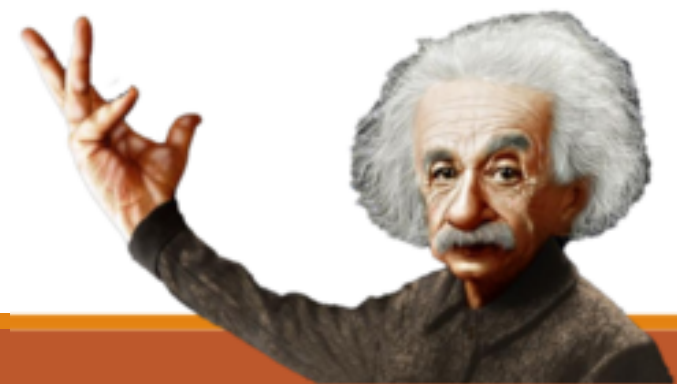
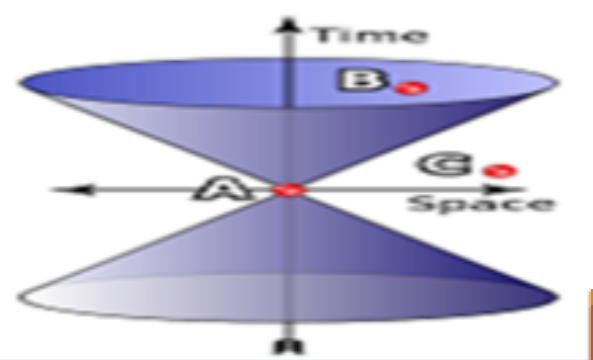


cývšfi AvtcwÿKZvi weþkl ZË; i ayci úti i Zþbvq  
 mgMwZþZ mÂiYkxj (AZwi Z) ev AmÂiYkxj  
 (Acwi eZþqfvte kb'MwZwekó) e<sup>-</sup> ev wmt ÷ g wbtq  
 Avtj vPbv Kiv ntqtQ | e<sup>-</sup> Z weþkl ZË; mwek ev mvavi Y  
 ZþË; GKwU weþkl ifc | GB Aa'vtq AvtcwÿKZvi weþkl  
 ZË; Avtj vPbv Kie |

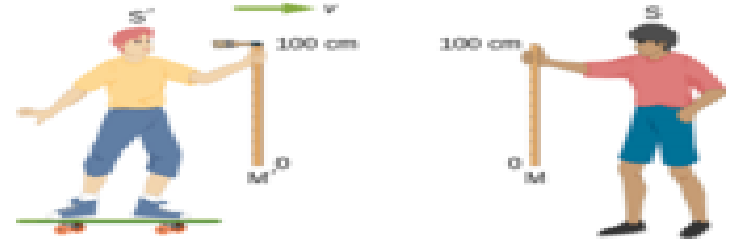


# % †N" © I mgtqi Av†cwjKZv t-

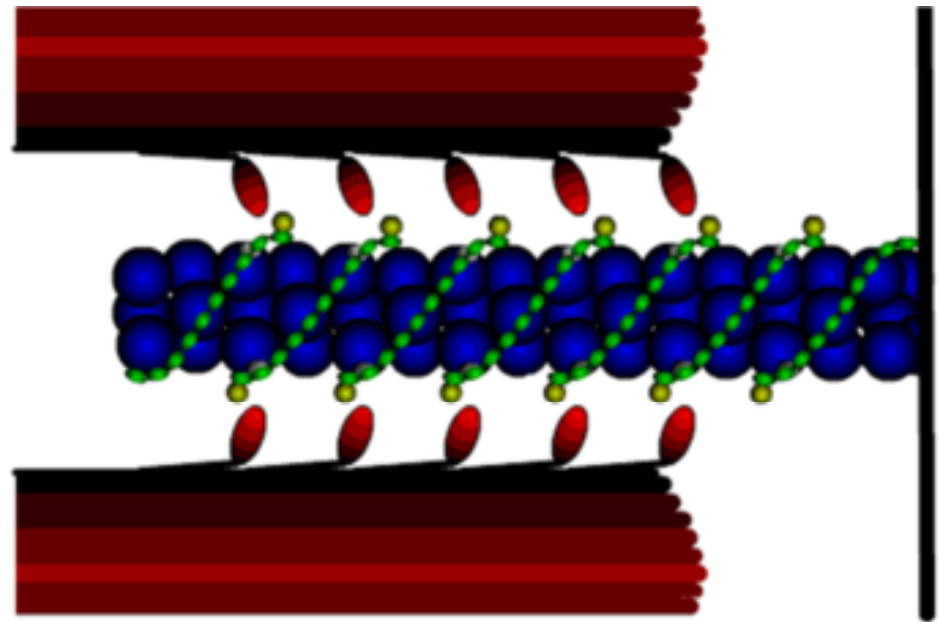
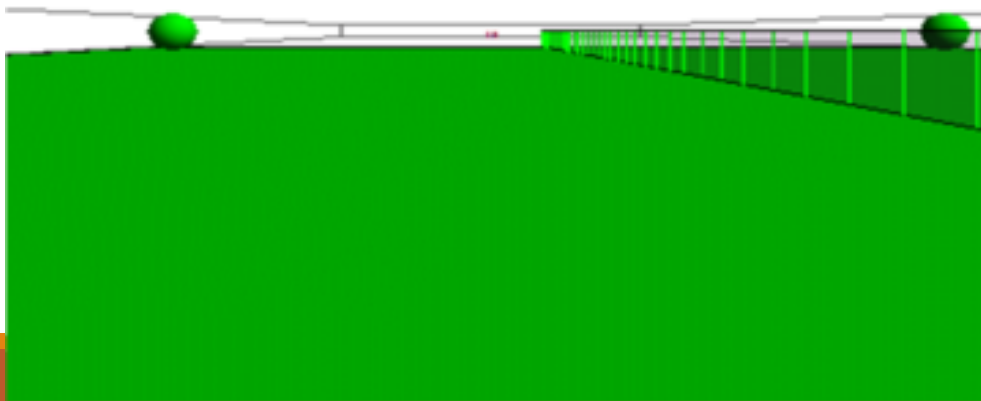
Kvj cwi gvtci gZ Av†cwjK MwZ Øviv ^` N" ©wiv gvc I  
cÖmeZ nq| wPivqZ c`v\_w@` vi gtZ e`i mvtctj  
cht@y†Ki teM hvB tnvK bv tKb mKj cht@y†Ki wbKU  
e`i ^` N" ©mgvb ev Awf bpaKš' Av†cwjK ZË;Aby†i MwZ i  
mvt\_ e`i ^` N" ©cwi eZb©N†U |  
†h Nwo tKvb cht@y†Ki mvtctj MwZkxj tmB NwouU hw`  
MwZkxj bv ntq wöj \_vKZ Zvntj †h mgq w` Z tP†q  
MwZkxj Ae`vq Kg mgq t` †e |



^`N"ms†KvPb Gi msÁv t-



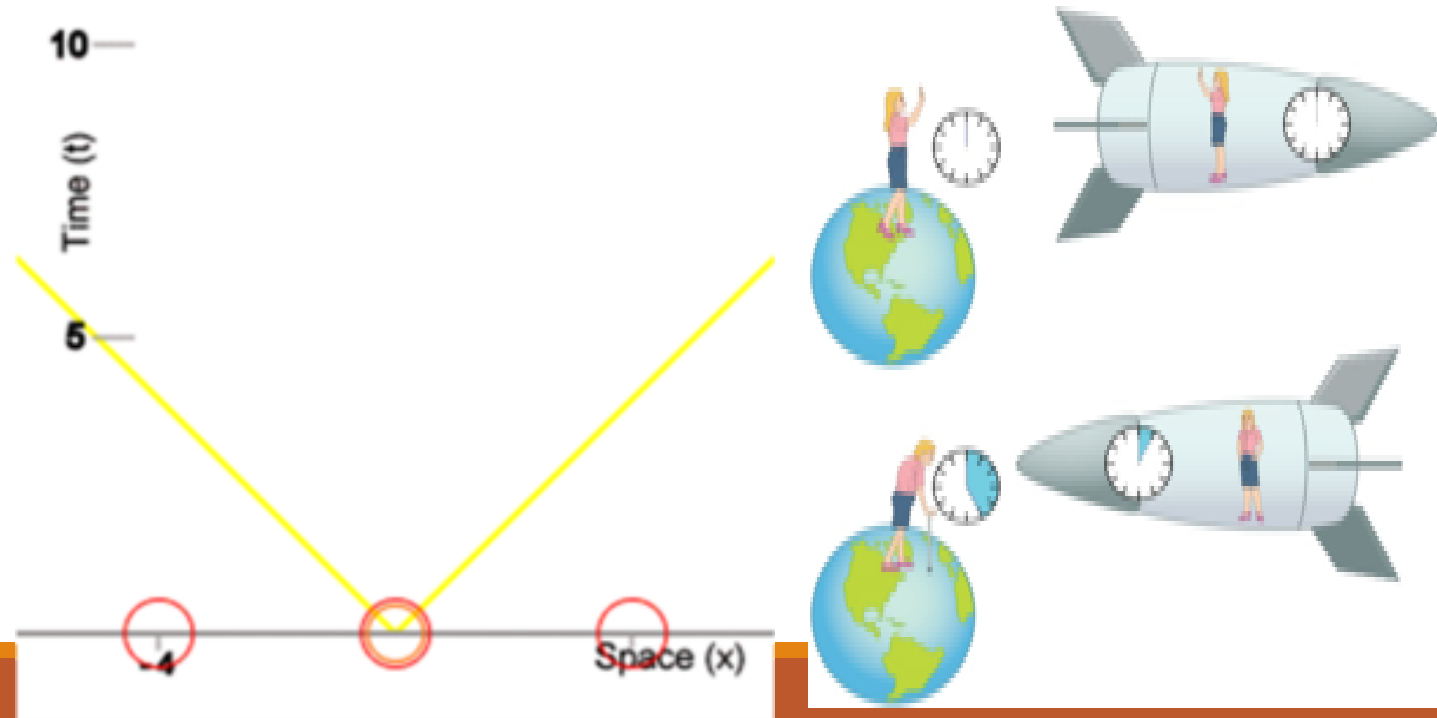
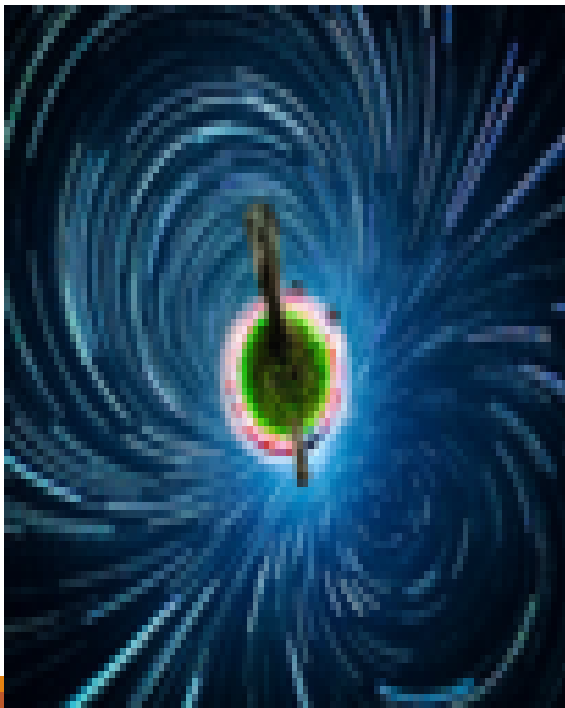
tKvb ch†@y†Ki mv†cty MmZkxj tKvb e<sup>-</sup>f ^`N"†  
 ch†@y†Ki mv†cty wboj Ae<sup>-</sup>vq H GKB e<sup>-</sup>f ^`N"†  
 tP†q tQvU nq, GB c††K ^`N"ms†KvPb ej v nq|



The action potential inhibits the calcium pumps, and calcium escapes from the sarcoplasmic reticulum.

# Kvj `xNv@b Gi msÁv t-

tKvb chfeytKi mvtcty MwZkxj Ae-vq msNwUZ `w NUbvi  
 ga'eZxKvj e'eavb H chfeytKi mvtcty wbdj Ae-vq  
 msNwUZ H GKB NUbvotqi ga'eZxKvj e'eavtbi tPtq temk  
 nte, GB cOretK Kvj `xNv@b etj |



$E = mc^2$  (thLvtb cÖK , tj v cÖj Z A\_@nb Kti) |  
 weÁvbx AvBb ÷ vBb Gi fi kw<sup>3</sup> mgxKiYwU cÖY Ki |  
 AvtcwÿKZvi wetkl ZtËj cwi tcnÿtZ fi kw<sup>3</sup> i m<sup>α</sup>úKw<sup>3</sup> tei Ki |

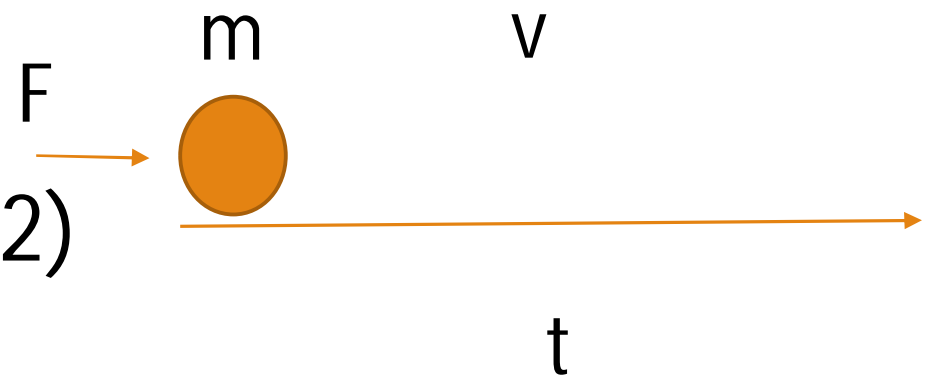
wbdUtb i wØZxq MwZ mĤ nĤZ Avgiv Rwb fi- teĤMi  
 cwi eZĤi nviĤK ej etj |



$$AZGe, F = \frac{d}{dt}(mv) \text{-----(1)}$$

AvtcwÿK ZËj nĤZ Avgiv Rwb fi Ges teM DfĤqB  
 cwi eZĤkxj |

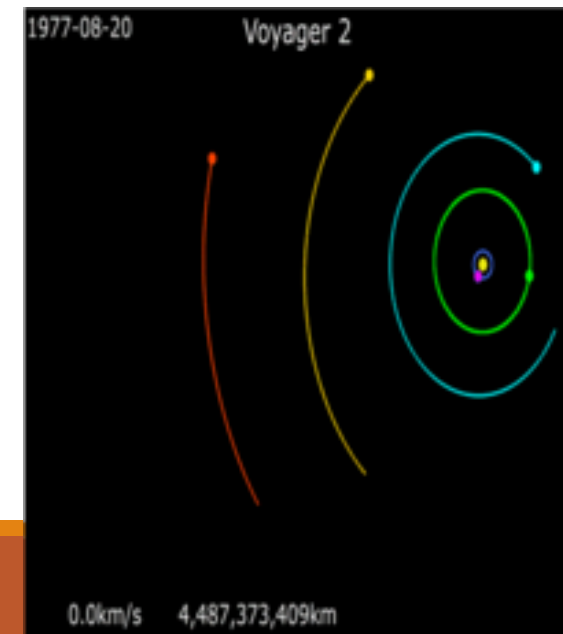
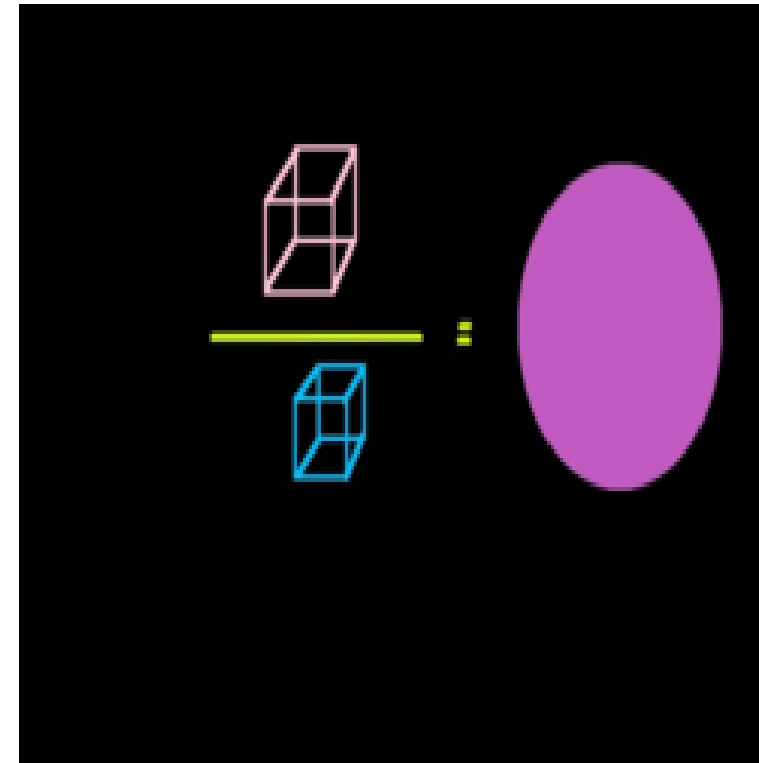
$$\begin{aligned}
 \therefore F &= \frac{d}{dt}(mv) \\
 &= m \cdot \frac{dv}{dt} + v \cdot \frac{dm}{dt} \text{-----(2)}
 \end{aligned}$$





$dE_k = F \cdot dx$   
 $= [m \cdot \frac{dv}{dt} + v \cdot \frac{dm}{dt}] \cdot dx$   
 $= m \frac{dv}{dt} \cdot dx + v \frac{dm}{dt} \cdot dx$

$$\begin{aligned}
 dE_k &= F \cdot dx \\
 &= \left[ m \cdot \frac{dv}{dt} + v \cdot \frac{dm}{dt} \right] \cdot dx \\
 &= m \frac{dv}{dt} \cdot dx + v \frac{dm}{dt} \cdot dx \\
 &= m \frac{dx}{dt} \cdot dv + v \cdot \frac{dx}{dt} \cdot dm \\
 &= m \cdot v \cdot dv + v \cdot v \cdot dm \quad \left[ \frac{dx}{dt} = v \right] \\
 \therefore dE_k &= mvdv + v^2 dm \quad \text{---(3)}
 \end{aligned}$$



GLb fi I tetMi m<sub>0</sub>cK<sup>2</sup> c<sup>2</sup>B,

$$m = \frac{m_0}{\sqrt{1 - \frac{v^2}{c^2}}} \text{----- (4)}$$

Df<sup>2</sup> c<sup>2</sup> K eM<sup>2</sup> K<sup>2</sup> i c<sup>2</sup>B.

$$m^2 = \frac{m_0^2}{1 - \frac{v^2}{c^2}}$$

$$\text{ev, } m^2 \left[ \frac{c^2 - v^2}{c^2} \right] = m_0^2$$

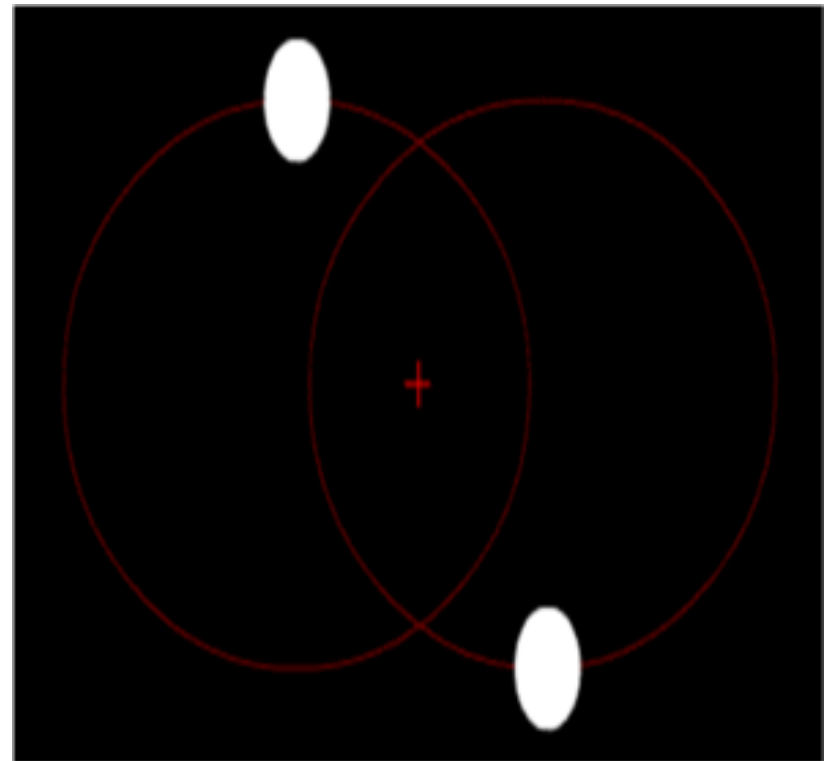
$$\text{ev, } m^2 (c^2 - v^2) = m_0^2 c^2$$

$$\text{ev, } m^2 c^2 - m^2 v^2 = m_0^2 c^2$$

$$\text{ev, } m^2 c^2 = m^2 v^2 + m_0^2 c^2$$

$$\text{ev, } m^2 c^2 = m^2 v^2 \quad [\text{w<sup>2</sup> i Ae<sup>-2</sup> vq e<sup>-2</sup> i fi } m_0 = 0 \text{ I Av<sup>2</sup> j vi teM } c=0 \text{ Df<sup>2</sup> tq a<sup>2</sup> K}]$$

$$m^2 c^2 = m^2 v^2 \text{----- (5)}$$



(5) From the definition of kinetic energy  $E_k$  in terms of mass  $m$  and velocity  $v$ ,

$$d(m^2 c^2) = d(m^2 v^2)$$

$$\text{or, } c^2 d(m^2) + m^2 d(c^2) = v^2 d(m^2) + m^2 d(v^2)$$

$$\text{or, } c^2 2m dm + m^2 \cdot 2c dc = v^2 2m \cdot dm + m^2 2v \cdot dv$$

$$\text{or, } c^2 2m dm = v^2 2m dm + m^2 2v dv \quad [\text{As } c \text{ is constant}]$$

$$\therefore c^2 dm = v^2 dm + m v dv \quad \text{----- (6)}$$

From (3) and (6) we get the relation between  $dE_k$  and  $dm$ ,

$$\therefore dE_k = c^2 dm \quad \text{----- (7)}$$

From (7) we can see that  $dE_k$  is directly proportional to  $dm$ .

$$\text{or, } dE_k \propto dm$$

$e^-$  'hw` w`i vtk, Zte  $v = 0$  Ges  $K.E=0$

GgZve`vq  $m = m_0$  | wKš'e`i teM hLb v nq, ZLb  
f`i i gvb nq m | AZGe mgxKiY (7) bs tk mgvKj b

$$Kti \text{ cvB, } \int_0^{E_k} dE_k = \int_{m_0}^m c^2 dm$$

$$\text{ev, } \int_0^{E_k} dE_k = c^2 \int_{m_0}^m dm$$

$$\text{ev, } [E_k - 0] = c^2 [m - m_0]$$

$$\therefore E_k = mc^2 - m_0c^2 \text{ -----(8)}$$

GvUB ntj v AvtcwÿKZvi MwZkw<sup>3</sup> i mgxKiY |

$e^- \cdot h \cdot \omega = m \cdot v \cdot \lambda \cdot k$      $A e^- \cdot v \cdot q = v \cdot \hbar \cdot k$ ,     $Z \cdot e = Z \cdot v \cdot i \cdot g \cdot t \cdot a \cdot \hbar \cdot k \cdot \omega^3$      $m \cdot \omega \cdot \lambda \cdot Z$   
 $= v \cdot \hbar \cdot k$ ,     $Z \cdot v \cdot \hbar \cdot k = m \cdot v \cdot \hbar \cdot k \cdot \omega^3$      $e \cdot t \cdot j \cdot G \cdot e \cdot s \cdot G \cdot i \cdot c \cdot \omega \cdot i \cdot g \cdot v \cdot Y = m_0 \cdot c^2$

$e^- \cdot \hbar \cdot k = m \cdot v \cdot \omega$

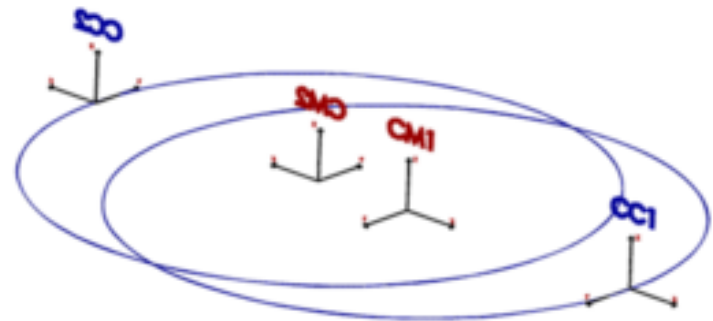
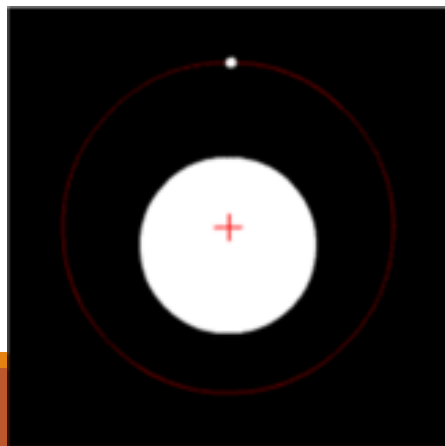
$$E = m \cdot \omega \cdot \lambda \cdot k + m \cdot v \cdot \hbar \cdot k$$

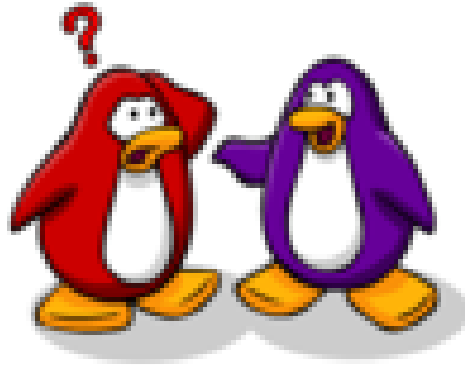
$$e \cdot v, E = E_k + m_0 c^2$$

$$e \cdot v, E = m c^2 - m_0 c^2 + m_0 c^2 \quad [ \because E_k = m c^2 - m_0 c^2 ]$$

$$\therefore E = m c^2$$

$G \cdot \omega \cdot U \cdot B \cdot n \cdot t \cdot j \cdot v \cdot \omega \cdot e \cdot \lambda \cdot v \cdot b \cdot x \cdot A \cdot v \cdot B \cdot b \cdot \div \cdot v \cdot B \cdot b \cdot G \cdot i \cdot \hbar \cdot k \cdot \omega^3 \cdot m \cdot g \cdot x \cdot K \cdot i \cdot Y$







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